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EFFICIENT TECHNIQUES FOR IN-BAND SYSTEM INFORMATION BROADCAST IN MULTI-CELL MASSIVE MIMO

SPCOM-P3: MIMO and Multi-antenna Systems

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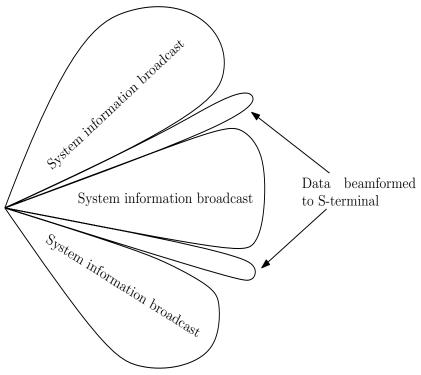
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Joint Beamforming and Broadcasting

- Traditional Broadcast of System Information (SI): Fraction of resource reserved i.e. orthogonal access (OA)
- Joint Beamforming and Broadcasting in Massive MIMO:
 - Beamforming of information to scheduled terminals (STs)
 - Simultaneous broadcast of SI to idle terminals (ITs) in the null-space of STs on the same physical resource
 - ➢ No SI overhead
 - I.I.D. Rayleigh fading: JBB is more power efficient than OA
 - [1] E. G. Larsson and H. V. Poor, "Joint Beamforming and Broadcasting in Massive MIMO," IEEE Transactions on Wirelsss Communications, vol 15, no. 4, pp. 3058–3070, April 2016



Source of figure: K. Biswas, S. K. Mohammed and E. G. Larsson, "Efficient Techniques for Broadcast of System Information in mmWave Communications Systems," *in Proc. IEEE SPAWC'* 2018.

Multi-cell JBB

□ Only single-cell scenario considered in [1]

- □ JBB vs. OA in multi-cell scenario
 - ▶ Interference due to broadcast of SI from other cells
 - ➢ SI pilot contamination
- \square In this paper, we propose
 - ≻ JBB-DIFF-SI
 - For cell-specific SI
 - 0 Independent SI is broadcast from each cell
 - ≻ JBB-SAME-SI
 - 0 For cell-common SI
 - 0 Same SI symbols/pilot is broadcast from each cell
 - Derive analytical expressions for sum rate to STs and the rate of SI broadcast
- Conclusion: Even in multi-cell systems, JBB is more power efficient than OA.

Multi-cell JBB (System Model)

- L cells, each cell has K single-antenna STs served by a BS having M antennas
- $\Box \mathbf{g}_{jkl} \sim \mathcal{CN}(\mathbf{0}, \beta_{jkl} \mathbf{I}) : \text{Channel gain vector between k-th}$ ST of the j-th cell and the l-th BS
- □ TDD system: Uplink pilots used to estimate channel at BS
- □ Multi-cell pilot-reuse
 - Cells are partitioned into groups
 - Same set of K orthogonal pilots are used in each cell of a group
 - Cells in the same group are spaced far apart to reduce pilot contamination
- □ $\widehat{\mathbf{g}}_{lkl}$: MMSE channel estimate of the k-th UT in the l-th cell □ ρ_p τ_p : Avg. uplink pilot transmission power and duration

Multi-cell JBB (Transmit Signal)

□ Signal vector transmitted from the BS in l-th cell

$$\mathbf{x}_{l} = \sqrt{\rho_{s}} \sum_{k'=1}^{K} \mathbf{v}_{lk'} s_{lk'} + \sqrt{\rho_{I}} \Pi_{\widehat{\mathbf{G}}_{l}}^{\perp} \mathbf{z}_{l}$$

- $\succ \rho_s$: Total downlink power beamformed to K STs in a cell
- Maximum Ratio Transmission precoding for k-th ST in l-th cell

$$\mathbf{v}_{lk} = \left(\sqrt{\eta_{lk}/(M\gamma_{lkl})}\right) \widehat{\mathbf{g}}_{lkl}^*$$

> η_{lk} : Power control coefficient for k-th ST in l-th cell $\sum_{k=1}^{K} \eta_{lk} = 1$

Multi-cell JBB (Transmit Signal cont'd..)

