

# **A Comparative Study of Quality and Content-based Spatial Pooling Strategies in Image Quality Assessment**

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1. Pixels to Perception (P2P) Issue
  - In Theory
  - In Practice
2. The Role of Pooling in P2P
  - Spatial Pooling Strategies
  - Proposed Method: Weighted Percentile Pooling (WPP)
  - Pooling in 1D
  - Pooling in 2D
3. Comparison of Spatial Pooling Strategies
4. Conclusion

# Image Quality Assessment Issue

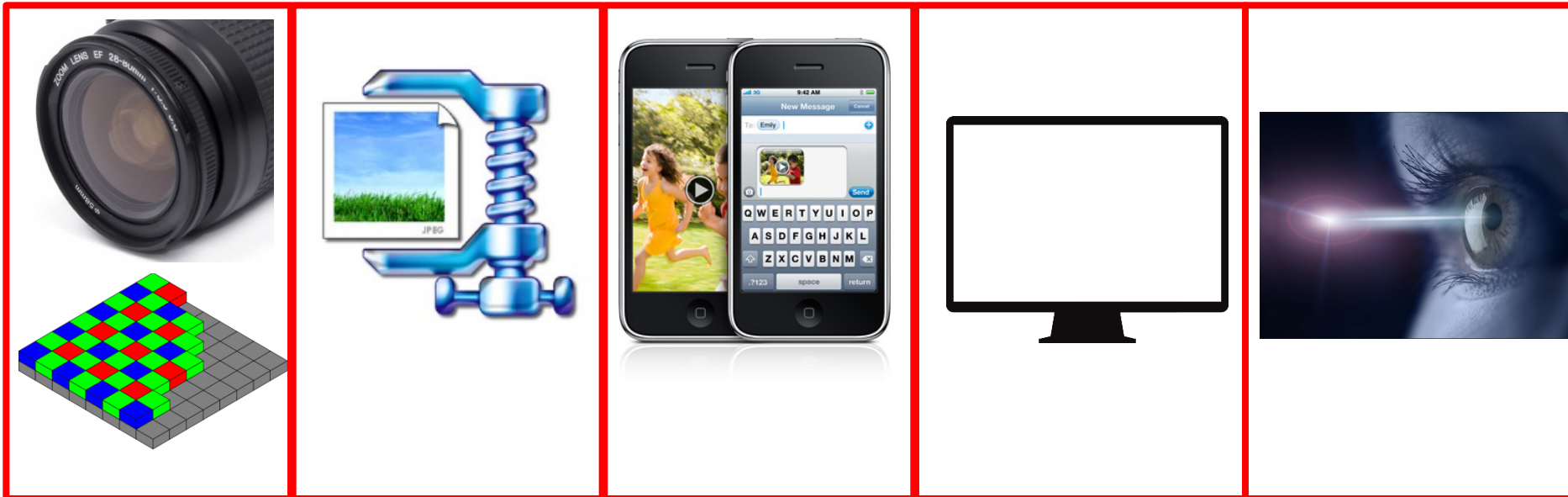
Capture

Store

Transfer

Display

Perceive



**Pixels**

**P2P**

**Perception**

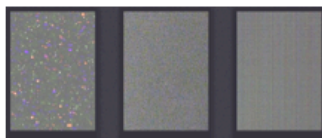
# Databases: Off the shelf and simulated degradations

Off-the-shelf  
degradations

## Data Acquisition



exposure, ISO, sensors



## Data Storage



Jpeg Jp2k Quantization

## Data Communication



Jpeg-Jp2k transmission

## Color Calibration



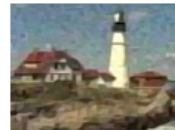
Color saturation, color  
quantization with dither

