

Summary

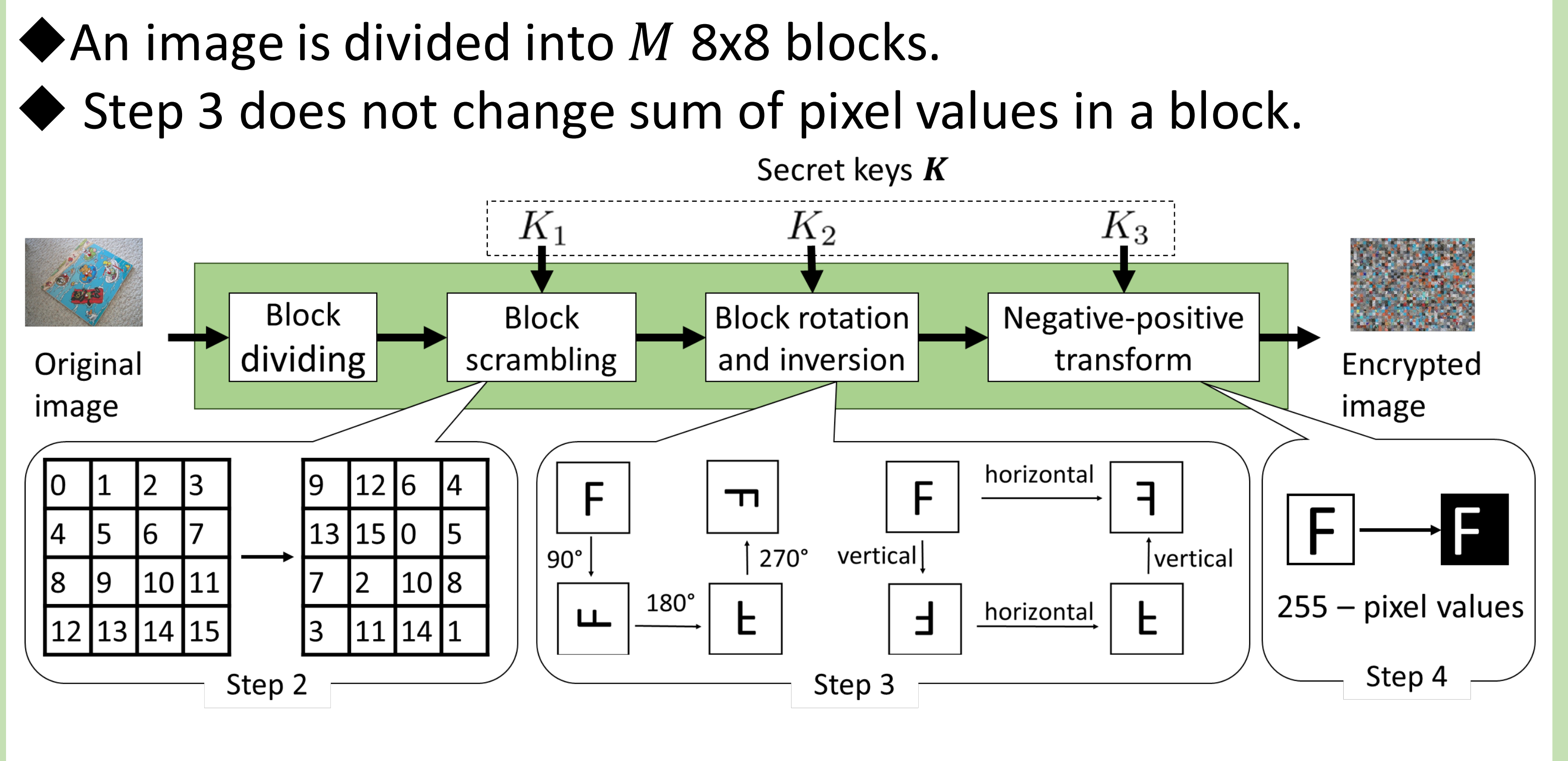
- ◆ The proposed scheme aims to **identify encrypted JPEG images** generated from the same original image, even if encrypted JPEG images are **recompressed and re-encrypted by different keys**.
- ◆ Image encryption is carried out **by extending a block-scrambling method** for Encryption-then-Compression (EtC) systems, and feature vector is designed for the identification of images encrypted by the extended method.

