

Domain-agnostic Video Prediction from Motion Selective Kernels

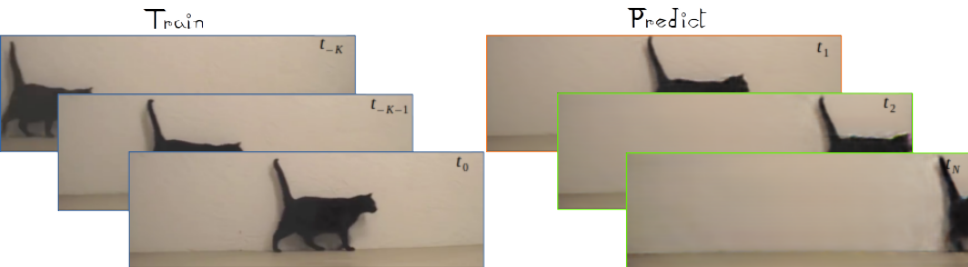
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Future frames prediction from a single clip



 Past frames

 Conditioning frames


 Future frames

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Introduction & Related Work

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Challenges

- ▶ For a given past (observation), there are multiple plausible futures
- ▶ Very diverse motion domains
- ▶ Hallucination of complex disclosed background

Related work (1)

- Early parametric and non-parametric models for picture animation, e.g.,

[Chuang & al. , 2005]

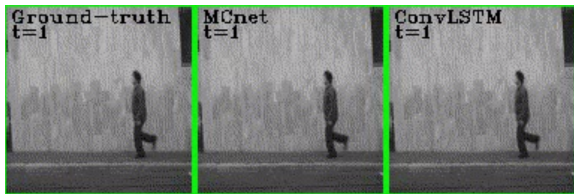


[Schodl & al. , 2000]

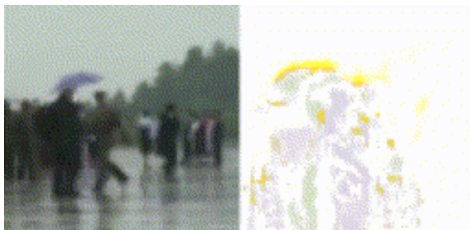


Related work (2)

- Conditional video prediction from large scale training, e.g.,



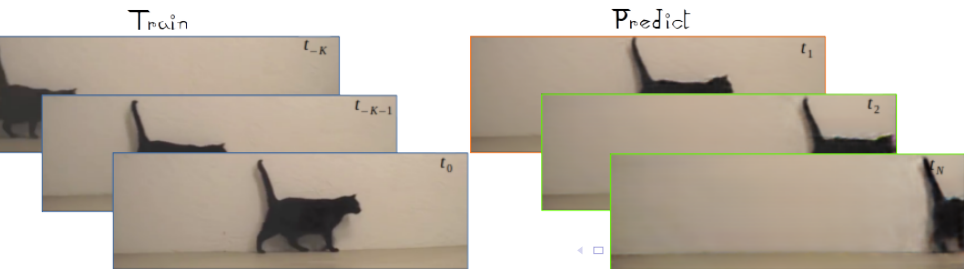
[Villegas & al. 2017]



[Vondrick and Torralba, 2017]

Focus of this work

- Domain-agnostic & data-specific predictive model
 - Repetitive dynamic scene 'in-the-wild'
 - Learn from small sample set (20-50 frames)
 - Mid-range prediction (20-30 frames)
 - Model interpretability
- Application
 - Extend/extrapolate the content of a single video clip



Introduction & Related Work

Method

Results

Method: Motion representation

$$\begin{aligned}\mathcal{T}_\zeta : \mathbf{x}_{t-\delta:t} &\mapsto \tilde{\mathbf{x}}_{t+1} = G_{\Theta, S_\Psi(t)}(\mathbf{x}_{t-\delta:t}) \\ &= G_\Theta(\mathbf{x}_{t-\delta:t}; S_\Psi(\mathbf{x}_{t-\delta:t})).\end{aligned}$$

1. $G_\Theta(\mathbf{x}_{t-\delta:t})$: transformation model
2. $S_\Psi(\mathbf{x}_{t-\delta:t})$: selector model

Method: Motion representation

Encoder at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{N-1} \mathcal{Y}_n^{l-1} * W_{n,n'}^l \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$

Method: Motion representation

Encoder at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{N-1} \mathcal{Y}_n^{l-1} * W_{n,n'}^l \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$

