

# CLCNet: Deep learning-based noise reduction for hearing aids using Complex Linear Coding

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## Motivation: Aging society

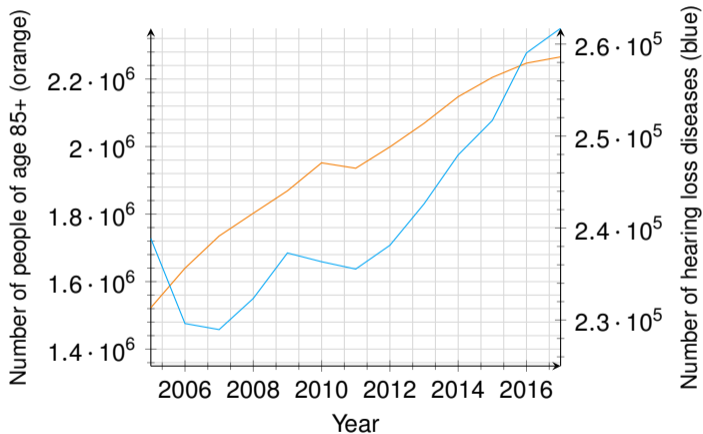


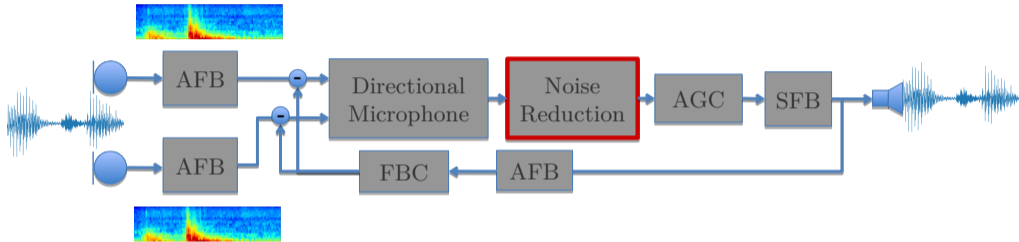
Figure: Correlation between hearing loss diseases and an aging society. [2]

## Modern Hearing Aids



Figure: signia hearing aid [3]

## Hearing Aid Pipeline



AFB: Analysis Filterbank

SFB: Synthesis Filterbank

AGC: Automatic Gain Control

FBC: Feedback Canceller

Figure: Typical hearing aid pipeline. [4]

## Modern Hearing Aids

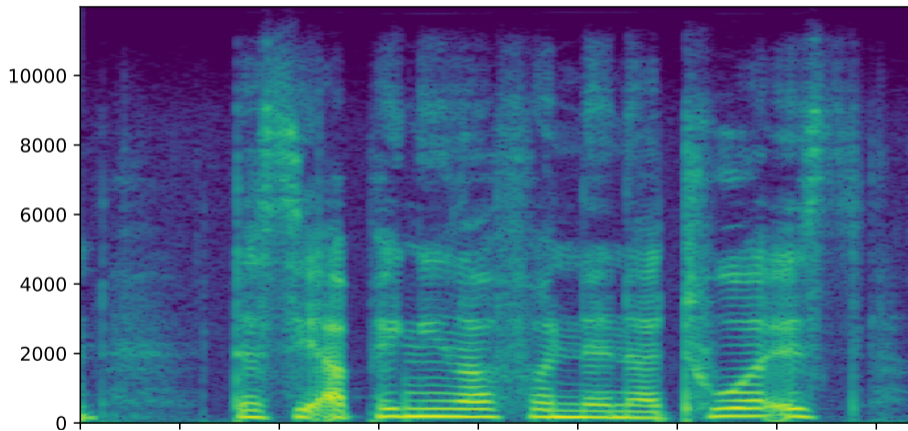
### Hearing aid constraints:

- On-line processing: Only limited temporal context in the future
- Limited frequency resolution (about 1kHz band width)
- (Limited computational power and power consumption)

