

CDX-Net: Cross-Domain Multi-Feature Fusion Modeling via Deep Neural Networks for Multivariate Time Series Forecasting in AIOps

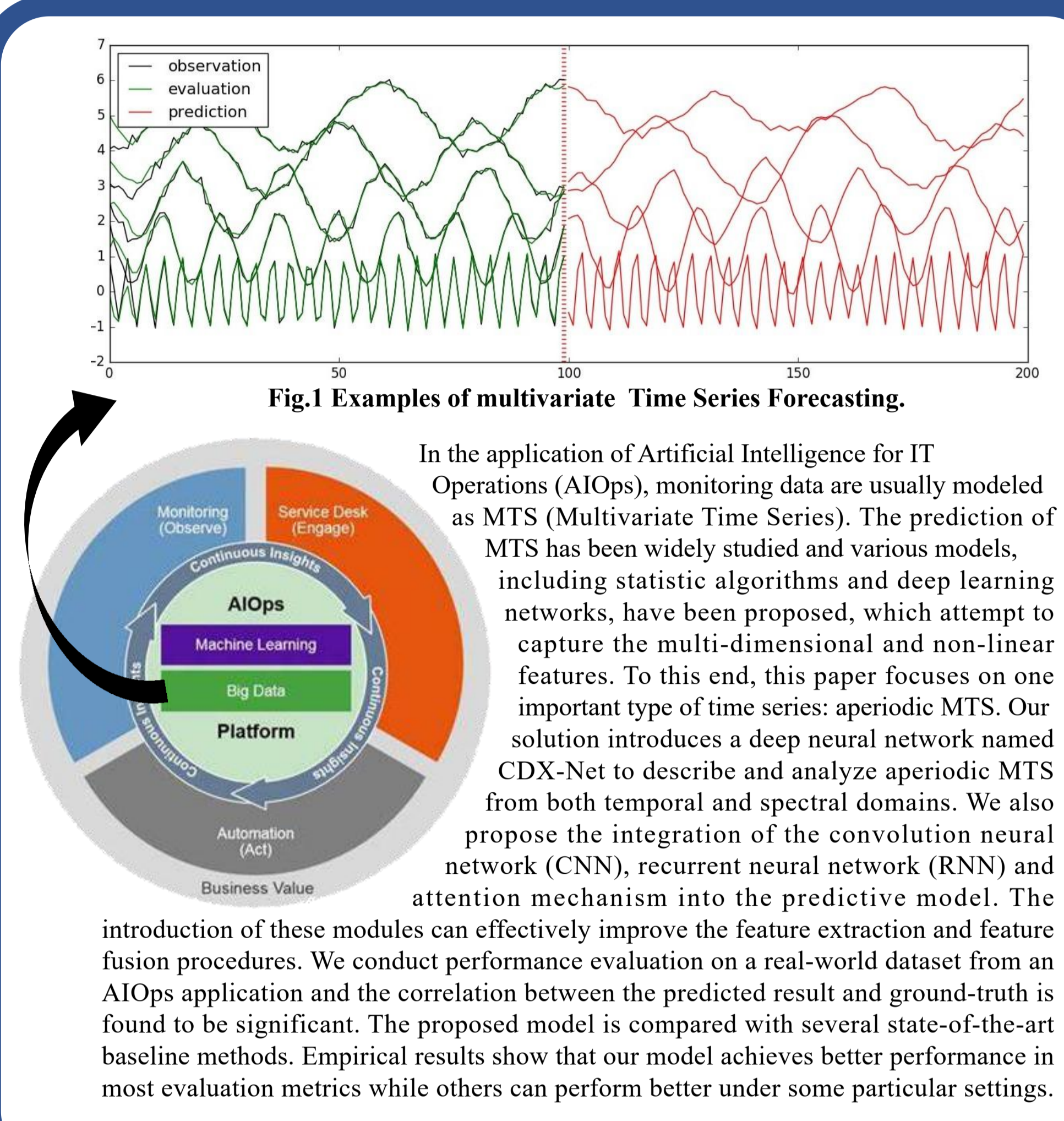
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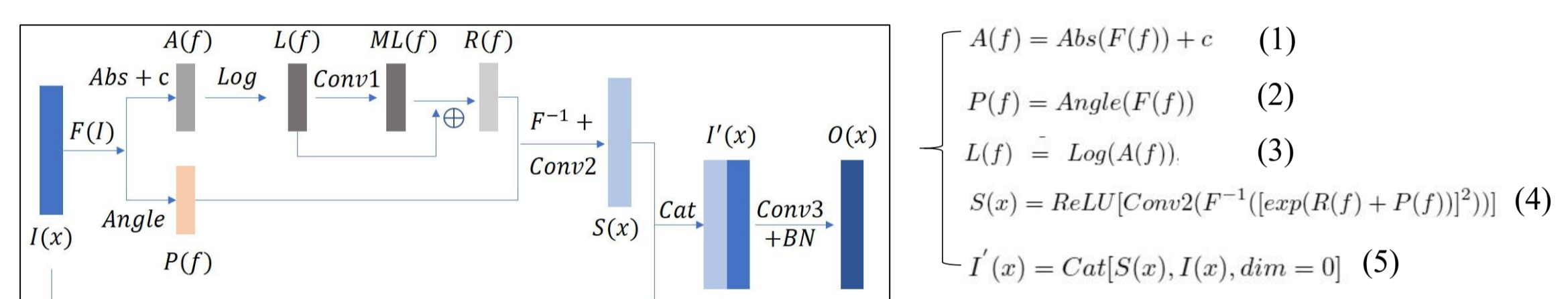
