

Universidad de Granada

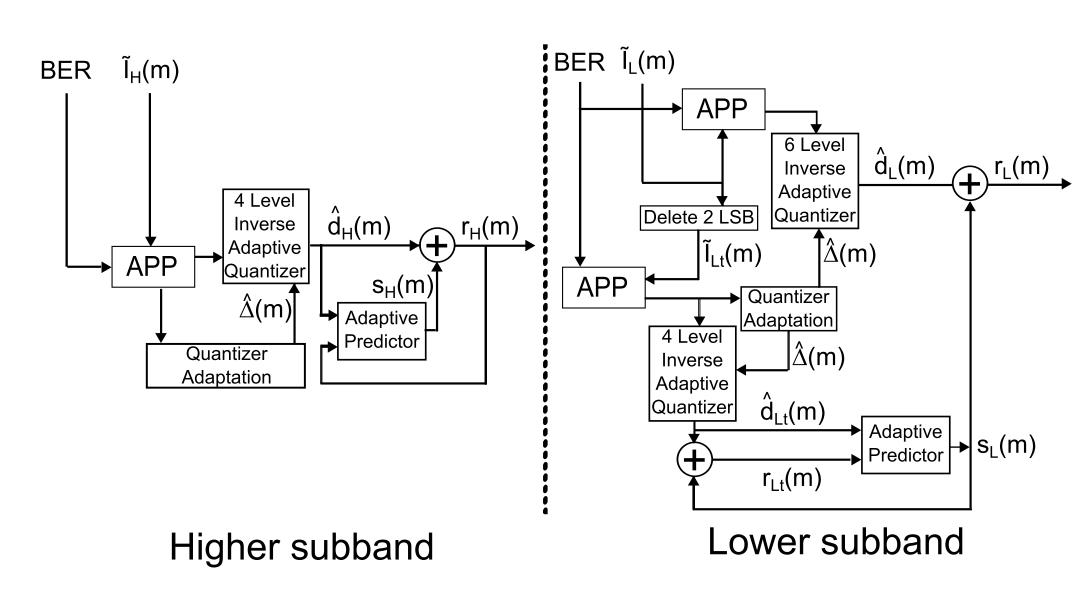
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MOTIVATION

- Wireless communications has gained popularity in the last years due to new wireless technologies.
- DECT technology has reached 73% of market in VoIP services for WLAN networks.
- With **NG-DECT** a higher speech quality is achieved using the **G.722** speech codec (up to 64 kbps).
- **Problem:** Wireless transmission is error-prone, resulting in degradation of speech quality. Moreover, this error can generate an error propagation along the next correctly received samples during the decoding stage.
- Our proposal: We estimate each corrupted sample in a frame which minimizes these errors by using a **soft-decision decoding** technique and obtain a robust speech codec under erasure channel conditions.

NOVEL G.722 DECODING SCHEME BY SOFT-DECISION DECODING

• Novel ADPCM scheme with soft-decision de**coding** applied to the G.722 speech codec



• This technique is based on the a posteriori probability (APP) from the received sample I(m) and the channel reliability information (BER):

 $P(\mathbf{I}^{(j)}|\tilde{\mathbf{I}}(m)) = C \cdot P(\tilde{\mathbf{I}}(m)|\mathbf{I}^{(j)}) \cdot P(\mathbf{I}^{(j)}),$

where C is a normalization constant, $P(\mathbf{I}^{(j)})$ is the a priori knowledge and $P(\tilde{\mathbf{I}}(m)|\mathbf{I}^{(j)})$ is the transition probability.

