

STATISTICAL NORMALISATION OF PHASE-BASED FEATURE REPRESENTATION FOR ROBUST SPEECH RECOGNITION



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Abstract

** Phase Spectrum is generally assumed to have a Uniform distribution

** Uniform distribution implicitly means that phase spectrum has maximum level of entropy and literally structureless/informationless

** This is paradoxical ...

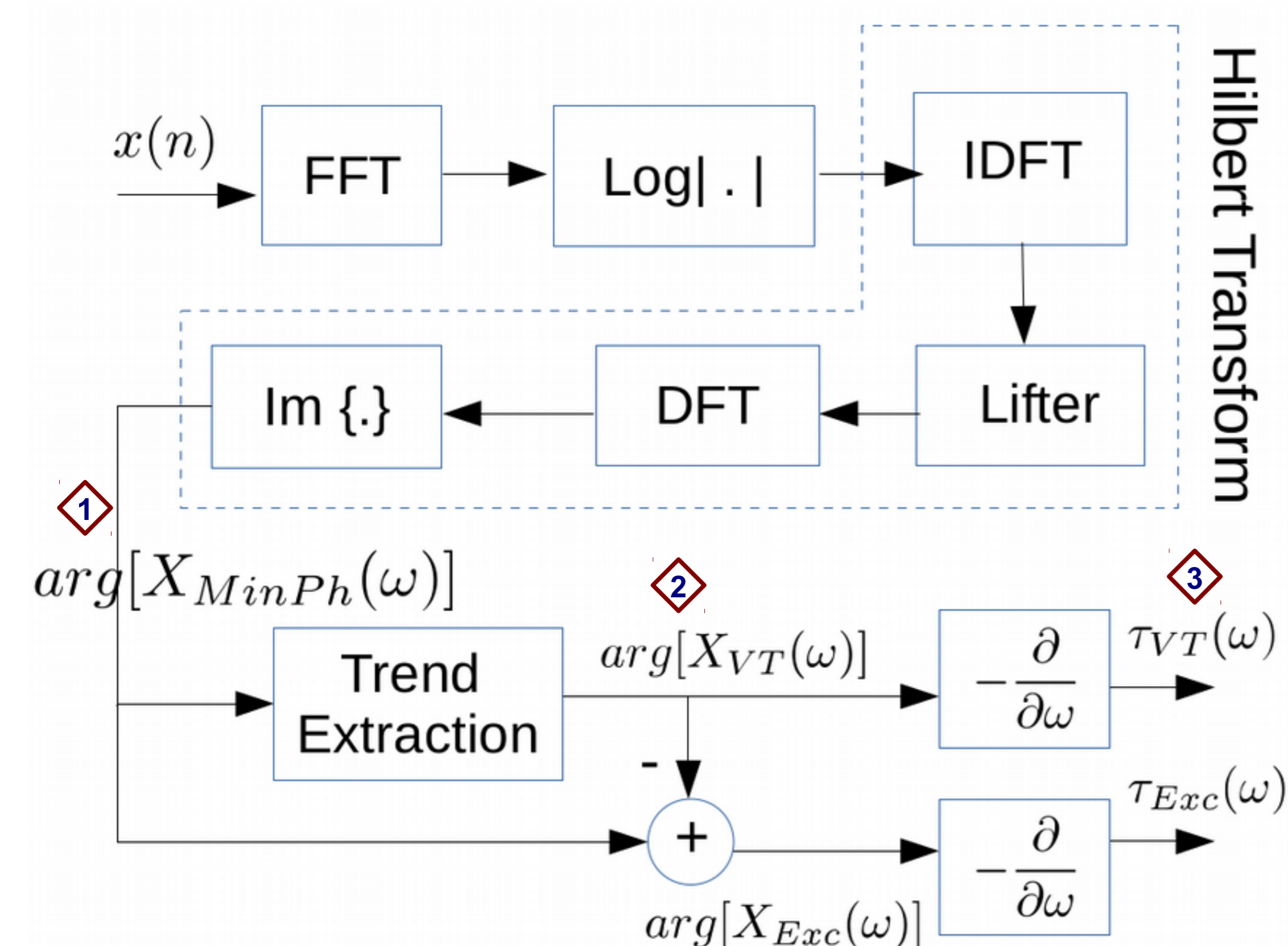
- Signal and its information are recoverable from the phase through phase-only signal reconstruction
- One-to-one relationship between phase and magnitude spectra necessitate both carry the same amount of information