Simulated  
degradations

## Non eccentricity



## Sparse sampling and reconstruction



## Non-eccentricity pattern noise

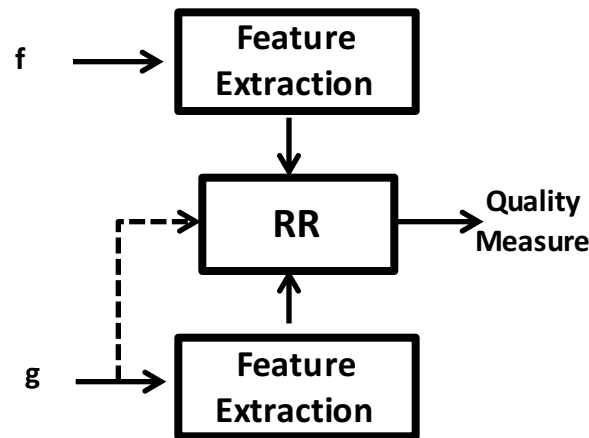


# Objective Quality Metric Types

## Full Reference (FR)



## Reduced Reference (RR)



## No Reference (NR)



# Literature: Objective Quality Metric Types

<b>1- Basic statistics</b>	<i>Mean, Median, Min, Max</i>
<b>2- Percentile</b> [3]	$\begin{cases} \frac{Q[m,n]}{z}, & Q[m,n] < \text{perc}(p, Q) \\ Q[m,n]^{c_1}, & \text{otherwise} \end{cases}$
<b>3- Five Number Summary</b> [1]	$\frac{\text{mean} + \text{perc}(25, Q) + \text{median} + \text{perc}(75, Q) + \text{max}}{5}$
<b>4- Minkowski</b> [2]	$\sum_{m=1}^M \sum_{n=1}^N \frac{Q[m,n]^p}{MN}$
<b>5- Quality/Distortion Weighted</b> [2]	$\frac{\sum_{m=1}^M \sum_{n=1}^N w[m,n] Q[m,n]}{\sum_{m=1}^M \sum_{n=1}^N w[m,n]} \text{ where } w[m,n] = Q[m,n]^p$
<b>5- Information Weighted</b> [2]	$\log \left( \left( 1 + \frac{\sigma_I[m,n]^2}{c_2} \right) \left( 1 + \frac{\sigma_J[m,n]^2}{c_2} \right) \right)$

[1], C.G. Zewdie *et al.*, "A New Pooling Strategy for Image Quality Metrics: Five Number Summary," in *Visual Information Processing (EUVIP), 2014 5th European Workshop on*, vol., no., pp.1-6, 10-12 Dec. 2014

[2] M. Gong and M. Pedersen, "Spatial Pooling for Measuring Color Printing Quality Attributes", in *Journal of Visual Communication and Image Representation*, 23(5), pp. 685-696, Jul. 2012

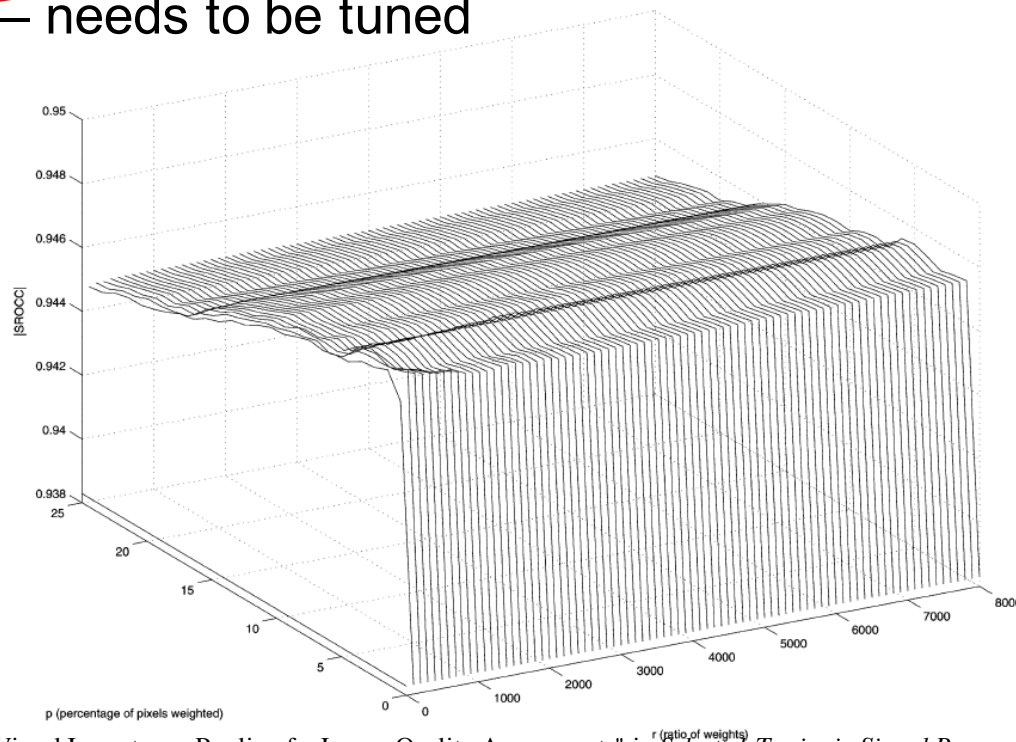
[3] A.K. Moorthy and A.C. Bovik, "Visual Importance Pooling for Image Quality Assessment," in *Selected Topics in Signal Processing, IEEE Journal of*, vol.3, no.2, pp.193-201, April 2009

# Percentile Pooling

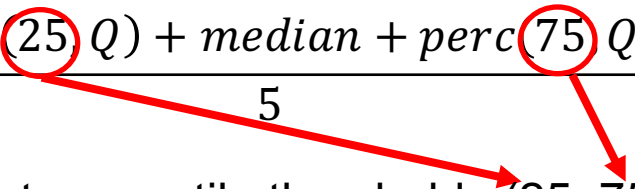
- One threshold ( $p$ ) – needs to be tuned

$$\left[ \begin{array}{l} \frac{Q[m,n]}{c_1} z, \\ Q[m,n], \end{array} \right. \quad \begin{array}{l} Q[m,n] < \text{perc}(p) Q \\ \text{otherwise} \end{array} \quad [1]$$

- One weight ( $c_1$ ) – needs to be tuned



[1] A.K. Moorthy and A.C. Bovik, "Visual Importance Pooling for Image Quality Assessment," in *Selected Topics in Signal Processing, IEEE Journal of*, vol.3, no.2, pp.193-201, April 2009

$$\frac{\text{mean} + \text{perc}(25)Q + \text{median} + \text{perc}(75)Q + \text{max}}{5} \quad [1]$$


