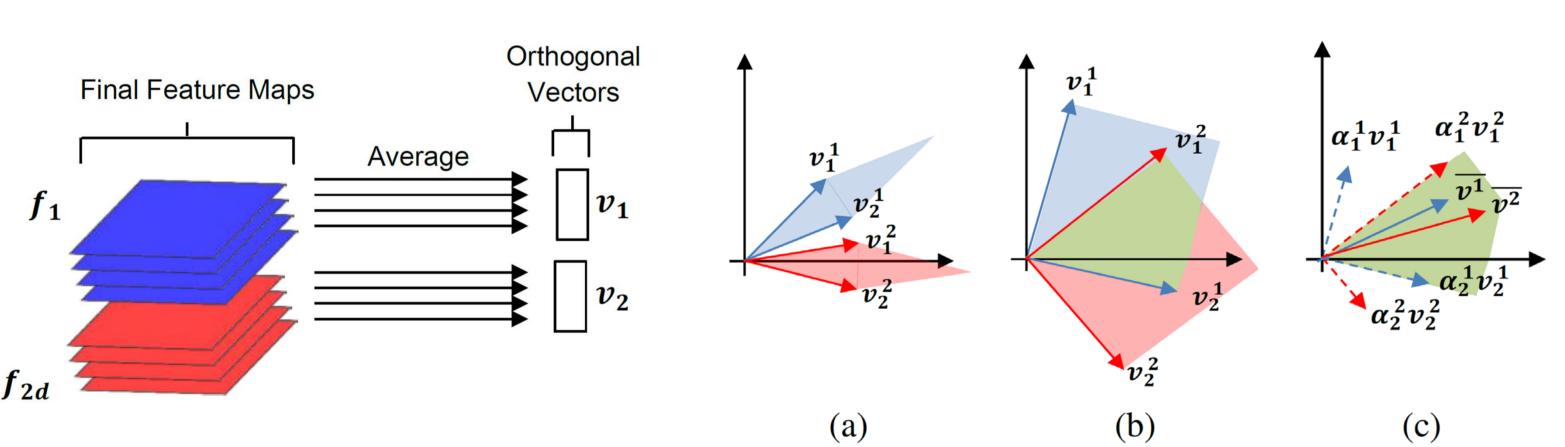
# **Deep Speaker Representation using Orthogonal Decomposition** and Recombination for Speaker Verification

## Main Idea

- The proposed method performs orthogonal decomposition and recombination to obtain the discriminative speaker representation.
- Speaker representation is generated by a linear combination of latent vectors using deep neural network.
- The proposed method can be easily applied to any deep neural network, which is connected at the end of the network.

#### **Orthogonal Decomposition**



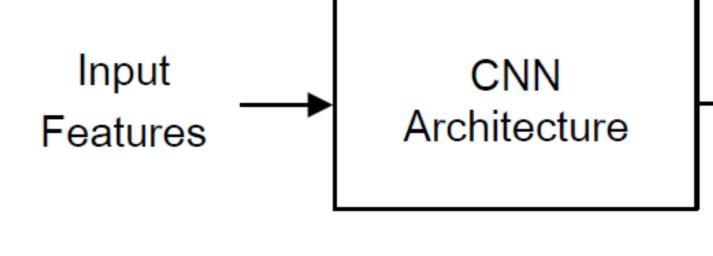
- Construct twice the number of final feature maps compared to the conventional CNN architecture in order to decompose a vector into two latent vectors.
- Orthogonal vectors can be generated by applying the following constraint.

$$L_{orthogonal} = \frac{1}{N} \sum_{n=1}^{N} \left| \frac{\boldsymbol{v_1^n} \cdot \boldsymbol{v_2^n}}{\|\boldsymbol{v_1^n}\|_2 \|\boldsymbol{v_2^n}\|_2} \right|$$

#### Why applying the orthogonal constraint?

- Prevent forming similar decomposition vectors
- Maximize the spanned subspace so that the overlapped subspace between two examples can be formed.
- The overlapped subspace enables speaker representations to be a global speaker-specific representation.

#### **Network Architecture**



#### **Recombination Network**

Transform and normalize the decomposed vectors to control the vector magnitude

$$ar{v_1} = rac{f(v_1)}{||f(v_1)||_2}, \quad ar{v_2} = rac{f(v_2)}{||f(v_2)||_2}$$

Estimate magnitude of decomposed vectors using attention layer toward minimizing intra-speaker distance and maximizing inter-speaker distance using the softmax loss

$$L_{softmax} = -\frac{1}{N} \sum_{n=1}^{N} \log \frac{\exp \left(\frac{1}{\sum_{spk} e^{\frac{1}{N}}}\right)}{\sum_{spk} e^{\frac{1}{N}}}$$

$$\alpha_1 = f_a(\boldsymbol{v_1}), \quad \alpha_2 = f_a(\boldsymbol{v_2})$$

Be able to extract speaker-discriminative representation using a linear combination of the two normalized vectors with the estimated amplitudes

