

EXPLOITING PROBABILISTIC RELATIONSHIPS BETWEEN ACTION CONCEPTS FOR COMPLEX EVENT CLASSIFICATION

Somayeh Keshavarz, Imran Saleemi,
and George Atia

College of Engineering and Computer Science, University of Central Florida

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Changing tire

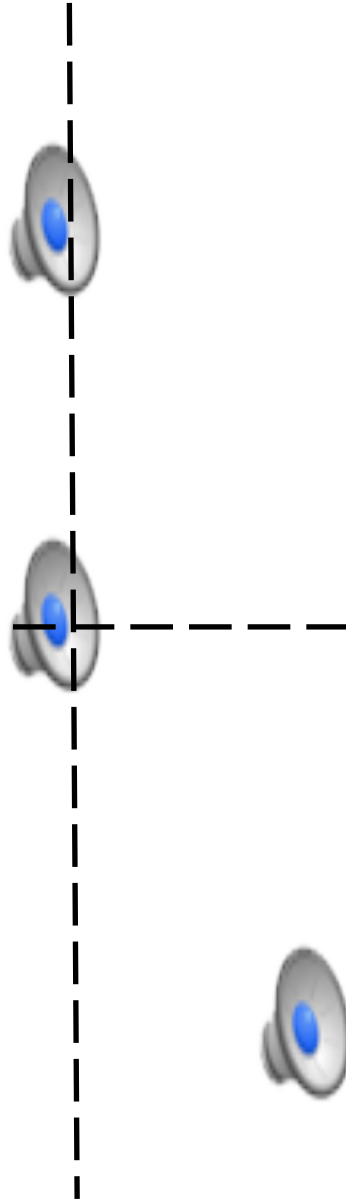
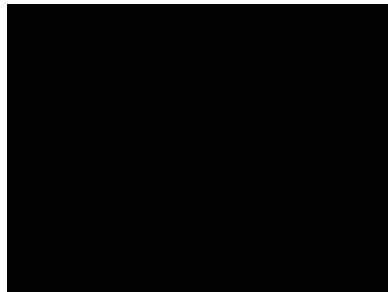


Feeding animal



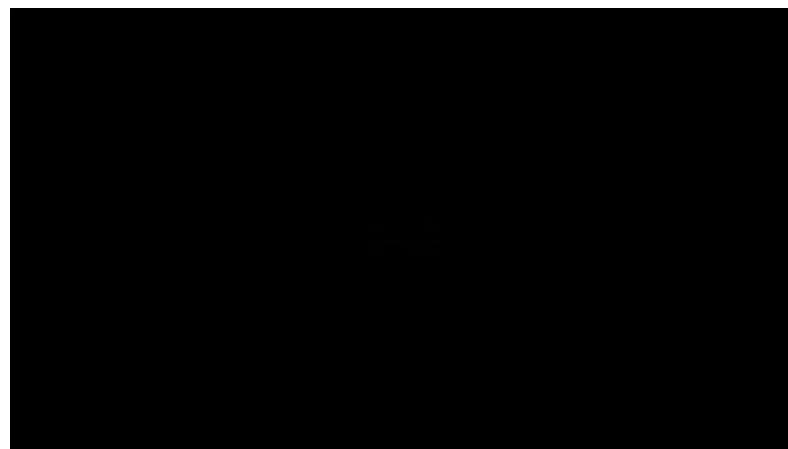
Rock climbing

Wedding C



Challenges of video classification

- Camera motion
- Illumination condition changing
- Background clutter
- Diversity in scene setting