- Two constant percentile thresholds (25, 75) and their contributions are same

Based on percentile pooling and five number summary, we propose

## Weighted Percentile Pooling

- One** parameter (number of percentiles) that automatically adjusts the percentile thresholds and weights

[1] C.G. Zewdie *et al.*, "A New Pooling Strategy for Image Quality Metrics: Five Number Summary," in *Visual Information Processing (EUVIP), 2014 5th European Workshop on*, vol., no., pp.1-6, 10-12 Dec. 2014



# Proposed pooling strategy: Weighted Percentile Pooling for Quality Maps

$$\sum_{s=1}^T \left( 1 - \frac{W_q(s)}{100} \right) \text{perc}(w_q[s], Q)$$

$$\sum_{s=1}^T \left( 1 - \frac{W_q(s)}{100} \right)$$

Only *one*  
parameter

weight-based normalization

Automatic percentile adjustment

$$w_q[s] = \begin{cases} 1 + \frac{100}{N_{bin}} s, & 1 + \frac{100}{N_{bin}} s < 100 \\ 1, & \text{otherwise} \end{cases} \quad s \in \mathbb{Z}$$

# Weighted Percetile Pooling: Quality Versus Distortion Maps

## Quality maps

## Distortion maps

$$\frac{\sum_{s=1}^T \left(1 - \frac{W_q(s)}{100}\right) \text{perc}(w_q[s], Q)}{\sum_{s=1}^T \left(1 - \frac{W_q(s)}{100}\right)}$$

$$\frac{\sum_{s=1}^T \left(\frac{W_d(s)}{100}\right) \text{perc}(w_d[s], D)}{\sum_{s=1}^T \left(\frac{W_d(s)}{100}\right)}$$

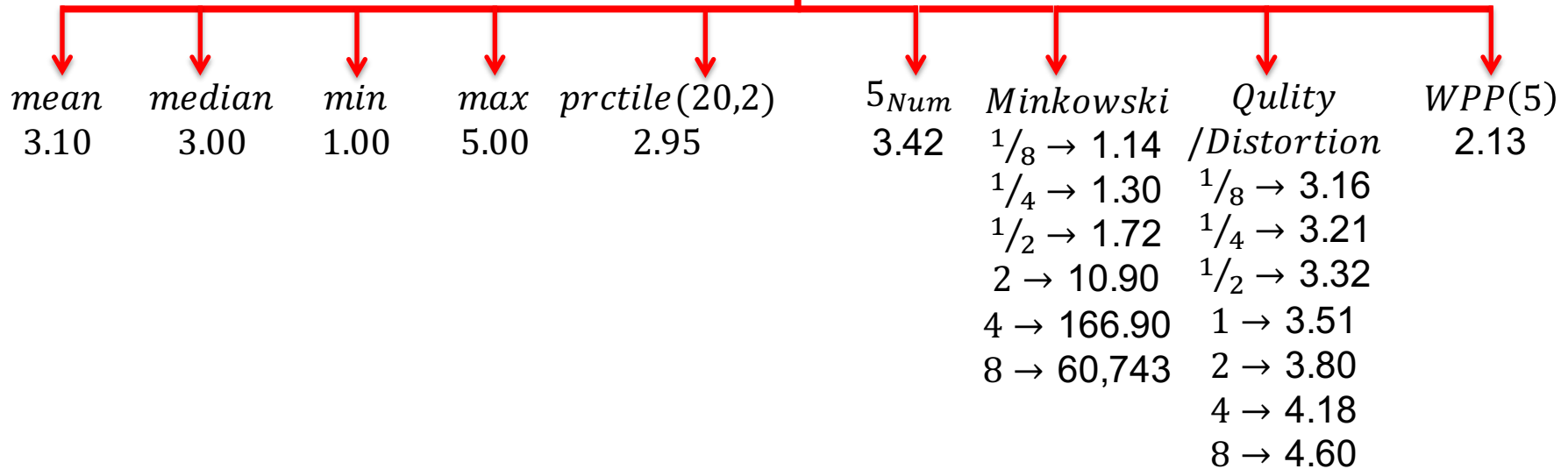
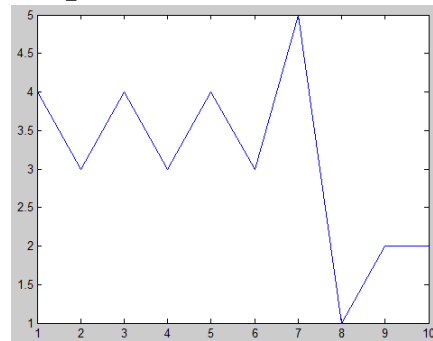
$$w_q[s] = \begin{cases} 1 + \frac{100}{N_{bin}} s, & 1 + \frac{100}{N_{bin}} s < 100 \\ 1, & \text{otherwise} \end{cases}$$

$$w_d[s] = \begin{cases} 100 - \frac{100}{N_{bin}} s, & 100 - \frac{100}{N_{bin}} s > 100 \\ 100, & \text{otherwise} \end{cases}$$