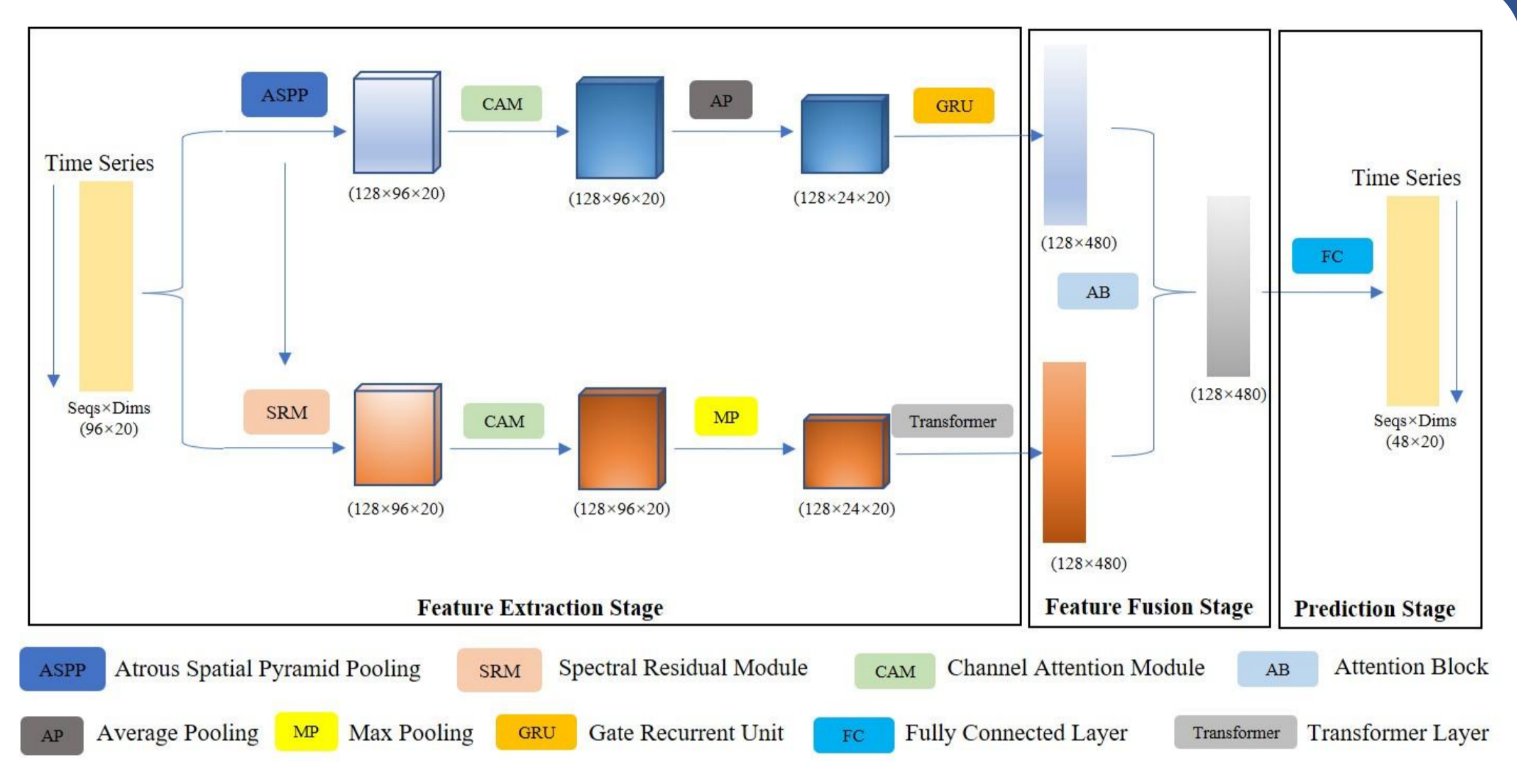
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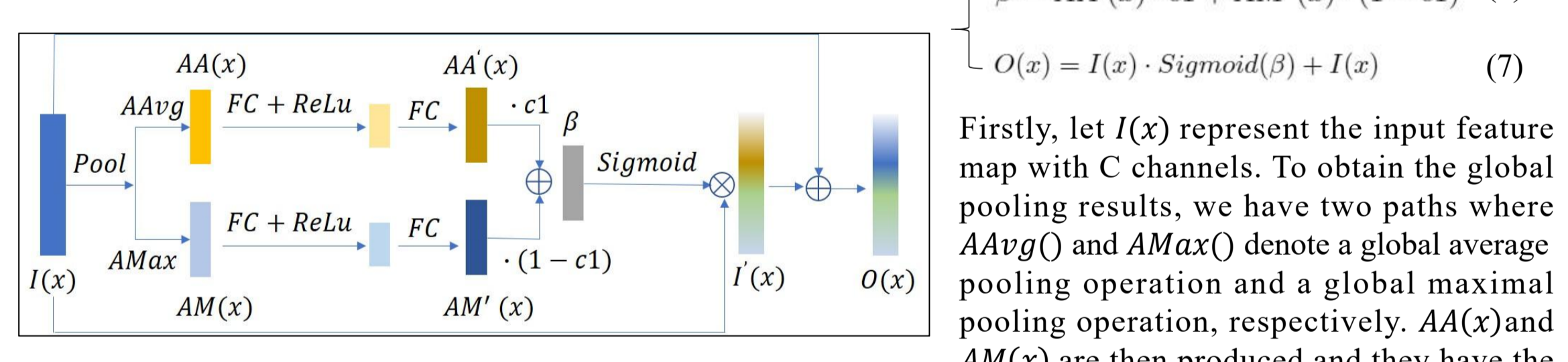
Abstract



