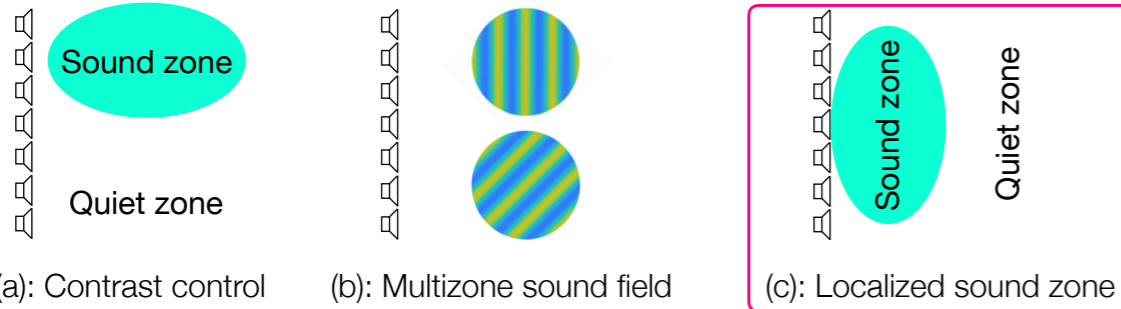


3D localized sound zone generation with a planar omni-directional loudspeaker array

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1. Introduction

Generating personalized sound zones with loudspeakers



Conventional methods of localized sound zone generation

- Evanescent wave production (H. Itou et al., WASPAA 2011, ICASSP 2012)
- Circular and linear array combination (T. Okamoto, ICASSP 2015, JIHMSp 2017)
 - ✱ Problem: Higher order modal control and many loudspeakers are required
- Dimension mismatch between a linear array and a point source (JIHMSp 2017)
 - ✱ Problem: Undesired sound pressures are propagated to elevation angles

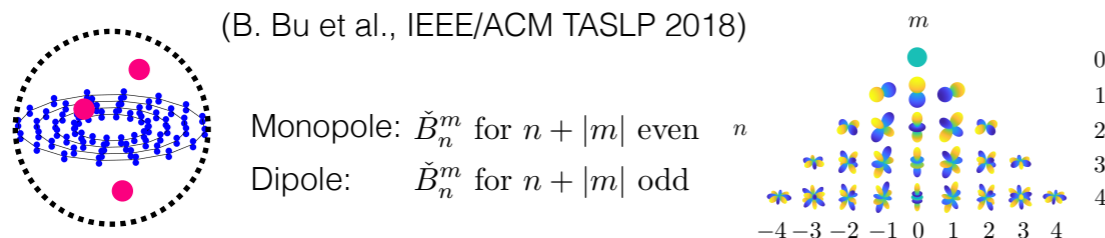
Proposal: 3D localized sound zone generation with a planar loudspeaker array

- Sound pressures produced by a loudspeaker are cancelled by using multiple co-centered circular arrays
 - ✱ Only controlling 0-th order spherical harmonic component \check{B}_0^0
 - ✱ Omni-directional loudspeakers are sufficient instead of monopole pairs
 - ✱ Implemented with fewer loudspeakers than other methods

2. 3D sound field control with a planar array

Active noise control with a planar first-order loudspeaker array

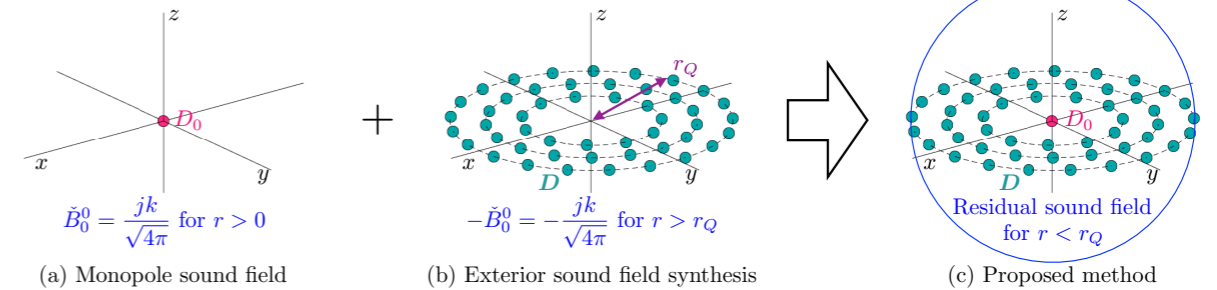
- Sound pressures propagated from noise sources are cancelled by using multiple co-centered circular arrays (-> This is also 3D localized sound zone generation)
 - ✱ Vertical monopole pairs are required for controlling 3D sound field



