

A Deep Generative Model of Speech Complex Spectrograms

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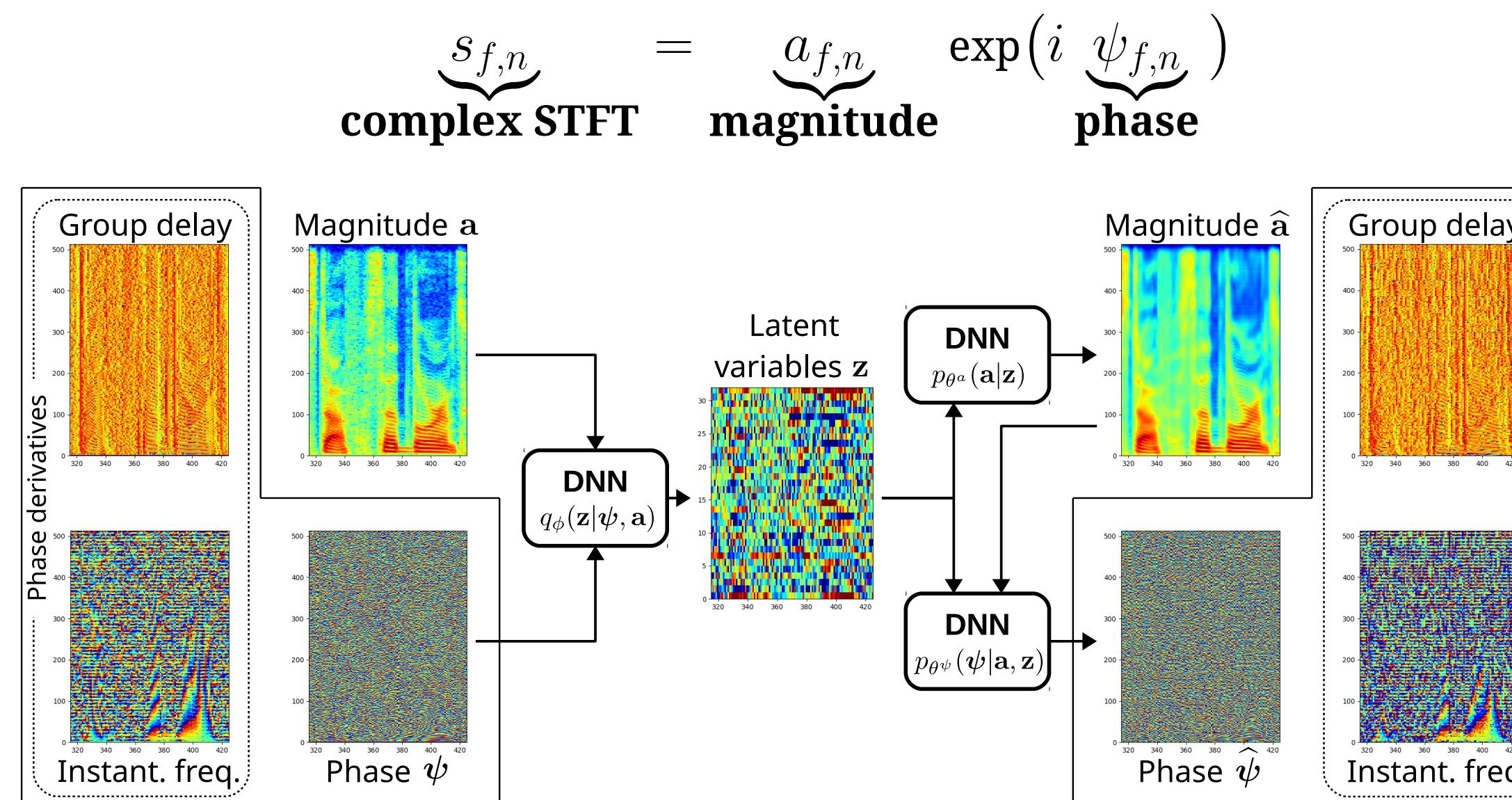
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MOTIVATION

- Probabilistic approaches to speech enhancement [1,2]: VAE as a prior of the speech *power* spectrograms
- How about a prior of *complex* spectrograms..? It might allow a better speech enhancement.
- Phase recovery approaches typically assume the magnitude is known, e.g., the Griffin-Lim algorithm and some DNN-based methods [3,4]
- Let's develop a latent variable model for speech complex spectrogram generation!