** We show that phase spectrum, contrary to the general belief, has a bell-shaped distribution

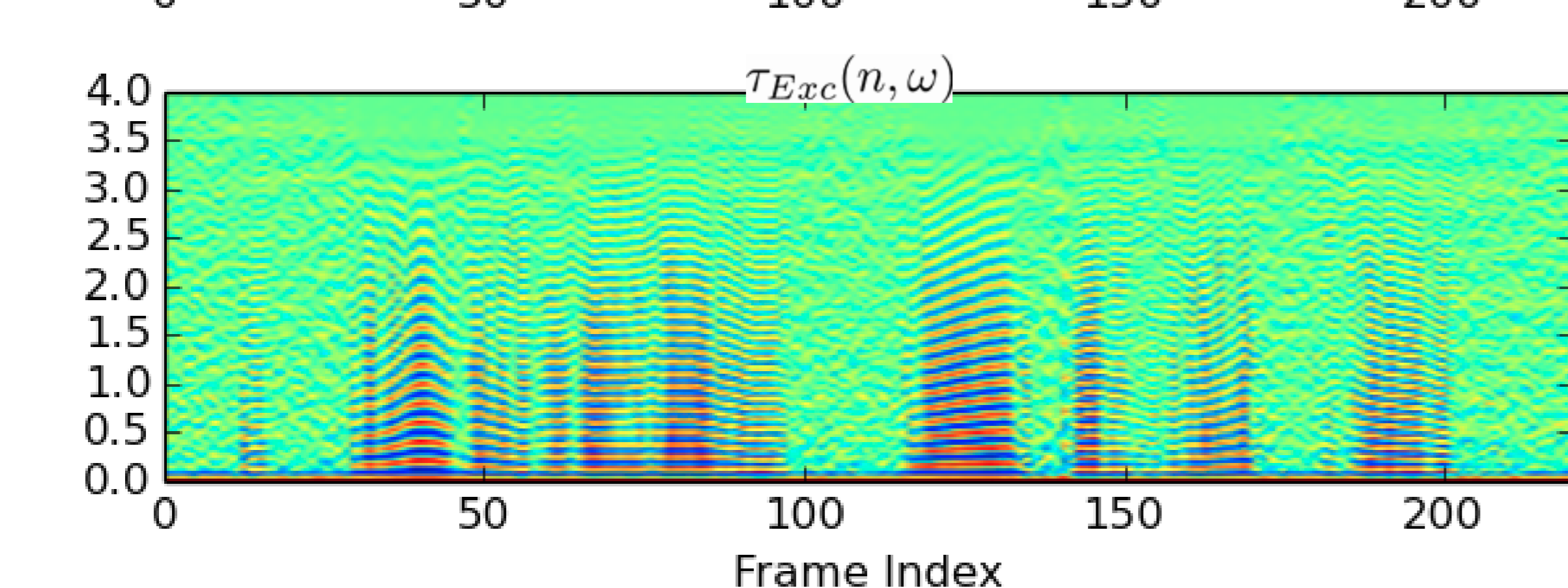
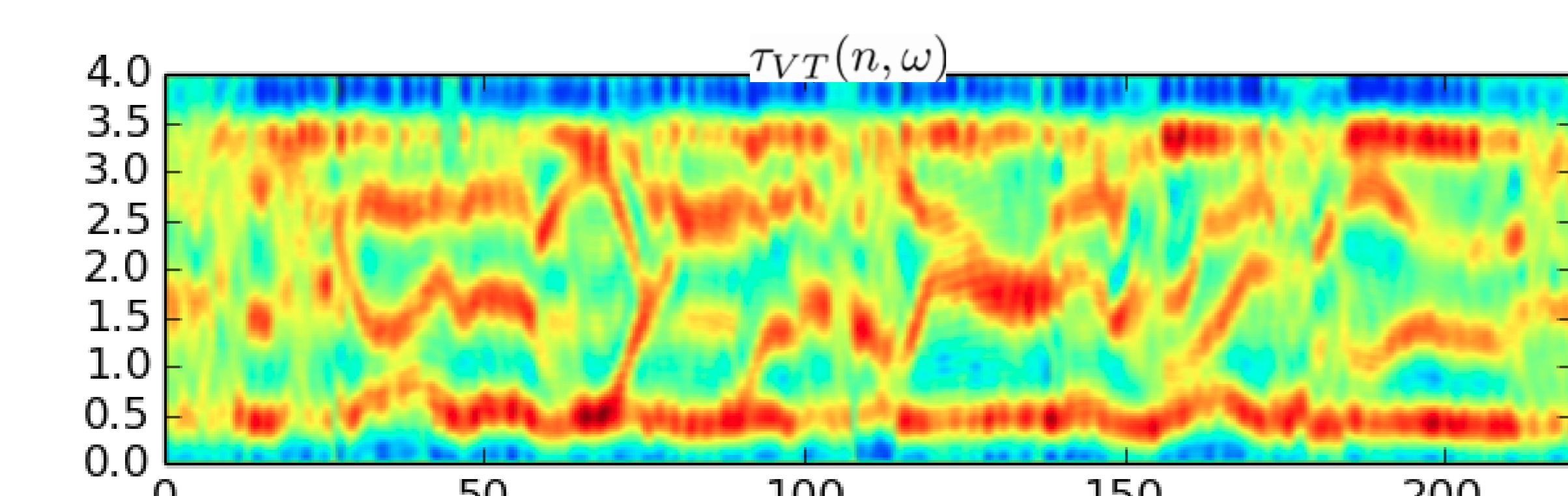
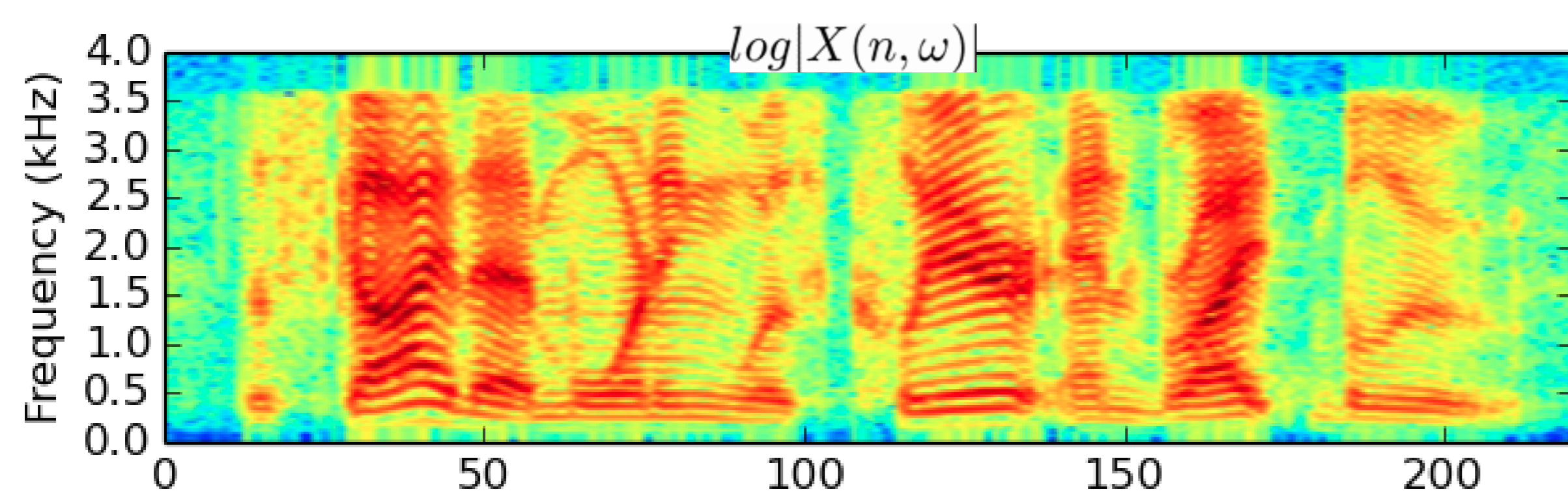