• An estimated parameter **v** can be obtained using

System-Compatible Robustness Improvement for New Generation DECT Decoders by G.722 Soft-Decision Decoding

an MMSE estimation method as:

$$\mathbf{v} = \sum_{j=0}^{2^M - 1} \mathbf{v}^{(j)} P(\mathbf{I}^{(j)} | \tilde{\mathbf{I}}(m))$$

• The scale factors for each subband are obtained as:

$$\widehat{\Delta}_{R}(m) = \sum_{\substack{j=0\\2^{M}-1\\2^{M}-1}}^{2^{M}-1} \left(\Delta_{R}(m)^{(j)} P(\mathbf{I}^{(j)} | \tilde{\mathbf{I}}(m-1)) \right) = 2^{K} \cdot \Delta_{\min} \cdot \sum_{j=0}^{2^{M}-1} \left(\left(2^{\beta \nabla_{R}(m-1)+W_{R}[\mathbf{I}^{(j)}]} \right) P(\mathbf{I}^{(j)} | \tilde{\mathbf{I}}(m-1)) \right)$$

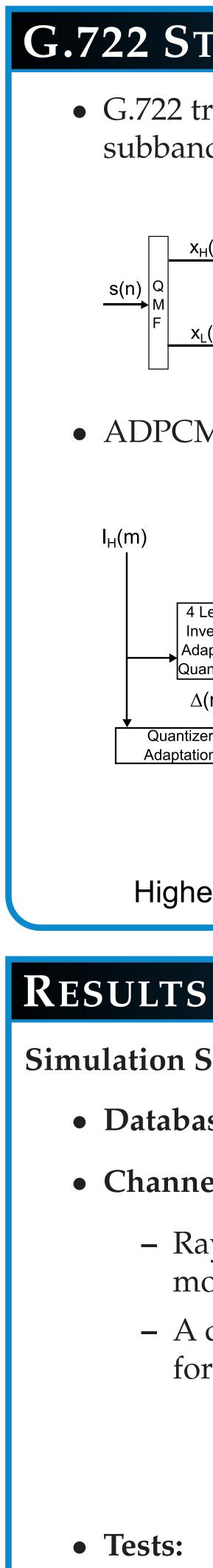
• The quantized difference signals for each subband are also obtained as:

$$\widehat{d}_{L}(m) = \left(\sum_{j=0}^{2^{6}-1} (Q6^{-1}[\mathbf{I}^{(j)}] \cdot \operatorname{sgn}(\mathbf{I}^{(j)}) \cdot P(\mathbf{I}^{(j)}|\tilde{\mathbf{I}}(m))\right) \widehat{\Delta}_{L}(m);$$

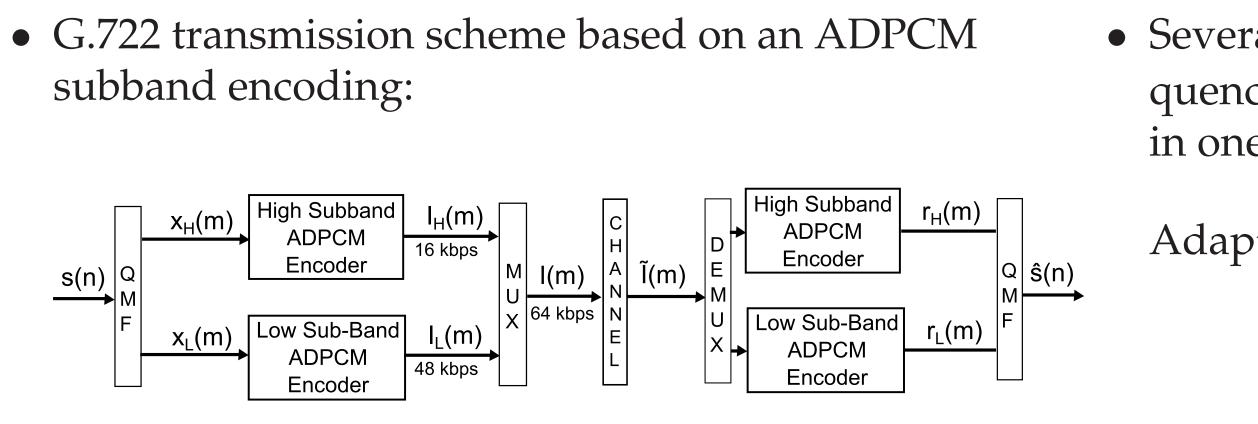
$$\widehat{d}_{Lt}(m) = \left(\sum_{j=0}^{2^{4}-1} (Q4^{-1}[\mathbf{I}^{(j)}] \cdot \operatorname{sgn}(\mathbf{I}^{(j)}) \cdot P(\mathbf{I}^{(j)}|\tilde{\mathbf{I}}(m))\right) \widehat{\Delta}_{L}(m);$$

$$\widehat{d}_{H}(m) = \left(\sum_{j=0}^{2^{2}-1} (Q2^{-1}[\mathbf{I}^{(j)}] \cdot \operatorname{sgn}(\mathbf{I}^{(j)}) \cdot P(\mathbf{I}^{(j)}|\tilde{\mathbf{I}}(m))\right) \widehat{\Delta}_{H}(m).$$