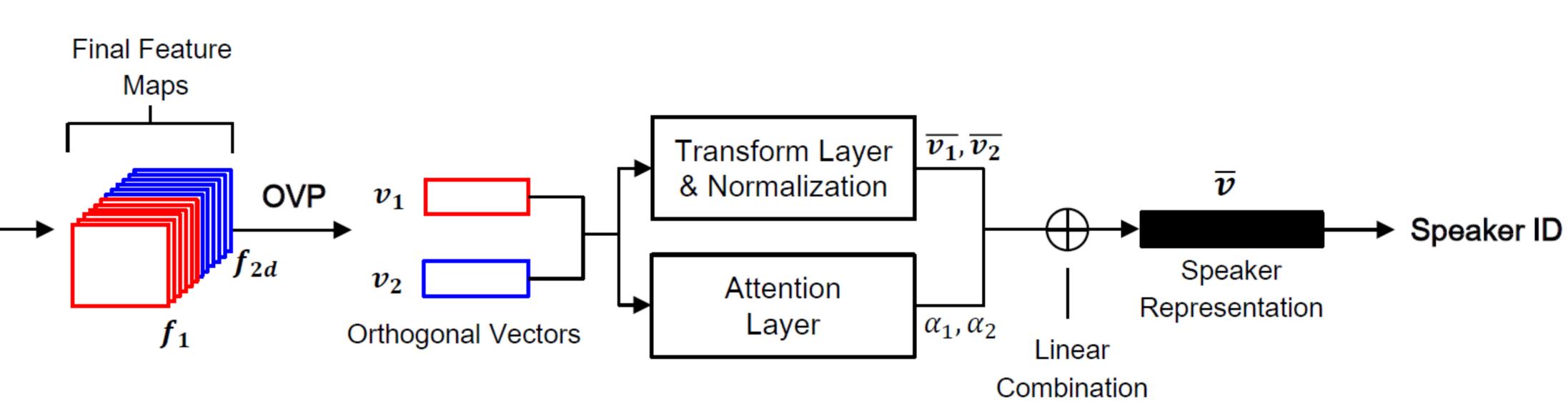
$$\bar{\boldsymbol{v}} = \alpha_1 \bar{\boldsymbol{v}_1} + \alpha_2 \bar{\boldsymbol{v}_2}$$

The entire network can be learned using the following loss.

 $L_{total} = L_{softmax} + \lambda L_{orthogonal}$ 

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 $\operatorname{sp}(\boldsymbol{w_s}\cdot \boldsymbol{v^n}+b)$  $\exp(\boldsymbol{w_{spk}}\cdot\boldsymbol{\bar{v^n}}+b)$ 

## **Experimental Result**

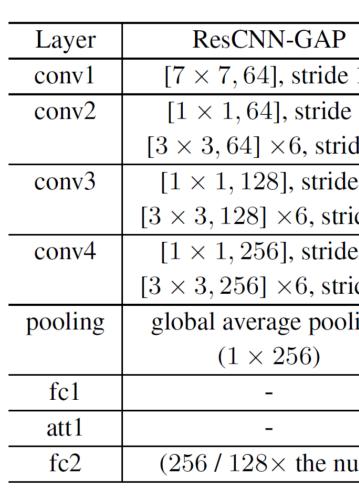


Table 1. Network Architectures

#### Conclusions

- and independent tasks.

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Input : logfbank features (input feature map : 64 x 100, 64 x 300) Text-dependent task : In-house dataset ("Hi, bixby") Text-independent task : VoxCeleb dataset

)	OrthResCNN-OVP (Ours)	Network	Clean Condition	Real Condition
e 1	$[7 \times 7, 64]$ , stride 1	d-vector [6]	4.94	19.52
e 2	$[1 \times 1, 64]$ , stride 2	x-vector [12]	1.51 1.52	6.07
ide 1	$[3 \times 3, 64] \times 6$ , stride 1			
le 2	$[1 \times 1, 128]$ , stride 2	<b>ResCNN-FCN</b>	1.42	5.14
ride 1	$[3 \times 3, 128] \times 6$ , stride 1	ResCNN-GAP	1.40	3.32
le 2	$[1 \times 1, 256]$ , stride 2	OrthResCNN-OVP	0.81	1.67
ride 1	$[3 \times 3, 256] \times 6$ , stride 1			
oling	orthogonal vector pooling	Table 2. EER (%) on text-dependent task		
	$(1 \times 128, 2)$ , orth. loss			
	$(128 \times 128, 2)$	Network		
	$(128 \times 1, 2)$			
umber of speakers), softmax loss		x-vector	8.48	

**ResCNN-GAP** 

OrthResCNN-OVP

 $(256 / 128 \times$  the number of speakers), softmax loss

5.39

2.85

The proposed approach outperforms the baseline systems and yields a relative EER reduction of 50-70% for text-dependent

The better performance can be achieved when we apply our method to CNN architectures.

This method can be extended to more than two latent vectors. Our method can be applied to other applications, such as face verification, image classification, and sound classification.

Table 3. EER (%) on text-independent task