

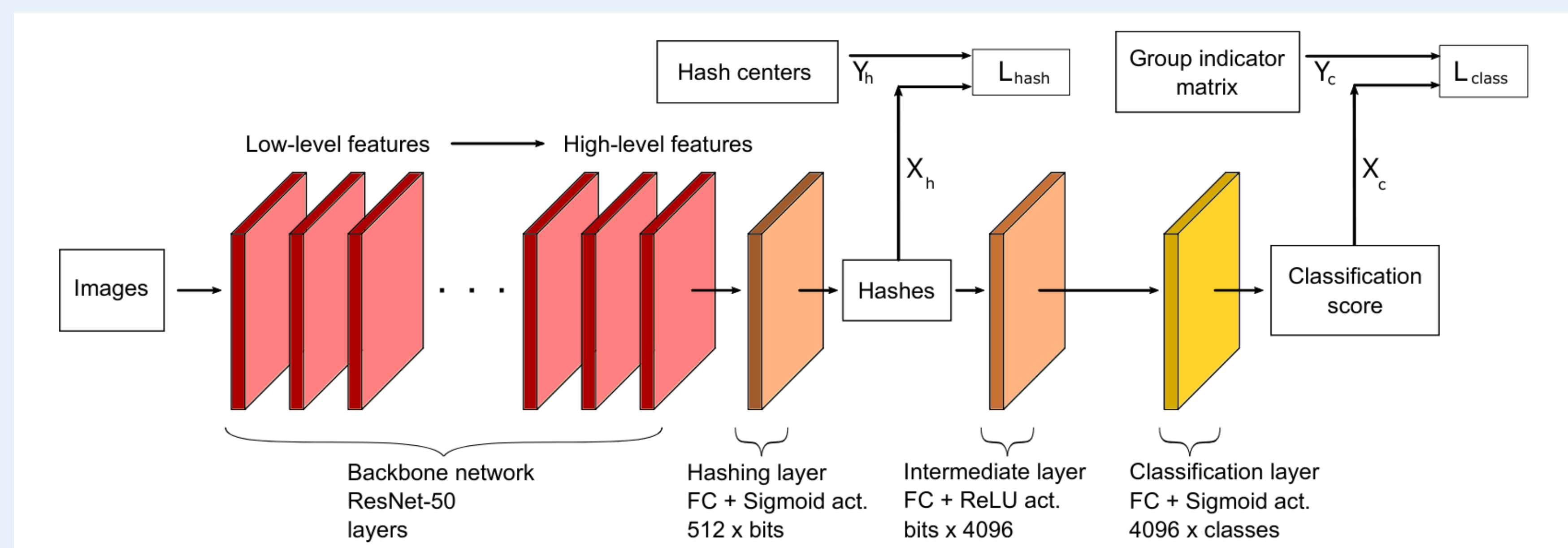
Abstract

- An approach for learning binary hash codes for image retrieval.
- Canonical Correlation Analysis (CCA) is used to design two loss functions for training the neural network.
- The correlation between the two views to CCA is maximized by the network.
- The main motivation of using CCA - Dimensionality reduction.
- First loss maximizes the correlation between the hash centers and hash codes.
- Second loss maximizes the correlation between class labels and classification scores.
- A novel weighted mean and thresholding-based hash center update scheme for adapting hash centers is proposed.
- Training loss reaches the theoretical lower bound of the proposed loss function.
- The measured mean average precision outperforms other state-of-the-art methods.

Experimental Setup

- Two multi-labeled datasets, were used for evaluation of the performance - NUS-WIDE and MS-COCO.
- Training and test curves were plotted for each dataset.
- Retrieval performance was measured by calculating the mean average precision (MAP).
- The neural network architecture used is ResNet-50.
- Batch size used was 200, learning rate 0.0008 and learning rate decay 0.1 every 10th epoch.
- Optimizer used was Stochastic Gradient Descent (SGD).

Network Architecture



Proposed Deep Central Similarity Hashing network architecture. ResNet layers are used as the backbone network. Hashing and classification layer consist of a fully connected layer with subsequent sigmoid activation. Intermediate layer consists of fully connected layer with ReLU activation.