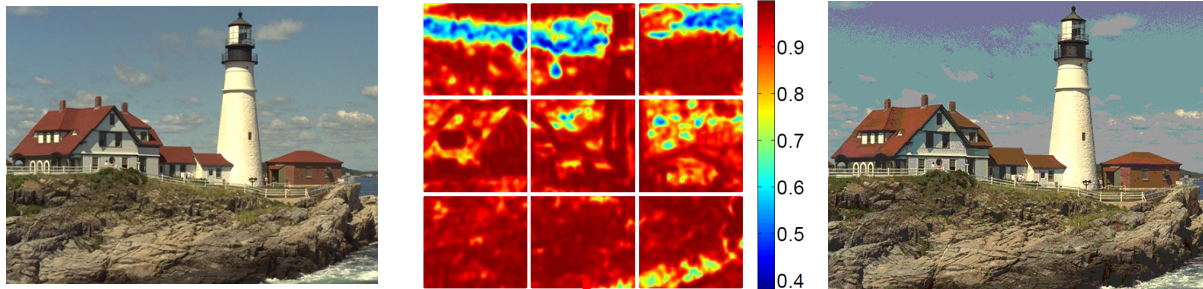
$$s \in \mathbb{Z}$$

# Pooling in 1D

$A = [4 \ 3 \ 4 \ 3 \ 4 \ 3 \ 5 \ 1 \ 2 \ 2]$



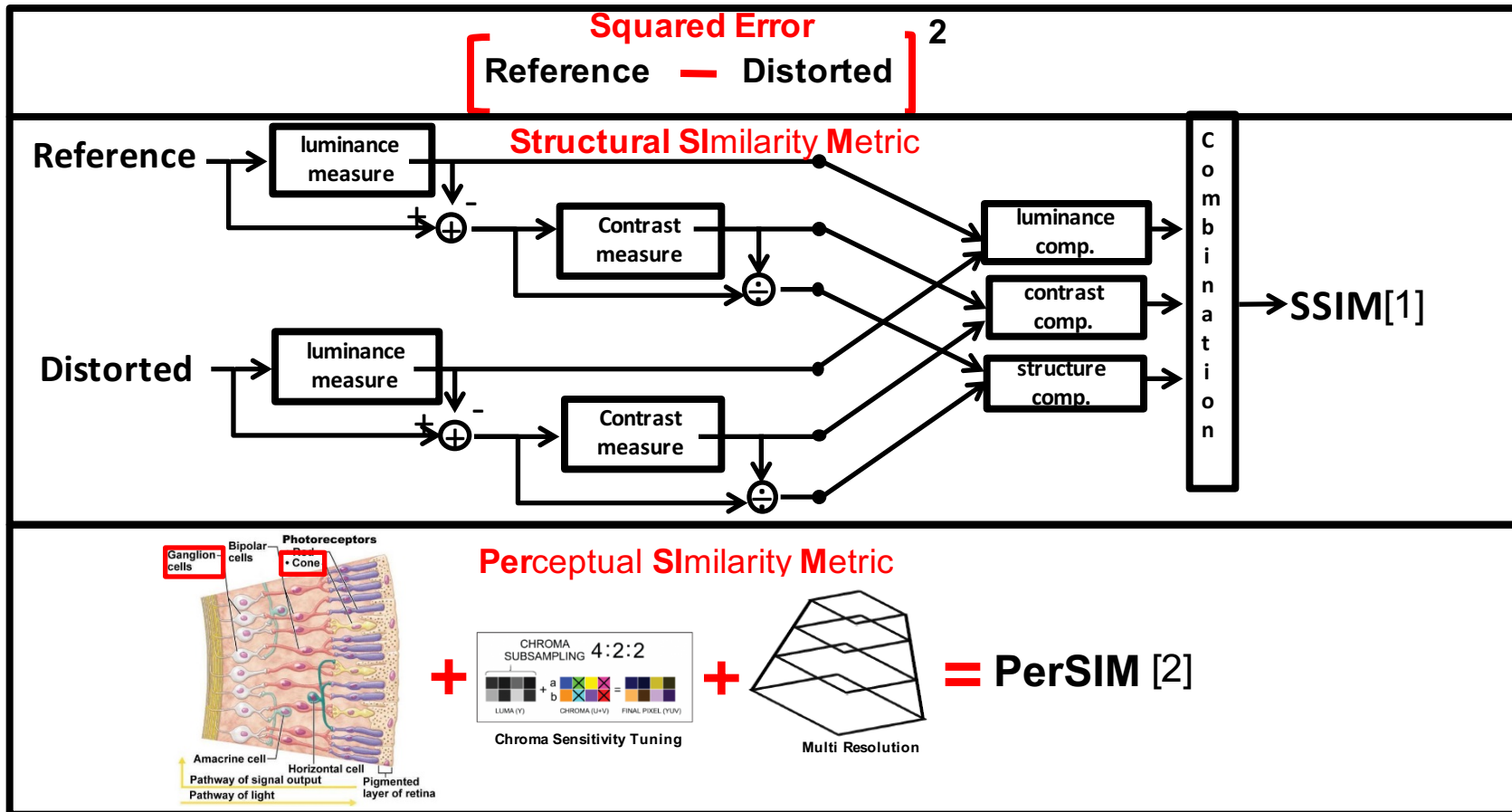
# Pooling in 2D



<i>mean</i>	<i>median</i>	<i>min</i>	<i>max</i>	<i>prctile</i>	$5_{Num}$	<i>Minkowski</i>	<i>Qulity</i> <i>/Distortion</i>	<i>WPP</i>
0.94	0.97	0.57	0.99	0.90	0.78	$1/8 \rightarrow 0.95$	$1 \rightarrow 0.99$	$1 \rightarrow 0.99$
						$1/4 \rightarrow 0.93$	$1/8 \rightarrow 0.94$	$10 \rightarrow 0.98$
						$1/2 \rightarrow 0.92$	$1/4 \rightarrow 0.95$	$20 \rightarrow 0.97$
						$2 \rightarrow 0.87$	$1/2 \rightarrow 0.96$	
						$4 \rightarrow 0.81$	$1 \rightarrow 0.96$	
						$8 \rightarrow 0.73$	$2 \rightarrow 0.96$	