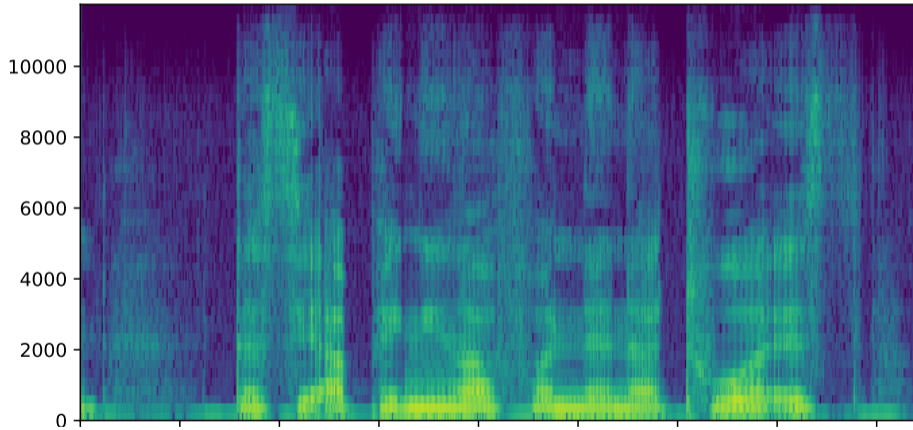


Figure: signia hearing aid [3]

## Narrowband power spectrogram of clean speech



## Broadband filter bank representation



# State of the art





## Wiener Filter

Aubreville et al. [5] used DNN based Wiener Gain estimation.

The Wiener filter is defined as

$$\hat{y}_g[k] = g[k] * x[k]$$

where  $\hat{y}_g$  is the predicted signal,  $g$  the Wiener filter and  $x$  the noisy signal.  $*$  denotes the convolution operator.

In the frequency domain this can be expressed as

$$\hat{S}_{XY}[v] = G[v] \cdot S_{XX}[v] .$$

## Wiener Filter

The ideal Wiener gains  $G$  can be estimated given the PSD  $S_{xx}$  of the noisy signal and the PSD  $S_{xy}$