□ Signal vector transmitted from the BS in l-th cell

$$\mathbf{x}_{l} = \sqrt{\rho_{s}} \sum_{k'=1}^{K} \mathbf{v}_{lk'} s_{lk'} + \sqrt{\rho_{I}} \Pi_{\widehat{\mathbf{G}}_{l}}^{\perp} \mathbf{z}_{l}$$

 $\widehat{\mathbf{G}}_{l} \in \mathbb{C}^{M \times K}$: Matrix whose k-th column is $\widehat{\mathbf{g}}_{lkl}$

- > Projection matrix for space orthogonal to space spanned by $\widehat{\mathbf{G}}_{l}$ $\Pi_{\widehat{\mathbf{G}}_{l}}^{\perp} \stackrel{\Delta}{=} \mathbf{I} - \widehat{\mathbf{G}}_{l}^{*} (\widehat{\mathbf{G}}_{l}^{T} \, \widehat{\mathbf{G}}_{l}^{*})^{-1} \widehat{\mathbf{G}}_{l}^{T}$
- $ightarrow
 ho_{I}$: Total SI broadcast power
- > $\mathbf{q}_l \in \mathbb{C}^{M' \times 1}$: Vector of SI symbols in l-th cell (M' ≤ M) $\mathbf{q}_l \sim \mathcal{CN}(0, \mathbf{I}/M')$
- $\geq \mathbf{z}_{l} = \mathbf{U}_{l}\mathbf{q}_{l} : \mathbf{U}_{l} \in \mathbb{C}^{M \times M'}, \text{ Span}(\mathbf{U}_{l}) = \text{Span}(\Pi_{\widehat{\mathbf{G}}_{l}}^{\perp}),$ $\mathbf{U}_{l}^{H}\mathbf{U}_{l} = \mathbf{I}$

Multi-cell JBB (Signal Rx. at STs)

□ Signal vector transmitted from the BS in l-th cell

$$\mathbf{x}_l = \sqrt{
ho_s} \sum_{k'=1}^K \mathbf{v}_{lk'} s_{lk'} + \sqrt{
ho_I} \Pi_{\widehat{\mathbf{G}}_l}^{\perp} \mathbf{z}_l$$

 \square Signal received at k-th ST in l-th cell

$$\begin{split} y_{lk} = &\sqrt{\rho_s} \sum_{j=1}^{L} \mathbf{g}_{lkj}^T \left(\sum_{k'=1}^{K} \mathbf{v}_{jk'} s_{jk'} \right) + \sqrt{\rho_I} \sum_{j=1}^{L} \mathbf{g}_{lkj}^T \Pi_{\hat{\mathbf{G}}_j}^{\perp} \mathbf{z}_j + n_{lk} \\ &= \sqrt{\rho_s \eta_{lk}} / (M \gamma_{lkl}) \mathbb{E} \Big[\| \widehat{\mathbf{g}}_{lkl} \|^2 \Big] s_{lk} + w_{lk} \end{split}$$

□ Little interference at STs due to SI

$$\mathbf{g}_{lkl}^{T}\Pi_{\widehat{\mathbf{G}}_{l}}^{\perp} \approx \mathbf{g}_{lkl}^{T}\Pi_{\mathbf{G}_{l}}^{\perp} = 0$$

Multi-cell JBB (JBB-SAME-SI)

 \square Same common SI symbol vector ${\bf q}$ broadcast in each cell

□ $\mathbf{h}_{jl} \sim \mathcal{CN}(\mathbf{0}, \beta_{Ijl}\mathbf{I})$: Channel gain vector from BS in j-th cell to a Idle terminal (IT) in l-th cell

□ Signal received at a IT in l-th cell

$$y_{Il} = \sqrt{\rho_I} \mathbf{h}_l^T \mathbf{q} + \sqrt{\rho_s} \sum_{j=1}^L \mathbf{h}_{jl}^T \Big(\sum_{k'=1}^K \mathbf{v}_{jk'} s_{jk'} \Big) + w_{Il}$$
$$\mathbf{h}_l \triangleq \sum_{j=1}^L \mathbf{U}_j^T \mathbf{h}_{jl} \qquad w_{Il} \sim \mathcal{CN}(0, 1) \text{ is AWGN}$$

□ No Interference due to SI broadcast in other cells

Multi-cell JBB (JBB-SAME-SI cont'd ...)

□ Same SI pilot vectors broadcast from each cell

 $\mathbf{q}_p(t) \in \mathbb{C}^{M' \times 1}, \ t = 1, 2, \cdots, \tau_p^I$ \square No ST beamforming during SI pilot transmission

□ SI pilot received at the IT

$$y_{Il}^{p}(t) = \sqrt{
ho_{I}} \, \mathbf{h}_{l}^{T} \mathbf{q}_{p}(t) + w_{Il}(t) \,, \, t = 1, 2, \cdots, au_{p}^{L}$$