Algorithm

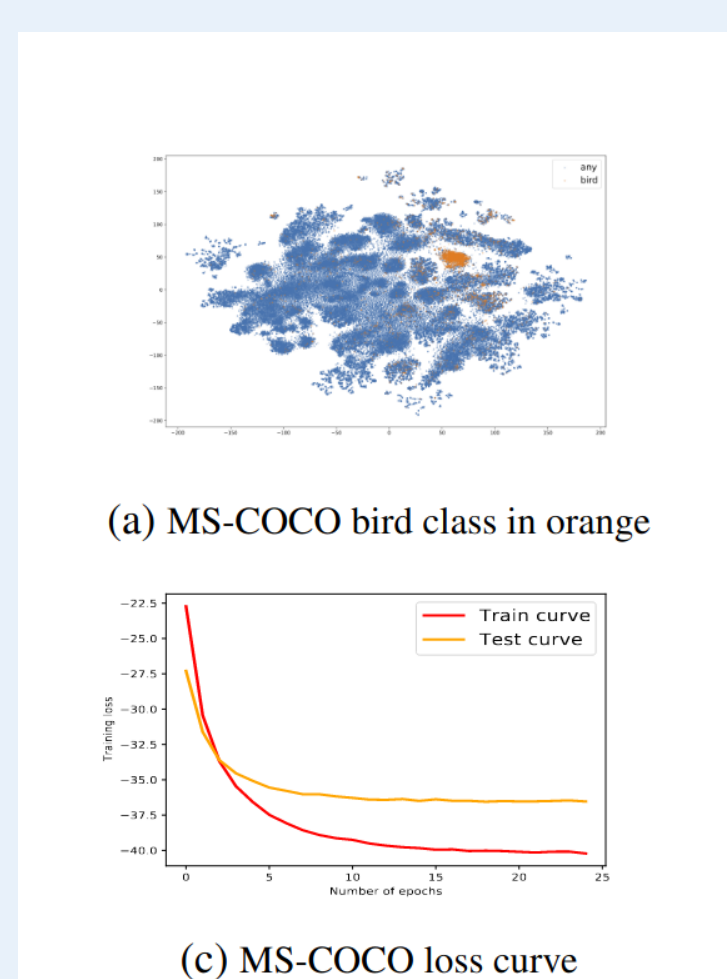
Algorithm DCSH hash center update

Require: Hash centers $\mathcal{H}^{(i)} = \{\vec{h}_c^{(i)}\}, c = 1, \dots, C$ with C classes, and output hashes $\{x_h^{(i)}\} \in [0; 1]^n$ with $n = 1, \dots, N$ from N training images at epoch i .

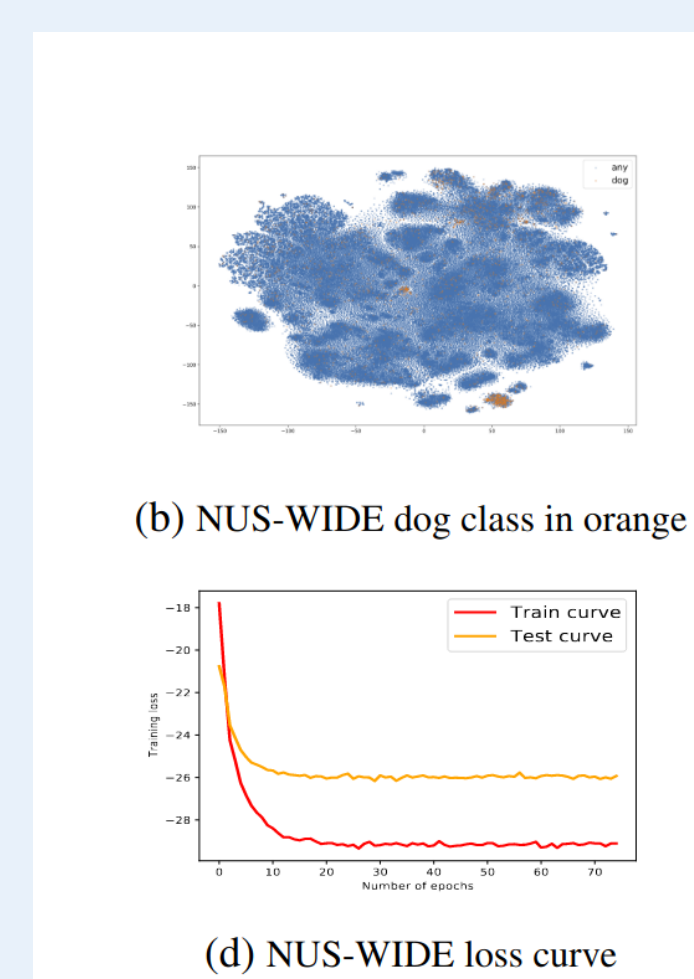
- 1: For each class c , group all hash outputs associated with c in their label l_n :
 $\mathcal{G}_c^{(i)} = \{x_h^{(i)} : c \text{ in } l_n\}, \text{ for } c = 1, \dots, C.$
- 2: Calculate weights for each output hash based on number of classes in its label $|l_n|$:
 $w_n = \frac{1}{|l_n|}.$
- 3: Calculate weighted mean of grouped hashing values:
 $\tilde{h}_c^{(i+1)} = \frac{1}{|\mathcal{G}_c^{(i)}|} \sum_{x_h^{(i)} \in \mathcal{G}_c^{(i)}} w_n x_h^{(i)}, \text{ for } c = 1, \dots, C.$
- 4: Create updated binary hash centers by thresholding:
 $\vec{h}_c^{(i+1)} = \text{sign}(\tilde{h}_c^{(i+1)}).$
- 5: **return** Updated hash centers $\mathcal{H}^{(i+1)}$ for epoch $i + 1$.

Proposed DCSH hash center update algorithm.

Results - MSCOCO



Results - NUSWIDE



MAP values

- MAP value is highest for our approach.
- As the bit length increases MAP values increase as well.

Method	MS-COCO				Method	NUS-WIDE			
	16 bits	32 bits	48 bits	64 bits		12 bits	24 bits	32 bits	48 bits
DCSH (ours)	0.805	0.847	0.859	0.861	DCSH (Ours)	0.823	0.833	0.841	0.857
CSQ [21]	0.796	0.838	-	0.861	DPSH [15]	0.794	0.822	0.838	0.851
DCCH [19]	0.659	0.729	0.731	0.739	DCCH [19]	0.782	0.814	0.825	0.834
HashNet [3]	0.687	0.718	0.730	0.736	CSQ [21]	-	-	0.825	-
DHN [28]	0.677	0.701	0.695	0.694	DSDH [26]	0.776	0.808	0.820	0.829
DNNH [29]	0.593	0.603	0.604	0.610	DDSH [17]	0.791	0.815	0.821	0.827
CNNH [30]	0.564	0.574	0.571	0.567	DTSH [27]	0.773	0.808	0.812	0.814

Conclusions

- An efficient approach for learning hash codes for image retrieval is proposed.
- The correlation between hash codes and hash centers is maximized.
- Experiments substantiate formation of an optimized feature space with minimum intra-class scatter and maximum inter-class scatter.
- This is in fact possible due to the equivalence of CCA with Linear Discriminant Analysis (LDA).
- As a future work more effective representations of individual classes could be explored.