$$G[v] = \frac{S_{yy}[v]}{S_{xx}[v]} .$$

This assumes uncorrelated signals  $S_{xy} = 0$  i.e. the additive noise model

$$S_{xx} = S_{nn} + S_{yy} .$$

## Wiener Filter

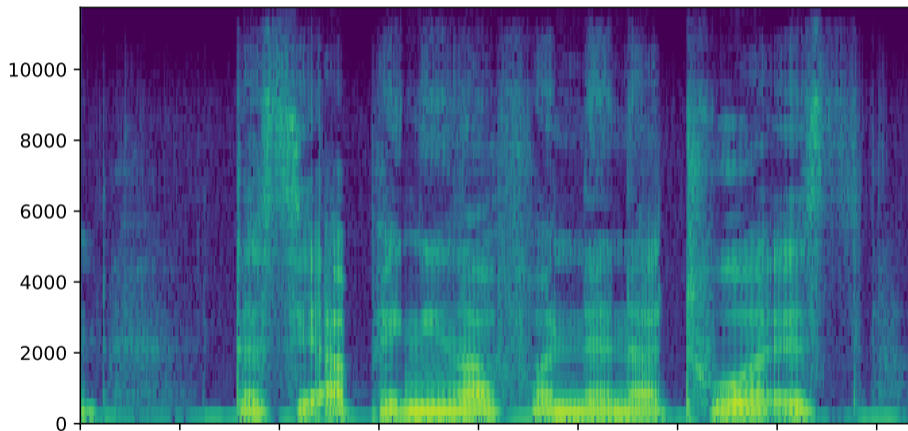


Figure: Filter bank representation of the clean speech

## Wiener Filter

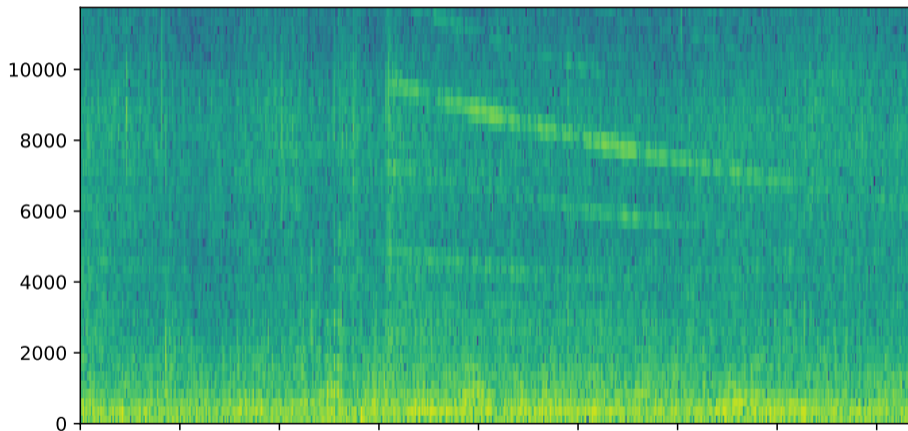
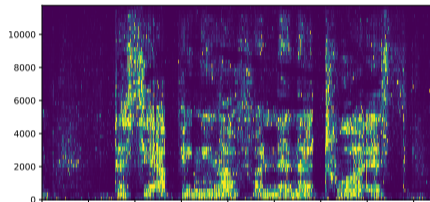
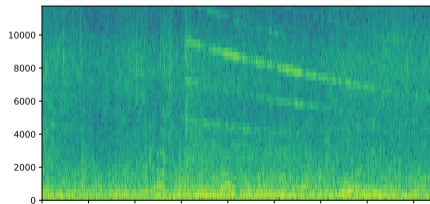


Figure: Filter bank representation of a noisy mixture

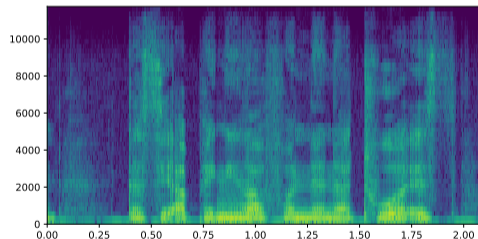
$$\text{Wiener Filter: } \hat{S}_{XY}[v] = G[v] \cdot S_{XX}[v]$$