Bag of words pipeline

- Feature extraction
- Encoding
- Pooling
- Classification



Decomposing a Video to Concepts



Classifier

Outline

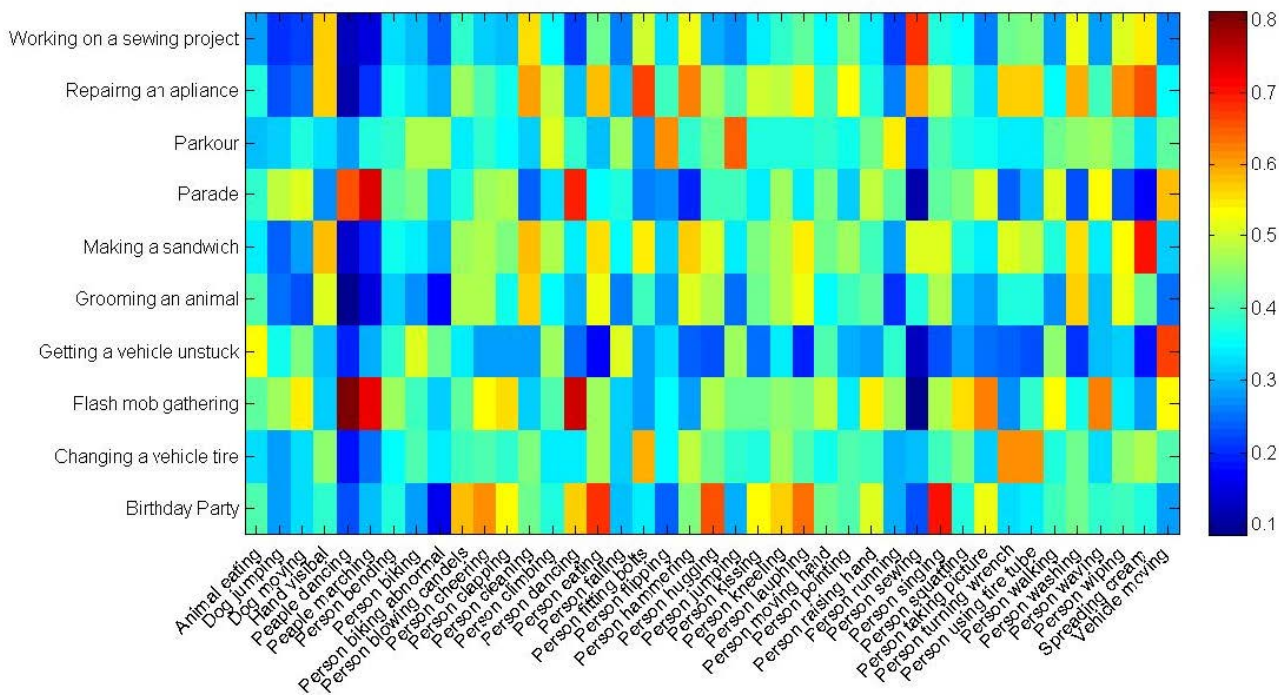
- Proposed classification method
- Dataset
- Result

Bayes Classifier



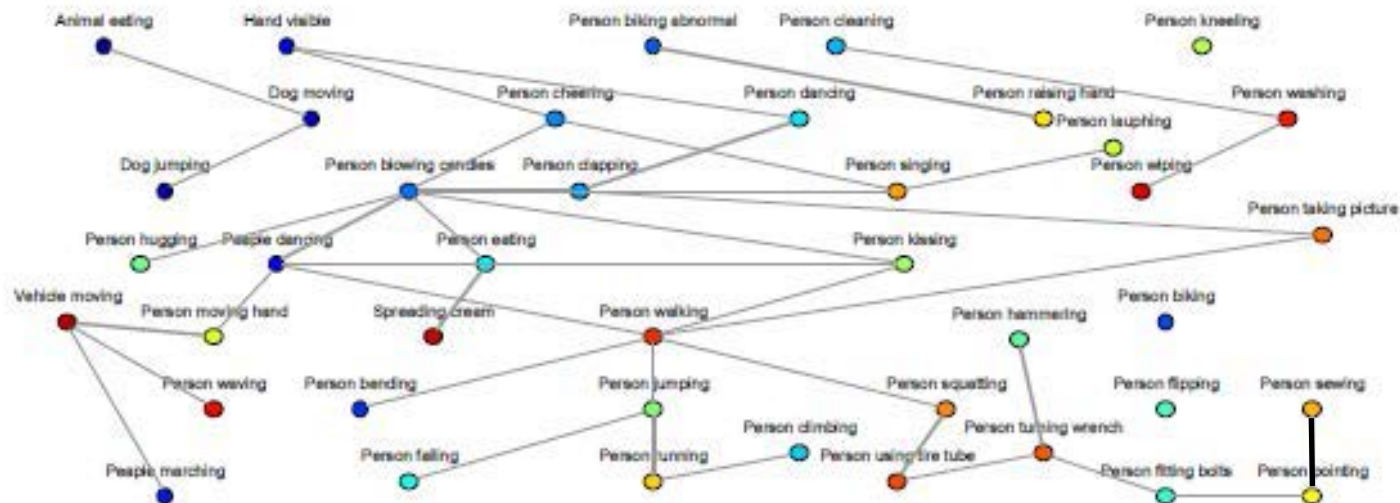
$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} p(v | e)$$