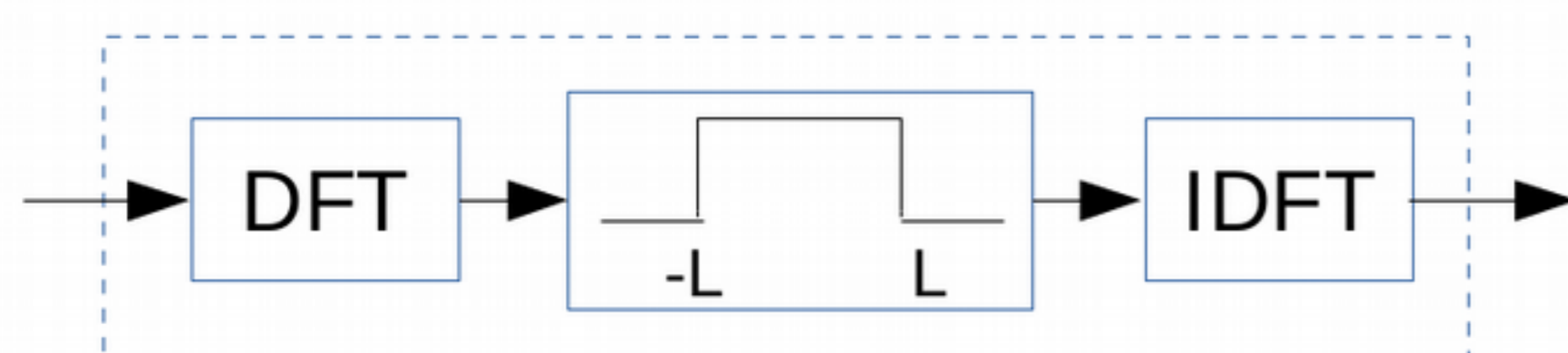
** Based on statistical behaviour of the phase-based features in clean condition, 3 normalisation schemes are applied to alleviate the effect of noise

