

Prediction of multi-target dynamics using discrete descriptors: An interactive approach



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Introduction

Moving objects can be modeled as a series of *interactions* with their surroundings such that their dynamics are a result of *forces* (external effects) that act on them over time [1]. Forces that act over objects can be *attractive* or *repulsive*. Goals, i.e., destination points, can be represented by attractive forces and obstacles, i.e., structures or other entities, as repulsive forces [2]. Our contributions are listed as follows:

- Modeling of *conditional dependencies* between dynamical objects
- Employing a *coupled Dynamic Bayesian Network* (DBN) structure
- *Detecting abnormalities* based on identified interactive effects

Proposed method

1. Definition of coupled generalized states: For a moving object i , let us define its internal state at a time instant k as $\tilde{X}_k^i = [\mathbf{x}, \dot{\mathbf{x}}]^T$. In case of analyzing the joint motion of two objects $i = \{1,2\}$, let us define the coupled generalized state:

$$\tilde{\mathbf{X}}_k = [\tilde{X}_k^1, \tilde{X}_k^2]^T.$$

2. Learning of coupled DBN:

- Learning vocabularies for $i = \{1,2\}$.

$$\mathcal{S}^i = \{s_{l_1}^i, s_{l_2}^i, \dots, s_{l_i}^i\}.$$

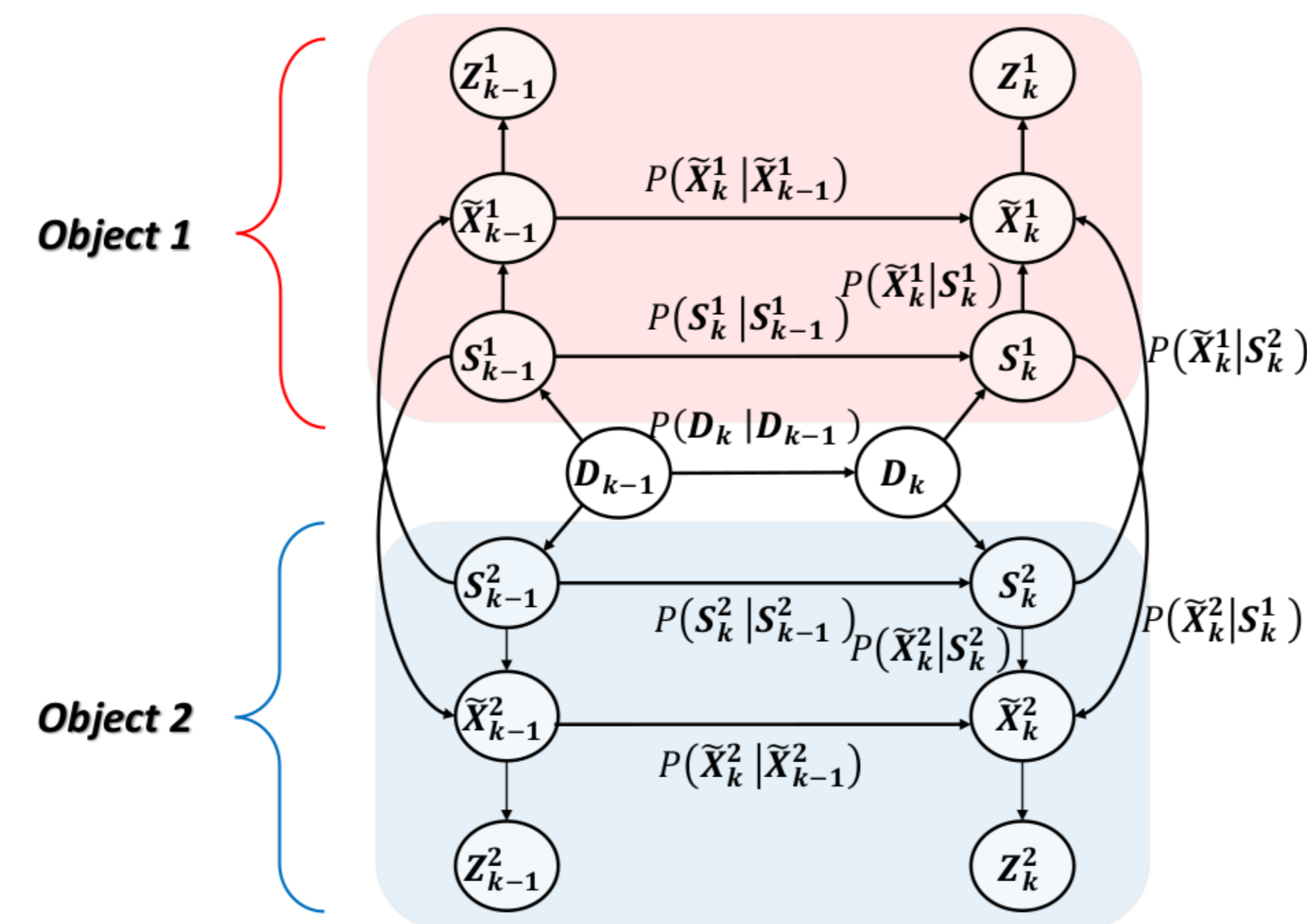
- Learning dictionary.