Naive Bayes classifier

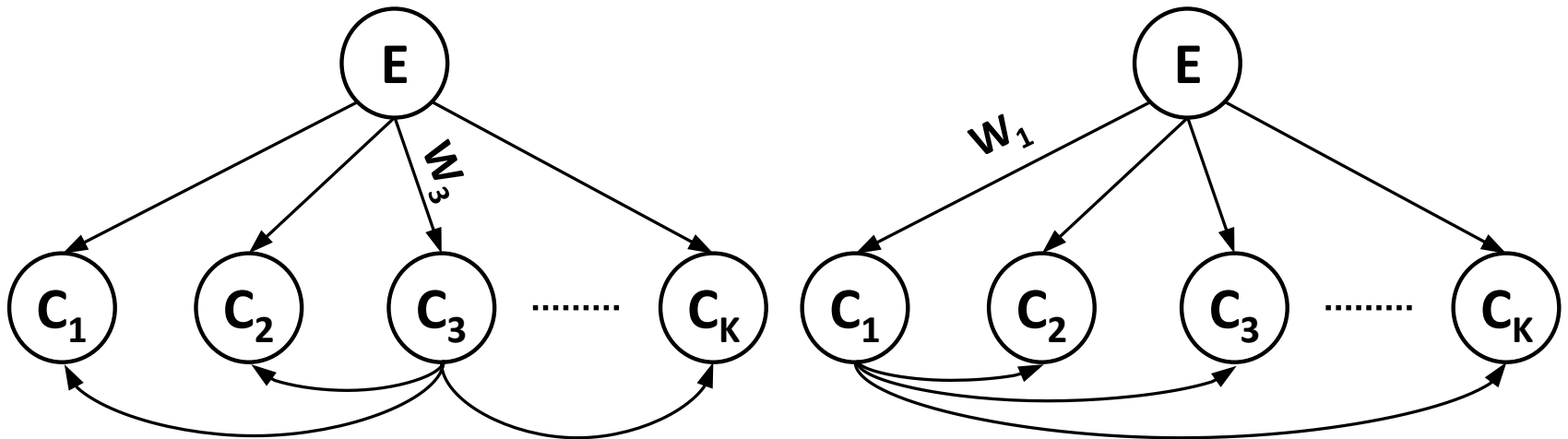


$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} \prod_{i=1}^k p(c_i | e)$$

Concepts co-occurrence



Weighted-Average One Dependence Estimator



$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} \sum_{i=1}^r W_i \cdot p(c_i, e) \prod_{\substack{j=1 \\ j \neq i}}^k p(c_j | c_i, e)$$

Estimation of Probabilities

$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} \sum_{i=1}^r W_i \cdot p(c_i, e) \prod_{\substack{j=1 \\ j \neq i}}^k p(c_j | c_i, e)$$

- Probability of c_i in e

$$p(c_i, e) = \frac{F(c_i, e) + \frac{1}{2n}}{n + 1}$$

- Probability of c_j and c_i in e

$$p(c_j | c_i, e) = \frac{F(c_j, c_i, e) + \frac{1}{2}}{F(c_j, c_i) + 1}$$

Weights of Root Concepts

$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} \sum_{i=1}^r W_i \cdot p(c_i, e) \prod_{\substack{j=1 \\ j \neq i}}^k p(c_j | c_i, e)$$

- Weights are defined based on the method of information gains

$$W_i = IG(\mathcal{S}, C_i) = H(\mathcal{S}) - \frac{|\mathcal{S}_i|}{|\mathcal{S}|} H(\mathcal{S}_i) - \frac{|\bar{\mathcal{S}}_i|}{|\mathcal{S}|} H(\bar{\mathcal{S}}_i)$$