(Classical) decoder with skip-connection at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{2N-1} [\mathcal{Y}^{L-l}; \mathcal{Y}^{l-1}]_n * W_{n,n'}^l \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$

Method: Motion representation

Encoder at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{N-1} \mathcal{Y}_n^{l-1} * W_{n,n'}^l \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$

Decoder with input-dependent activations at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{2N-1} [\mathcal{Y}^{L-l}; \alpha^{l-1}(\tau) \mathcal{Y}^{l-1}]_n * W_{n,n'}^l, \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$
$$\{\alpha_n^l(\tau)\}_n^l \leftarrow S_{\Psi}(\mathbf{x}_{t-\delta:t})$$

Method: Motion representation

Encoder at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{N-1} \mathcal{Y}_n^{l-1} * W_{n,n'}^l \quad \mathcal{Y}_{n'}^l = \rho_l(\mathcal{Z}_{n'}^l)$$

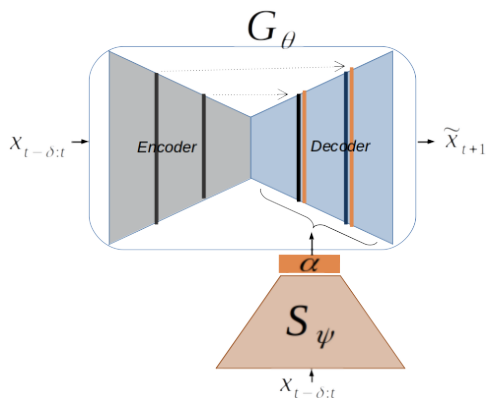
Decoder with input-dependent activations at layer l :

$$\mathcal{Z}_{n'}^l = \sum_{n=0}^{N-1} \mathcal{Y}^{L-l} * W_{n,n'}^l + \sum_{n=N}^{2N-1} \mathcal{Y}_n^{l-1} * (\alpha_n^{l-1}(\tau) W_{n,n'}^l)$$

$\{\alpha_n^{l-1}(\tau)\} \leftarrow \mathcal{S}_\Psi(\mathbf{x}_{t-\delta:t})$

Method: Motion representation

Encoder-Decoder with skip-connections and selector:



Method: Recap

$$\mathcal{Z}_{n'}^0 = \sum_{t'=t-\delta}^t \mathbf{x}_{t'} * W_{t',n'}^0 \quad \mathcal{Y}_{n'}^0 = \rho_0(\mathcal{Z}_{n'}^0)$$

$$\mathcal{Z}_{n'}^L = \sum_{n=0}^{2N-1} [\mathcal{Y}^0; \alpha^L(\tau) \mathcal{Y}^{L-1}]_n * W_{n,n'}^L \quad \tilde{\mathbf{x}}_{t+1} = \rho_L(\mathcal{Z}^L)$$

$$\begin{aligned} \mathcal{Z}_{n'}^l &= \sum_{n=0}^{2N-1} [\mathcal{Y}^{L-l}; \alpha^{l-1}(\tau) \mathcal{Y}^{l-1}]_n * W_{n,n'}^l \\ &= (\mathcal{Z}_{n'}^l)^b + (\mathcal{Z}_{n'}^l)^f \end{aligned}$$

Learning

Reconstruction + motion loss

$$\begin{aligned} \ell_{L_1}(t) &= \|\tilde{\mathbf{x}}_{t+1} - \mathbf{x}_{t+1}\|_1 \\ \ell_{motion}(t) &= \left| \|\nabla_t \tilde{\mathbf{x}}_{t+1}\| - \|\nabla_t \mathbf{x}_{t+1}\| \right| \end{aligned}$$

Total loss

$$\begin{aligned} E(\zeta) &= \sum_{t=t'}^{t'+K} (\ell_{L_1}(t) + \mu_{motion} \mathbb{1}_{t>t'} \ell_{motion}(t)) \\ \zeta^* &= \arg \min_{\zeta} E(\zeta) \end{aligned}$$