IDEA



PROPOSED METHOD

- Model formulation:

$$p_{\theta}(\psi_n, \mathbf{a}_n, \mathbf{z}_n) = p_{\theta^a}(\mathbf{a}_n | \mathbf{z}_n) p_{\theta^{\psi}}(\psi_n | \mathbf{a}_n, \mathbf{z}_n) p_{\theta^z}(\mathbf{z}_n)$$
 (1)
- The model parameters are estimated by minimizing the negative log-likelihood (NLL):

$$\begin{aligned} -\ln \int_{\mathbf{z}_n} p_{\theta}(\psi_n, \mathbf{a}_n, \mathbf{z}_n) d\mathbf{z}_n \\ = -\ln \int_{\mathbf{z}_n} \frac{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)}{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)} p_{\theta}(\psi_n, \mathbf{a}_n, \mathbf{z}_n) d\mathbf{z}_n \\ \leq -\mathbb{E}_{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)} \left[\ln \frac{p_{\theta}(\psi_n, \mathbf{a}_n, \mathbf{z}_n)}{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)} \right] \\ = \text{KL}[q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n) || p_{\theta}(\mathbf{z}_n)] \\ - \mathbb{E}_{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)} [\ln p_{\theta^a}(\mathbf{a}_n | \mathbf{z}_n)] \\ - \mathbb{E}_{q_{\phi}(\mathbf{z}_n | \psi_n, \mathbf{a}_n)} [\ln p_{\theta^{\psi}}(\psi_n | \mathbf{a}_n, \mathbf{z}_n)] \\ \triangleq \mathcal{L}^{\text{reg}} + \mathcal{L}^{\text{mag}} + \mathcal{L}^{\text{pha}} \end{aligned}$$
 (2)
- Assuming a simple prior $p_{\theta}(\mathbf{z}_n) \sim \mathcal{N}(\mathbf{z}_n | \mathbf{0}, \mathbf{I})$, the regularization term \mathcal{L}^{reg} :

$$\mathcal{L}^{\text{reg}} = \frac{1}{2N} \sum_{d,n} \left((\mu_{d,n}^q)^2 + (\sigma_{d,n}^q)^2 - \ln(\sigma_{d,n}^q)^2 - 1 \right)$$
 (3)

- The magnitude follows a Gaussian distribution:

$$a_{f,n} \sim \mathcal{N} \left(a_{f,n} \mid \mu_{f,n}^{\text{mag}}, (\sigma_{f,n}^{\text{mag}})^2 \right)$$
 (4)

The magnitude reconstruction loss \mathcal{L}^{mag} is the NLL:

$$\mathcal{L}^{\text{mag}} = \frac{1}{2N} \sum_{f,n} \left(\ln 2\pi (\hat{\sigma}_{f,n}^{\text{mag}})^2 + \frac{(a_{f,n} - \hat{a}_{f,n})^2}{(\hat{\sigma}_{f,n}^{\text{mag}})^2} \right)$$
 (5)

- The phase follows a von Mises distribution:

$$\psi_{f,n} \sim \mathcal{VM} \left(\psi_{f,n} \mid \mu_{f,n}^{\text{pha}}, \kappa_{f,n}^{\text{pha}} \right)$$
 (6)

The phase reconstruction loss \mathcal{L}^{pha} is the NLL:

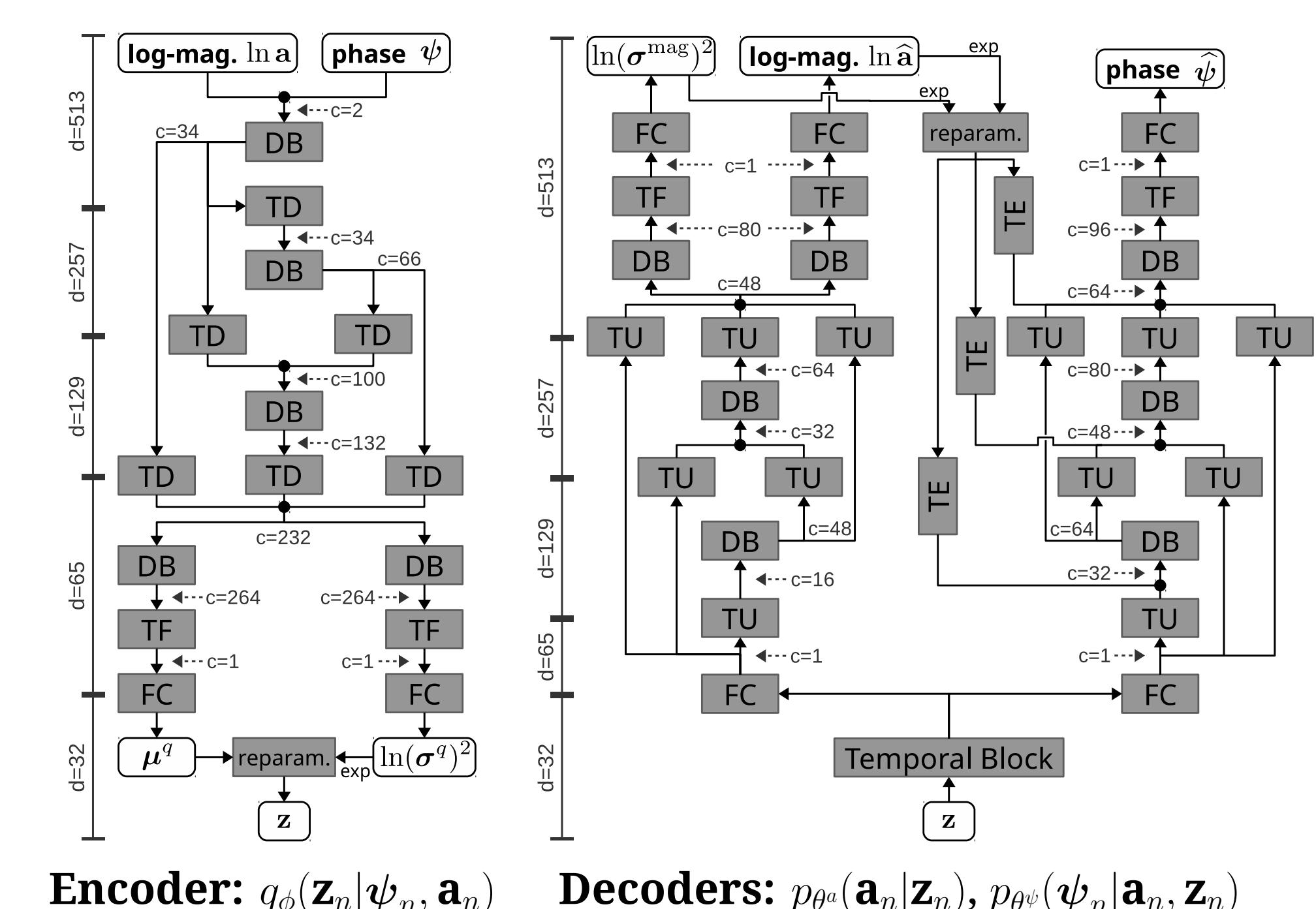
$$\mathcal{L}^{\text{pha}} = \frac{1}{N} \sum_{f,n} \left(\ln 2\pi I_0(\hat{\kappa}_{f,n}^{\text{pha}}) + \hat{\kappa}_{f,n}^{\text{pha}} \cos(\psi_{f,n} - \hat{\psi}_{f,n}) \right)$$
 (7)

- Additionally, each of the GD and the IF also follows a von Mises distribution.

The GD and the IF reconstruction losses (\mathcal{L}^{grd} and \mathcal{L}^{ifr}) are defined similarly to \mathcal{L}^{pha} .

- Concentration parameters: $\hat{\kappa}_{f,n}^{\text{pha}} = \hat{\kappa}_{f,n}^{\text{grd}} = \hat{\kappa}_{f,n}^{\text{ifr}} = \hat{a}_{f,n} + 1$

- Phase derivatives:
 - **Group delay (GD):** the derivative along the frequency axis
 $\psi_{f,n}^{\text{grd}} = \text{wrap}(-\psi_{f+1,n} + \psi_{f,n})$
 - **Instantaneous frequency (IF):** the derivative along the time axis
 $\psi_{f,n}^{\text{ifr}} = \text{wrap}(\psi_{f,n+1} - \psi_{f,n})$
- Let's exploit the interdependence between the phase, the GD, and the IF!