							$4 \rightarrow 0.97$	
							$8 \rightarrow 0.97$	

Artifact type \ Databases	LIVE	MULTI	TID2013	TOTAL
Compression	460	225	375	1060
Noise	174	225	1375	1774
Communication	174	-	250	424
Blur	174	450	250	874
Color	-	-	375	375
Global	-	-	250	250
Local	-	-	250	250

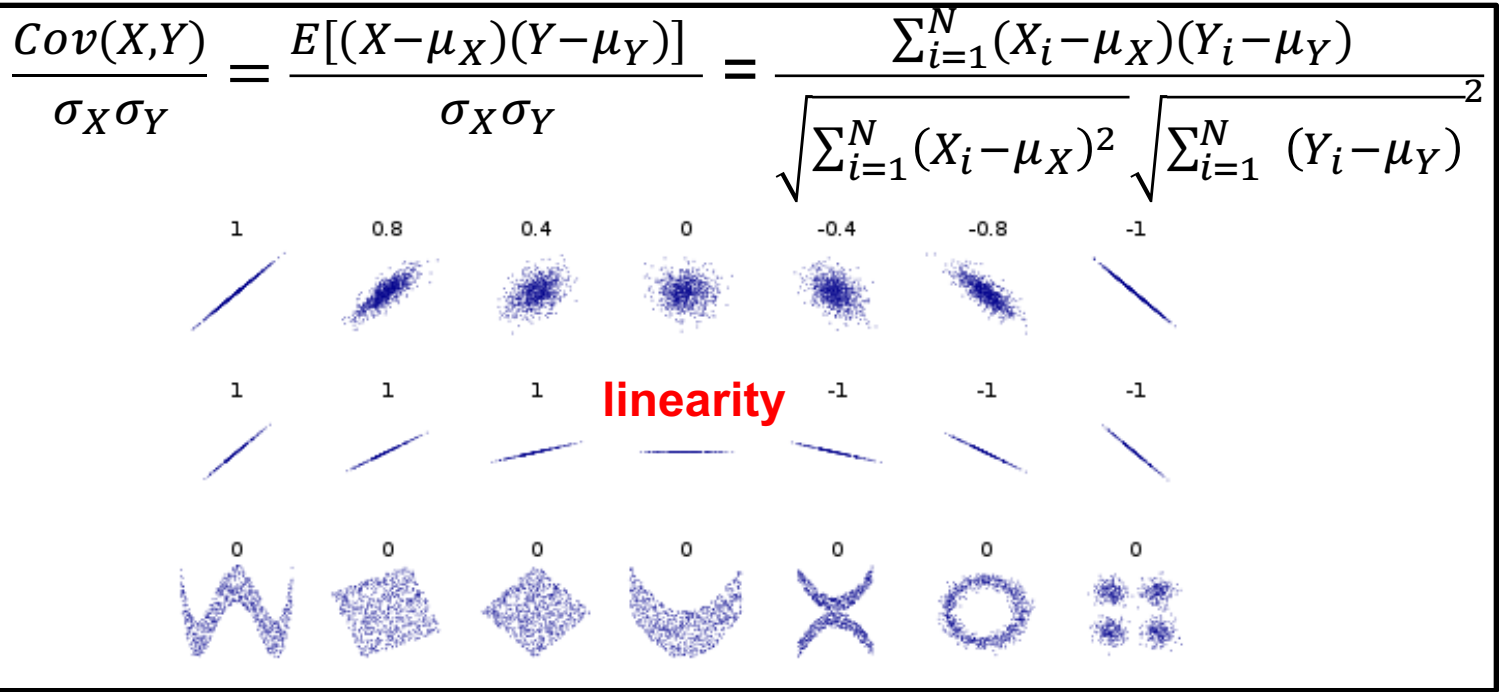
# Quality Metrics: Squared Error, SSIM and PerSIM



[1] Z. Wang *et al.*, "Image Quality Assessment: From Error Visibility to Structural Similarity," in *Image Processing, IEEE Transactions on*, vol.13, no.4, pp.600-612, April 2004

[2] D. Temel and G. AlRegib, "PerSIM: Multi-Resolution Image Quality Assessment in the Perceptually Uniform Color Domain," *Image Processing (ICIP), 2015 22th IEEE International Conference on*, 2015.