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## Wiener Filter

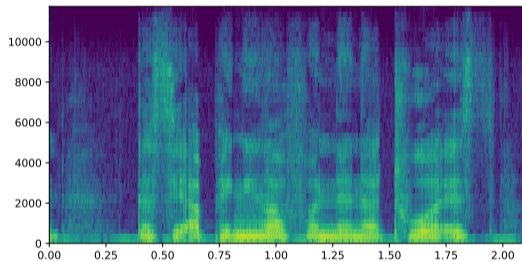


Figure: Original clean speech filter bank representation

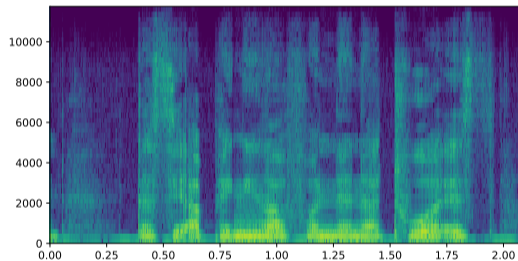


Figure: Enhanced noisy filter bank representation

## Wiener Filter

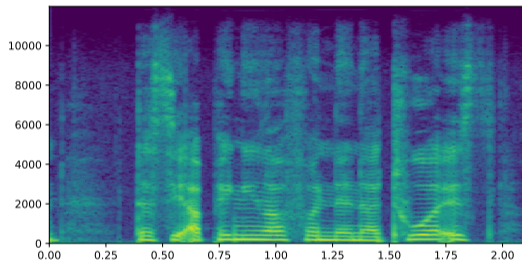


Figure: Original clean speech high resolution spectrogram

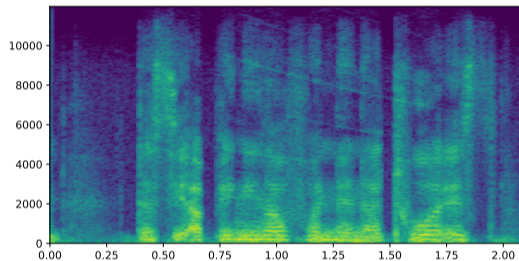


Figure: Enhanced noisy filter high resolution spectrogram

## Linear Predictive Coding

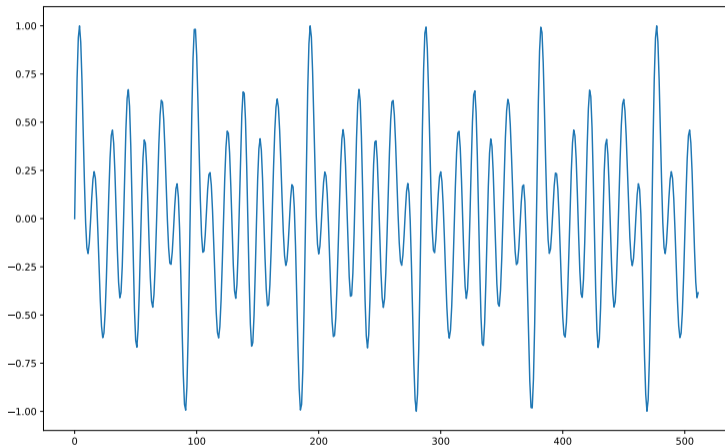


Figure: Synthesised *Bb3*



## Linear Predictive Coding

Linear predictive coding (LPC) predicts the next time step  $k$  using a linear combination of the LPC coefficients  $a$  and the previous frames up to  $k - 1$ .

$$\hat{x}_k = \sum_{i=1}^N a_i x_{k-i}, \quad (1)$$

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→ Closed-form solution for  $a_i$  via

- Autocorrelation of  $x_k$
- Solve system of linear equations using the Levinson-Durbin algorithm