□ The IT computes

$$\mathbf{y}_{Il}^p \stackrel{\Delta}{=} \sum_{t=1}^{\tau_p^I} y_{Il}^p(t) \mathbf{q}_p^H(t) = \frac{\sqrt{\rho_I} \tau_p^I}{M'} \mathbf{h}_l^T + \sum_{t=1}^{\tau_p^I} w_{Il}(t) \mathbf{q}_p^H(t)$$

h_l : MMSE estimate of **h**_l from **y**^p_{Il}
 □ No SI pilot contamination
 □ SI rate : R^{same}_I ≜ I(y_{Il}; **q** | **h**_l) = E_{**h**_l} [log₂ (1 + \frac{\rho_{I} || **h**_l ||²/M'}{E[|w'_{Il}|^{2} | **h**_l]})]

Multi-cell JBB (JBB-DIFF-SI)

Independent SI symbol vectors broadcast from each cell
 Signal received at a IT in l-th cell

$$egin{aligned} y_{Il} &= \sqrt{
ho_I} \mathbf{h}_{ell}^T \mathbf{q}_l + \sqrt{
ho_I} \sum_{j=1, j
eq l}^L \mathbf{h}_{ejl}^T \mathbf{q}_j + w_{Il} \ &+ \sqrt{
ho_s} \sum_{j=1}^L \mathbf{h}_{jl}^T \Big(\sum_{k'=1}^K \mathbf{v}_{jk'} s_{jk'} \Big) \,, \, \mathbf{h}_{ejl} \triangleq \mathbf{U}_j^T \mathbf{h}_{jl} \end{aligned}$$

SI pilot reuse similar to pilot reuse for STs
 h_{ell} : MMSE estimate of **h**_{ell}

 \Box Rate of SI broadcast : $R_{I}^{\text{diff}} \triangleq I(y_{ll}; \mathbf{q}_{l} | \widehat{\mathbf{h}}_{ell})$

Multi-cell Orthogonal Access (OA)

 \square Fraction of resource reserved for SI broadcast: **\epsilon**

□ OA-SAME-SI : Same SI broadcast from each cell

□ OA-DIFF-SI : Independent SI broadcast from each cell

 \Box ST rate same as for JBB with $\rho_I = 0$ and a pre-log factor $(1 - \epsilon)$

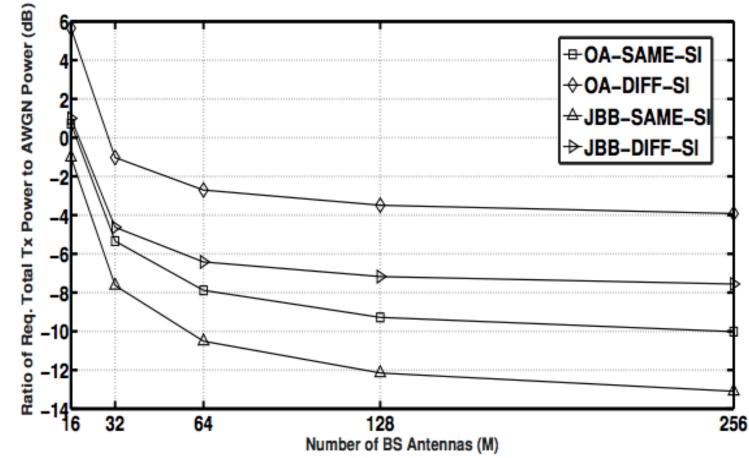
 \Box SI rate same as for JBB with $\rho_s = 0$ and a pre-log factor ϵ

 \Box Total power tx. from each BS : $P_T^{OA} \triangleq (1 - \epsilon)\rho_s^{OA} + \epsilon \rho_T^{OA}$

Numerical Simulation

- □ L = 49 hexagonal cells, Radius 1 Km, a BS at centre
- □ K = 10 STs distributed uniformly in cell, except 100 m around BS. Idle terminals distributed uniformly in cell
- □ Pilot reuse factor: 7 (both ST and SI pilots)
- □ Coherence interval: 500 (half uplink, half downlink)
- □ Other parameters: $\tau_p = 70$, $\tau_p^I = 10$, M' = 7. path-loss exponent: 3.8
- Orthogonal Access: Total Tx. power is minimized w.r.t. ϵ Uplink pilot power fixed to $\rho_p = -11$ dB

Total Req. Tx. Power vs. M



Desired sum rate to STs: 4 bps/Hz/cell, Avg. SI rate: 0.01 bps/Hz
 JBB is more power efficient than OA even in multi-cell massive MIMO systems. JBB-SAME-SI is better than JBB-DIFF-SI.

Conclusions

- Proposed new JBB methods for SI broadcast in multi-cell massive MIMO systems
- □ JBB-SAME-SI
 - ≻ For cell common SI
 - Same SI information and pilots broadcast in each cell

□ JBB-DIFF-SI

- ➤Cell specific SI broadcast in each cell
- ≻SI pilot reuse
- □ JBB methods more power efficient than OA even in multicell systems
- □ JBB-SAME-SI is more power efficient than JBB-DIFF-SI

Thank You