

# Contrastive Separative Coding for Self-supervised Representation Learning

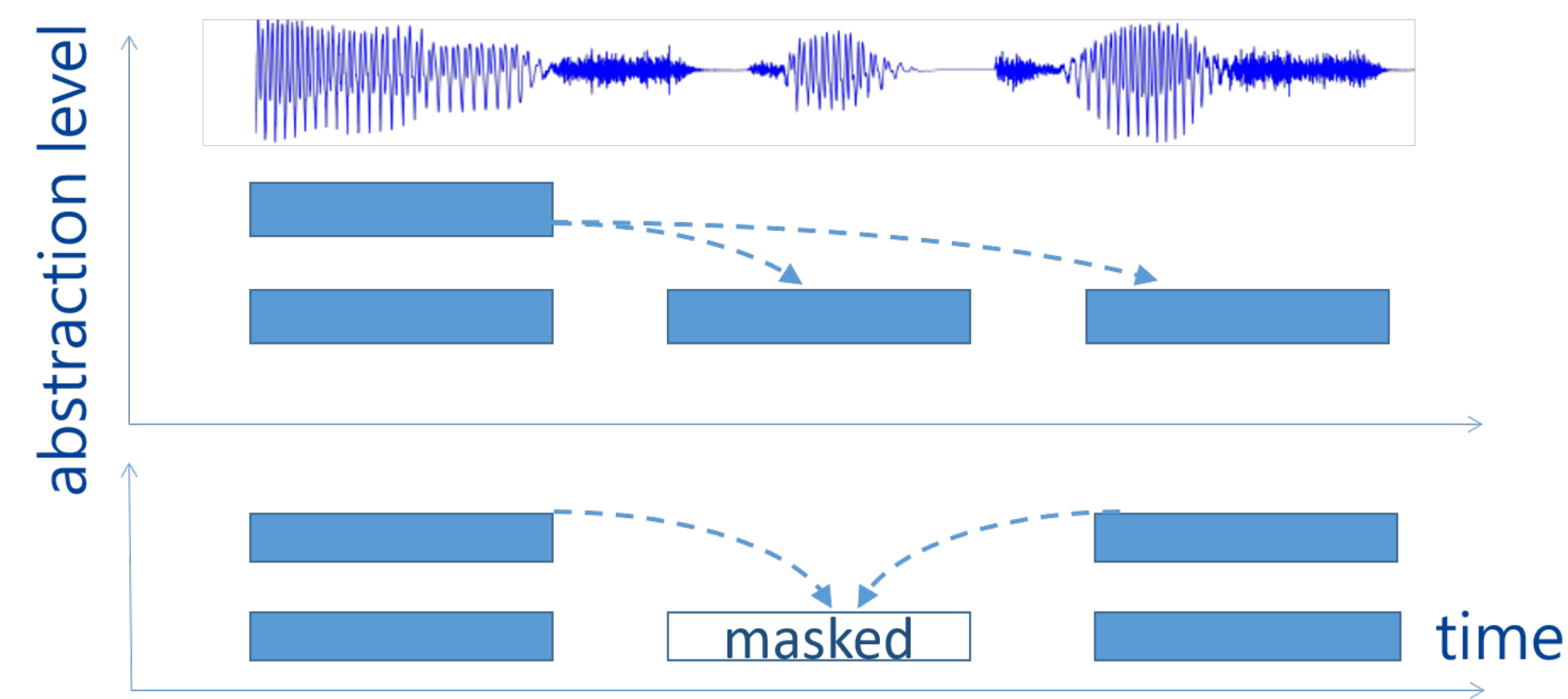
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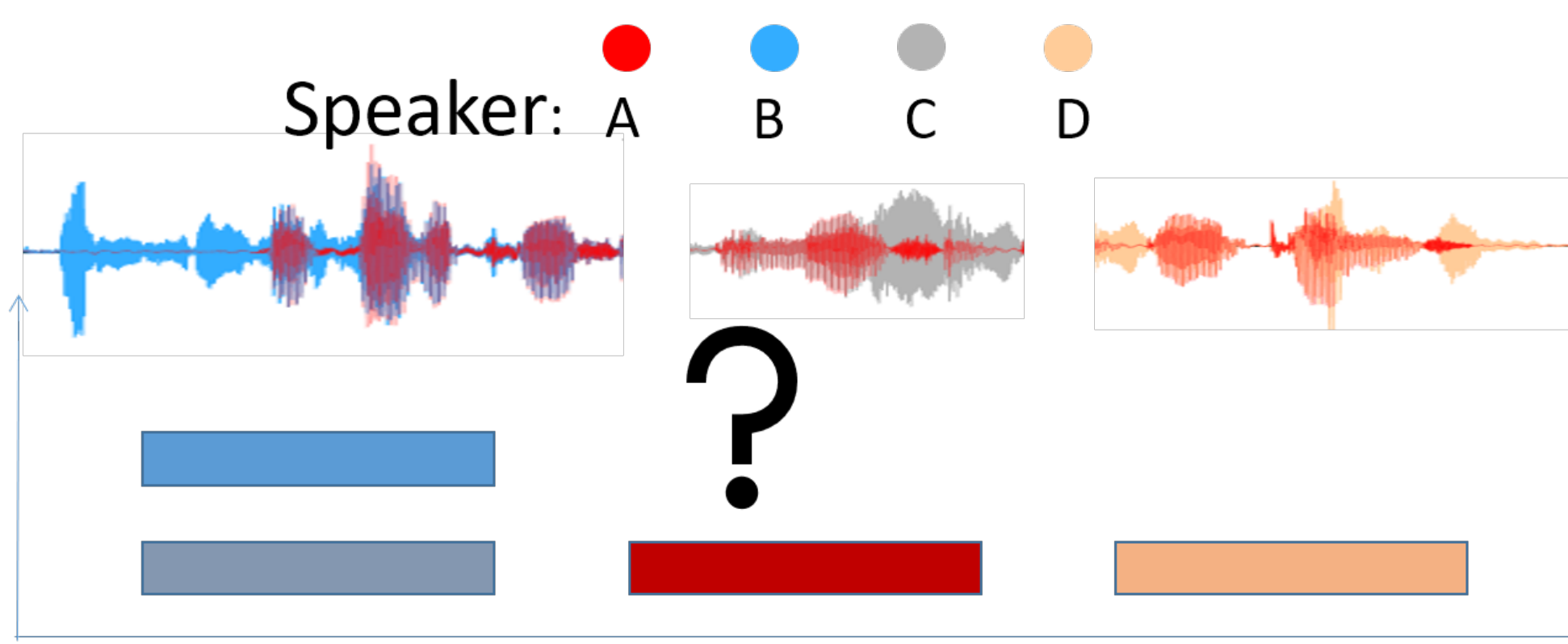


