## Introduction

Stripe-Wise Pruning (SWP) combined the strength of aforementioned methods, which achieved more finegrained pruning than traditional filter pruning and was still hardware friendly. By introducing a filter skeleton matrix to learn the importance of stripes in the filter, less significant stripes were pruned instead of the whole filter. However, SWP does not consider the local spatial distribution of the stripes and the correlation between different channels of the output feature maps, which results an imbalanced pruning result. In some cases, it may degrade the generalization ability or representation capacity of the model.

To address this issue, we propose a variant of SWP, namely balanced stripe-wise pruning (BSWP), to perform pruning in the filter. The key concept of BSWP shown in Fig. 1 is that stripes-wise pruning is performed under the constraint that the number of different types of stripes (intra-filter ones) are close, while the number of survived stripes in different filters (inter-filter ones) will also be balanced by a new pruning strategy. The main contribution of this work is twofold, (1) the idea of balanced pruning is firstly proposed for SWP; (2) the pruning threshold is dynamically adjusted according to the survival rate at each layer during the training process.

## **Dynamic Pruning Threshold**

In the vanilla SWP, the pruning threshold  $\delta$  is set to a fixed value for all convolutional layers. However, the value of  $\delta$  is not directly connect to the pruning rate at each layer, which introduces another kind of layer-wise imbalance. Since it unable to control the exact pruning rate at specific layer, undesired poor performace may be triggered by a too low surviving rate in mid-layers.

Therefore, the survival rates of every layer in the entire model are counted every 10 training epochs. Different pruning thresholds are assigned according to their current survival rates. In other words, a higher pruning threshold will be given to those layers with a higher survival rate, and vice versa. This dynamic pruning threshold  $\delta^l$  at *l*-th layer is determined as,

$$\delta^l = \delta_0 \times \rho(r),$$

where  $\delta_0$  denotes initial pruning threshold, r is the survival rate at *l*-th layer, and  $\rho(r)$  is an adjustment function.

# **BALANCED STRIPE-WISE PRUNING IN THE FILTER**

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$$L_{s} = \frac{1}{K \times K} \sum_{l=1}^{L} \sum_{m=1}^{K \times K} \left(S_{m}^{l} - \overline{S}^{l}\right)^{2}$$

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$$\sigma(I_{n,i,j}^l) = \frac{1}{e^{-q \times (I_{n,i,j}^l - \delta)} + 1}$$

In summary, the final loss function can be written as,  $L = L_{cla} + \lambda_1 L_{lasso} + \lambda_2 (\mu L_s + (1 - \mu)L_f)$ 

(93.84%) is even higher than the baseline.

VGGI0			
<b>Aetrics</b>	Param (%) $\downarrow$	FLOPS (%) $\downarrow$	Acc.
eline [18]	0	0	93.26
Net [24]	63.95	64.02	90.76
.1 [12]	64	34.3	93.40
SS [13]	73.8	41.6	93.02
FP [25]	63.95	63.91	92.08
AL [26]	77.6	39.6	92.03
nge [27]	80.05	39.07	93.59
ank [23]	82.9	53.5	93.43
VP [16]	92.66	71.16	93.65
BSWP	93.83	76.34	93.84

parameters by 93.83% and the FLOPS by 76.34%. It is worth noting that the network accuracy