- The model is based on the DenseNets design [5], mainly consisting of convolutional layers (see the paper for the details).
- The model training is done in two stages:
 - Stage 1 aims for a good magnitude estimation
 - Stage 2 aims for a good phase and magnitude estimation

EVALUATION

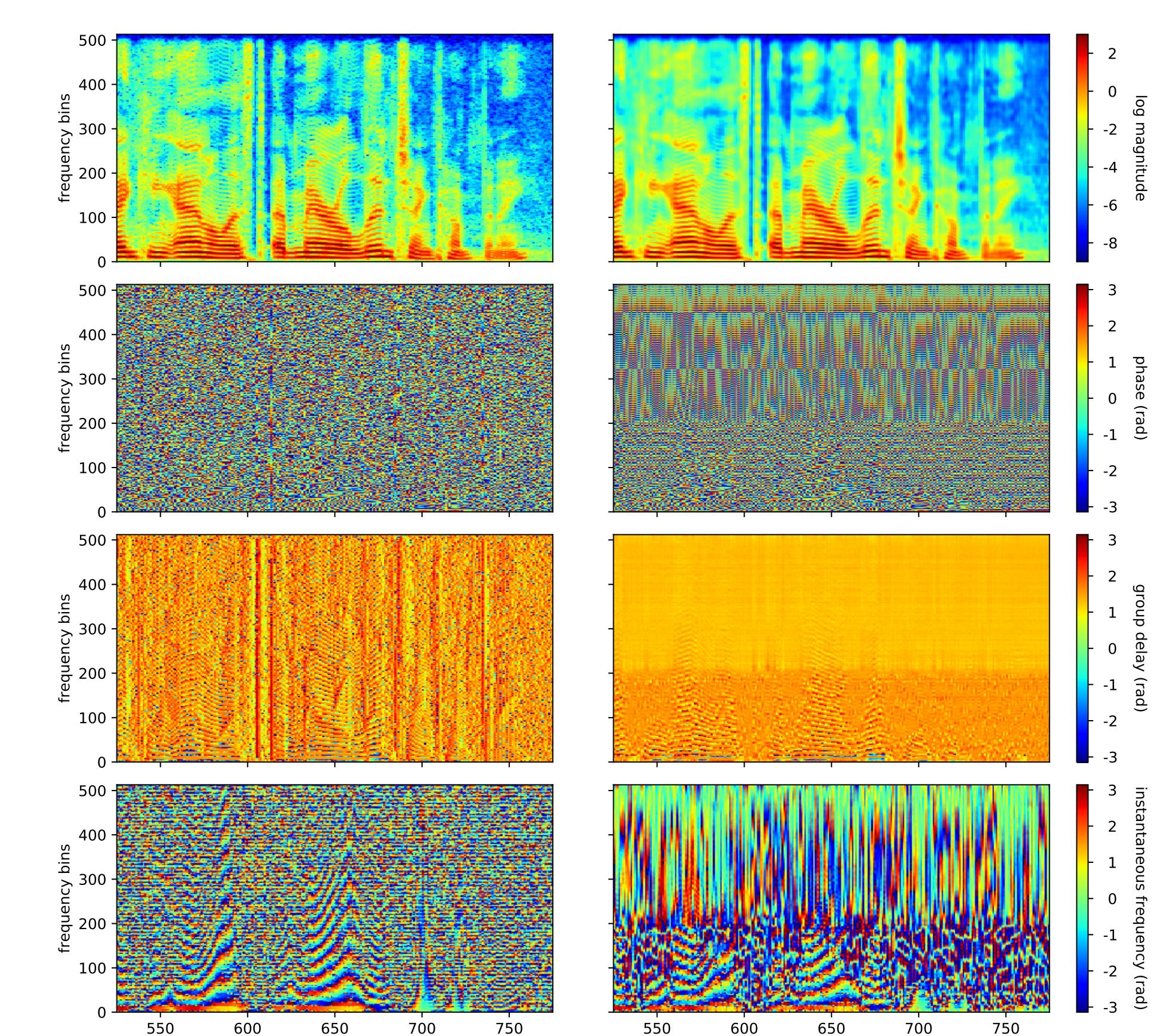
- Task: speech reconstruction
- Performance metrics:
 - Mean Opinion Score (MOS), mapped from Perceptual Evaluation of Speech Quality (PESQ) score
 - Short-Time Objective Intelligibility (STOI)
- Corpus: CHiME-4
 - all data are sampled at 16 kHz
 - only the clean speech of the channel 5 from the simulated datasets
 - subsets:
 - * training set: 7138 utts. (± 15.0 hours)
 - * dev. set: 1640 utts. (± 2.9 hours)
 - * test set: 1320 utts. (± 2.3 hours)
- STFT analysis parameters:
 - 512-point Hann window (75% overlap)
 - 1024-point DFT

Average log-likelihood on the test set for the different training loss functions.