## Linear Predictive Coding

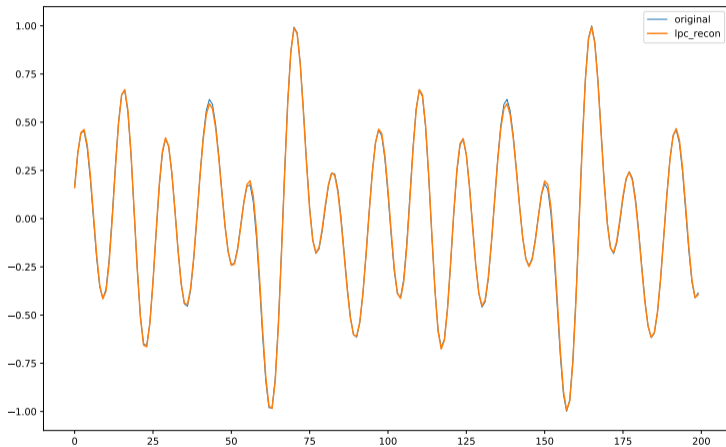


Figure: Reconstructed *Bb3*

# Linear Predictive Coding

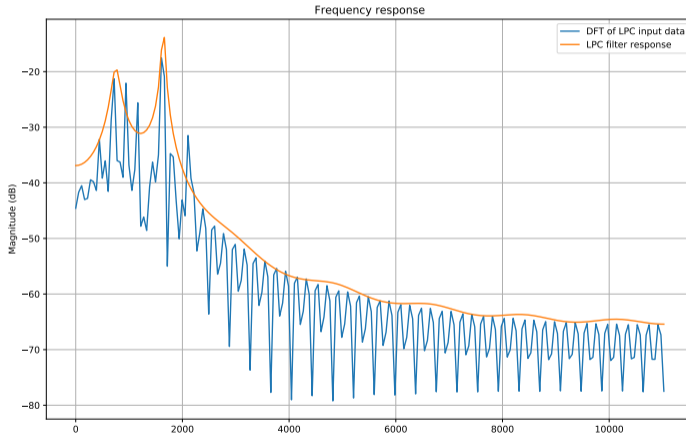


Figure: Frequency response of the LPC filter

## Complex Spectrogram

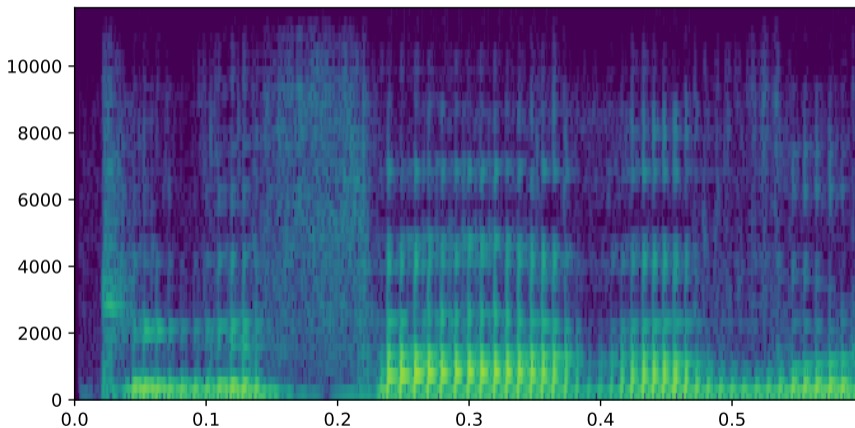
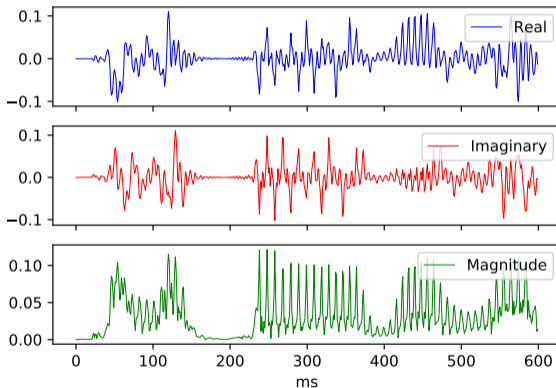


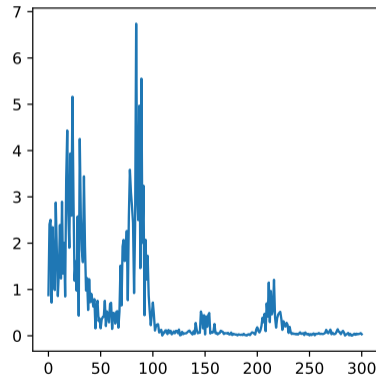
Figure: Filter bank representation.

# Spectral Component

## 2nd spectral component



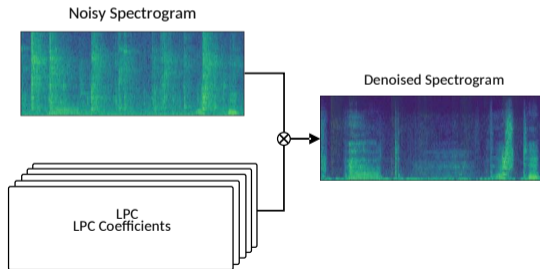
## Frequency spectrum



## Linear Predictive Coding

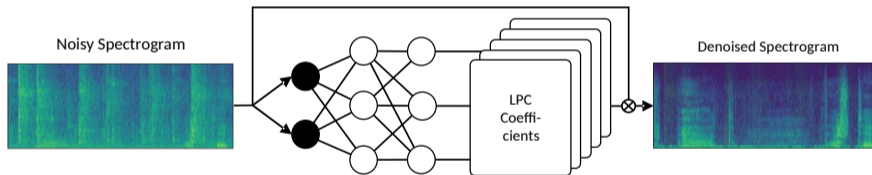
For each frequency bin  $f$  at position  $k$ , predict the next time step based on the  $N$  previous frames of a noisy spectrogram  $X$  via LPC.

$$\hat{\mathbf{S}}(k, f) = \sum_{i=0}^N \mathbf{A}(k, i, f) \cdot \mathbf{X}(k - i - 1, f), \quad (3)$$