** The proposed approach returns up to 18.6% relative WER reduction compared with previous reported results [Table 1-4]

Source-Filter Separation in the Phase Domain



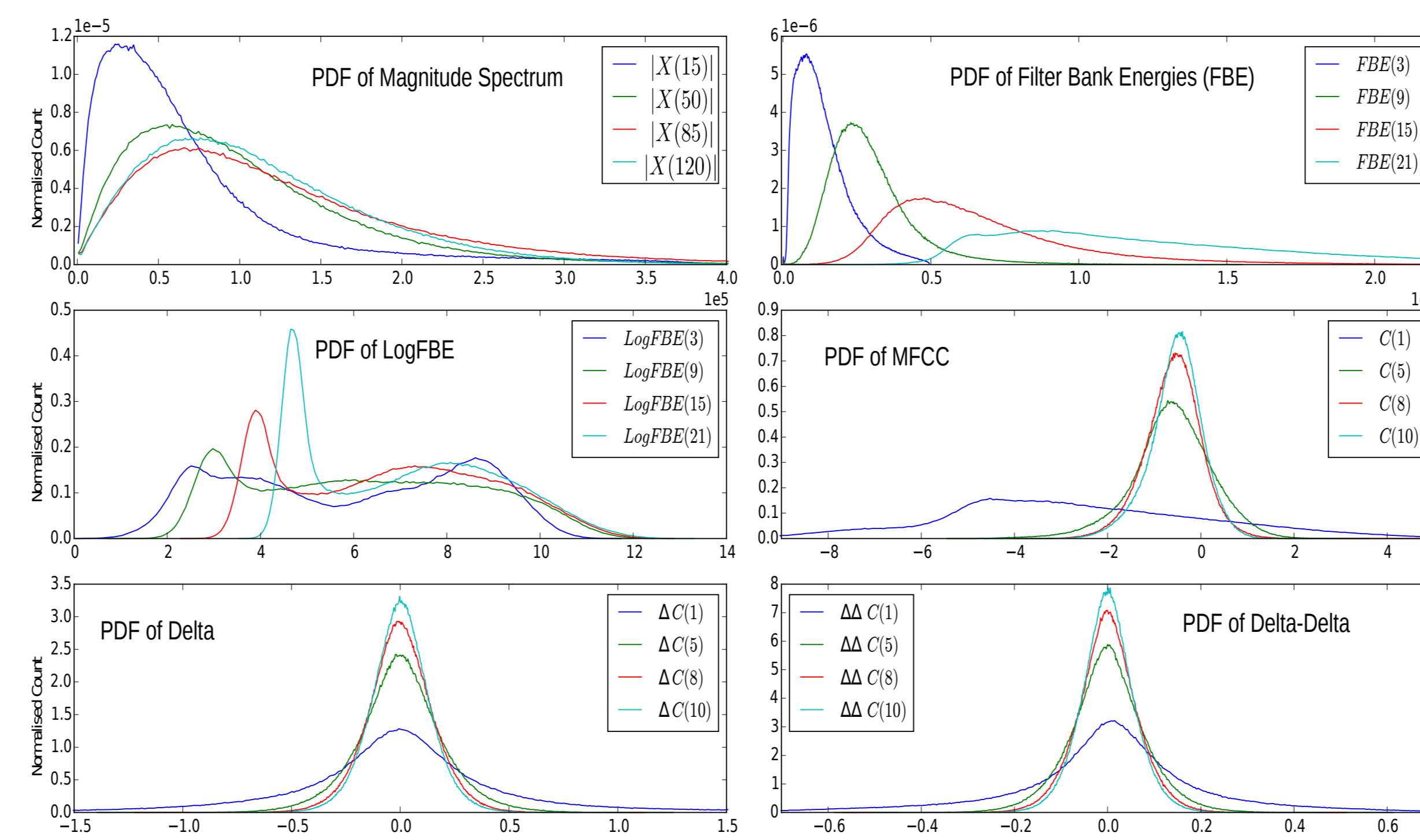
Trend Extraction



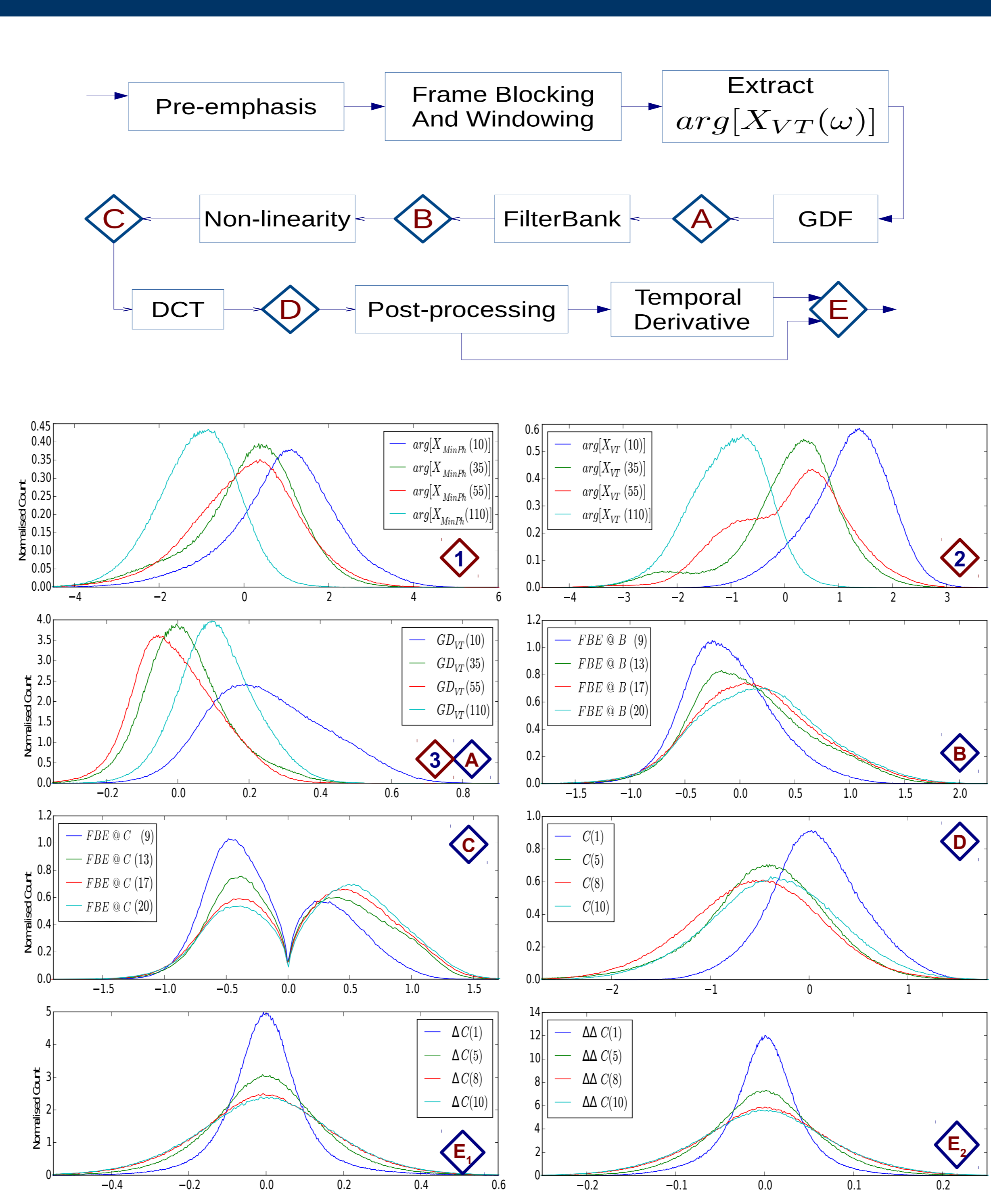
Distribution Evolution Along MFCC Pipeline