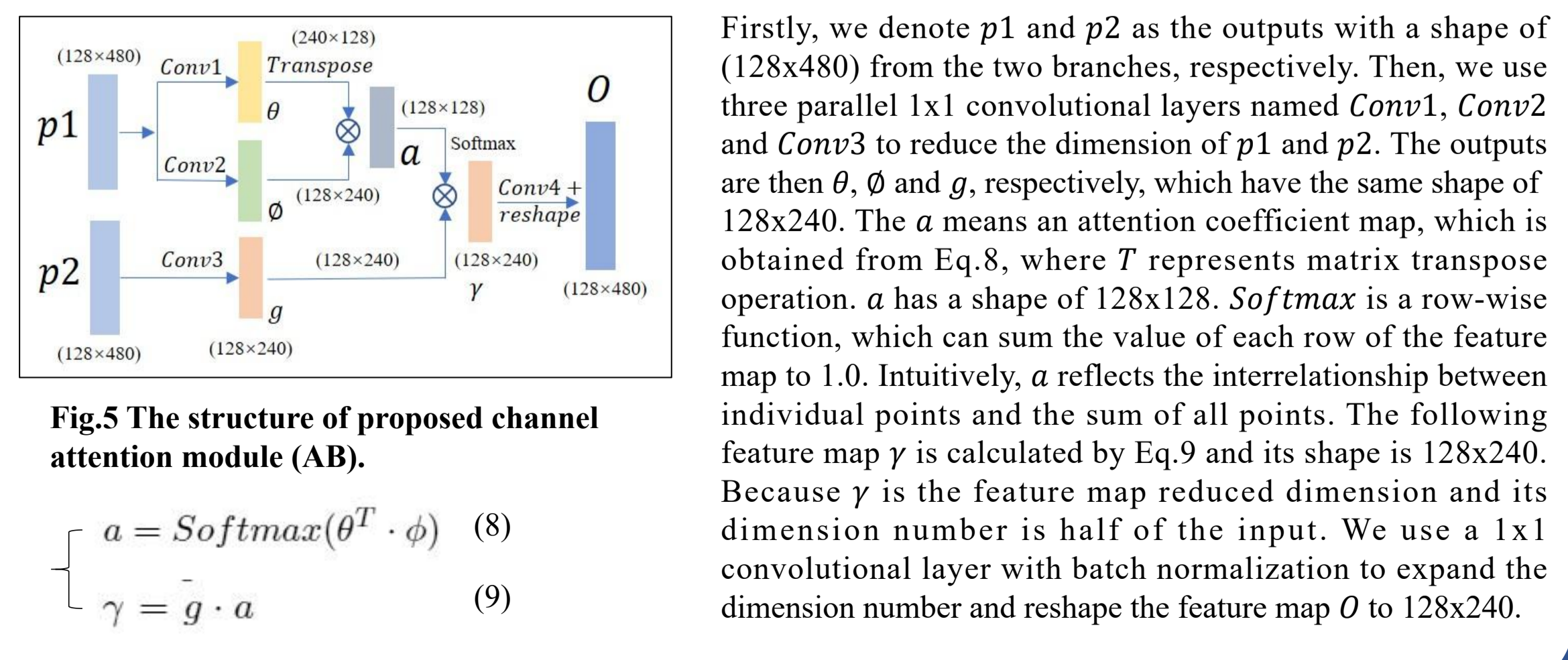
Methods



Let $I(x)$ represents the input feature map in our model. The $F(I)$ is obtained by using discrete Fourier transform of $I(x)$, where the amplitude and phase spectra are denoted as $Abs()$ and $Angle()$. To avoid problems with the logarithmic spectrum, we add a constant c , which we set to e^{-10} . The logarithmic spectrum of input feature map is derived as Eq.3, where $L(f)$ has the same shape as the input $I(x)$. We use the mean convolutional operation $Conv1()$ to obtain the averaged spectrum $ML(f)$. The convolution kernel size is defined as 3×3 , the stride is 1 and the padding is 1. The channel number of the input feature map is C . The spectral residual $R(f)$ is the difference between $L(f)$ and $ML(f)$. At this point, we have obtained the spectral residual of the input feature map, which is in the frequency domain. Then, we use the residual spectrum $R(f)$ and the phase spectrum $P(f)$ to calculate the final saliency representation in the spatial domain by inverse Fourier transform F^{-1} and Gaussian smoothing filtering $Conv2()$ followed by $ReLU()$ and batch normalization $BN()$ (Eq.5). For maintaining integrity of input features, we derive $I'(x)$ by concatenating $S(x)$ with $I(x)$ according to the direction of channel dimension. Finally, we use a 1×1 convolution $Conv3()$ with batch normalization to squeeze the channel number of $I'(x)$ from $2C$ to C , which is consistent of the inputs.