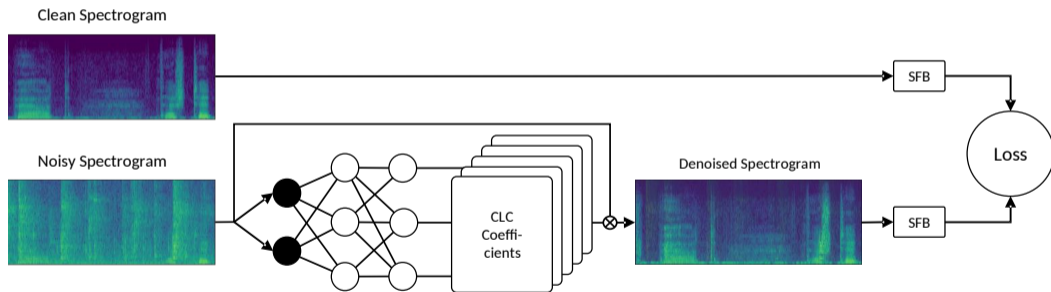




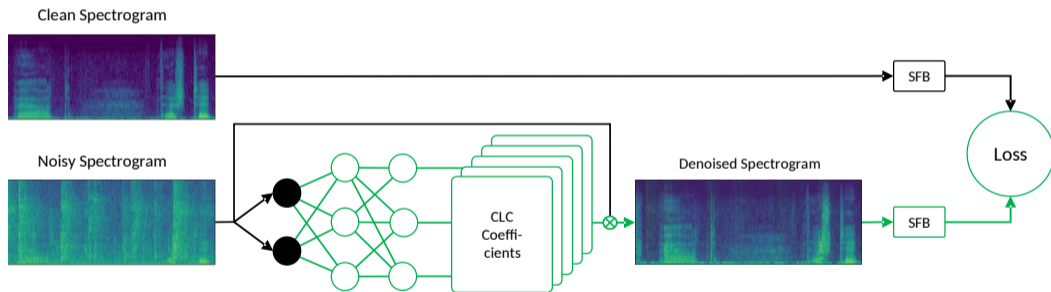
## Training objective



# CLCNet: Training



# CLCNet: Training



## CLCNet: Complex Linear Coding Network

Similar to LPC: CLC uses a complex valued linear combination to estimate a clean time-frequency bin.

$$\hat{\mathbf{S}}(k, f) = \sum_{i=0}^N \mathbf{A}(k, i, f) \cdot \mathbf{X}(k - i + l, f), \quad (4)$$

where,

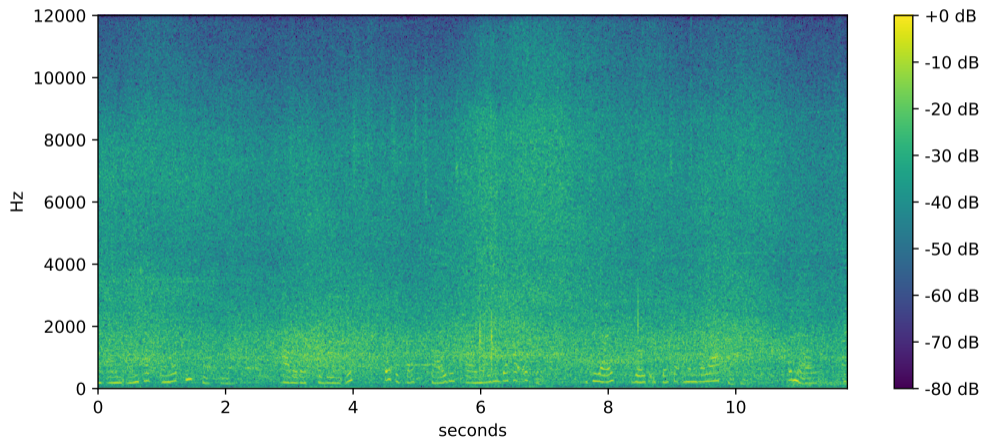
- $k$  is the time-index
- $f$  is the frequency-index
- $N$  is the order of the linear combination
- $\mathbf{A}(k, i, f)$  are the output coefficients with  $i = 0, \dots, N$
- $l$  is an offset