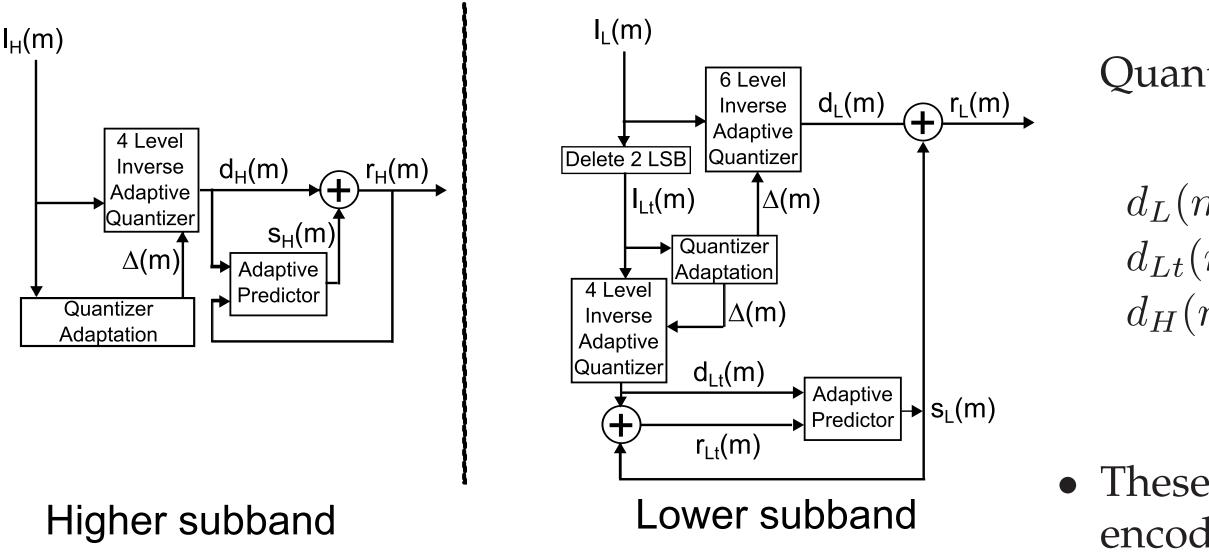
Our proposal is applied in a • Advantage: standard-compliant way under error-free channels.



G.722 STANDARD DECODING PROCEDURE



• ADPCM decoder scheme for each subband:



Simulation Setup:

• Database: NTT Database.