Each path needs to pass a multiple layer perceptron (MLP), which is used to obtain the channel attention coefficient. Each MLP has one fully connected FC layer and one $ReLU()$ layer that is followed by another FC layer. The channel attention coefficients for these two paths are $AA'(x)$ and $AM'(x)$, respectively. Furthermore, to better balance the attention coefficients of the two paths, we use a learnable parameter $c1$ to weight and sum them separately to obtain the final attention coefficient β , shown in Eq.6. The coefficient β is fed into a $Sigmoid$ function, whose output multiplies the input feature map to obtain $I'(x)$. For the purpose of benefiting the training, we use a residual connection adding $I'(x)$ to $I(x)$. Finally, the output $O(x)$ is obtained. In our CDX-Net, the CAM is equipped in the two paths at the feature extraction stage, as shown in Fig. 2.



Firstly, we denote $p1$ and $p2$ as the outputs with a shape of (128×480) from the two branches, respectively. Then, we use three parallel 1×1 convolutional layers named $Conv1$, $Conv2$ and $Conv3$ to reduce the dimension of $p1$ and $p2$. The outputs are then θ , ϕ and g , respectively, which have the same shape of 128×240 . The a means an attention coefficient map, which is obtained from Eq.8, where T represents matrix transpose operation. a has a shape of 128×128 . $Softmax$ is a row-wise function, which can sum the value of each row of the feature map to 1.0. Intuitively, a reflects the interrelationship between individual points and the sum of all points. The following feature map γ is calculated by Eq.9 and its shape is 128×240 . Because γ is the feature map reduced dimension and its dimension number is half of the input. We use a 1×1 convolutional layer with batch normalization to expand the dimension number and reshape the feature map O to 128×240 .

Experiments

Dataset

Table 1. Excluding the data column, the overall properties of the dataset, where L is the length of the time series, D is the dimension number of time series, I is the sampling spacing, S is size of the dataset in bytes and Mean and Var are the dataset's mean and variance, respectively.

Features	Whole	Training	Validation	Testing
L	101583	60949	20317	20317
D	20	20	20	20
I	5 mins	5 mins	5 mins	5 mins
S	13309 KB	7957 KB	2665 KB	2687 KB
Mean	857.2778	804.7236	866.8692	1005.3438
Var	2678.4322	2498.7410	2670.6132	3158.5293

To validate our model, we collected the log data of the system in the year 2015 as a dataset, whose distribution and characteristics are shown in the Table 1 and our dataset has a total of 20 dimensions.

Settings

PyTorch + Python + NVIDIA

- Optimizer: Stochastic Gradient Descent (SGD)
- Initial LR: 0.001
- Weight decay: 0.0005
- Momentum: 0.9
- Batch size: 32
- Epoch: 30
- LR decay: decayed by 0.5 every 5 epochs
- Loss Function: MSE loss
- Window Length: 96
- Label Length: 1
- Horizon Length: 1

Metrics

For the evaluation metrics of the model, we use CORR, MAE and MSE. They are defined as below:

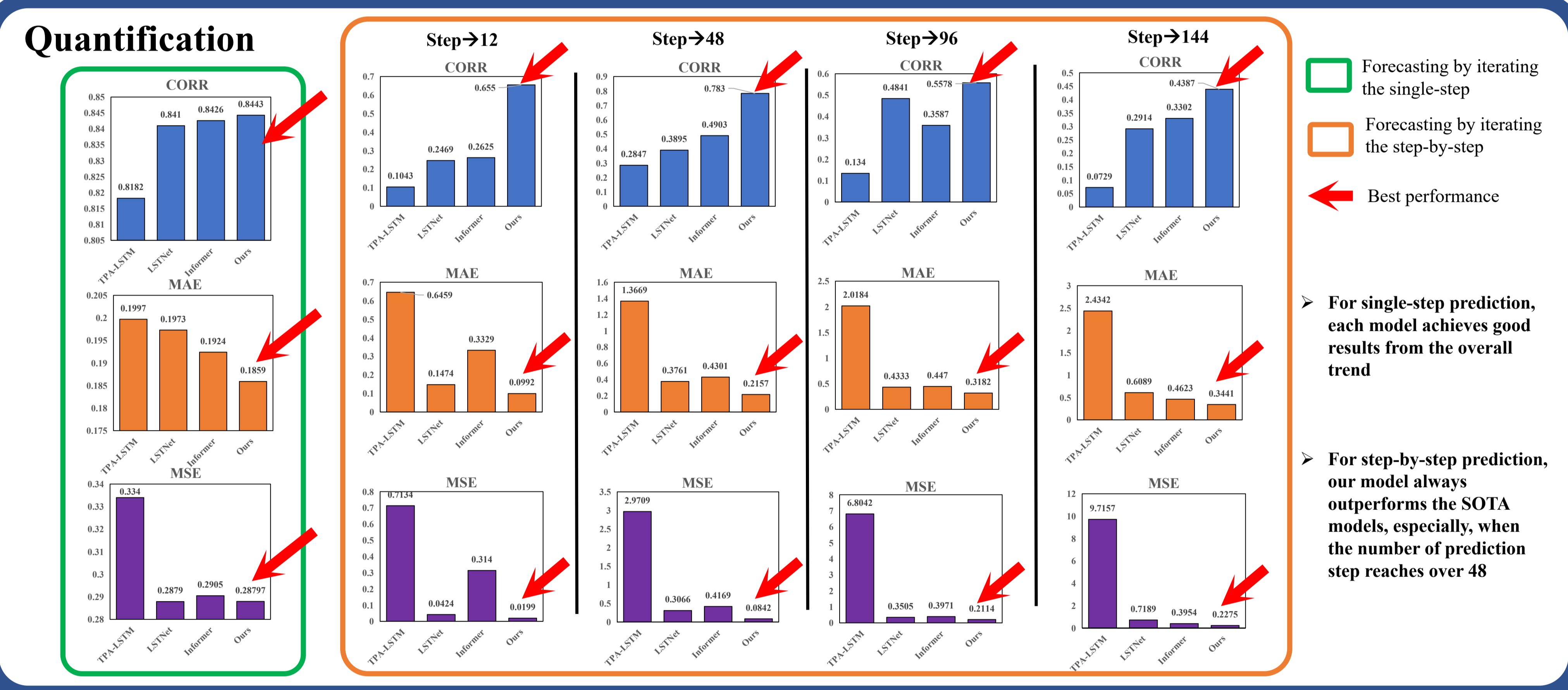
$$MAE = \frac{1}{n} \sum_{i=1}^n |y_i - \hat{y}_i|$$