Strategy of proposed method

- Noise sources are located on horizontal plane: \check{B}_n^m has only $n + |m|$ components
 - ✱ Omni-directional loudspeakers are sufficient (T. Okamoto, ICASSP 2019)

3. Proposed method



3D sound field control with multiple co-centered omni-directional circular arrays

- Spherical harmonic expansion of 3D exterior sound field

$$S(r, \theta, \phi) = \sum_{n=0}^{\infty} \sum_{m=-n}^n \check{B}_n^m h_n(kr) Y_n^m(\theta, \phi)$$

- Sound field produced by circular arrays

$$S_1(r, \theta, \phi) = \sum_{q=1}^Q \int_0^{2\pi} D(r_q, \phi_0) G(\mathbf{r}, \mathbf{r}_q) |_{\theta_0=0} d\phi_0 = \sum_{n=0}^{\infty} \sum_{m=-n}^n 2\pi jk \sum_{q=1}^Q \check{D}_{m,q} \mathcal{P}_n^{|m|}(0) j_n(kr_q) h_n(kr) Y_n^m(\theta, \phi)$$

- Driving signals of circular arrays

$$\check{B}_n^m + 2\pi jk \sum_{q=1}^Q \check{D}_{m,q} j_n(kr_q) \mathcal{P}_n^{|m|}(0) = 0 \quad \check{D}_m^{\text{even}} = \frac{1}{2\pi jk} \left(\mathbf{U}_{|m|}^T \mathbf{U}_{|m|} \right)^{-1} \mathbf{U}_{|m|}^T \check{B}_m^{\text{even}}$$

(Complex number)

Proposed method

- Sound field produced by a center loudspeaker

$$S_0(r, \theta, \phi) = D_0 G(\mathbf{r}, r_0 = 0) = D_0 \sum_{n=0}^0 \sum_{m=-n}^n \frac{jk}{\sqrt{4\pi}} h_n(kr) Y_n^m(\theta, \phi) = D_0 \frac{e^{jkr}}{4\pi r}$$

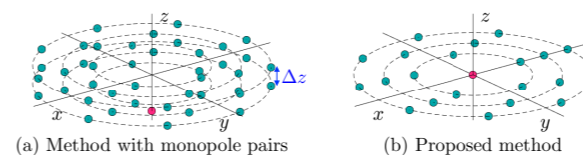
- Driving signals of circular arrays

$$\check{B}_0^{\text{even}} = - \left[\frac{jk}{\sqrt{4\pi}}, 0, \dots, 0 \right]^T \quad \mathbf{J}_0 = [j_0(kr_1), j_0(kr_2), \dots, j_0(kr_Q)]^T \quad \check{D}_0 = \mathbf{D} = - \frac{1}{8\pi^2} \left(\mathbf{U}_0^T \mathbf{U}_0 \right)^{-1} \mathbf{J}_0$$

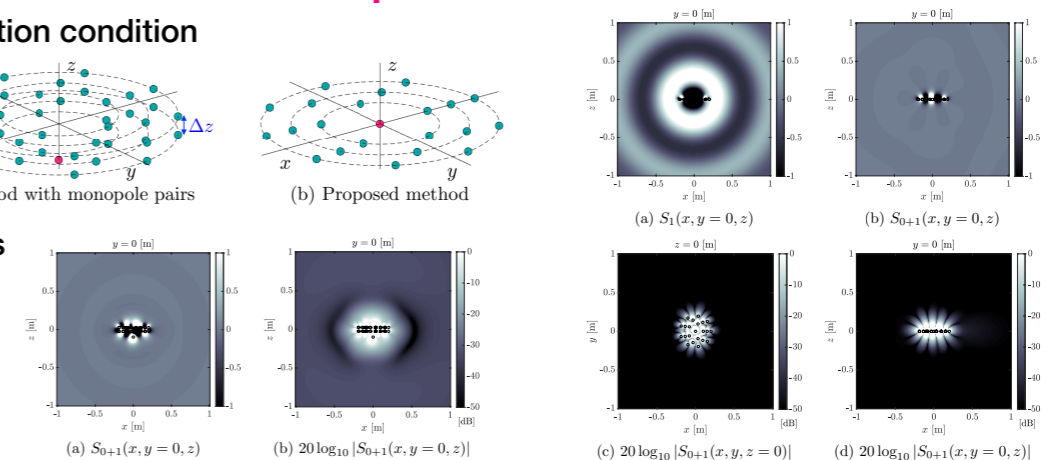
(Real number)

4. Computer simulations

Simulation condition



Results



Monopole pairs (43 ch)

Proposed (22 ch)