# Results



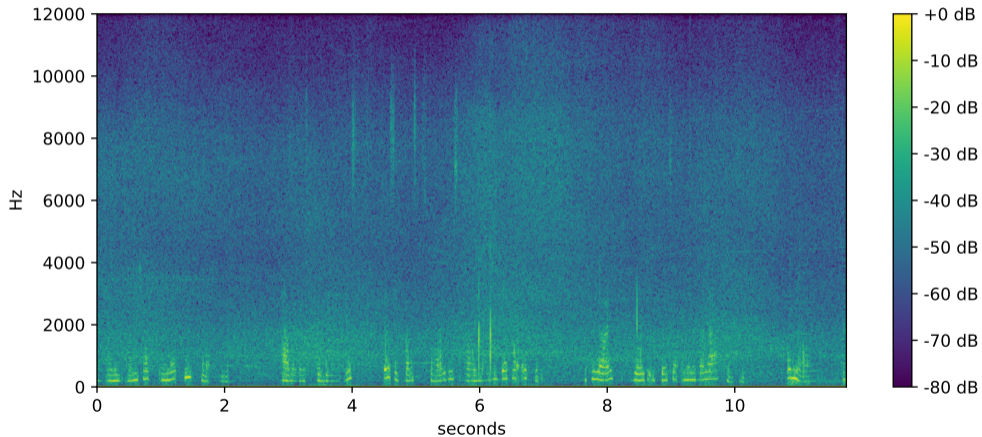
## Complex Linear Coding: Example

Noisy sample 1



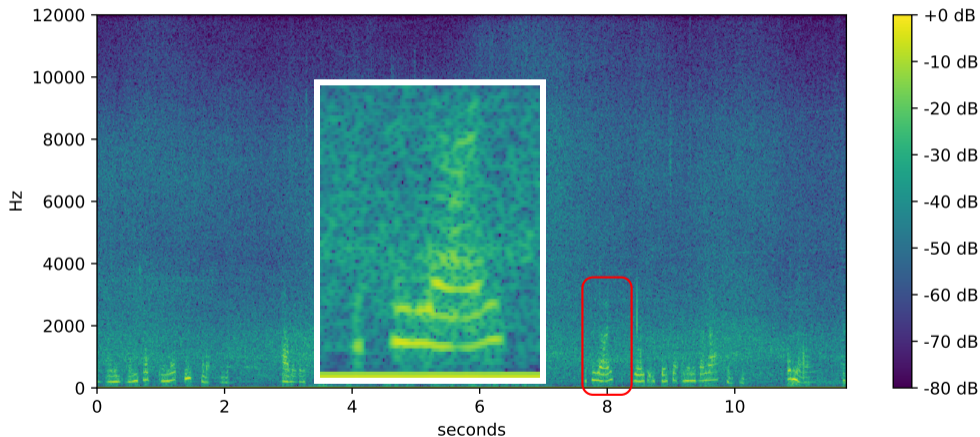
## Complex Linear Coding: Example

Denoised with Wiener gain estimation [5]



# Complex Linear Coding: Example

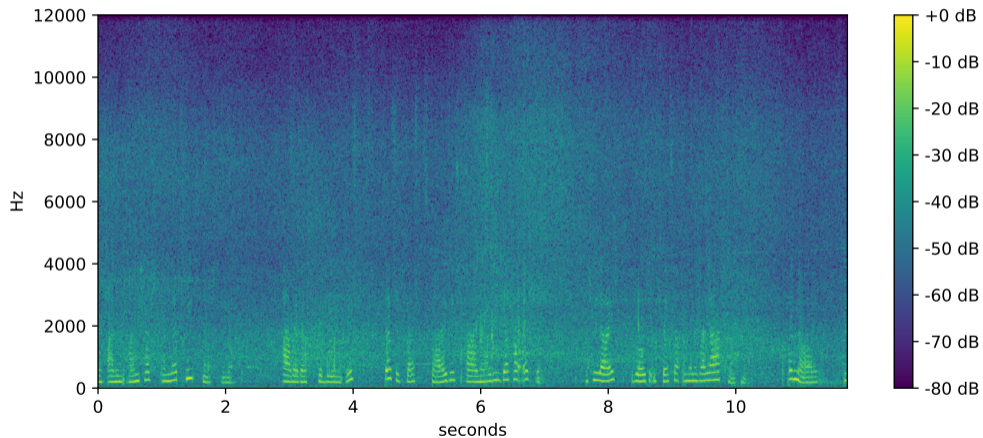
Denoised with Wiener gain estimation [5]





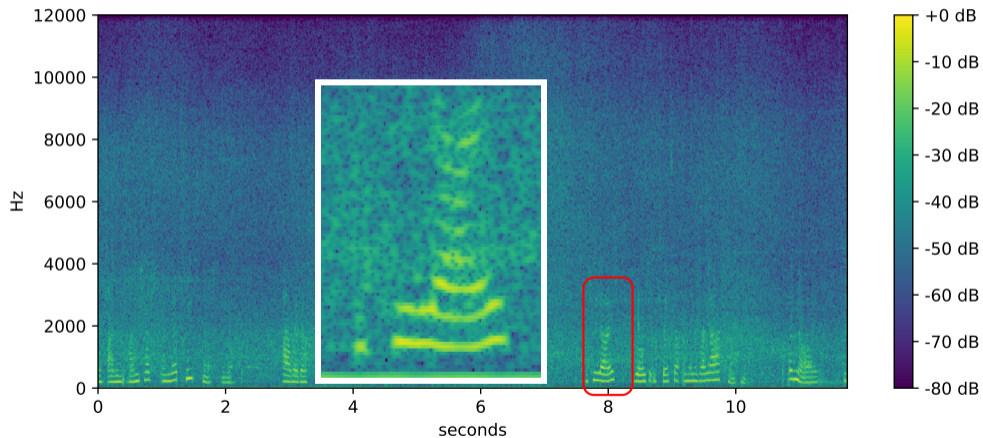
## Complex Linear Coding: Example

Denoised with CLC [1]