Distributions (Histograms) are computed

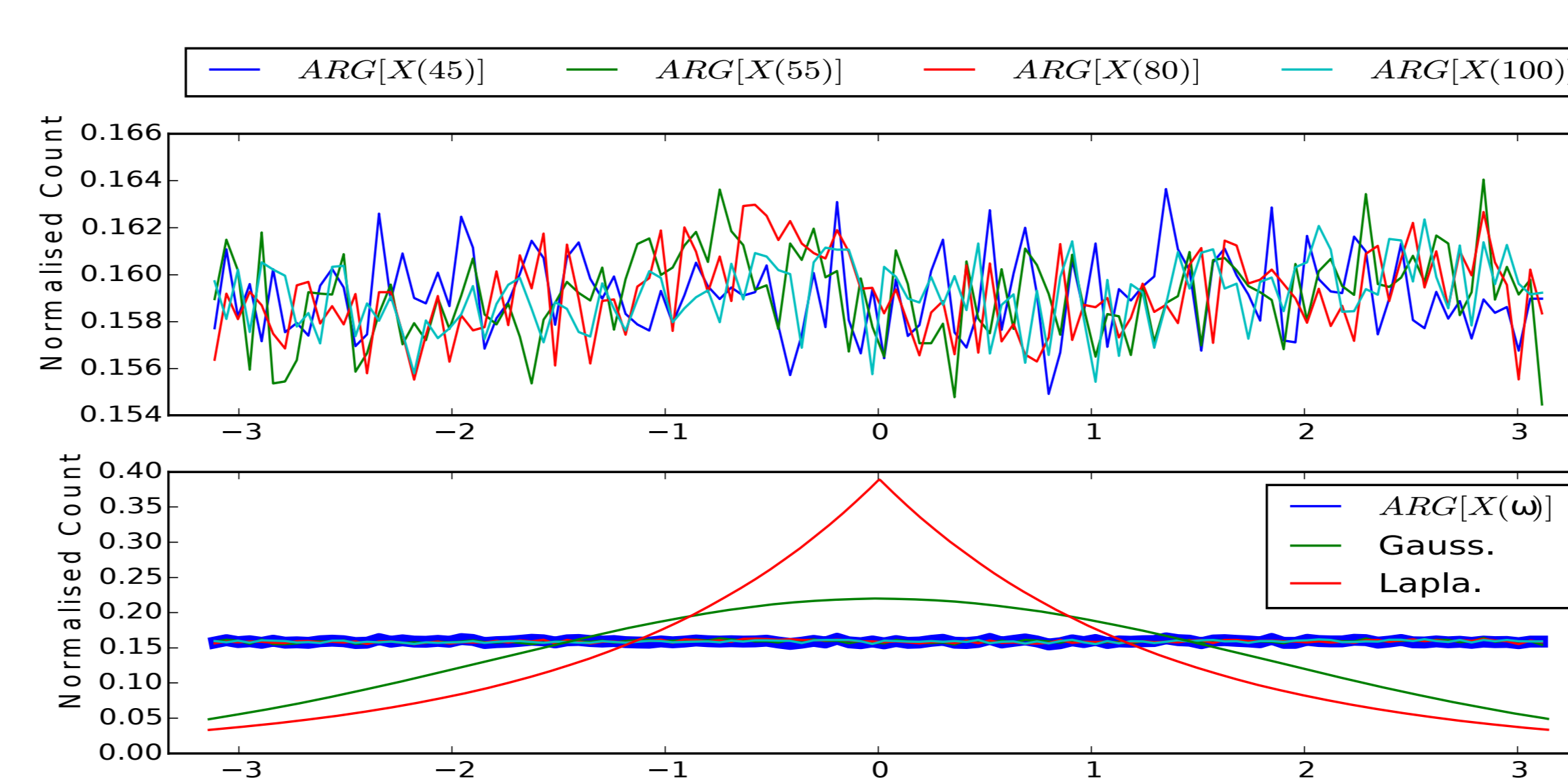
- using all Aurora2 training data (> 1.4 M frames)
- with suboptimal assumption that dimensions are independent (for mathematical convenience)



