

Motivation





- > The traditional two-step view morphing can not run at real time.
- Morphing two images at a time.
- Morphing the in-between image with the third image.
- \succ Other image-based rendering techniques are not able to navigate at an interactive rate due to expensive computations.
- □ Light field and Lumigraph.
- Uncalibrated point transfer techniques.
- Real-time tri-view morphing
- Extend traditional two-step view-morphing to tri-view morphing based on epipolar constraint.
- Cope well with both complex outdoor scenes and wide baseline images.



A triple of images are the minimum unit for our algorithm.

Our method is implemented as three steps: pre-warping, morphing and postwarping.

REAL-TIME WALKTHROUGH OF OUTDOOR SCENES USING TRI-VIEW MORPHING Qianqian Li, Yu Zhou, Yao Yu, Sidan Du, Ziqiang Wang Nanjing University, China

Algorithm Overview

> Two-step view morphing:



- $= (1-s)\mathbf{H}_{1}I_{1} + s\mathbf{D}_{1\to 2}(\mathbf{H}_{1}I_{1})$ $= t(1-s)\mathbf{H}_{5}^{s}\mathbf{H}_{1}I_{1}$
- $I_s = (1-s)\mathbf{H}_1 I_1 + s\mathbf{H}_2 I_2$ $\mathbf{I}_{s\oplus t} = (1-\mathbf{t})\mathbf{H}_{6}^{s}I_{3} + t\mathbf{H}_{5}^{s}I_{s}$ $+st\mathbf{H}_{5}^{s}\mathbf{D}_{1\rightarrow 2}(\mathbf{H}_{1}I_{1})$ + $(1-t)\mathbf{H}_{6}^{s}\mathbf{H}_{4}^{-1}\mathbf{D}_{1\to 3}(\mathbf{H}_{3}I_{1})$

\succ Real-time tri-view morphing:



So $I_{s \oplus t}$ can be written as $I_{s \oplus t} = t(1-s)\hat{I}_1 + st\hat{I}_2 + (1-t)\hat{I}_3$ Where $\hat{I}_1 = \mathbf{H}_5 \mathbf{H}_1 I_1$ $\hat{I}_2 = \mathbf{H}_5 \mathbf{D}_{1 \to 2} (\mathbf{H}_1 I_1)$ $\hat{I}_3 = \mathbf{H}_6 \mathbf{H}_4^{-1} \mathbf{D}_{1 \to 3} (\mathbf{H}_3 I_1)$

> Post-warping:

We extend a two-image post-warp algorithm to work with three images and yield the normal view.

Experimental Results



Results of images taken with a hand-held digital camera. The first row are four uncalibrated sample images. The second row are a series of synthesized virtual views.





Results of automatic transition between triples to create a long smooth walkthrough.









Results of wide baseline images. The first row are three wide baseline sample images. The second row are a series of synthesized virtual views.

In the case of two image planes are parallel to each other, the epipolar lines of two images are horizontal. Following parallel-image

$$p^{T} \mathbf{F} p_{s_{1}} = 0$$

$$(p_{s_{1}} + (s_{2} - s_{1})(\mathbf{D}_{1 \rightarrow 2}(p_{1}) - p_{1}))$$

$$-s_{1}) p^{T} \mathbf{F} [\boldsymbol{\sigma} \quad 0 \quad 0]^{T} = 0$$



