

# INTERFERENCE REDUCTION ON FULL-LENGTH LIVE RECORDINGS

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## Summary

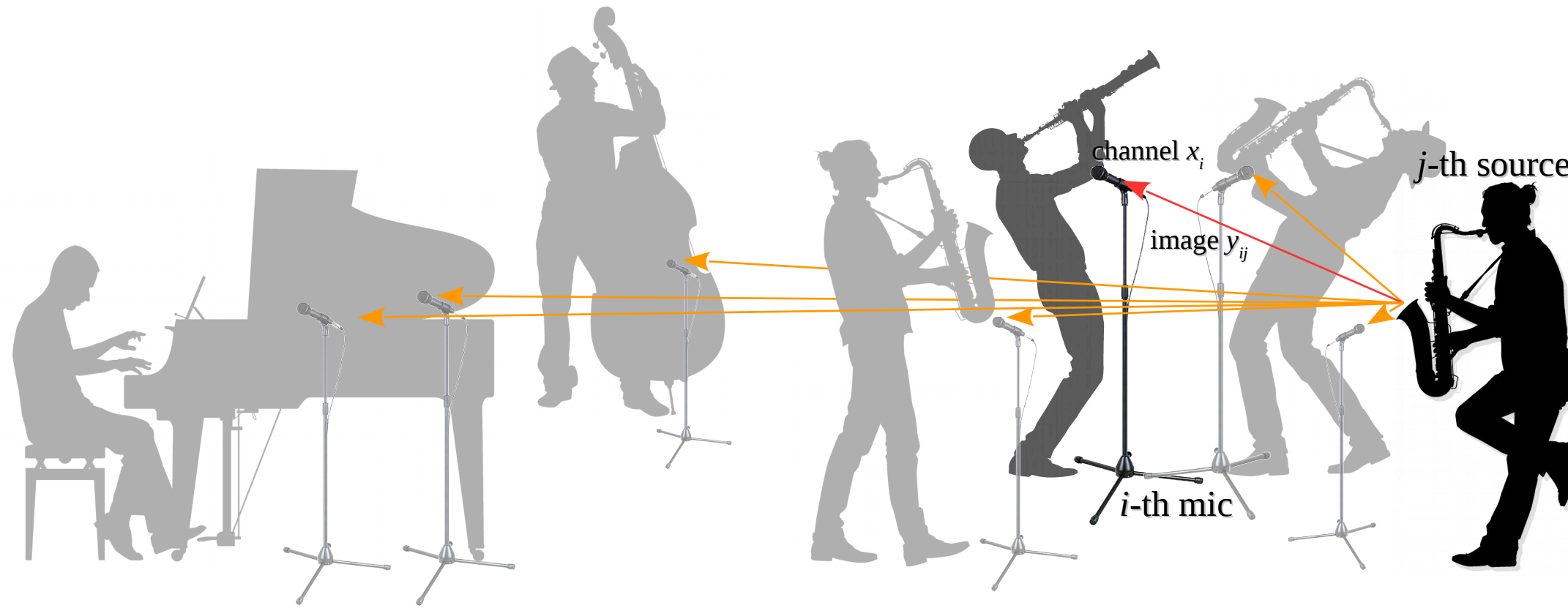
**Live concert recordings** offer features significant **interference** between channels. Recently, we proposed a NMF-based algorithm reduce this effect. However this method is too computationally demanding for full-length concerts.

We show how **Random Projections** of the data can be leveraged for effective estimation of the NMF parameters in acceptable time.

## Notation and Model

**Time-Frequency domain representation:**

$$X_i(f, t) = \sum_{j=1}^J Y_{ij}(f, t), \quad V_i(f, t) \triangleq |X_i(f, t)|^2,$$



**Interference Reduction goal:**

$\forall i$  and  $j$ , estimate  $\hat{Y}_{ij}$  of the images  $Y_{ij}$  from the observation of  $X_i(f, t)$ .