Distribution Evolution of Phase-Based Feature

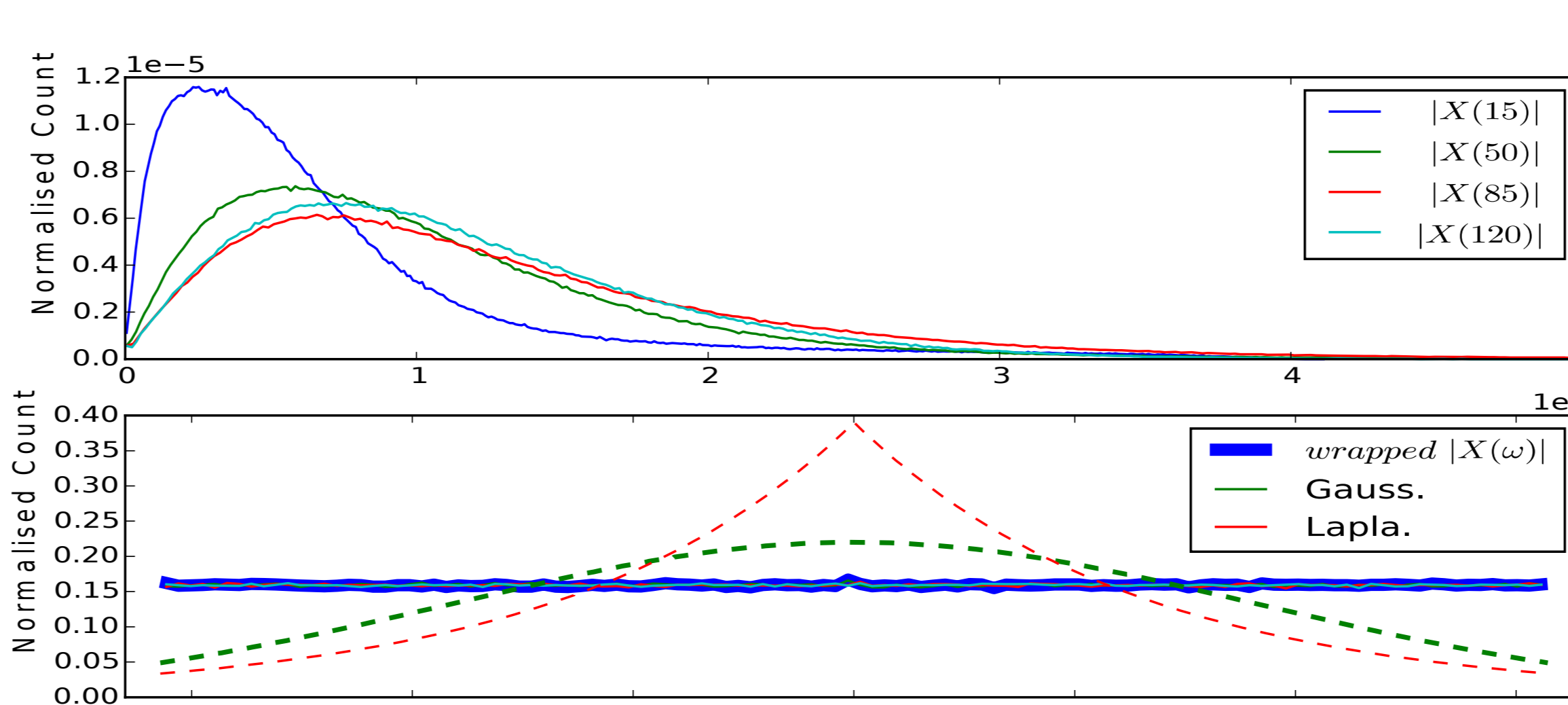


Distribution of Principle (Wrapped) Phase (ARG)

