

MACHINE LOAD ESTIMATION VIA STACKED AUTOENCODER REGRESSION

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MOTIVATION

- To estimate axial and spindle load in a Computer Numerical Control machine from input sensor readings like spindle speed, feed rate, surface speed etc. – a standard regression problem.
- To develop a data driven approach for load estimation as an alternative to physics based models, which is not always feasible due to complicated manufacturing systems dynamics.
- To learn arbitrary relationships between the load and sensor readings.

PROPOSED APPROACH

- Incorporated a regression model based on the Stacked Autoencoder framework with **joint learning** of encoder-decoder and regression weights in a more optimal fashion, instead of greedy layer wise training in two phases.
- Regression model built on top of an asymmetric autoencoder architecture to reduce overfitting.
- Formulated a **joint optimization problem** and solved it using a variable splitting Augmented Lagrangian approach.

Methodology

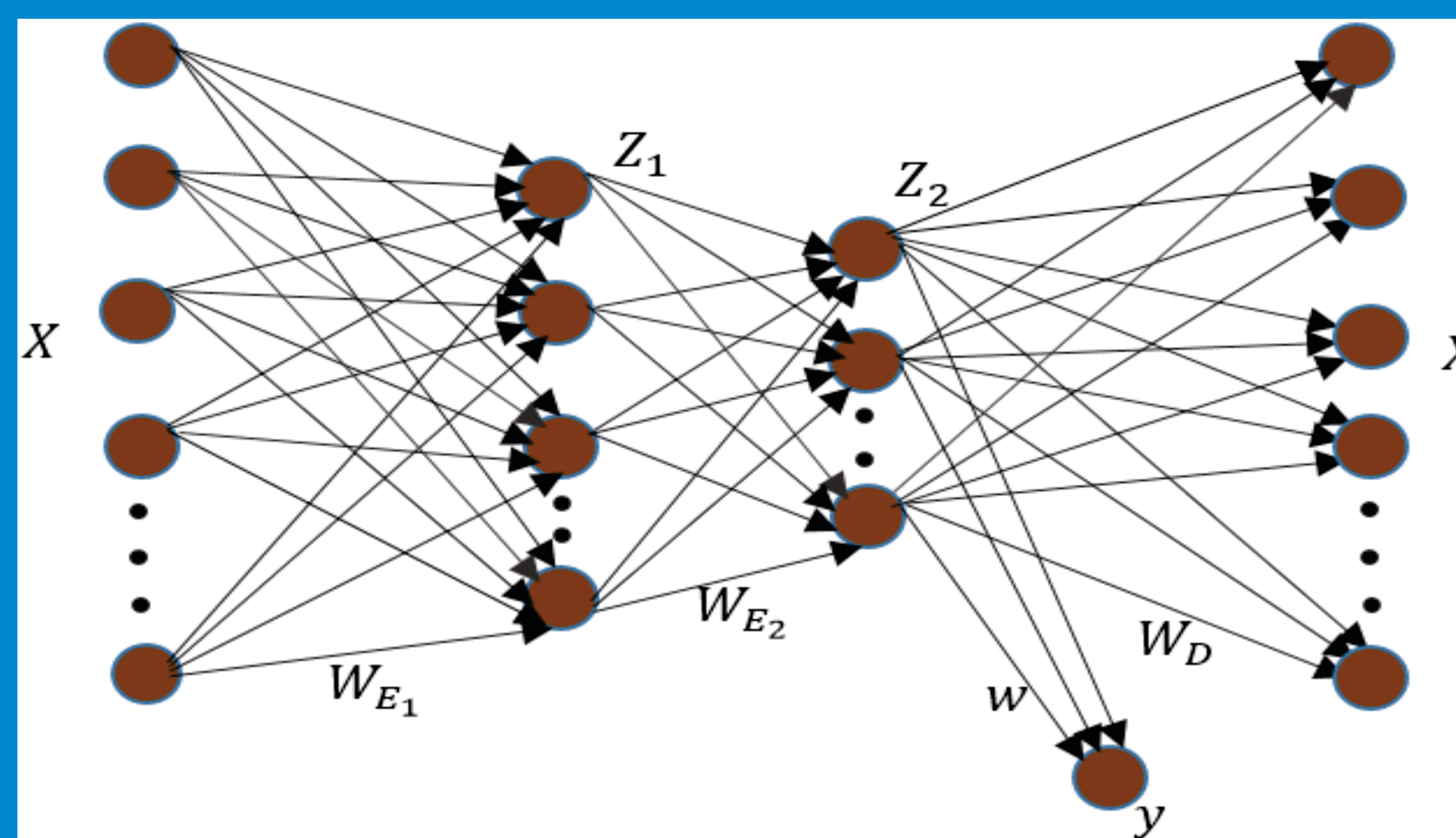
Step 1: Proposed regression model is formulated as non-convex joint optimization function,

$$\underset{W_{E_1}, W_{E_2}, W_D, w}{\operatorname{argmin}} \left(\left\| X - W_D \varphi(W_{E_2} \varphi(W_{E_1} X)) \right\|_F^2 + \lambda \left\| y - w^T \varphi(W_{E_2} \varphi(W_{E_1} X)) \right\|_F^2 \right) \quad (1)$$