# Validation metrics: Pearson and correlation coefficient



Pearson

$$X_i, Y_i \longrightarrow x_i, y_i$$

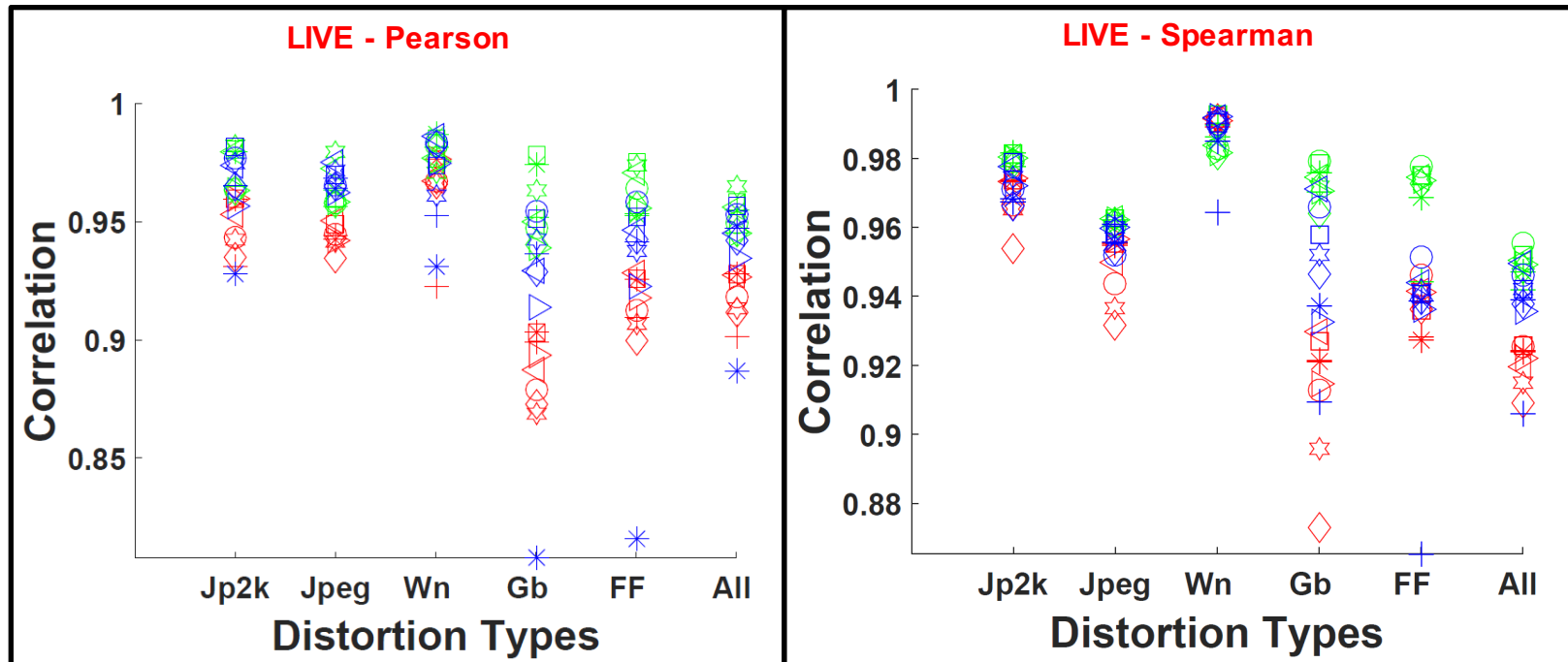
Spearman

monotonicity

$$1 - \frac{6 \sum_{i=1}^N (x_i - y_i)^2}{N(N^2 - 1)}$$

# Results: LIVE database

- **Pearson:** Percentile and weighted percentile pooling are the best in the full database
- **Spearman:** Information weighted and weighted percentile pooling using SSIM are the best



