SCALABLE PRIVACY-PRESERVING DISTRIBUTED EXTREMELY RANDOMIZED TREES FOR STRUCTURED DATA WITH MULTIPLE COLLUDING PARTIES

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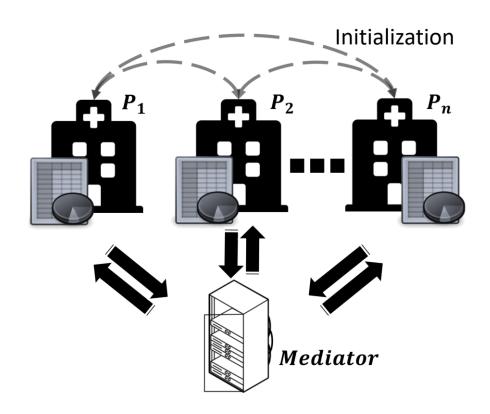
IEEE ICASSP 2021

Outline

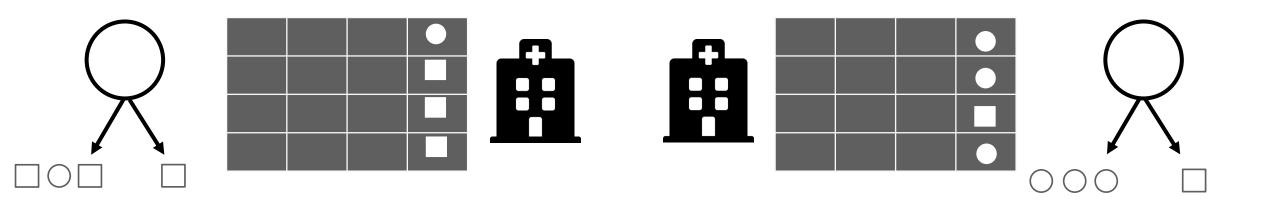
- Problem
- Distributed Extremely Randomized Trees
- Secure Multi-Party Computation for Privacy-Preserving Distributed ERT
- Efficient Handling of Large-Scale Data
- Evaluation
- Conclusion

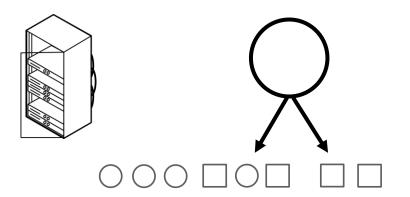
Problem

- Learning classification models from data distributed over multiple parties
- Without sharing of the raw healthcare information, due to privacy and legal concerns
- Horizontally partitioned structured data