Model	Loss function	\hat{a}_n	$\hat{\psi}_n$	$\hat{\psi}_n^{\text{grd}}$	$\hat{\psi}_n^{\text{ifr}}$
(M)	$\mathcal{L}^{\text{reg}} + \mathcal{L}^{\text{mag}} + \mathcal{L}^{\text{var}}$	1400	-1204	-1204	-1204
(J1)	(M) + \mathcal{L}^{pha}	1366	-964	-712	-954
(J2)	(M) + \mathcal{L}^{grd}	1435	-1201	-607	-1201
(J3)	(M) + \mathcal{L}^{ifr}	1401	-1198	-1198	-800
(J4)	(M) + $\frac{1}{2}\mathcal{L}^{\text{pha}}$ + $\frac{1}{2}\mathcal{L}^{\text{grd}}$	1420	-1053	-635	-1054
(J5)	(M) + $\frac{1}{2}\mathcal{L}^{\text{pha}}$ + $\frac{1}{2}\mathcal{L}^{\text{ifr}}$	1399	-1191	-1194	-826
(J6)	(M) + $\frac{1}{2}\mathcal{L}^{\text{grd}}$ + $\frac{1}{2}\mathcal{L}^{\text{ifr}}$	1409	-1198	-671	-894
(J7)	(M) + $\frac{1}{3}\mathcal{L}^{\text{pha}}$ + $\frac{1}{3}\mathcal{L}^{\text{grd}}$ + $\frac{1}{3}\mathcal{L}^{\text{ifr}}$	1403	-1196	-690	-908

Average objective perceptual performance on the test set for the different training loss functions.

Model	Loss function	MOS	STOI
(M)	$\mathcal{L}^{\text{reg}} + \mathcal{L}^{\text{mag}} + \mathcal{L}^{\text{var}}$	1.96	0.690
(J1)	(M) + \mathcal{L}^{pha}	3.34	0.770
(J2)	(M) + \mathcal{L}^{grd}	2.18	0.734
(J3)	(M) + \mathcal{L}^{ifr}	2.51	0.702
(J4)	(M) + $\frac{1}{2}\mathcal{L}^{\text{pha}}$ + $\frac{1}{2}\mathcal{L}^{\text{grd}}$	3.71	0.786
(J5)	(M) + $\frac{1}{2}\mathcal{L}^{\text{pha}}$ + $\frac{1}{2}\mathcal{L}^{\text{ifr}}$	2.39	0.690
(J6)	(M) + $\frac{1}{2}\mathcal{L}^{\text{grd}}$ + $\frac{1}{2}\mathcal{L}^{\text{ifr}}$	3.54	0.777
(J7)	(M) + $\frac{1}{3}\mathcal{L}^{\text{pha}}$ + $\frac{1}{3}\mathcal{L}^{\text{grd}}$ + $\frac{1}{3}\mathcal{L}^{\text{ifr}}$	3.13	0.766



(a) True speech (b) Reconstruction (J4)
Utt. ID: F05_440C020I_PED from the set et05_ped_simu

CONCLUSION

- The proposed method can reproduce time-domain speech with a high quality and a high intelligibility. Audio samples are available on the demo webpage: <https://aanugraha.gitlab.io/demo/icassp19/>.
- Good phase derivatives are sufficient to obtain a fair speech quality.
- The phase derivative optimization strongly drives the overall optimization and thus, a more elaborate weighting might be necessary.
- Future works include (1) estimating the von Mises concentration parameters, and (2) utilizing the model for speech enhancement.

References

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- [5] G. Huang, Z. Liu, L. van der Maaten, and K. Q. Weinberger, "Densely connected convolutional networks," CVPR '17.