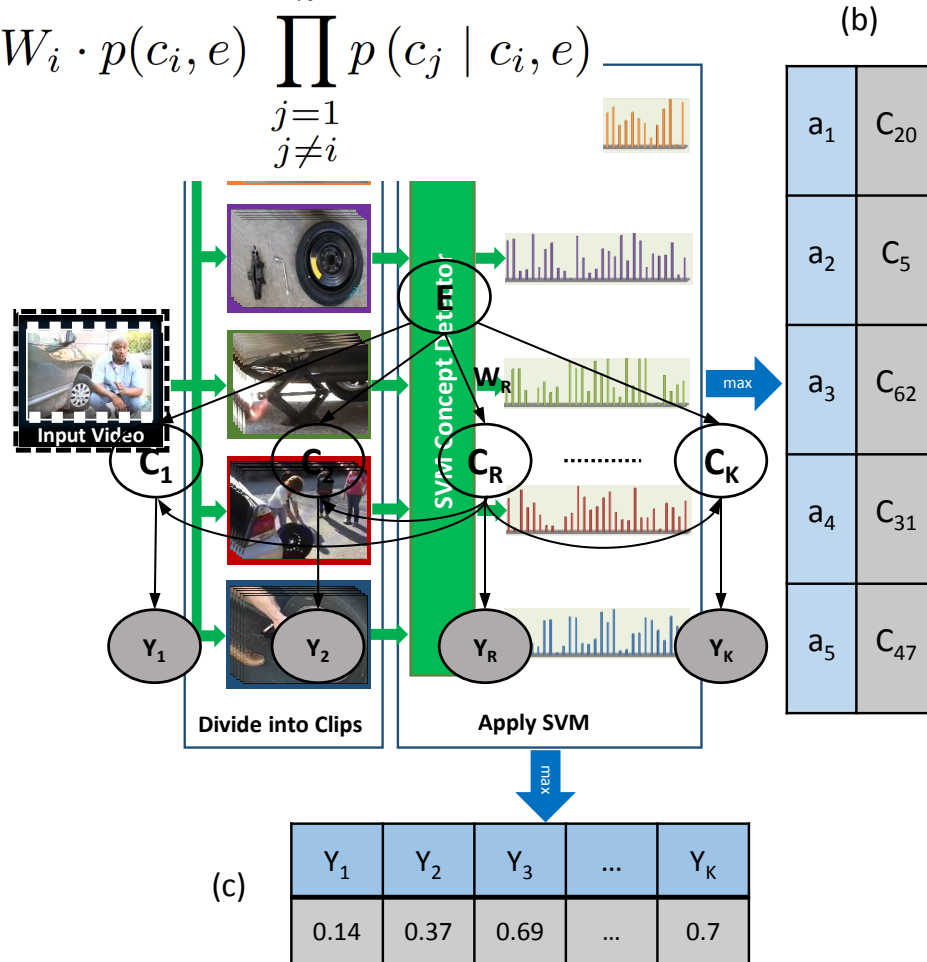
- Entropy is defined by summing over all events:

$$H(\mathcal{S}_i) = - \sum_{e=1}^m \frac{|\mathcal{S}_i(e)|}{|\mathcal{S}_i|} \log \frac{|\mathcal{S}_i(e)|}{|\mathcal{S}_i|}$$