## Hypotheses

- ▶ *Signals* from different sources are independent
- ▶ *Neglecting phase dependencies* between channels [1]  
Channels are related only through their energies

**Local Gaussian Model and source separation**[2]:

The STFT of the image  $y_{ij}$ :

$$Y_{ij}(f, t) \sim \mathcal{N}_c(0, \lambda_{ij}(f) P_j(f, t))$$

Posterior distribution given the mixture through *Wiener filtering*:

$$\hat{Y}_{ij}(f, t) \triangleq \mathbb{E}[Y_{ij}(f, t) | X_i(f, t), \Theta] = \frac{\lambda_{ij} P_j(f, t)}{\sum_{j=1}^J \lambda_{ij} P_j(f, t)} X_i(f, t).$$

**Close-mics assumption:**

- ▶ Close-mis signals features already good separation quality
- ▶ Estimation only for the images of interest

**Model parameter to estimate:**

$$\Theta = \{\Lambda(f), \{P_j(f, t)\}\}$$

## Music Interference Removal Algorithm - MIRA

MIRA estimates from the parameters likelihood given the observation  $X_i(f, t)$ [3]:

$$\hat{\Theta} \leftarrow \arg \min_{\Theta} \sum_{f, t, i, j} d_{IS} \left( V_i(f, t) \parallel \sum_j \lambda_{ij}(f) P_j(f, t) \right)$$

**Nonnegative updates:**

$$P_j(f, t) \leftarrow P_j(f, t) \cdot \frac{\sum_{i=1}^I P_i(f, t)^{-2} V_i(f, t) \lambda_{ij}(f)}{\sum_{i=1}^I P_i(f, t)^{-1} \lambda_{ij}(f)}$$

$$\lambda_{ij}(f) \leftarrow \lambda_{ij}(f) \cdot \frac{\sum_{t=1}^T P_i(f, t)^{-2} V_i(f, t) P_j(f, t)}{\sum_{t=1}^T P_i(f, t)^{-1} P_j(f, t)}$$

**Initialization:**

Close-mics information is used to initialize both  $\Lambda(f)$  and  $P_j(f, t)$