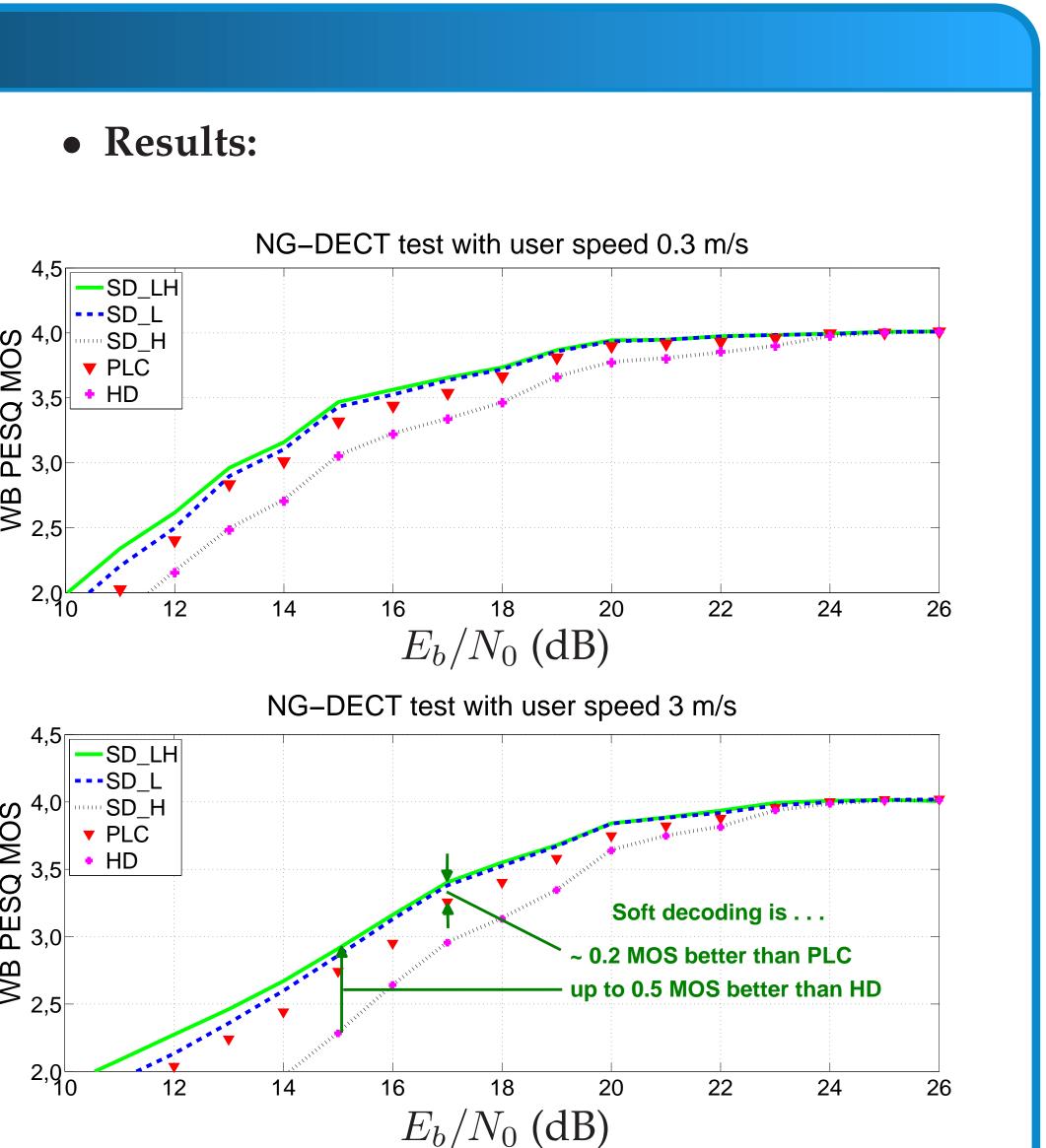
• Channel model:

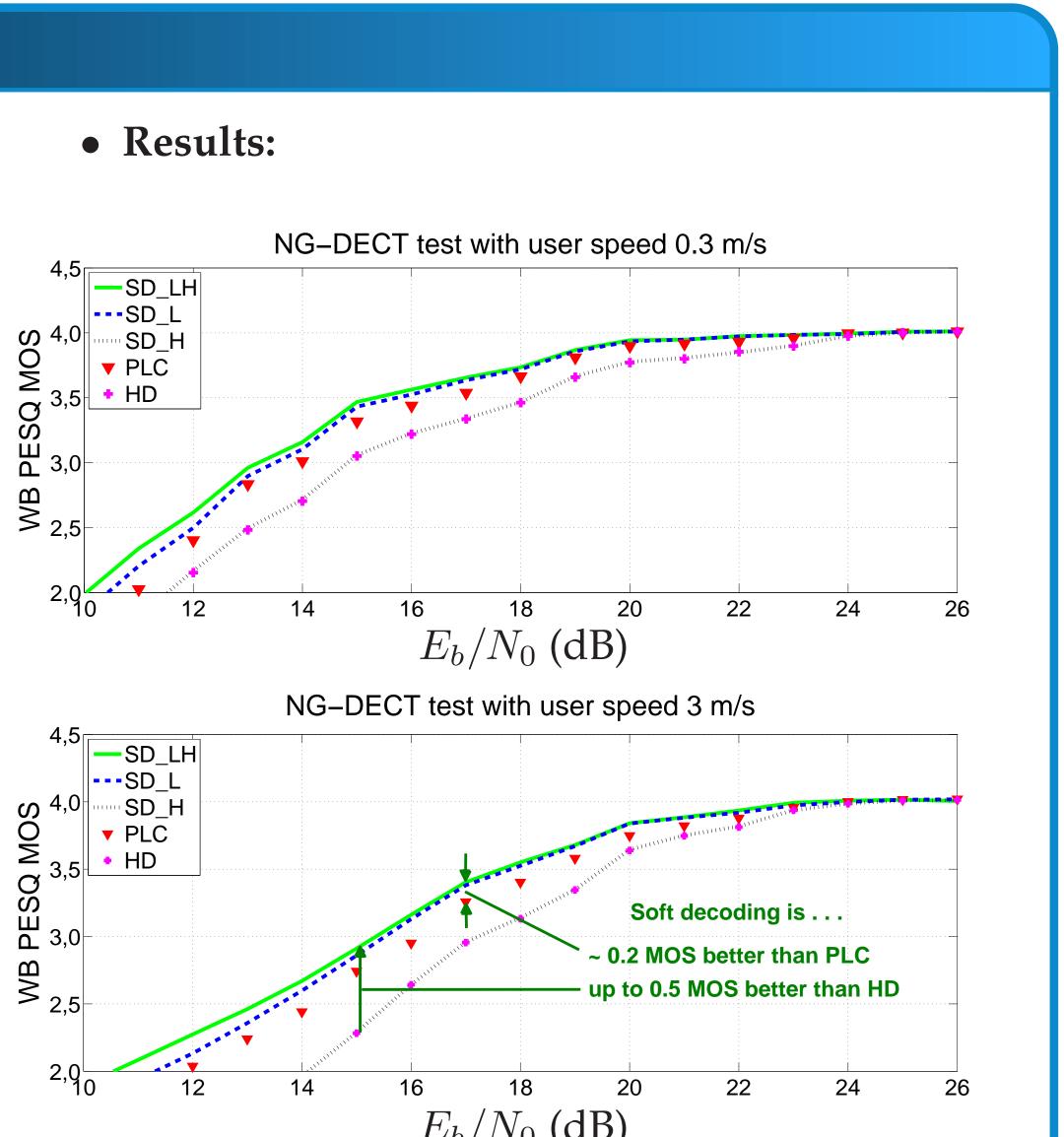
- Rayleigh fading channel model with a BFSK modulation (user speed 0.3 and 3 m/s).
- A different bit error rate (BER) is considered for each frame $(E_b/N_0 \in [0, 30] \text{ dB})$:

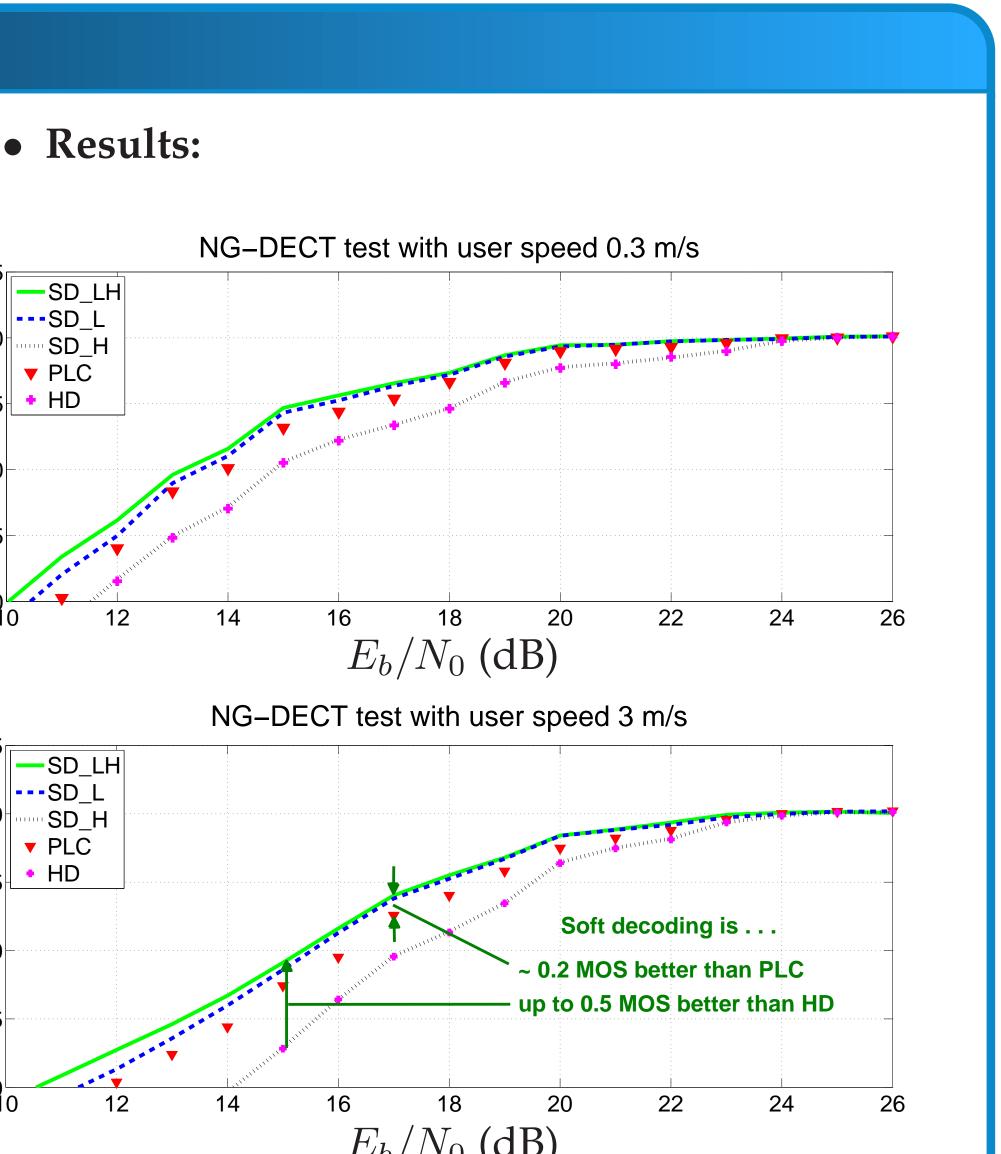
$$BER = \frac{1}{2} \cdot \operatorname{erfc}\left(\sqrt{\alpha^2 \frac{E_b}{2N_0}}\right)$$

• Tests:

- Hard-decision decoding (HD).
- Hard-decision decoding with PLC algorithm when BER >10% (PLC).
- Soft-decision decoding proposals: (SD_H), (SD_L) and (SD_LH).











• Several parameters can be modified as a consequence of a corrupted sample $(\tilde{I}(m))$ in a frame in one or both subbands:

Adaptive scale factors:

$$\Delta_L(m) = 2^{[\bigtriangledown_L(m)+2]} \cdot \Delta_{\min},$$

$$\Delta_H(m) = 2^{[\bigtriangledown_H(m)]} \cdot \Delta_{\min},$$

with $\bigtriangledown_R(m) = \beta \bigtriangledown_R(m-1) + W_R[\tilde{\mathbf{I}}_R(m-1)].$

Quantized differential signals:

$$m) = Q6^{-1}[\tilde{\mathbf{I}}_{L}(m)] \cdot \Delta_{L}(m) \cdot \operatorname{sgn}(\tilde{\mathbf{I}}_{L}(m)),$$

$$m) = Q4^{-1}[\tilde{\mathbf{I}}_{Lt}(m)] \cdot \Delta_{L}(m) \cdot \operatorname{sgn}(\tilde{\mathbf{I}}_{Lt}(m)),$$

$$m) = Q2^{-1}[\tilde{\mathbf{I}}_{H}(m)] \cdot \Delta_{H}(m) \cdot \operatorname{sgn}(\tilde{\mathbf{I}}_{H}(m)).$$

• These errors cause a desynchronization with the encoder, so an **error propagation** occurs.