## Introduction

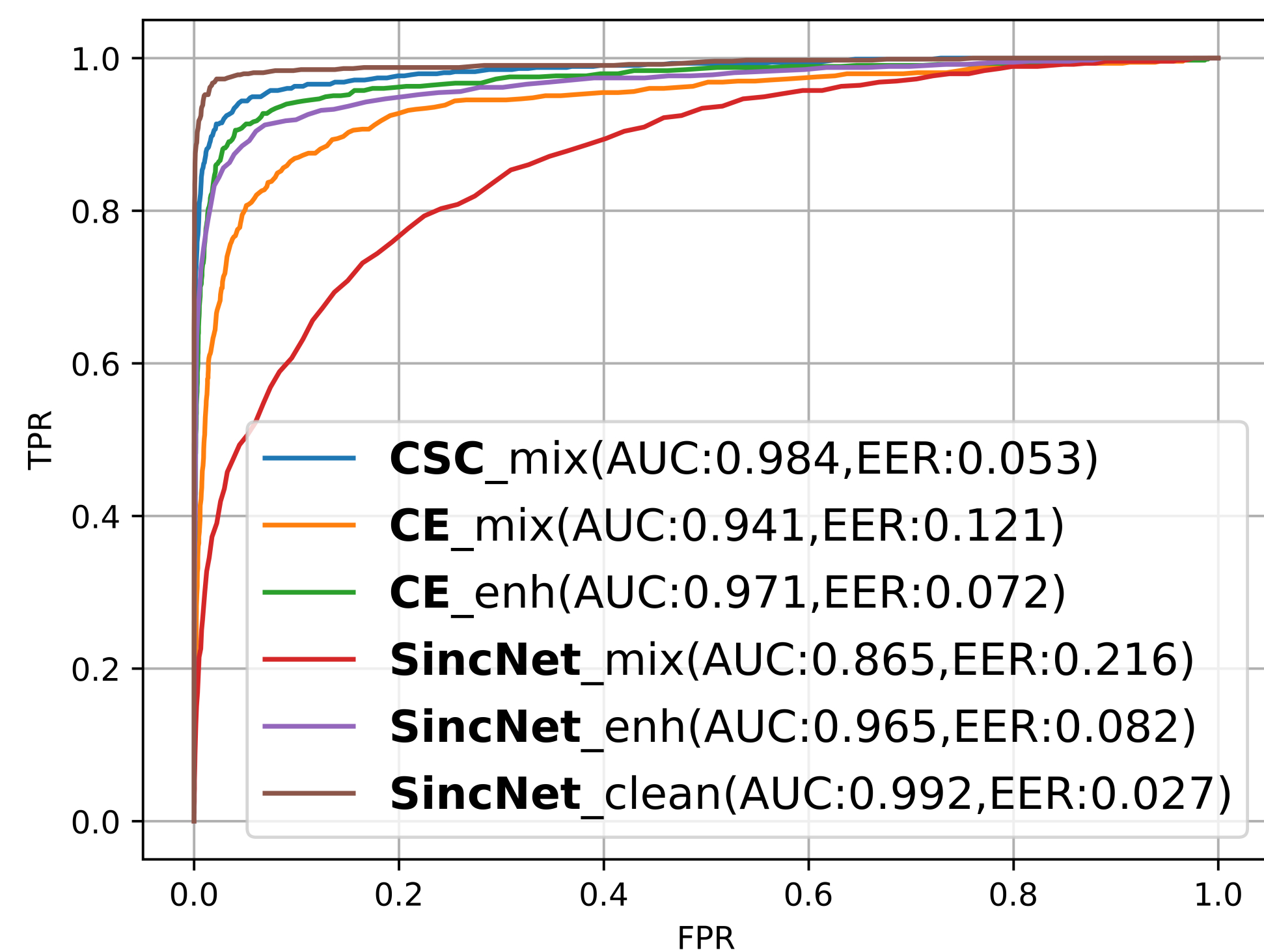
Existing contrastive learning approaches predict the neighboring, missing, or future samples, etc.



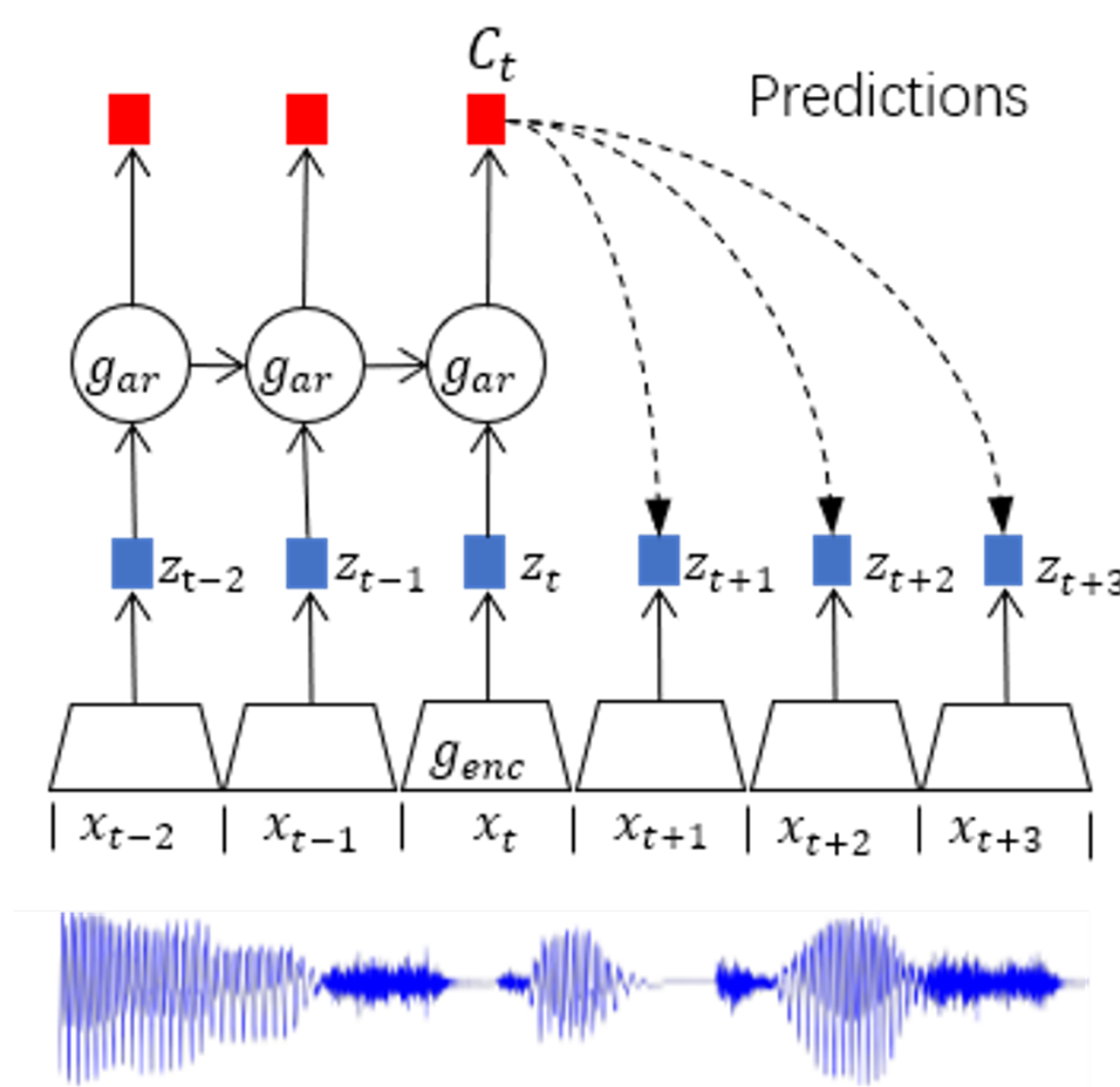
The realistic scenarios, however, have corrupted signals in various interfering conditions; traditionally requiring complicated pipelines to tackle the interference and overlapping segments.