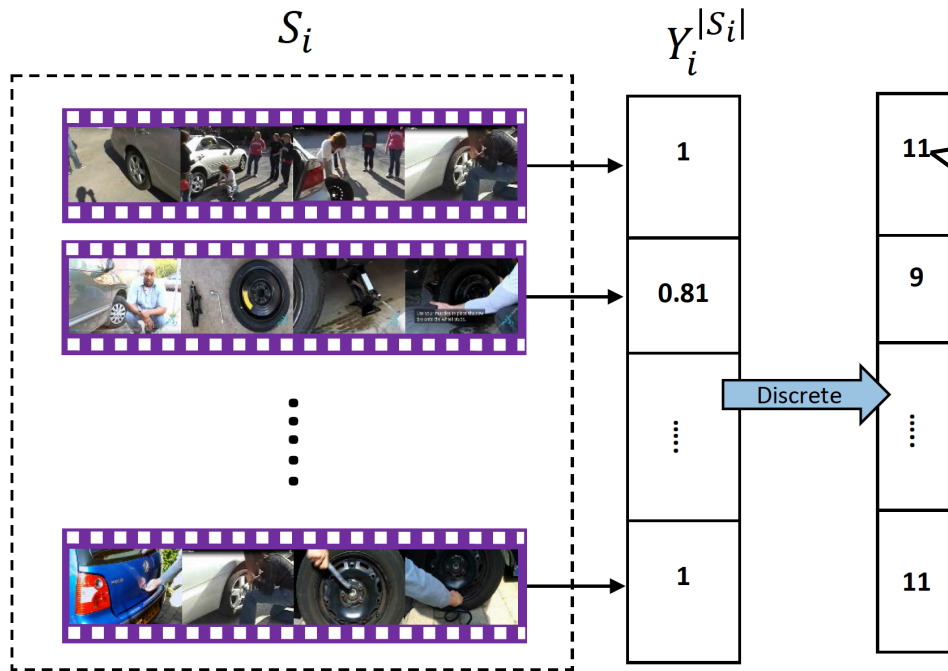


Inferring Concepts

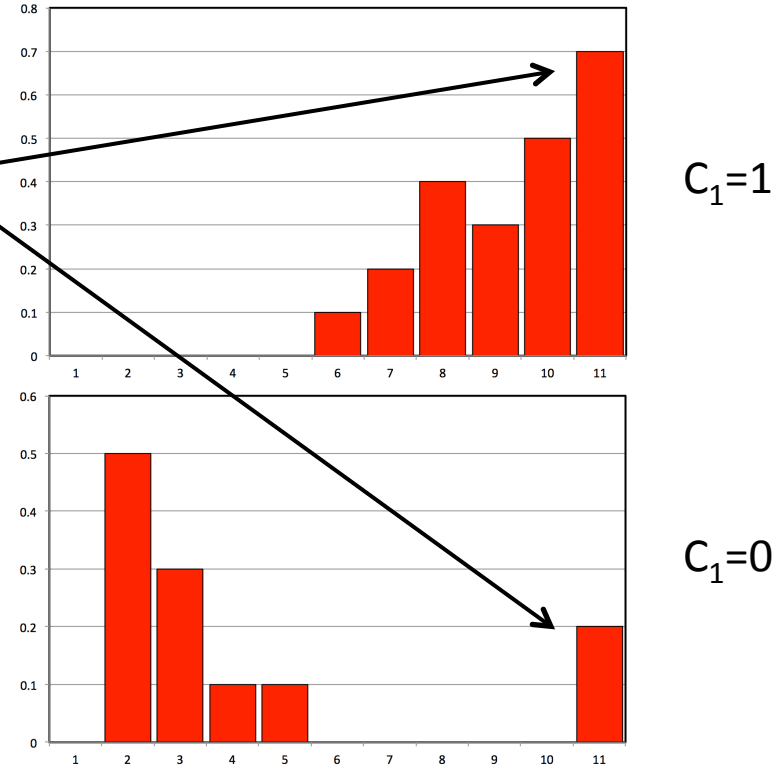
$$\hat{e}_{ML} = \arg \max_{e \in \mathcal{E}} \sum_{i=1}^r W_i \cdot p(c_i, e) \prod_{\substack{j=1 \\ j \neq i}}^k p(c_j | c_i, e)$$