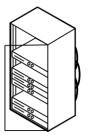


Distributed Extremely Randomized Trees

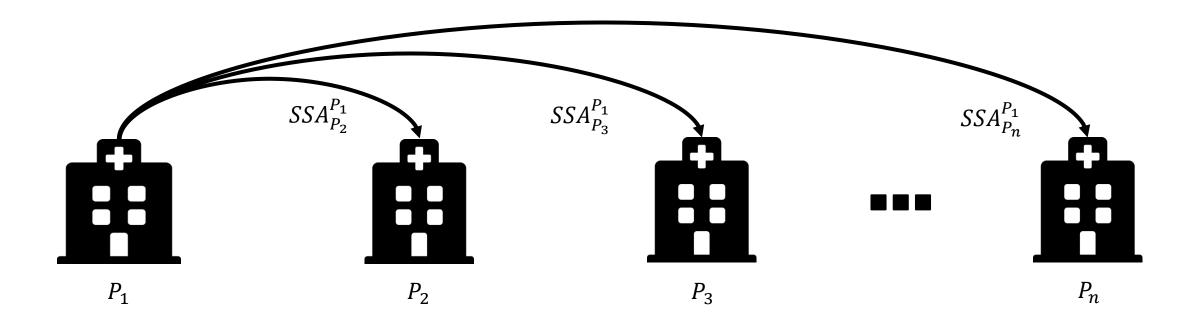


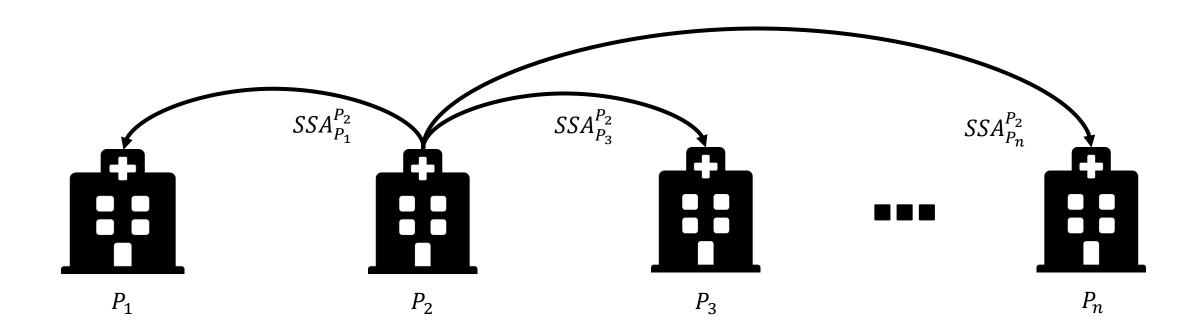


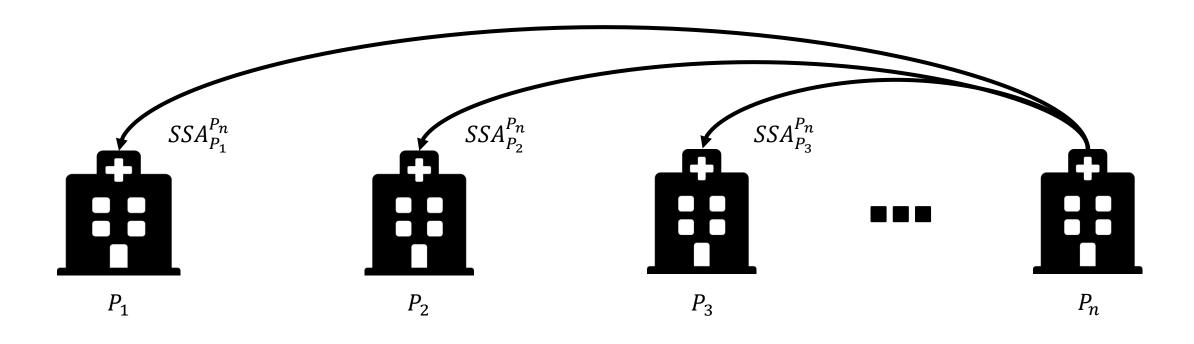




Each data holder party sends personal random seeds to all data holder parties







Send

Receive

$$SSA_{P_2}^{P_1}, ..., SSA_{P_n}^{P_1}$$

$$SSA_{P_1}^{P_2}, ..., SSA_{P_1}^{P_n}$$



$$SSA_{P_1}^{P_2}, ..., SSA_{P_n}^{P_2}$$

$$SSA_{P_2}^{P_1}, ..., SSA_{P_2}^{P_n}$$

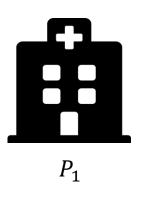


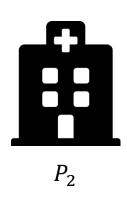
$$SSA_{P_1}^{P_3}, ..., SSA_{P_n}^{P_3}$$

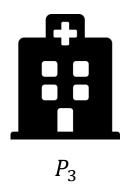
 $SSA_{P_2}^{P_1}, ..., SSA_{P_2}^{P_n}$

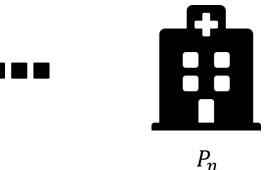
$$SSA_{P_1}^{P_n}$$
, ..., $SSA_{P_{n-1}}^{P_n}$
 $SSA_{P_n}^{P_1}$, ..., $SSA_{P_n}^{P_{n-1}}$

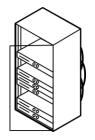




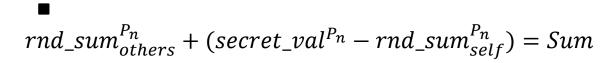








$$rnd_sum_{others}^{P_1} + (secret_val^{P_1} - rnd_sum_{self}^{P_1}) + rnd_sum_{others}^{P_2} + (secret_val^{P_2} - rnd_sum_{self}^{P_2}) +$$



Efficient Handling of Large-Scale Data

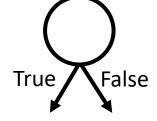












True False
$$\begin{cases} \text{True: } [0,1] \\ \text{False: } [1,1] \end{cases} + \begin{cases} \text{True: } [2,1] \\ \text{False: } [1,0] \end{cases} + \begin{cases} \text{True: } [2,1] \\ \text{False: } [3,1] \end{cases} + \begin{cases} \text{True: } [0,4] \\ \text{False: } [1,1] \end{cases} = \begin{cases} \text{True: } [4,7] \\ \text{False: } [6,3] \end{cases}$$

True:
$$[0,2]$$
 + $\begin{cases} True \\ Fals \end{cases}$

True:
$$\begin{bmatrix} 1,1 \end{bmatrix}$$
+ $\begin{cases} \text{False: } [4,1] \end{cases}$