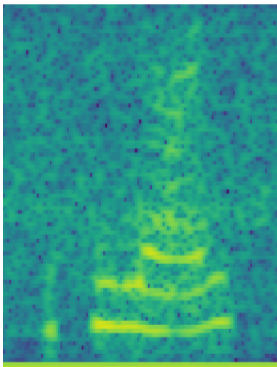
## Complex Linear Coding: Example

Denoised with CLC [1]

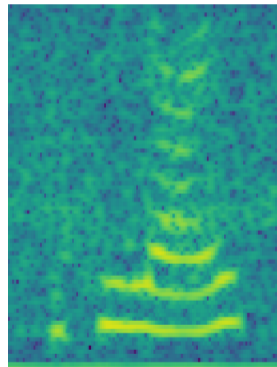


## Complex Linear Coding - Wiener gains comparison: Example

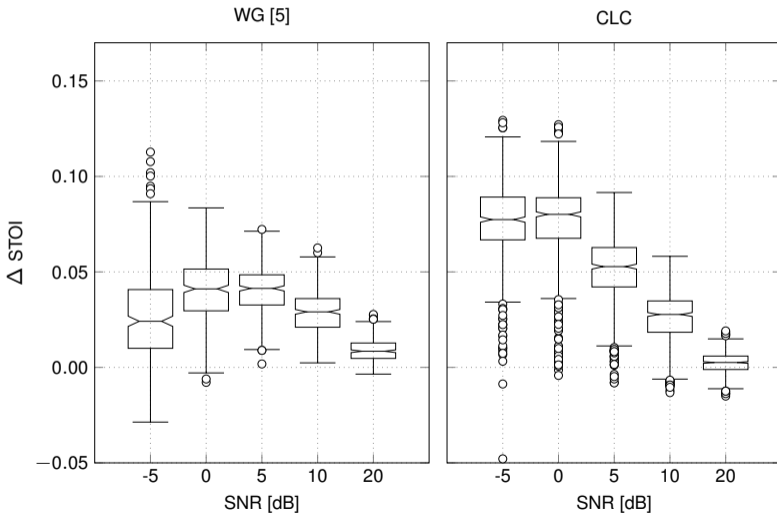
Wiener Gains



CLC



## $\Delta$ STOI metric comparison



## Conclusion

- Complex Linear Coding:  $\hat{\mathbf{S}}(k, f) = \sum_{i=0}^N \mathbf{A}(k, i, f) \cdot \mathbf{X}(k - i + l, f)$
- Indirectly estimate the phase
- Which makes it possible to remove noise between harmonics

## Thank you for your attention

More samples and preprint at



<https://rikorose.github.io/CLCNet-audio-samples.github.io/>

## References I

- <sup>1</sup>H. Schröter, T. Rosenkranz, A. Escalante B., M. Aubreville, and A. Maier, “CLCNet: Deep learning-based Noise Reduction for Hearing Aids using Complex Linear Coding”, *arXiv preprint arXiv:2001.10218* (2020).
- <sup>2</sup>Statistisches Bundesamt Deutschland, *Nebendiagnosen der vollstationären Patienten (Code 23141-0001)*, 2016.
- <sup>3</sup>Sivantos GmbH, *Signia Hearing aids*, (July 2019) <https://www.signia-hoergeraete.de/>.
- <sup>4</sup>Ehrensperger, Kai, “Deep Learning-based Noise Reduction for Hearing Instrument Applications”, MA thesis (Friedrich-Alexander University Erlangen-Nürnberg”, 2018).
- <sup>5</sup>M. Aubreville, K. Ehrensperger, A Maier, T. Rosenkranz, B. Graf, and H. Puder, “Deep denoising for hearing aid applications”, in 2018 16th international workshop on acoustic signal enhancement (iwaenc) (IEEE, 2018), pp. 361–365.