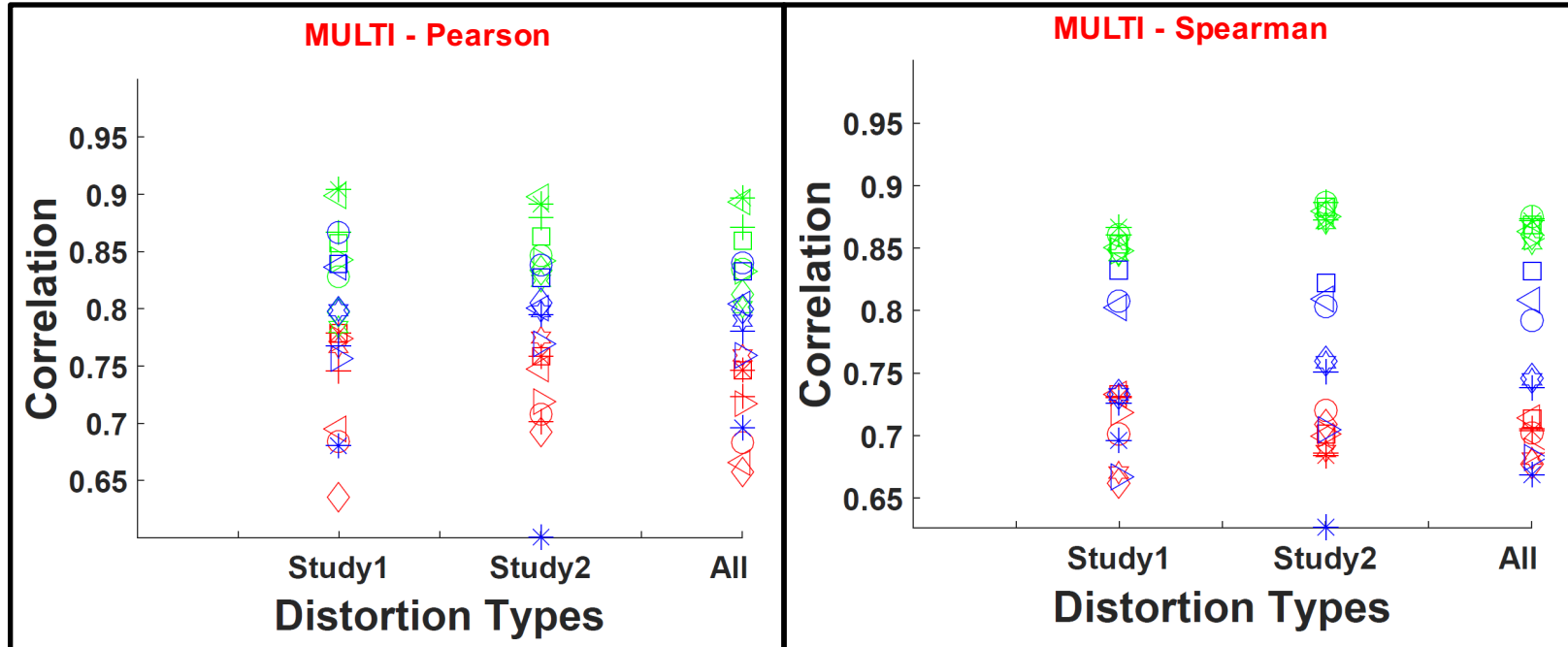
■ Squared Error  
■ SSIM  
■ PerSIM

☆ Percentile    □ WPP    ◇ Mean    ◁ Minkowski  
+ 5-Number    ○ IW    \* Max/Min    ▷ Qual/Dist



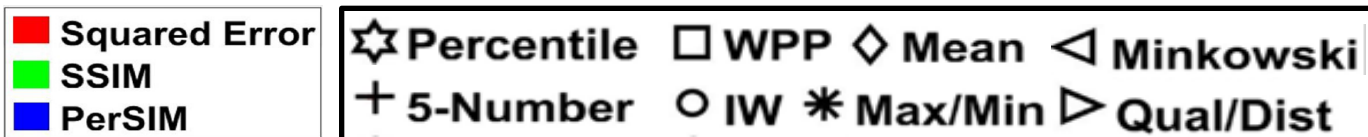
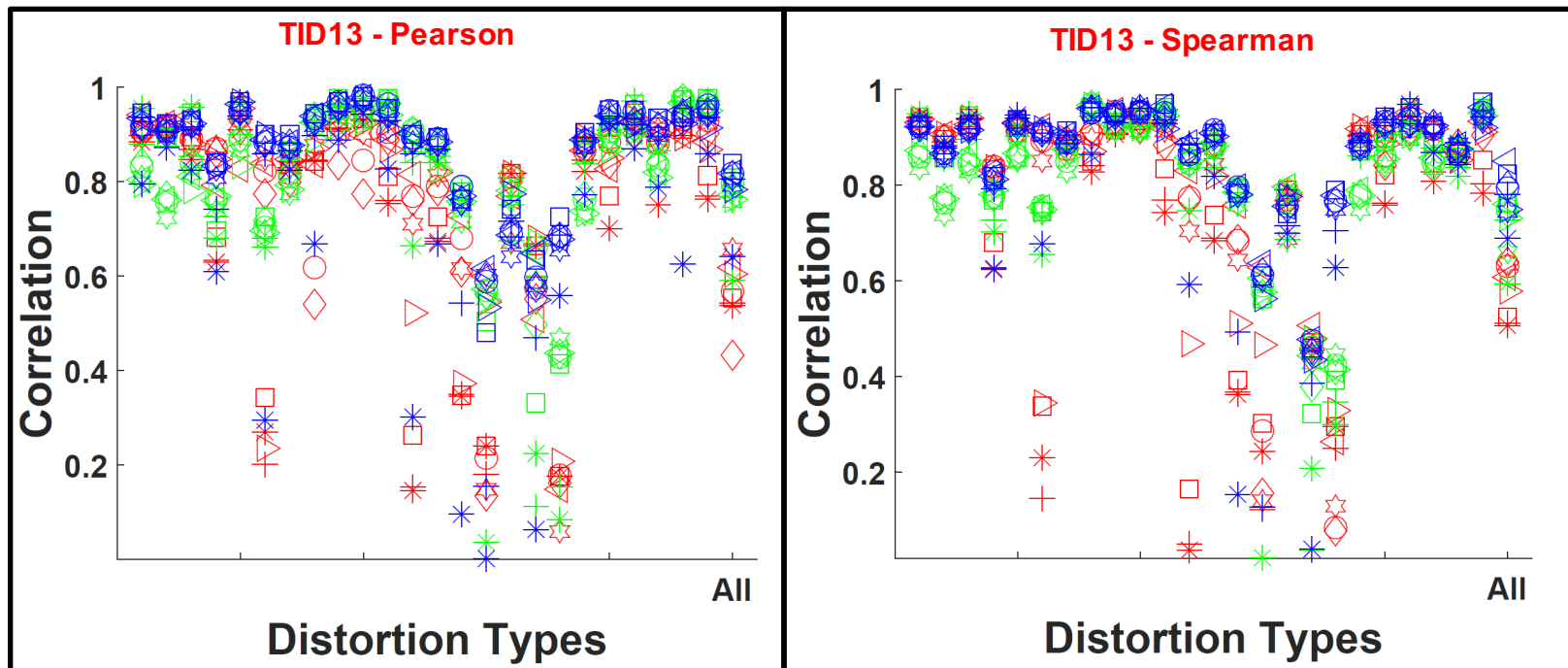
# Results: MULTI database