Step 2: Two proxy variables are introduced :

$Z_2 = \varphi(W_{E_2} \varphi(W_{E_1} X))$ and $Z_1 = \varphi(W_{E_1} X)$ and the eq 1 is reformulated into corresponding Augmented Lagrangian formulation:

$$\underset{W_{E_1}, W_{E_2}, W_D, w, Z_1, Z_2}{\operatorname{argmin}} \left(\left\| X - W_D Z_2 \right\|_F^2 + \lambda \left\| y - w^T Z_2 \right\|_F^2 + \mu_2 \left\| Z_2 - \varphi(W_{E_2} Z_1) \right\|_F^2 + \mu_1 \left\| Z_1 - \varphi(W_{E_1} X) \right\|_F^2 \right) \quad (2)$$



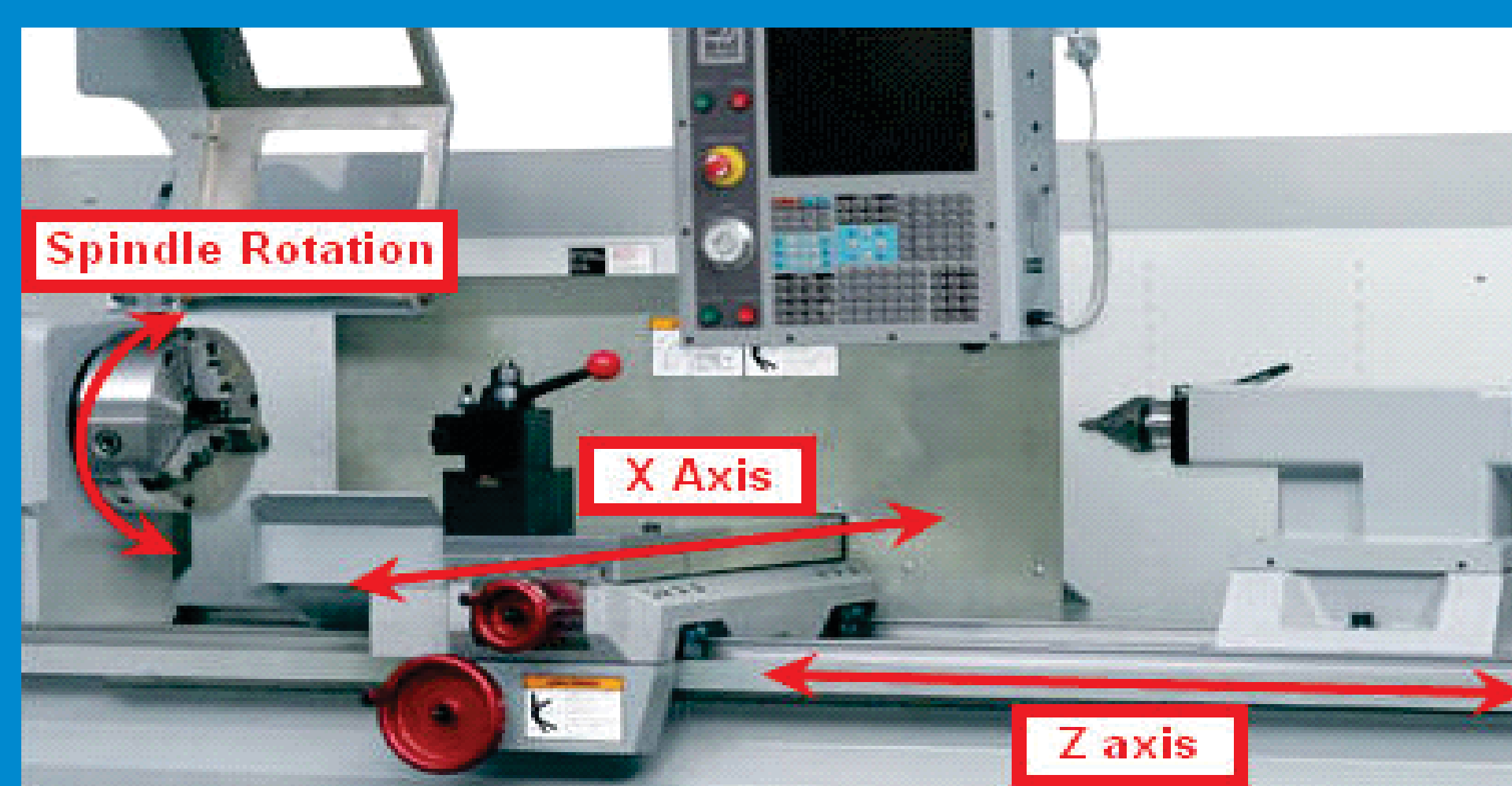
Architecture of the proposed Asymmetric Stacked Autoencoder for Regression