Background

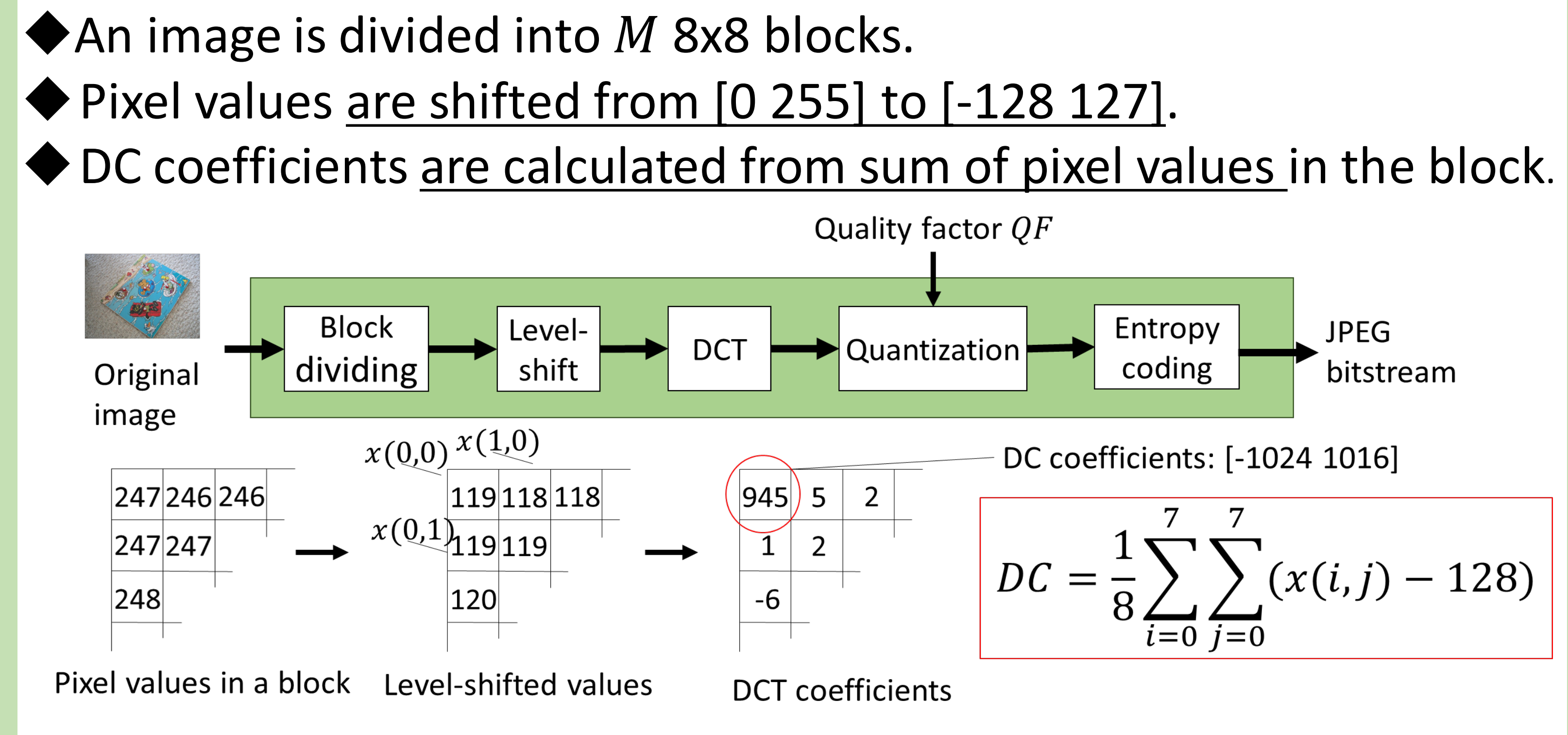
- ◆ Photo sharing via various services such as SNS has greatly increased.
 - It is not guaranteed that the service provider (third party) is trusted.
 - Third party manipulates uploaded JPEG images.(ex. recompression and editing header).
 ⇒ Privacy-preserving photo sharing needs to satisfy requirements:
 - 1) Protection of visual information
 - 2) Tolerance for recompression after encryption
 - 3) Identification of encrypted images
- ◆ Almost methods do not satisfy requirement 2).
 - ⇔ EtC systems[1] satisfy requirements 1) and 2), although requirement 3) is not considered.
 - ⇒ Proposed scheme aims to identify JPEG images encrypted by a block-scrambling method, which is used in EtC system and robustness against ciphertext-only attack [1].