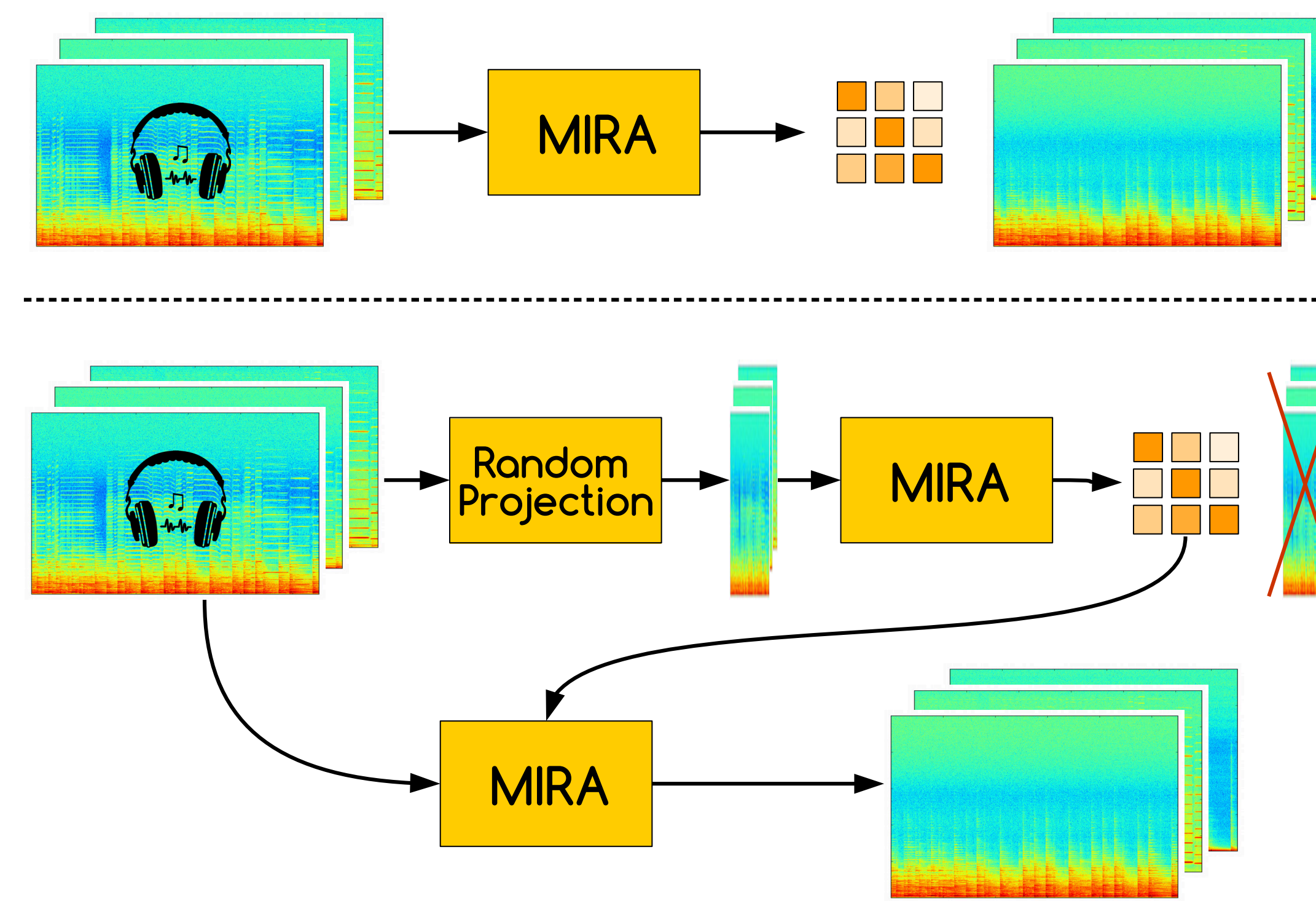
**Computational load**

- ▶  $\Lambda(f)$  requires parsing the whole data
- ▶  $P_j(f, t)$  can be estimated online

## Random Projection - fastMIRA

## Contribution

- ▶ Learn  $\Lambda$ , on a **small random projection** of the data
- ▶ Use  $\tilde{\Lambda}(f)$  to estimate  $\{P_j(f, t)\}_j$  online



**Derivation:**

$$M_i(f, r) = \sum_{t=1}^T X_i(f, t) Q_i(r, t) \text{ with } Q_i(r, t) \sim \mathcal{N}(0, 1) \text{ and } R \ll T$$

Thanks to the Gaussian Model of the mixtures, it holds:

$$M_i(f, r) \sim \mathcal{N}(0, \sum_j \lambda_{ij}(f) S_j(f, r)) \text{ with } S_j(f, r) = \sum_t P_j(f, t) Q_i(r, t)^2$$