Step 3: Equation 2 is broken into smaller sub-problems using Alternating Direction Method of Multipliers (ADMM) and the encoder-decoder and regression weights are learnt in multiple iterations. This concludes training.

Step 4: During testing, the unknown output \tilde{y} for test data X_{test} can be estimated using the learned weights by solving

$$\tilde{y} = w^T \varphi(W_{E_2} \varphi(W_{E_1} X_{test}))$$

EXPERIMENTS AND RESULTS



A CNC turning machine

Axes names	λ	μ_1	μ_2
Axis 1	1.6	1.3	1.3
Axis 2	0.5	1.7	1.7
Axis 3	0.6	1.6	1.6
Axis 4	1.1	1.5	1.5
Spindle	0.7	1.6	1.6

Parameter values considered for experiments using the proposed regression model

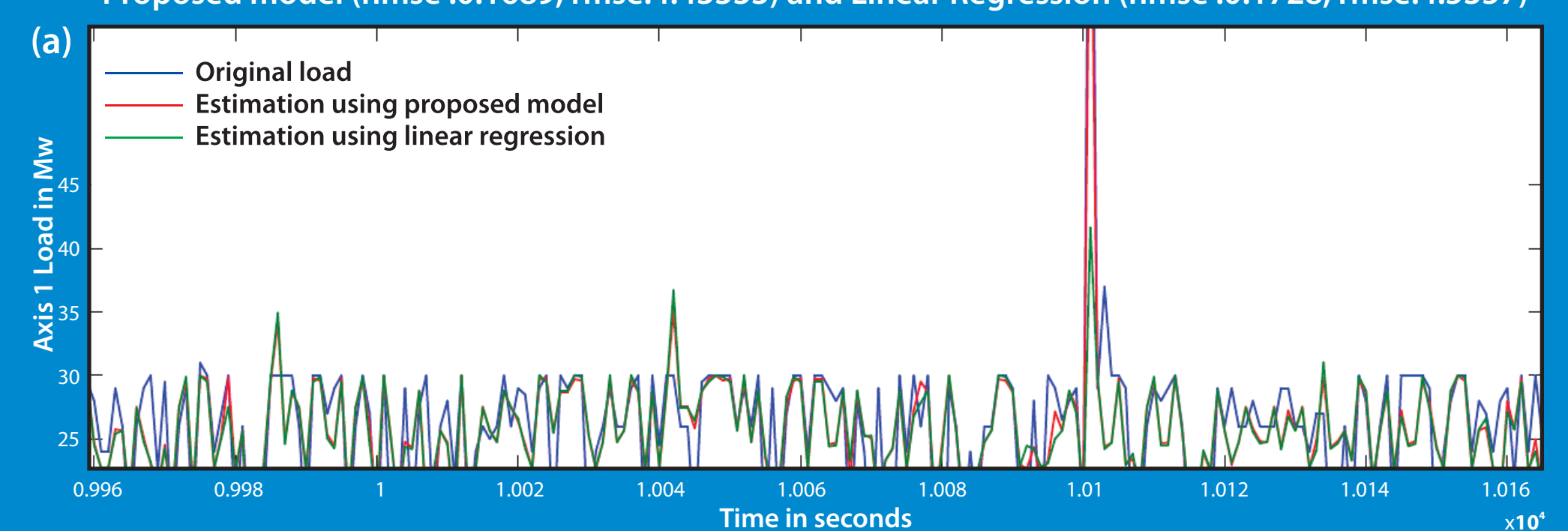
Performance metrics:

$$NMSE = \frac{\|y - \tilde{y}\|_2}{\|y\|_2}$$

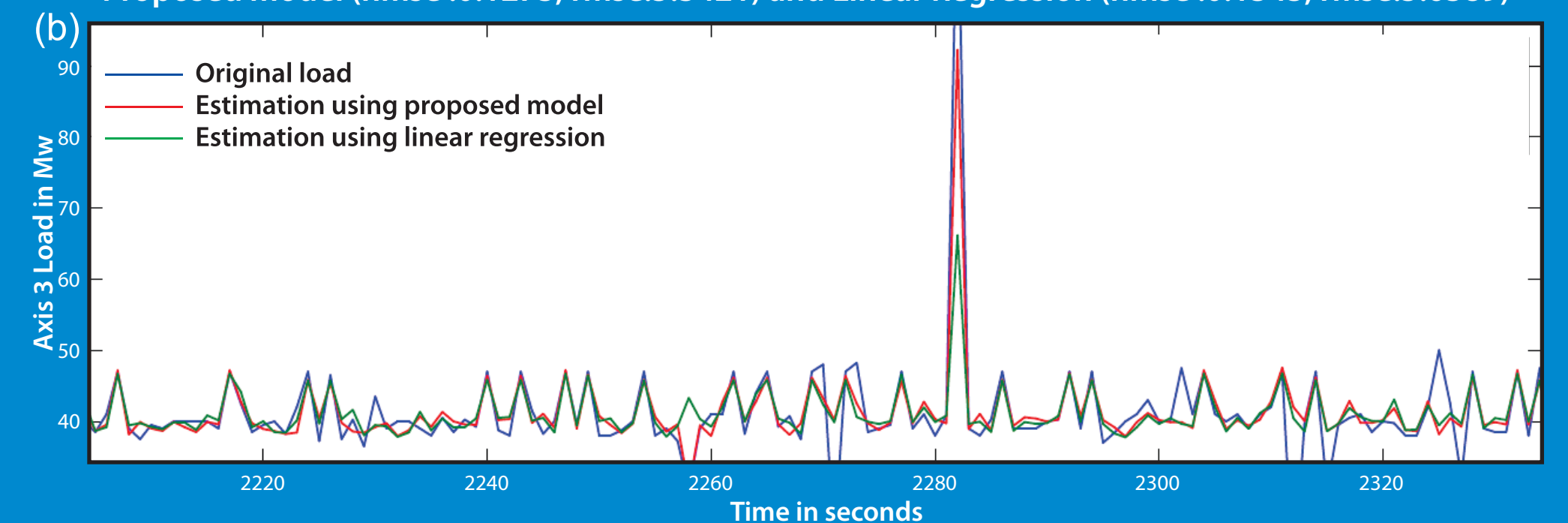
$$RMSE = \sqrt{\frac{\sum_{m=1}^N (y_m - \tilde{y}_m)^2}{N}}; N = \text{length}(y)$$

Day	Axis	Perf. metric	Linear Regression	LASSO	SVR-Polynomial	SVR-Gaussian	Traditional SAE	Regression using model proposed
4-Apr	Axis 3	NMSE	0.1208	0.1231	0.1307	0.1308	0.1204	0.1162
		RMSE	5.0349	5.1313	7.0871	7.0864	5.0163	4.8417
4-Apr	Axis 4	NMSE	0.8018	0.8026	0.9593	0.9717	0.98	0.6579
		RMSE	4.9956	5.0007	6.188	6.1863	6.1061	4.0995
7-Apr	Axis 1	NMSE	0.6343	0.6353	0.6841	0.6852	0.7132	0.5842
		RMSE	5.1879	5.1959	6.1761	6.1635	5.8331	4.4397
7-Apr	Spindle	NMSE	0.8675	0.8806	0.9978	0.999	0.9809	0.8141
		RMSE	7.1641	7.2726	8.2515	8.2523	8.101	6.7231
12-Apr	Axis 3	NMSE	0.1082	0.1082	0.1168	0.1185	0.1026	0.1001
		RMSE	4.4554	4.4554	6.0906	6.0639	4.2260	4.1199
12-Apr	Axis 4	NMSE	0.7401	0.7591	0.9601	0.9806	0.9862	0.5372
		RMSE	4.8051	4.9286	6.4675	6.4629	6.4030	3.4877

Proposed model (nmse :0.1689, rmse:4.43333) and Linear Regression (nmse :0.1728, rmse:4.5357)



Proposed model (nmse :0.1273, rmse:5.3421) and Linear Regression (nmse :0.1343, rmse:5.6389)



a) Load in axis 1 on 17 Apr (b) Load in axis 3 on 17 Apr

Observations

- Consistent improvement in performance compared to other techniques.
- Signal peaks could be better estimated using the proposed model.
- The model can be used for any regression problem.

REFERENCES

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