True False
$$\begin{cases} \text{True: } [0,2] \\ \text{False: } [1,0] \end{cases} + \begin{cases} \text{True: } [0,1] \\ \text{False: } [3,0] \end{cases} + \begin{cases} \text{True: } [1,1] \\ \text{False: } [4,1] \end{cases} + \begin{cases} \text{True: } [1,5] \\ \text{False: } [0,0] \end{cases} = \begin{cases} \text{True: } [2,9] \\ \text{False: } [8,1] \end{cases}$$

$$\begin{cases} \text{True: } [2,9] \\ \text{False: } [8,1] \end{cases}$$

Efficient Handling of Large-Scale Data

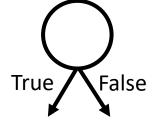












True:
$$\begin{bmatrix} 2,1 \end{bmatrix}$$
False: $\begin{bmatrix} 1,0 \end{bmatrix}$

True False
$$\begin{cases} \text{True: } [0,1] \\ \text{False: } [1,1] \end{cases} + \begin{cases} \text{True: } [2,1] \\ \text{False: } [1,0] \end{cases} + \begin{cases} \text{True: } [2,1] \\ \text{False: } [3,1] \end{cases} + \begin{cases} \text{True: } [0,4] \\ \text{False: } [1,1] \end{cases} = \begin{cases} \text{True: } [2,2] \\ \text{False: } [4,2] \end{cases}$$

True:
$$[0,2]$$
 + $\begin{cases} True: [0] \\ False: [3] \end{cases}$

True False
$$\begin{cases} \text{True: } [0,2] \\ \text{False: } [1,0] \end{cases} + \begin{cases} \text{True: } [0,1] \\ \text{False: } [3,0] \end{cases} + \begin{cases} \text{True: } [1,1] \\ \text{False: } [4,1] \end{cases} + \begin{cases} \text{True: } [1,5] \\ \text{False: } [0,0] \end{cases} = \begin{cases} \text{True: } [1,3] \\ \text{False: } [5,1] \end{cases}$$

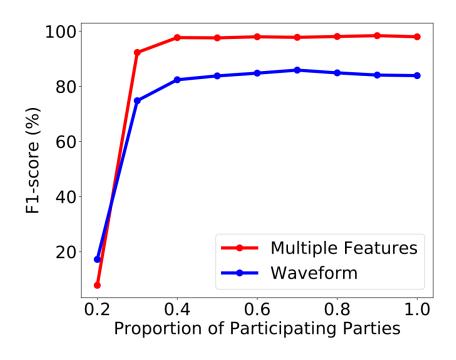
Evaluation

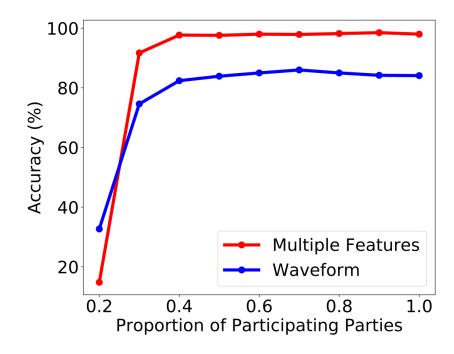
- Criteria of evaluation for privacy-preserving data mining approaches
 - Classification performance, overhead, and privacy

Table 1: Scalability and privacy comparison against existing techniques

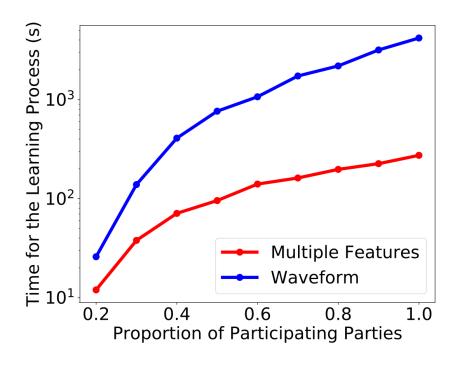
Approach	Party	Communication (N is the number of parties) Send Receive Total (All N parties)			Min Number of Colluding Parties
Distributed ERT	All	1	1	2N	1
k-PPD-ERT	Data Holders Mediator	1 0	$0 \\ N-1$	2(N-1)	k + 1 (k < N)
Shamir [31]	k-1 Parties One Party The Rest		$N-1\\N+k-2\\N-1$	$2(N^2 - N + k - 1)$	k (k < N)

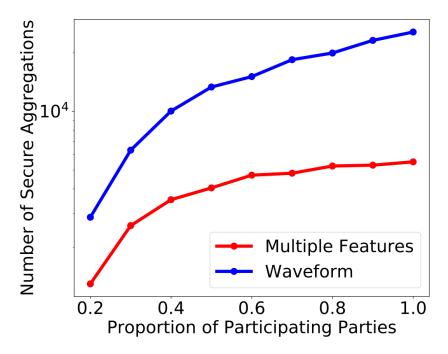
Evaluation





Evaluation





Conclusion

- k-PPD-ERT is an extension of ERT algorithm learning classification models when data is distributed.
- The secure multi-party computation technique for k-PPD-ERT is resilient to the collusion of up to k data holder parties.
- The secure multi-party computation technique for k-PPD-ERT is efficient with respect to the communication overhead.
- Limited participation of data holder parties at every round of the learning process decreases the overhead without any noticeable loss in the learning performance.