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Background

Thought deep model achieved tremendous success, two challenges remain for traditional deep learning:

- The generalization performance of deep model heavily depend on large-scale accurately labeled data.
- The training data often suffer from label noise in many applications.

Hence, it is essential to explore methods that can train deep models effectively under label noise.

Motivation

- For the case of binary classification, it has been shown that binary symmetric loss function can be noise-tolerant.
- Motivated by this observation, we wonder whether the robustness of the noise-tolerant binary loss functions can be generalized to the case of multi-category classification.

Our approach

- This paper proposes to tackle K -class classification problems by employing K binary classifiers.
- Each binary classifier $g_k(x)$ can be regarded as a scoring function that reveals how likely a sample belongs to category k versus the rest $K - 1$ categories.
- Then, the multi-category classifier $f(x)$ have the following formulation: $f(x) = \arg \max_{k \in \{1, \dots, K\}} g_k(x)$
- Finally, We leverage the multi-category large margin classification approaches, i.e. Pairwise-Comparison (PC) or One-Versus-All (OVA), to jointly train the binary classifiers for multi-category classification.
- Together with binary symmetric loss function, the objective loss can be formulated as follows:

$$\mathcal{L}_{OVA}(f(x), y_x) = \frac{1}{K-1} \sum_{y' \neq y_x} \ell(-g_{y'}(x), 1) + \ell(g_{y_x}(x), 1),$$

$$\mathcal{L}_{PC}(f(x), y_x) = \sum_{y' \neq y_x} \ell(g_{y_x}(x) - g_{y'}(x), 1), \ell \in \{\ell_{sig}, \ell_{ramp}\}.$$

Experimental results

- **Dataset & label noise.** We use MNIST, FASHION-MNIST, and CIFAR-10 to verify our approach. We verify the robustness of our approach against the symmetric noise, the simple non-uniform noise.

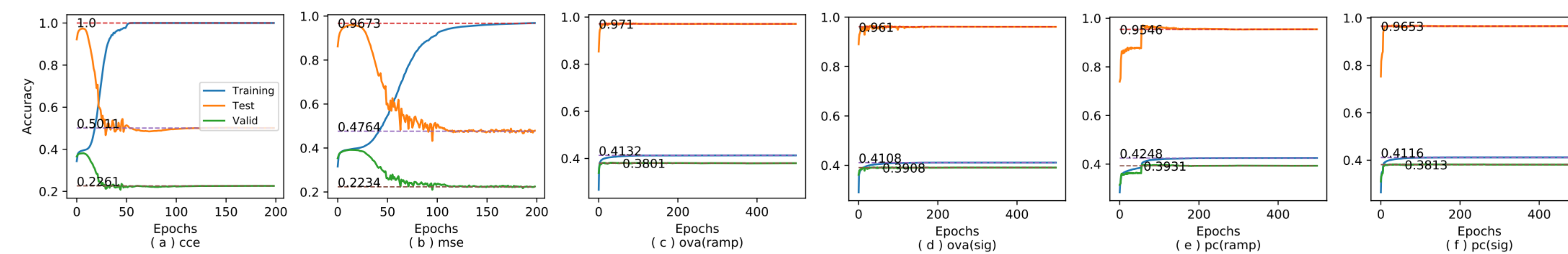


Fig. 1. Classification accuracy vs training epochs over the MNIST dataset with $\eta = 60\%$ symmetric noise.

- **The results clearly verify that our proposed loss functions are noise-tolerant.**

Label noise



Comparison methods

We compare the performance of our approach with different loss functions, including the CCE, MSE, and MAE loss.

- CCE and MSE are standard loss functions widely used in machine learning.
- The MAE loss has been shown to be robust against label noise in multicategory classification problems.

Main reference

- [1] Ghosh et al., "Robust Loss Functions under Label Noise for Deep Neural Networks", AAI, 2017.
- [2] Ghosh et al., "Making Risk Minimization Tolerant to Label Noise", Neurocomputing, 2015.