$$\mathcal{D} = \{D^1, D^2, \dots, D^M\},$$

$$D^m = [s_{l_1}^1, s_{l_2}^2].$$

- Learn discrete transition model

$$p(D_k | D_{k-1}, t_k)$$



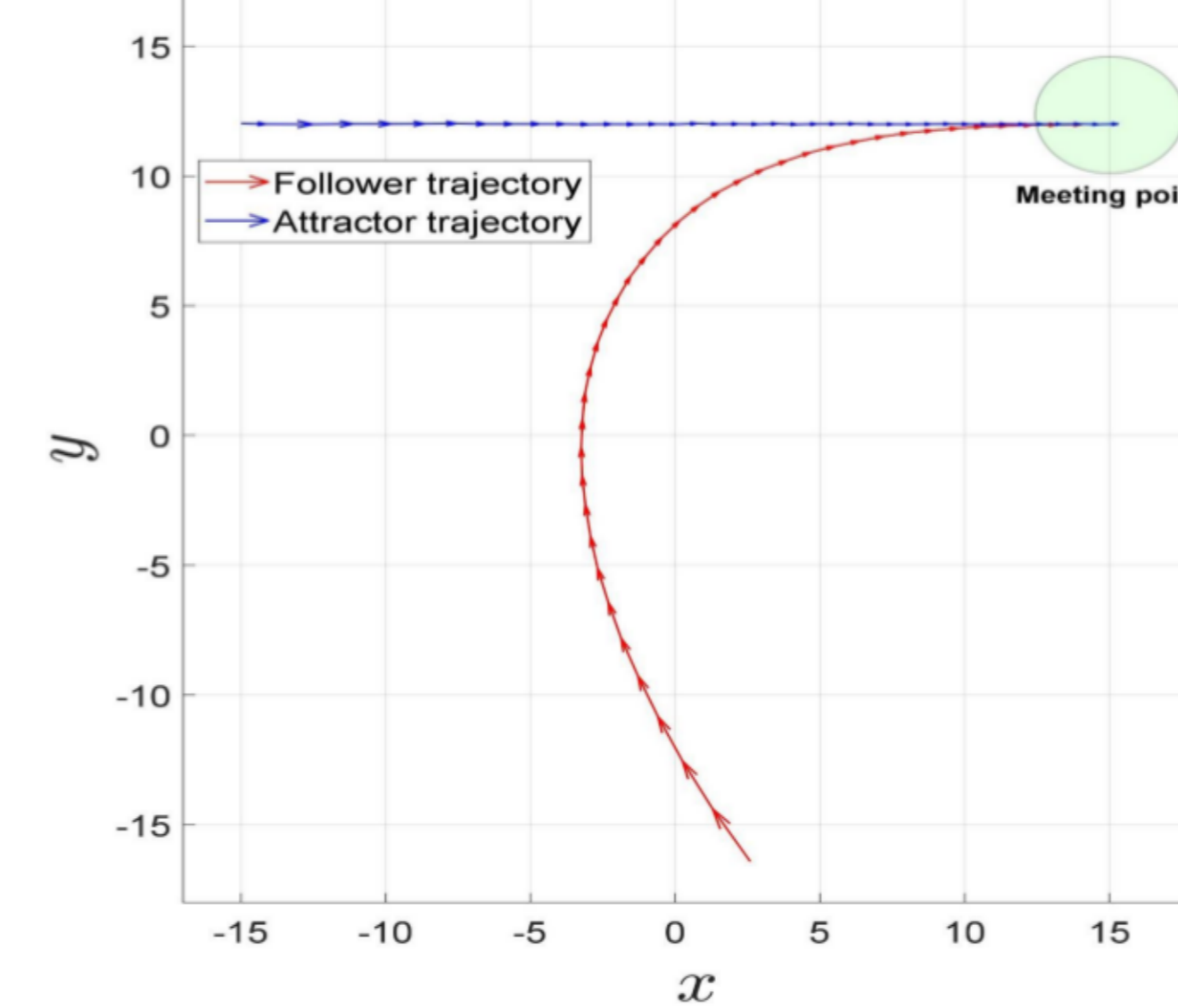
3. Online interaction tracking: A probabilistic switching model called *Markov Jump Particle Filter* (MJPF) [3]. This filter uses a *Particle filter* (PF) for inferring systems' discrete levels. Additionally, each considered particle employs a *Kalman filter* (KF) that tracks the generalized states of observed entities.