Our goal:
All requirements are satisfied

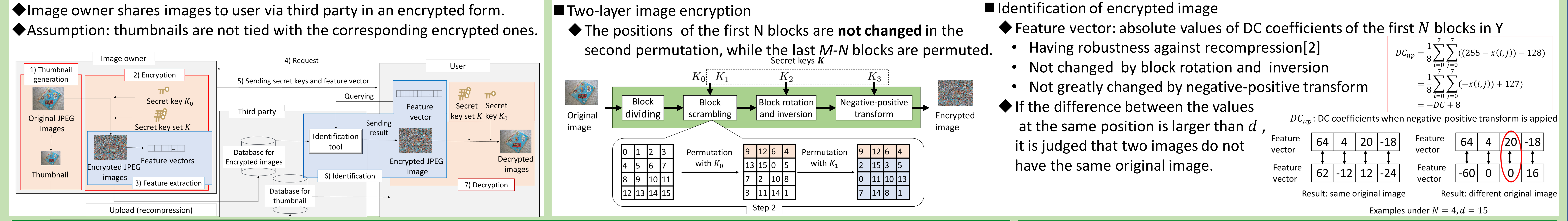
Block-scrambling-based image encryption



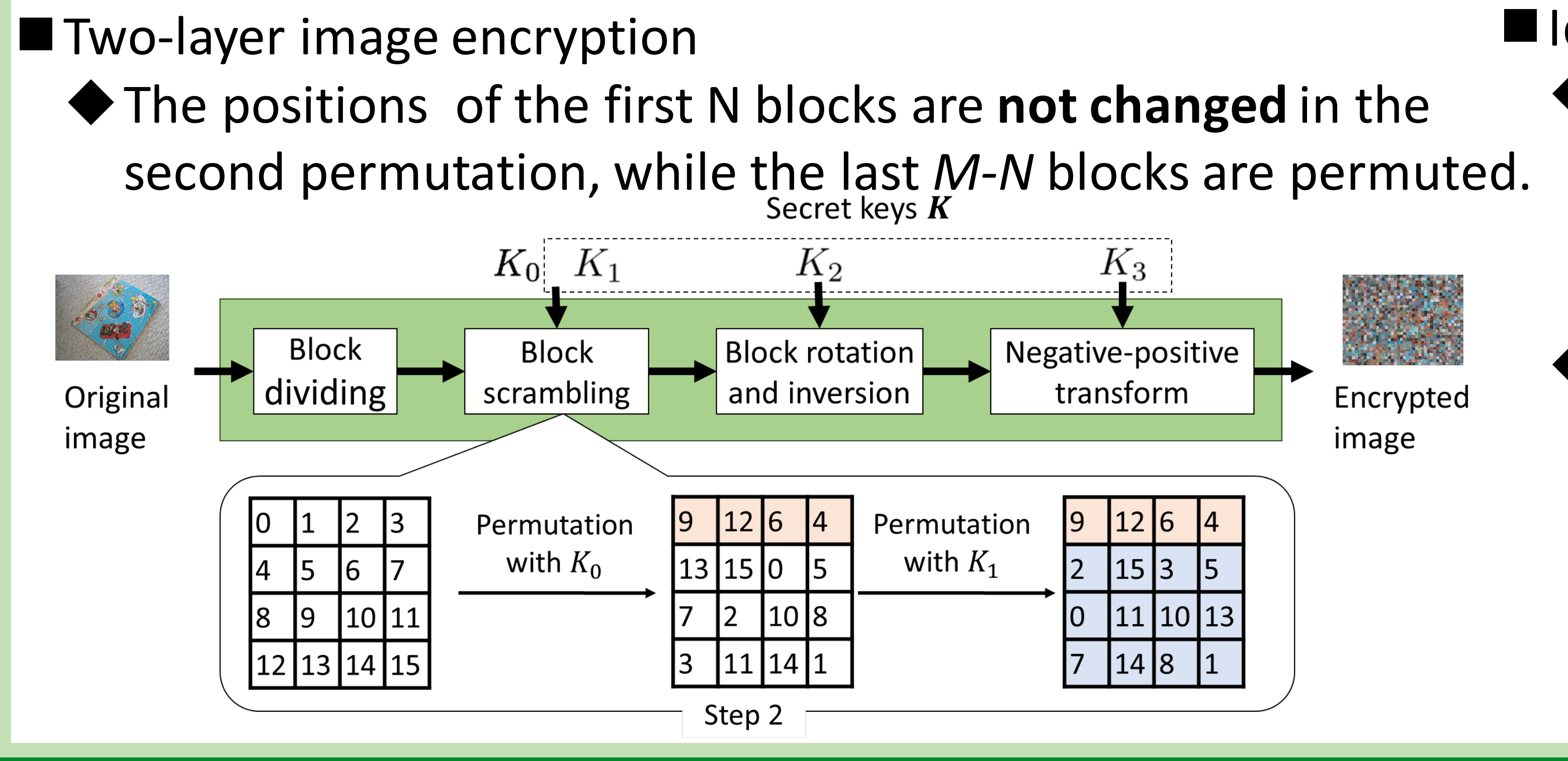
JPEG compression



Scenario



Proposed Scheme



- ◆ Identification of encrypted image
 - ◆ Feature vector: absolute values of DC coefficients of the first N blocks in Y
 - Having robustness against recompression[2]
 - Not changed by block rotation and inversion
 - Not greatly changed by negative-positive transform
 - ◆ If the difference between the values at the same position is larger than d , it is judged that two images do not have the same original image.
- $$DC_{np} = \frac{1}{8} \sum_{i=0}^7 \sum_{j=0}^7 ((255 - x(i, j)) - 128)$$
- $$= \frac{1}{8} \sum_{i=0}^7 \sum_{j=0}^7 (-x(i, j) + 127)$$
- $$= -DC + 8$$
- Examples under $N = 4, d = 15$
- | | | | | |
|----------------|--------------------------|-----|----|-----|
| Feature vector | 64 | 4 | 20 | -18 |
| Feature vector | 62 | -12 | 12 | -24 |
| Result: | same original image | | | |
| Feature vector | 64 | 4 | 20 | -18 |
| Feature vector | -60 | 0 | 0 | 16 |
| Result: | different original image | | | |

Simulation

- ◆ Condition
 - ◆ Dataset: 500 images in UKbench (size 640x480)
 - ◆ 500x2000 identification processes between $E_i^{(1,k,k_0)}$ and $E_i^{(2,k,k_0)}$ and 500x2000 identification processes between $E_i^{(1,k,k_0)}$ and $E_i^{(2,k',k_0)}$ are performed under each condition.
 - ◆ $d = 150$ and $N = 480$ are used. (these are determined in pre-experiment)
- ◆ Results
 - ◆ Only the proposed scheme achieved **perfect identification performance**, even if K_1, K_2 and K_3 are different.