Introduction & Related Work

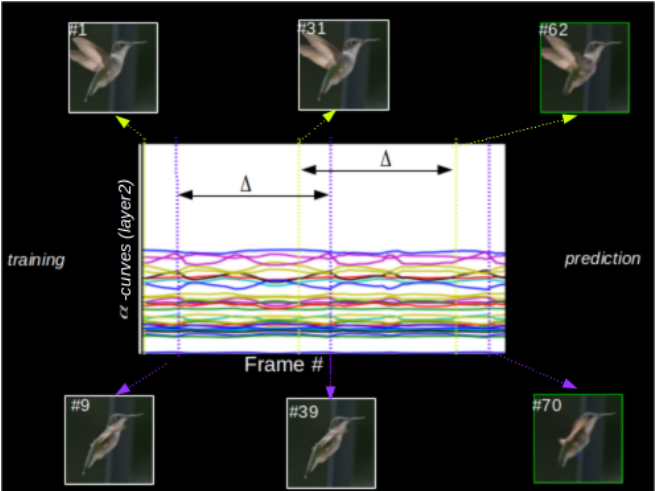
Method

Results

Baselines

- B1** *Baseline-1*. Encoder-encoder. The sole transformation model $G_{\theta}()$ is trained, the selection model is inactive; we set $\mu_{motion} = 0$.
- M1** *DN w/o motion loss*. Our dual net model — $G_{\theta}()$ and $S()_{\phi}$ are trained jointly; we set $\mu_{motion} = 0$.
- M2** *FDN*. Our dual net model, trained with motion loss. We set $\mu_{motion} = 10$, unless specified otherwise.

Bird sequence



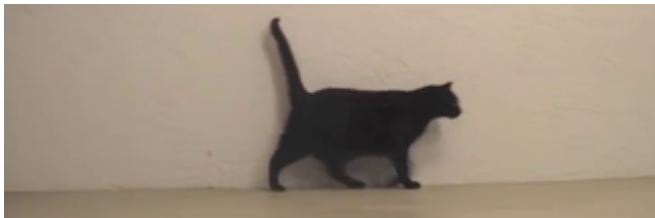
Garden sequence - Foreground/background separation



Results and comparison

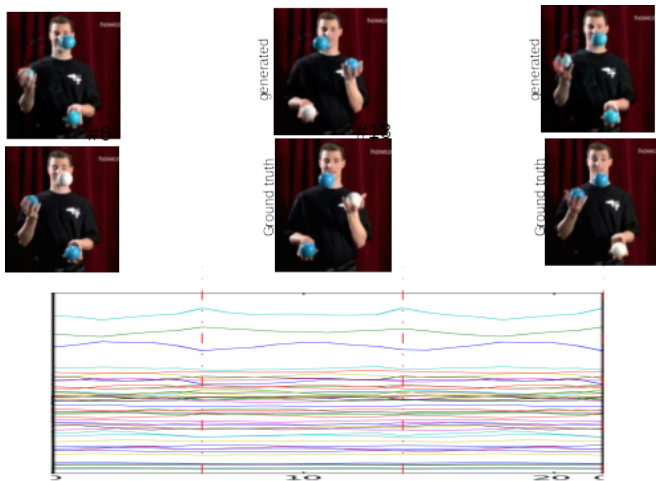
Cat sequence

- ▶ *Protocole: trained on 32 frames, prediction on 30 frames. Context of three frames. Frame size: 105×320 .*

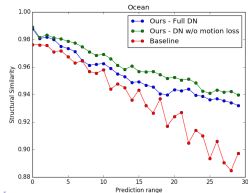
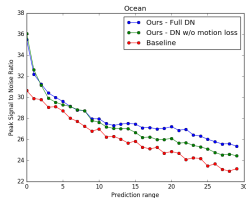
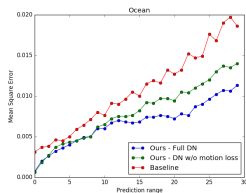
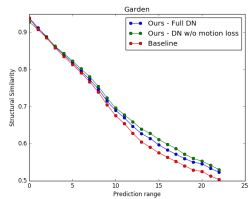
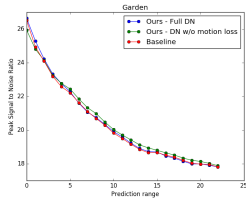
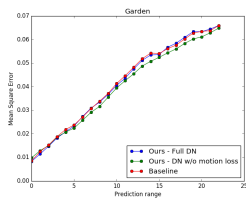
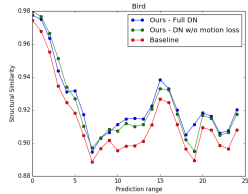
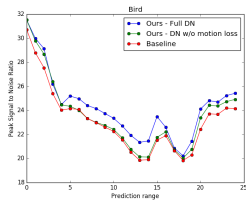
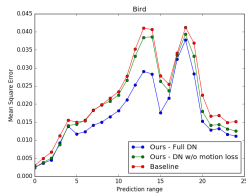


Results and comparison

Juggler sequence



Quantitative results



Thank you for your attention.