4. Abnormality measurement: This work proposes an abnormality measurement based on the *Hellinger distance* between predicted coupled generalized states $p(\tilde{X}_k^i | \tilde{X}_{k-1}^i)$ and the evidence $p(Z_k^i | \tilde{X}_k^i)$, such that:

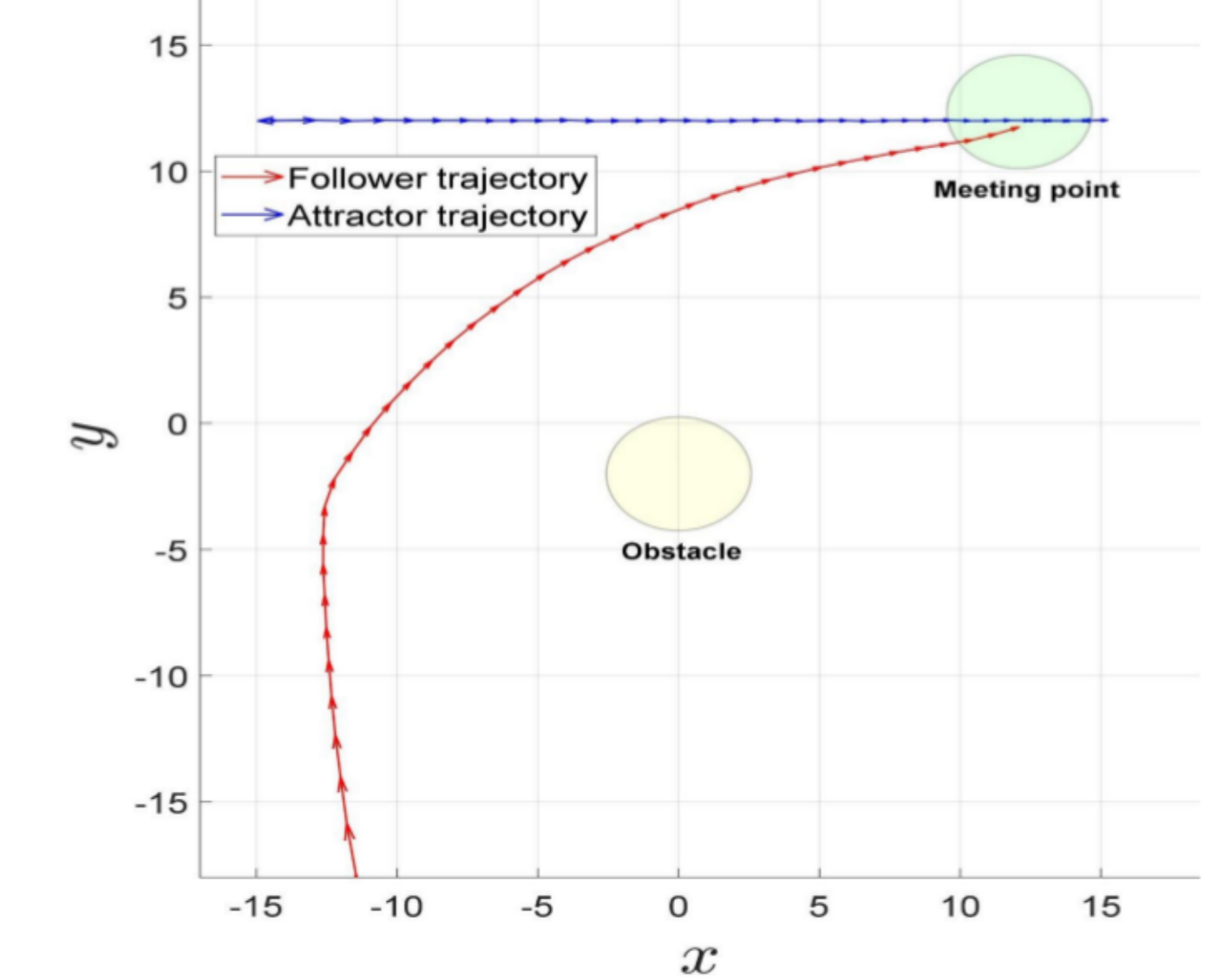
$$\theta_k^i = \sqrt{1 - \lambda_k^i}, \quad \text{where } \lambda_k^i = \int \sqrt{p(\tilde{X}_k^i | \tilde{X}_{k-1}^i) p(Z_k^i | \tilde{X}_k^i)} d\tilde{X}_k^i.$$