Condition	$QF_{O_i} =$	$QF_{E_i^{(1,k,k_0)}} = QF_{E_i^{(2,k,k_0)}} =$		$QF_{E_i^{(1,k',k_0)}} = QF_{E_i^{(2,k',k_0)}} =$	
		(1)	(2)	(1)	(2)
(1)	95	95	85, 80, 75, 70		
(2)	85	85			
(3)	75	75			

Scheme	Condition	$k = k'$		$k \neq k'$	
		Precision[%]	Recall[%]	Precision[%]	Recall[%]
Proposed (d=150)	(1)	100	100	100	100
	(2)	100	100	100	100
	(3)	100	100	100	100
DC sign	(1)	100	100	0	0
	(2)	100	100	0	0
	(3)	100	100	0	0
Sparse coding	(1)	99.95	100	3.45	3.45
	(2)	100	100	3.25	3.25
	(3)	100	100	3.6	3.6
Quaternion	(1)	100	100	0.09	0.15
	(2)	100	100	0.33	0.55
	(3)	100	100	0.06	0.1
ITQ	(1)	100	100	0.31	0.5
	(2)	100	100	0.24	0.4
	(3)	100	100	0.56	0.95

Conclusion

- ◆ Two-layer block scrambling is performed in the encoding process.
- ◆ Feature vector designed to have robustness against the encryption and recompression is extracted from DC coefficients.
- ◆ The use of them allow us to identify encrypted JPEG images, even if these images are **recompressed and re-encrypted by different keys**.

References

- [1]K. Kurihara et al., "An encryption-then-compression system for jpeg/motion jpeg standard," IEICE Trans. Fundamentals., 2015.
- [2]K. Iida et al., "Robust Image Identification for Double-Compressed and Resized JPEG Images," in Proc. APSIPA ASC, 2018.
- [3]Y. Li et al., "Robust image hashing based on low-rank and sparse decomposition," in Proc. IEEE ICASSP, 2016.
- [4]Y. Li et al., "Robust image hashing based on selective quaternion invariance," IEEE Signal Processing Letters, 2015.
- [5]Y. Gong et al., "Iterative quantization: A procrustean approach to learning binary codes for large-scale image retrieval," IEEE Trans. PAMI, 2013.