- **Pearson:** Minkowski and Max/min are the best for SSIM, information-weighted and weighted percentile pooling are the best for PerSIM, percentile is the best for squared error
- **Spearman:** Information weighted and max/min are the best for SSIM, weighted percentile pooling is the best for PerSIM



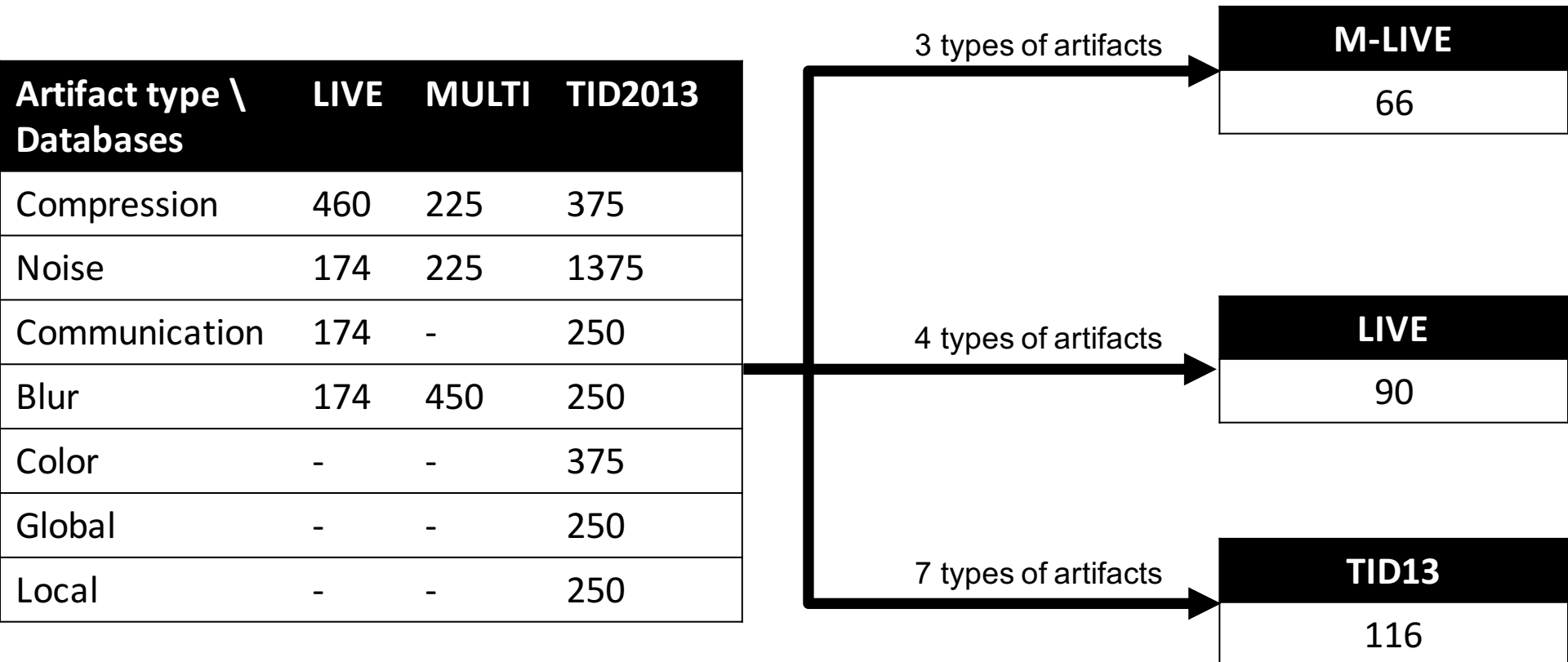
# Results: TID13 database

- **Pearson:** Weighted percentile pooling is the best for PerSIM
- **Spearman:** Monkowski pooling is the best for PerSIM followed by weighted percentile pooling



# Results: Statistical Significance

- The effect of pooling strategy selection is more significant when there are more distortion types in the validation database.



- Structural and perceptual similarity metrics are better for differentiating pooling strategies compared to pixel-wise squared error

	SE	SSIM	PerSIM
M-LIVE	26	32	32
LIVE	8	30	28
TID 2013	34	38	44

- Weighted percentile pooling enhances percentile-based methods by automatically adjusting thresholds and weights.
- Pooling matters, but not as much as quality attribute design.
- Structural and perceptual similarity metrics are better for differentiating pooling strategies compared to pixel-wise squared error.
- Pooling strategy and quality attributes can not be considered as independent processes.
- The effect of pooling strategy is more significant when the distortion types are diverse.