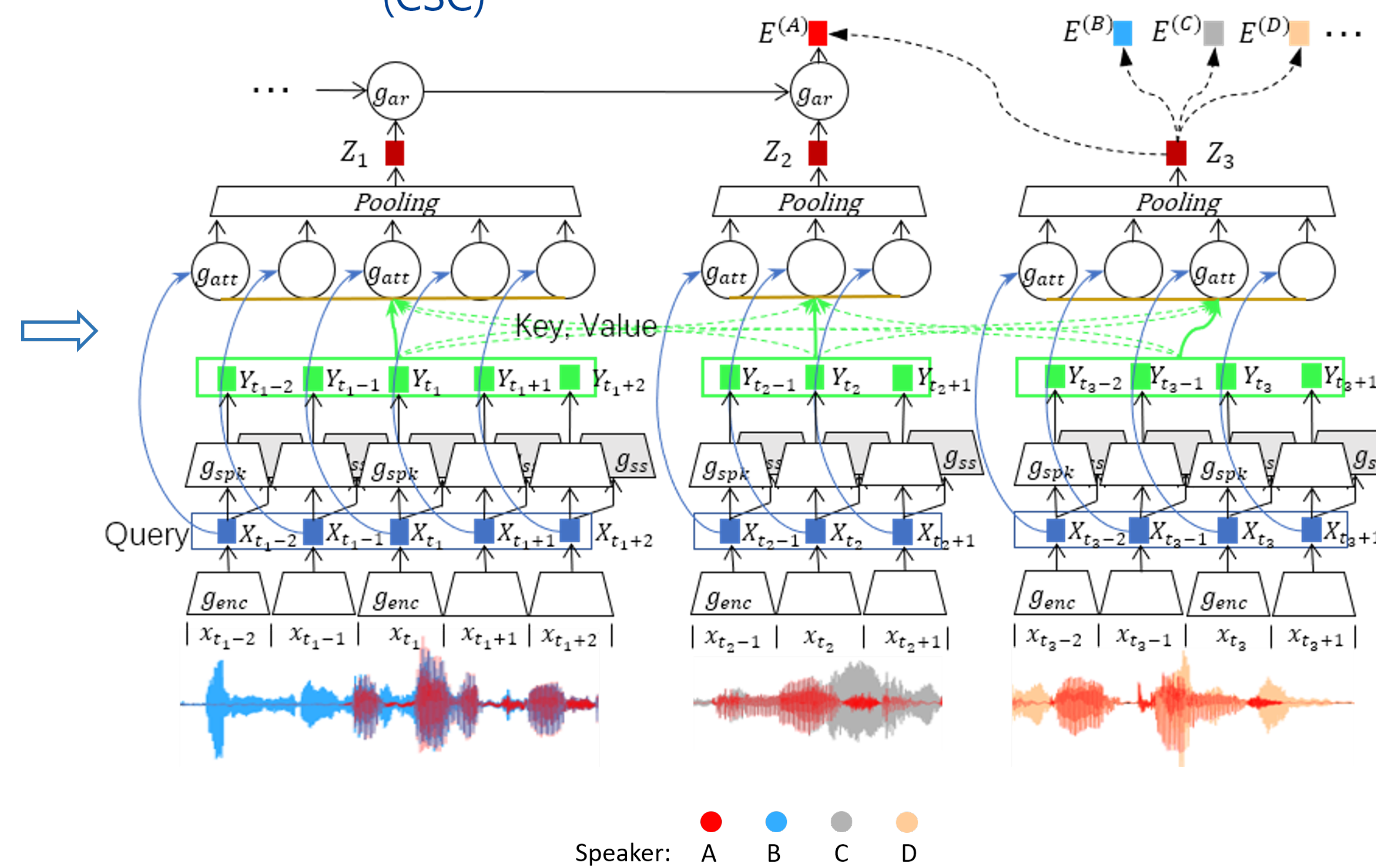
Comparison of SV performances between our proposed method and conventional methods:



## Contrastive Predictive Coding (CPC)



## Contrastive Separative Coding (CSC)



## Proposed Method

Bottom-up cross attention:

- Bottom-up queries from the corrupted signal to retrieve the most relevant representation for the speaker and filter out non-salient, noisy, or redundant parts

$$\mathbf{a}_{i,j} = \text{softmax}(\text{Query}(\mathbf{X}_i)^\top \cdot \text{Key}(\mathbf{Y}_j)). \quad (1)$$

$$\mathbf{Z}_i = \frac{1}{\sum_j \tilde{S}_j} \sum_j \mathbf{a}_{i,j} \cdot \text{Value}(\mathbf{Y}_j)^\top. \quad (2)$$

Contrastive Separative Coding (CSC) loss:

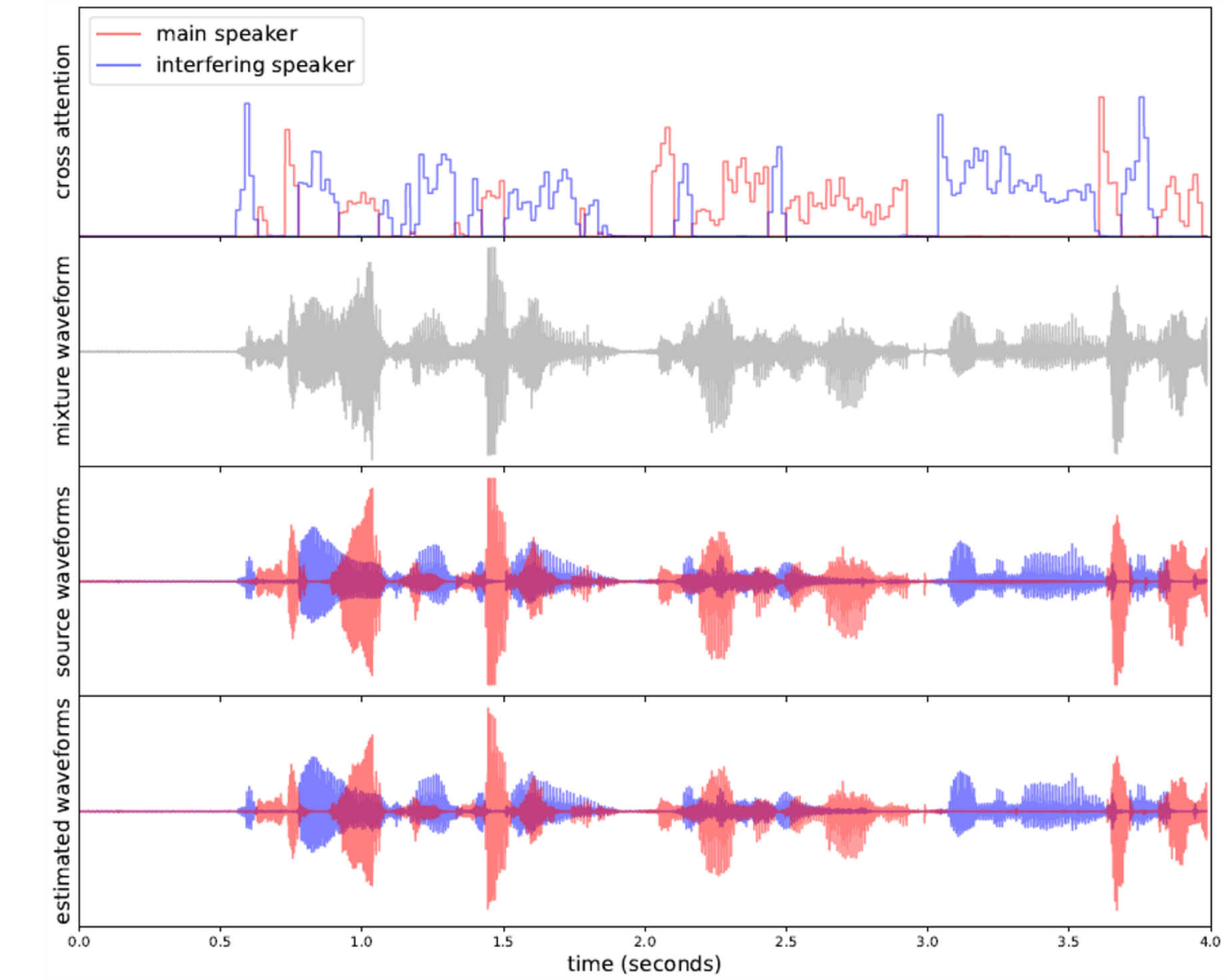
- CSC loss  $\mathcal{L}_{\text{CSC}}$  serves as an upper bound of the negative mutual information (MI), therefore minimizing the CSC loss results in maximizing the MI between a global speaker vector and a separative embedding

$$\mathcal{L}_{\text{CSC}} = -\mathbb{E}_{\mathcal{D}} \left[ \log \left( \frac{f(\mathbf{Z}^{(n_c)}, \mathbf{E}^{(n_c)})}{\sum_{n=1}^N f(\mathbf{Z}^{(n_c)}, \mathbf{E}^{(n)})} \right) \right], \quad (3)$$

$$f(\mathbf{Z}^{(n_c)}, \mathbf{E}^{(n)}) = \exp(-\alpha \|\mathbf{Z}^{(n_c)} - \mathbf{E}^{(n)}\|_2^2), \quad (4)$$

## Relation to Prior Art

- Applying the proposed  $f(\mathbf{Z}, \mathbf{E})$  corresponds to treating each global speaker vector  $\mathbf{E}$  as a cluster centroid (Gaussian mean) of different separative embedding vectors  $\mathbf{Z}$  with a learnable parameter  $\alpha > 0$  controlling the cluster size (Gaussian variance)
- With our proposed form of  $f(\mathbf{Z}, \mathbf{E})$  minimizing  $\mathcal{L}_{\text{CSC}}$  results in minimizing the distance between the separative embedding  $\mathbf{Z}$  and the corresponding global speaker vector  $\mathbf{E}$  meanwhile maximizing the distance between other global speaker vectors
- CSC loss is a rescaled L-2 normalization of *InfoNCE* loss proposed in CPC.



## Result

- Baselines: 1) a conventional speaker-vector-based SV system (**SincNet**), 2) ablation by replacing **CSC** with **CE**
- Conditions: mixture (“[ ]\_mix”), enhanced data by a SS pre-processing (“[ ]\_enh”), and clean data (“[ ]\_clean”)
- Results: Ours significantly outperforms the baselines, particularly, ours in complex interfering conditions is approaching the performance by conventional **SincNet** in a clean condition.

## Conclusion

- The proposed **CSC** loss is proved to have in-depth theoretical relations with **MI** and **CPC**
- The learned representation can achieve high performances even in very complex conditions
- An interpretable bottom-up cross attention mechanism is shown effective in extracting representations across different observations in various interfering conditions, interestingly similar to an auditory selective attention, to be explored on speaker diarization.