$$MSE = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2 \quad \text{and}$$

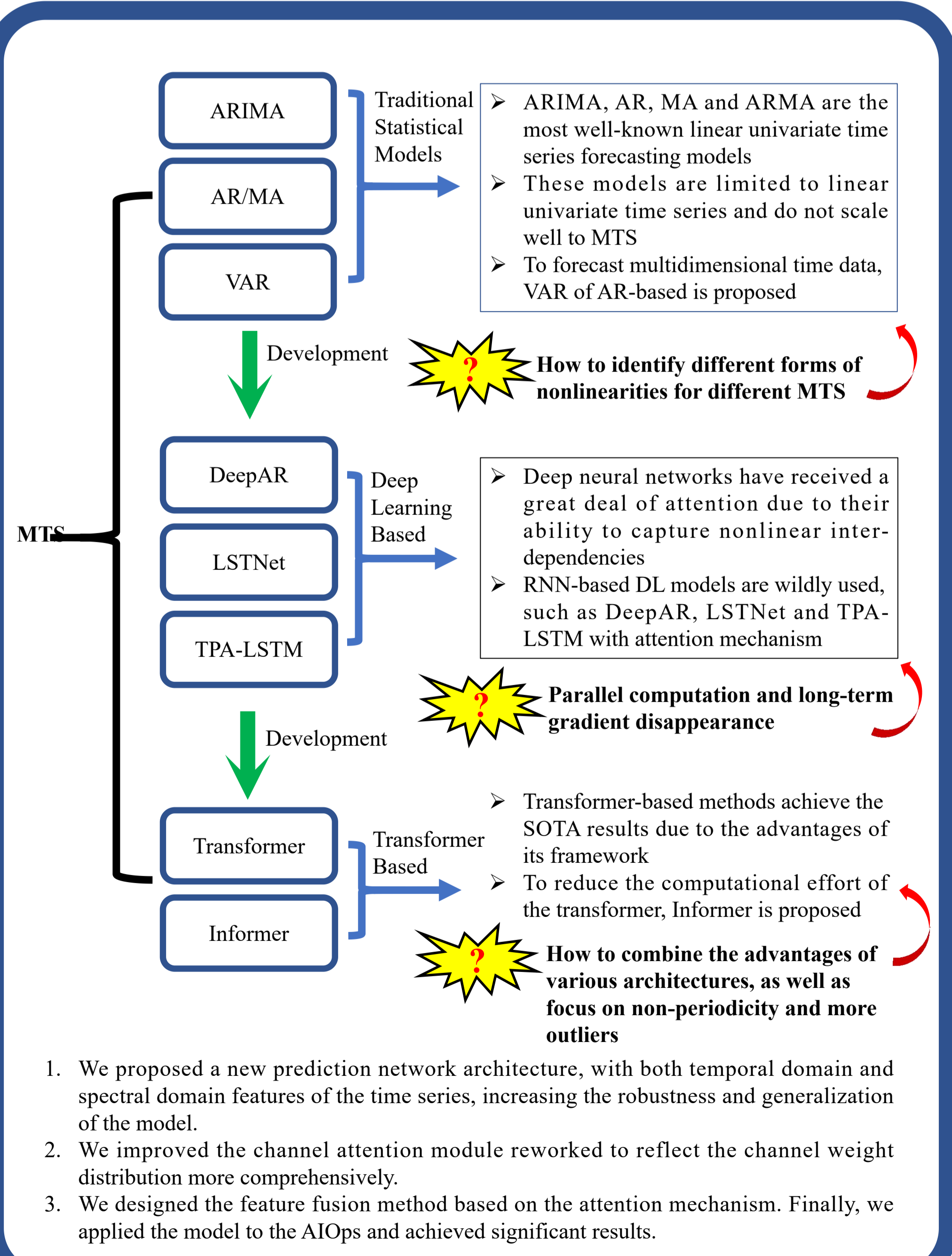
$$CORR = \frac{\sum_{i=1}^n (y_i - \text{mean}(y)) (\hat{y}_i - \text{mean}(\hat{y}))}{\sqrt{\sum_{i=1}^n (y_i - \text{mean}(y))^2} \sqrt{\sum_{i=1}^n (\hat{y}_i - \text{mean}(\hat{y}))^2}}$$

, where y and \hat{y} are ground-truth signals and system prediction signals, respectively. Furthermore, we set $y = \{y_1, y_2, \dots, y_n\}$ and $\hat{y} = \{\hat{y}_1, \hat{y}_2, \dots, \hat{y}_n\}$ and n means the number of the samples.

Results



Introduction



Visualization