Calibrated concept detection



Concept detector result



Annotation information

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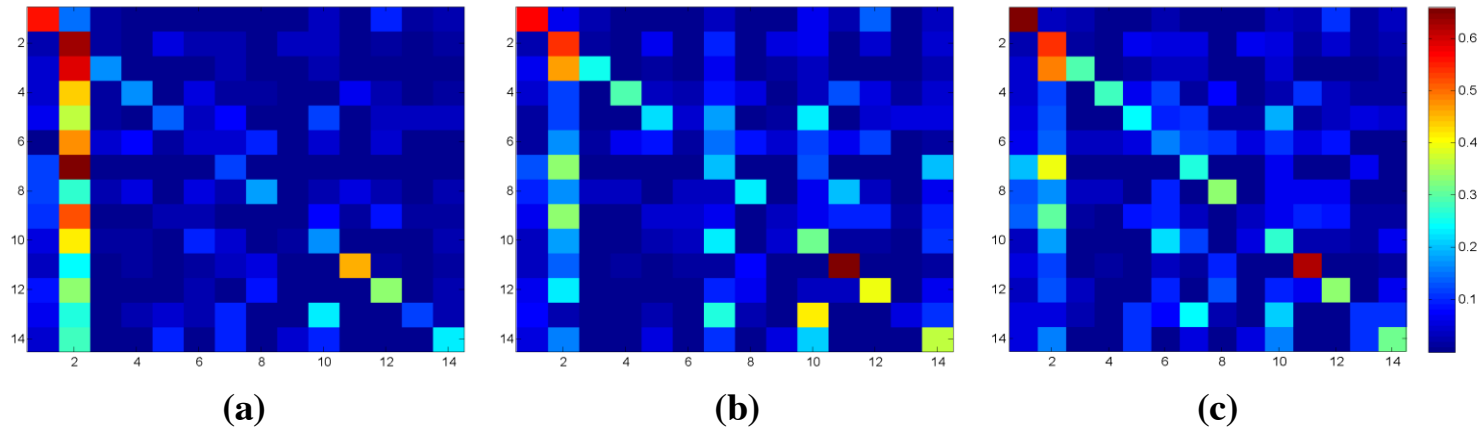
Datasets

- DEVT (Subset of TRECVID11)
 - 15 complex events
 - Total of 8100 videos
- EC (Subset of TRECVID11 and TRECVID12)
 - 25 complex events
 - Total of 2062 videos
- Concept detector
 - Extract Motion Boundary Histogram (MBH) features
 - train 93 binary SVM

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Experimental results on DEVT

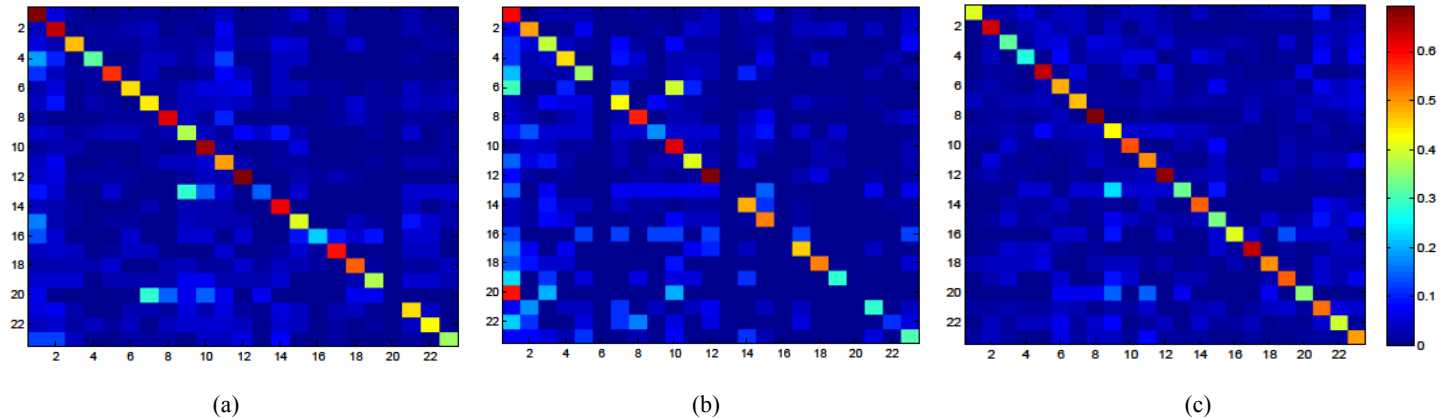


(a) SVM event classifiers AC = 26:59

(b) H-S [19] AC = 29:36

(c) Proposed method AC = **32.31%**

Experimental results on EC



- (a) SVM method AC = 46:23
- (b) H-S [19] AC = 36:06
- (c) Proposed method AC = **48.5%**

Conclusion

- We have proposed a novel probabilistic inference framework for complex video event recognition using supervised action concepts.
- To the best of our knowledge, this is the first principled approach to attempt to model the conditional relationships between events and concepts by constraining dependencies to pairwise joint distributions while avoiding the need to manually re encode new graph structures as the number of concepts increases.
- This method outperforms state-of-the-art techniques on multiple challenging data sets of complex event videos

Thank You