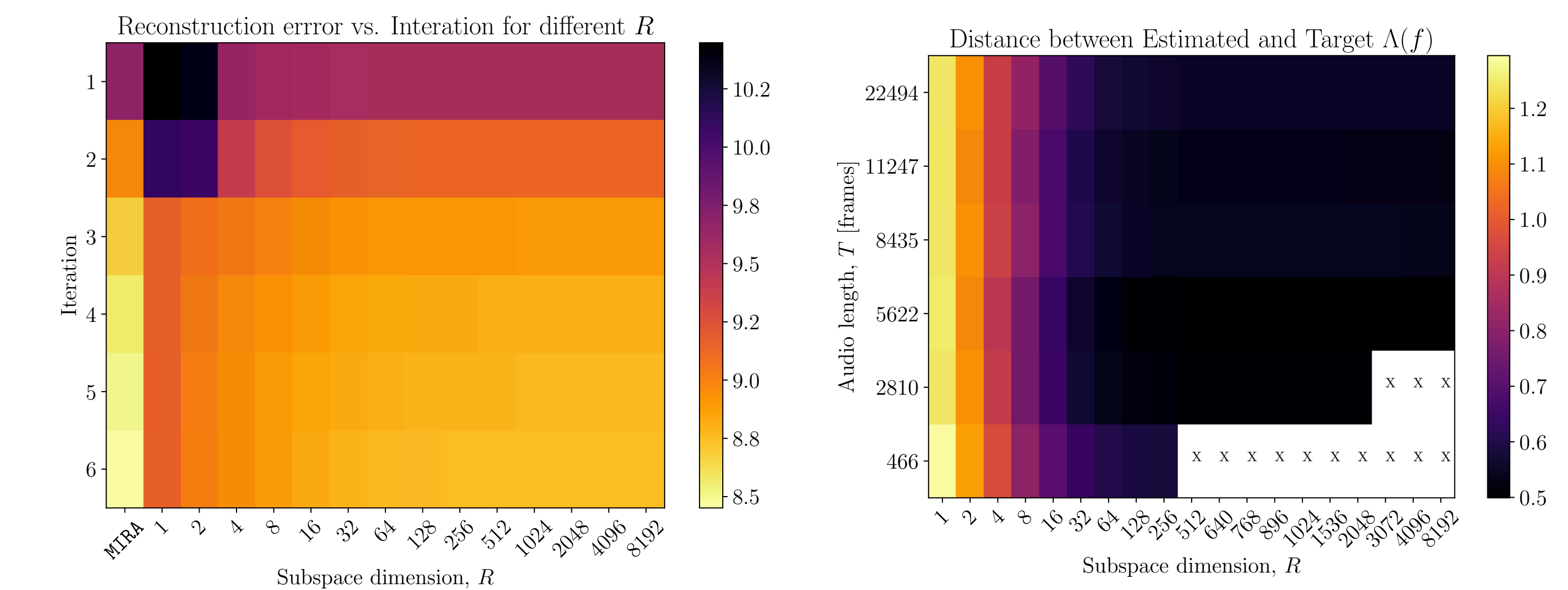
$\Rightarrow$  **MIRA can be used to estimate  $\Lambda$  on  $M$  instead of  $X$**