Experimental results and evaluation

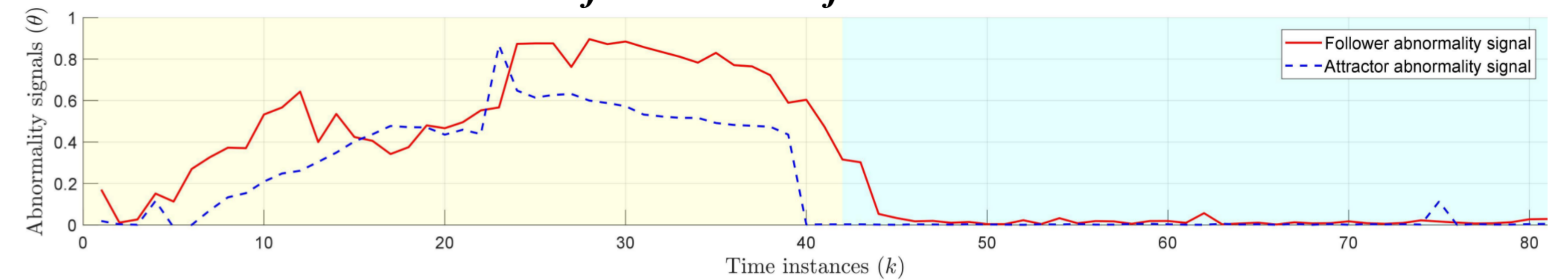
Sample of training data



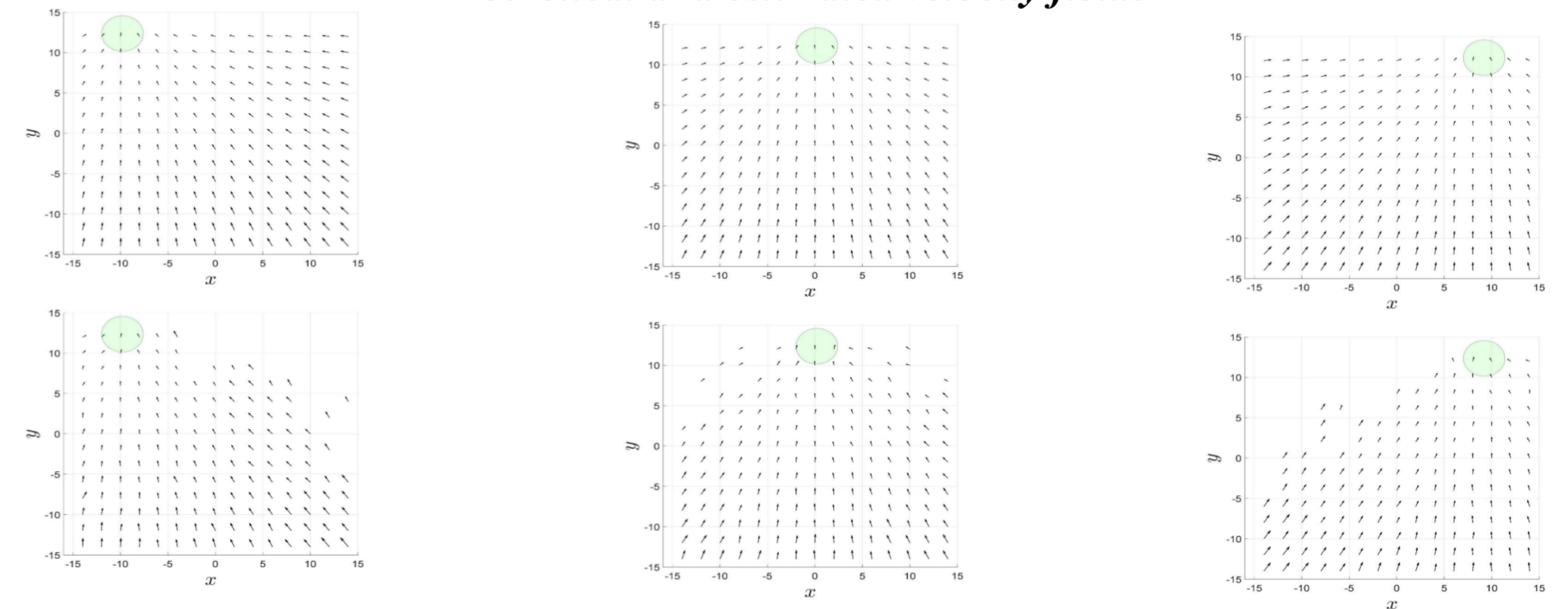
Sample of testing data



Results of abnormal objects' interaction



Theoretical and estimated velocity fields



Conclusions and future work

Attractive/repulsive forces are modeled inside a DBN structure that codifies normal behaviors of observed objects. Continuous and discrete variables are modeled by a PF coupled with set of KFs that enable to detect anomalies in different inference levels in an online fashion. Possible future works include characterizing more complex interactions where more forces/objects are involved and understand the interplay of real moving objects inside DBN structures.

[1] D. Campo, A. Betancourt, L. Marcenaro, and C. Regazzoni, "Static force field representation of environments based on agents nonlinear motions," *Eurasip Journal on Advances in Signal Processing*, no. 1, 2017.

[2] Xu Chen, Martin Treiber, Venkatesan Kanagaraj, and Haiying Li, "Social force models for pedestrian traffic state of the art," *Transport Reviews*, pp. 1–29, 2017.

[3] M. Baydoun, D. Campo, V. Sanguineti, Lucio Marcenaro, A. Cavallaro, and Carlo S. Regazzoni, "Learning switching models for abnormality detection for autonomous driving," in *21st International Conference on Information Fusion, FUSION 2018*, Cambridge, UK, pp.2606–2613, July 10-13, 2018.