

# **Distortion-Robust Spherical Camera Motion Estimation WA.P6** via Dense Optical Flow

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#2422

# Background

Spherical cameras: 360 degrees in real-time



Spherical Image  $\mathbb{S}(\mathbf{\hat{x}})$ 

Equirectangular Image  $\mathbb{I}(\mathbf{u})$ 

Effective at SfM/VSLAM in enclosed, indoor spaces Projected as distorted, 2D equirectangular images

Basic steps of SfM: 1. Track features 2. Triangulate 3D points 3. Track camera motion Aim and Approach

**Aim:** Robust, accurate Motion Estimation

According to [1], using **dense optical flow** is highly robust and acccurate for small displacements. **Reason: Smoothing** in variational optimization -> No outliers

# Approach: Combination of sparse and dense information

Sparse

Dense









#### Advantages:

- 1. Highly robust to distortion, accurate
- 2. Work completely within equirectangular images
- 3. Handle distortion in natural, geometric manner

## **Overview**

1. Cover large displacements with **sparse feature points**, and estimate Dense Optical Flow.



- 2. Decompose Optical Flow to **Dense Disparity**
- Equirectangular Rectification and Disparity Estimation Concept: Spherical images can be Equirectangular Stereo Rectification rotated to any orientation Equirectangula =>Rotate arbitrary images Only vertical displacement to vertical alignment. => All pixels have vertical displacement in the equirectangular projection [4] ςγ Equirectangular Rectification =>Can ignore distortion Equirectangular Rectification: **Dense Optical Flow** Epipolar Geometry  $S_2$  $G(\alpha,\beta,\gamma,\theta,\phi)$  $\mathbf{R} = \left( \mathbf{R}_{\mathbf{x}}(\alpha) \mathbf{R}_{\mathbf{y}}(\beta) \mathbf{R}_{\mathbf{z}}(\gamma) \right)$ Original  $\mathbf{q}(\theta,\phi)$  $\mathbf{R}_{\mathbf{v}} \times S_1(\mathbf{x})$  $\mathbf{R}_{\mathbf{v}} \times S_{2,1}(\mathbf{x})$ due to outliers  $\mathbf{R}^{-1} \times S_2(\mathbf{x})$

#### (stereo rectification).



3. **Reproject** to arbitrary pose. Minimize dense reprojection error with real image, over 6 DoF motion.





Analogous to the conventional sparse method, but with dense information







Before photometric minimization



After photometric minimization

# Experimental Evaluation: Robustness to Distortions





Experimental Environment Equipment: Ricoh Theta S

Image 1 was rotated with a pitch angle to induce distortions











Image 4: Image 1 under pitch rotation, strong distortions

Additional experiment:



In highly cluttered room (Disparity estimation difficult)



## Additional: 3D Reconstruction results (no mesh)







=> Can also be used for dense, photometric bundle adjustment.

Image 1



Image 3

Three images captured

Motion was estimated according to the sequence: Image 1 > Image 2 > Image 3 > Image 4 Groundtruth: Image 4, same position as Image 1, known rotation angle

Pitch angle was varied from 0 to 180 degrees. Position and orientation errors were noted. Compared to sparse feature points using a distortion resistant descriptor: A-KAZE [2]

## Results in highly cluttered room:



## **Conclusion:** Proposed method is highly accurate and robust to distortion



#### **Cluttered environment:**





#### References:

[1] Levi Valgaerts, Andrés Bruhn, Markus Mainberger, and Joachim Weickert, "Dense versus sparse approaches for estimating the fundamental matrix," International Journal of Computer *Vision*, vol. 96, pp. 212–234, January 2012

[2] Pablo Alcantarilla, Jesus Nuevo, and Adrien Bartoli, "Fast explicit diffusion for accelerated features in non-linear scale spaces," in Proceedings of the British Machine Vision Conference, September 2013, pp. 13.1-13.11.

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