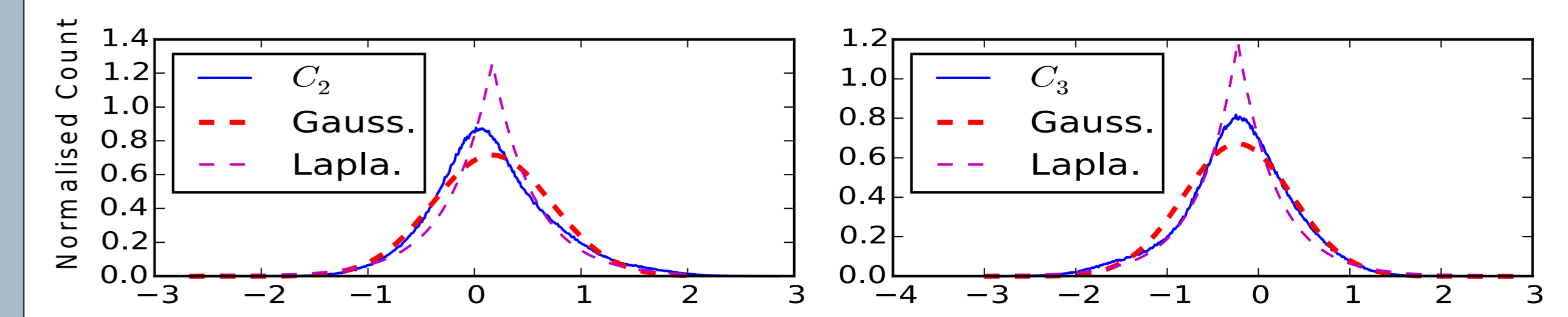


- Uniform distribution for phase spectrum is paradoxical!
- artefact of wrapping!

Distribution of Wrapped Magnitude Spectrum



Distribution of Phase-based Features



In Clean Condition ...

- Skewness almost zero
- Gaussian < Kurtosis < Laplacian

Statistical Normalisation

Principle Equation ...

$$CDF_Y(y) = CDF_X(x) \Rightarrow x = CDF_X^{-1}(CDF_Y(y))$$

- Probability Integral Transform $\Rightarrow CDF_Y(Y) \sim U(0,1)$
- Main Challenge \Rightarrow Computing $CDF_X^{-1}(x)$

$$\begin{cases} \text{Gaussianisation} \rightarrow x_i = \sqrt{2} \operatorname{erf}^{-1}(2z_i - 1) \\ \text{Laplacianisation} \rightarrow x_i = \begin{cases} \ln(2z_i), & z_i < 0.5 \\ -\ln(2 - 2z_i), & z_i \geq 0.5, \end{cases} \\ z_i = \frac{r_i - \beta}{N}, \quad i = 1, 2, \dots, N \end{cases}$$

Recognition Results

Table 1. Average (0-20 dB) recognition rates for Aurora-2 [23].

Feature	TestSet A	TestSet B	TestSet C	Ave. All
MFCC	66.2	71.4	64.9	67.5
PLP	67.3	70.6	66.2	68.0
MODGDF	64.3	66.4	59.5	63.4
CGDF	67.0	73.0	59.4	66.5
PS	66.0	71.2	64.6	67.3
Baseline	73.2	77.4	73.4	74.7

- Baseline: BMFGDVT [Interspeech 2015]
- Normalisations are applied on both Train and Test data

Table 2. Average accuracy after Gaussianisation at points A - E.

Feature	A	B	C	Ave. All	RER(%)
Gaus-A	74.1	78.3	74.4	75.6	3.6
Gaus-B	73.0	76.0	74.1	74.4	-1.9
Gaus-C	74.0	76.7	74.9	75.2	2.0
Gaus-D	78.6	80.2	77.0	78.6	15.4
Gaus-E	79.3	81.0	77.8	79.4	18.6

Table 3. Average accuracy after Laplacianisation at points A - E.

Feature	A	B	C	Ave. All	RER(%)
Lap-A	74.4	78.5	74.8	75.9	4.7
Lap-B	73.9	76.7	74.8	75.1	1.6
Lap-C	74.0	76.7	75.2	75.3	2.4
Lap-D	75.5	77.5	74.0	75.7	4.0
Lap-E	77.5	79.3	75.9	77.6	11.5

Table 4. Average accuracy after HEQ at points A - E.

Feature	A	B	C	Ave. All	RER(%)
HEQ-A	74.0	78.0	74.9	75.6	3.5
HEQ-B	74.2	78.0	75.2	75.8	4.3
HEQ-C	74.5	78.4	75.4	76.1	5.5
HEQ-D	76.5	78.2	73.5	76.1	5.5
HEQ-E	77.0	78.7	74.9	76.9	8.7