## Experimental evaluation

**Data:** *Power of Love* by Heuy Lewys and the News

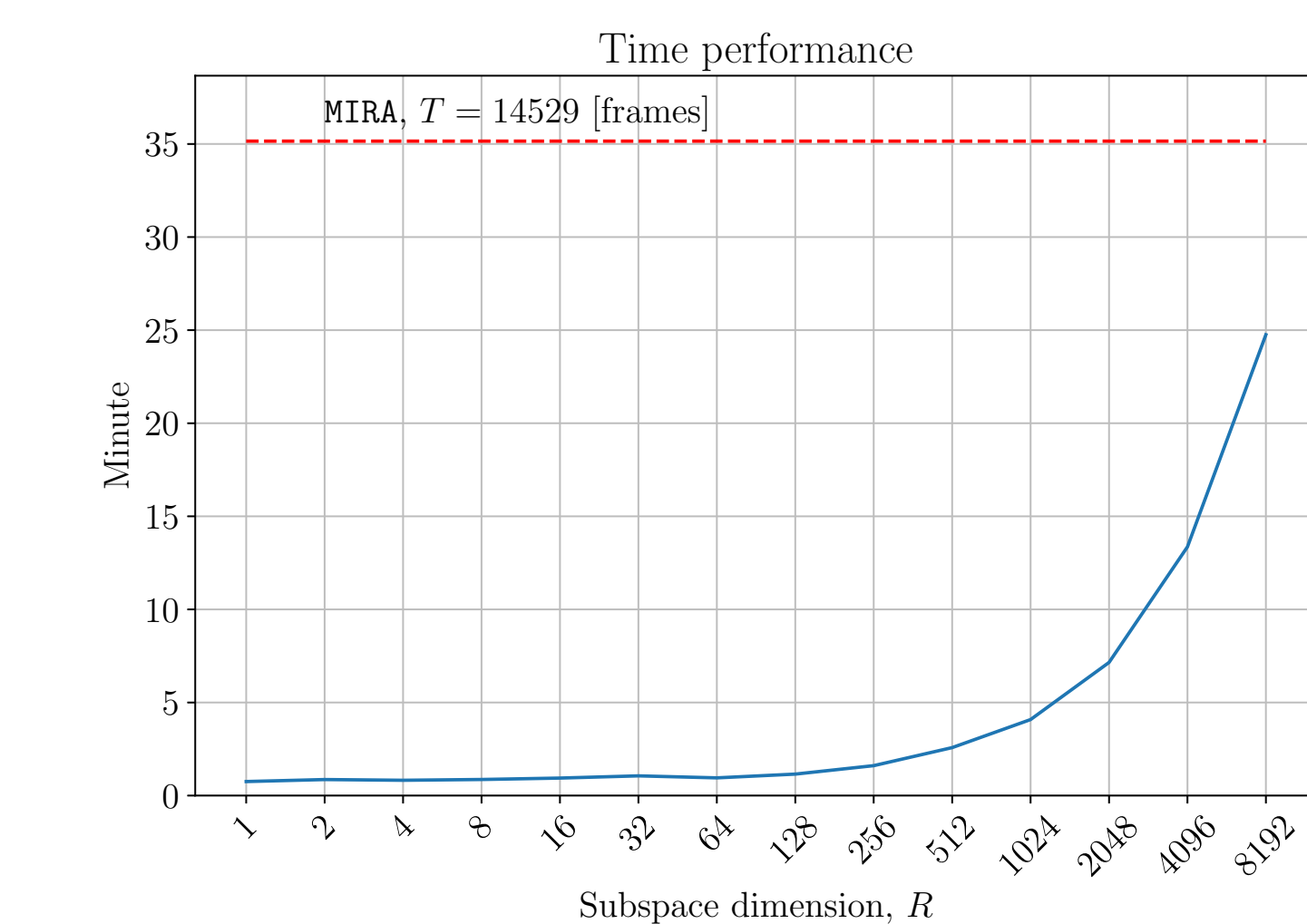
- ▶ Montreux Jazz Festival 2000
- ▶ length of 5'10"; size of 1.2 Gb.
- ▶ 48 kHz, 16 bit/sample
- ▶ 40 mics, 30 voices

**1. Parameter estimation evaluation:**



- ▶ Already after few iteration fastMira provide similar reconstruction error
- ▶ After  $R = 64$ , a good estimation of  $\Lambda(f)$  is achieved

**2. Computational load evaluation:**



Recordings	Size [GB]	Duration [min]	Time elapsed [h]	nMSE [dB]
Huey Lewis...	10	55	6 h 58 min	0.767
Sigur Rós	39.2	123	16 h 41 min	0.909

**Table 1:** Difference in dB between 5-minute of estimated voice images using fastMIRA on the full-length recordings and the same portion processed individually through MIRA.  $R = 512$  was used.

- ▶ A good approximation is yielded in only few minutes
- ▶ This method is not particularly affected by the length of the recordings
- ▶ MIRA could not even run on such recordings on a studio-like workstation

## Conclusion

Random Projection of the data can be leveraged for effective estimation of the parameters. Thus, interference reduction can be achieved on full-length live multi-track recordings in acceptable time and used by sound engineers.

## References

- [1] T. Prätzlich, R. M. Bittner, A. Liutkus, and M. Müller, "Kernel additive modeling for interference reduction in multi-channel music recordings," in *Acoustics, Speech and Signal Processing (ICASSP), 2015 IEEE International Conference on*, pp. 584-588, IEEE, 2015.
- [2] A. Liutkus, R. Badeau, and G. Richard, "Gaussian processes for underdetermined source separation," *IEEE Transactions on Signal Processing*, vol. 59, pp. 3155-3167, July 2011.
- [3] D. Di Carlo, K. Déguernel, and A. Liutkus, "Gaussian framework for interference reduction in live recordings," in *AES International Conference on Semantic Audio*, (Erlangen, Germany), p. 8, 2017.