

UAV OPERATION TIME MINIMIZATION FOR WIRELESS-POWERED DATA COLLECTION



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Introduction

Background

- ✓ The advantages of employing unmanned aerial vehicles (UAVs) in Internet-of-Things (IoT) wireless sensor networks (WSNs) comprise: (a) LoS communication (b) Wireless power transfer (WPT) (c) Collect data (CD)
- ✓ Battery-powered sensors deployed in the WSN, called ground nodes (GNs), can: (a) Monitor environmental (b) Transmit collected data (c) Energy harvesting (EH)
- ✓ WPT to GNs from UAV for collecting data from them enables sustainable WSNs
- ✓ Challenges to be addressed during UAV-assisted WPT and CD from GNs: (a) Limitations on battery storage and operation time of the UAV and GNs. (b) QoS requirements at GNs that include total system throughput.

State-of-art

- ✓ UAV trajectory designs in UAV-assisted networks to fulfil various requirements.
- ✓ Employed UAVs to develop sustainable networks.

Innovation and Significance

- ✓ Existing works overlooked the possibility of WPT from UAV to GNs for CD
- ✓ Ignored the operation time constraint of the UAV
- ✓ Investigation of UAV-assisted wireless-powered data collection network.
- Operation time minimisation by optimising time allocation and UAV trajectory.



- ✓ Wireless-powered network that consists of one UAV and *k* GNs.
- ✓ UAV has 2 antennas: 1) charging GNs, 2) collecting data from GNs using TDMA.
- ✓ Locations of GNs (GN*i*={ $x_i, y_i, 0$ }) and the data center (*F*={ $x_0, y_0, 0$ }) are fixed.
- ✓ Positions of UAV above GN*i* is $U_i = \{x_i, y_i, H\}$, and at *F* is $U_0 = \{x_0, y_0, 0\}$.
- \checkmark UAV takes off from data center at constant speed ν to CD from GNs and return
- \checkmark During the operation, UAV's trajectory is represented by a sequence s,
- \checkmark The time allocated for each GN and the data center is represented by au

✓ Distance from
$$U_{[s]_i}$$
 to $U_{[s]_j}$: $d_{i,j} = \sqrt{\left(x_{[s]_i} - x_{[s]_j}\right)^2 + \left(y_{[s]_i} - y_{[s]_j}\right)^2 + \left(z_{[s]_i} - z_{[s]_j}\right)^2}$

✓ Flying time from $U_{[s]_i}$ to $U_{[s]_i}$: $\delta_{i,j} = \frac{d_{i,j}}{v}$, and Total flying time: $T_F = \sum_{i=0}^k \delta_{i,i+1}$.

- \checkmark UAV flies at its minimum safety altitude *H* except for taking off or landing down.
- ✓ Channel reciprocity and perfect CSI availability at UAV is assumed

✓ Channel power gain between UAV at $U_{[s]_i}$ and $GN[s]_j$ is : $h_{i,j} = \hat{P}_{LoS} d_0 d_{i,j}^{-\frac{1}{2}} a_{[s]_j}$

✓ AWGN noise is considered with zero mean and σ^2 as the variance

Performance Metrics

• The energy available at $GN[s]_i$ when the UAV reaches it is $E_i = \eta_i \sum_{i=0}^{i-1} P_H h_{i,i} \tau_i$ where η_i is GN[**s**]_{*i*}'s RF-to-DC rectification efficiency

Problem Definition

- ✓ Minimise UAV operation time while satisfying throughput and time constraints $(\mathcal{P}1)$: minimize $T_F + \sum_{i=0}^k \tau_i$, subject to
 - $\begin{array}{l} \text{C1:} \sum_{i=1}^{k} \mathcal{T}_{i}^{s, \iota}(\tau_{i}) \geq \mathcal{T}_{th}, \mathcal{T}_{th} \text{ is the total throughput requirement.} \\ \text{C2:} \tau_{i} \geq 0, i \in \{0, 1, 2, \cdots, k\}, \text{C3:} \sum_{i=0}^{k} \tau_{i} T_{F} \leq T, \\ \text{C4:} d_{[s]_{i}, [s]_{j}} = \delta_{i, j} \nu, \qquad \text{C5:} [s]_{i} \in \{0, 1, \cdots, k+1\}, \ i \in \{1, 2, \cdots, k+2\}. \end{array}$
- \checkmark (P2) is a mixed-integer nonconvex problem, we decouple it into 2 problems ✓ Time allocation problem ($\mathcal{P}2$) optimizes time τ for a given trajectory: (P2): minimize $\sum_{i=0}^{k} \tau_i$, s.t. C1, C2, C3
- ✓ After obtaining the optimal time allocation, the trajectory planning for the UAV in $(\mathcal{P}1)$ can be reduced to a travelling salesman problem (TSP).

Proposed Joint Optimization Methodology

- ✓ Create a population of n_{pop} chromosomes to represent UAV's access order by generating sequences s.
- ✓ For each chromosome, obtain time allocations τ by solving (\mathcal{P} 2). This problem is proved to be convex and can be tackled by exploiting KKT conditions.
- ✓ Evaluate and find n_{best} high-fitness parent chromosomes with less operation time while satisfying the constraints. Generate n_{pop} new chromosomes and apply same steps until there are n_{iter high-fitness} parent chromosomes.
- ✓ Set the best high-fitness parent chromosomes across stored in n_{iter} with minimum operation time to be the optimal UAV trajectory s^* and time allocation as τ^* .



✓ More reliable operation of UAV, which provides lower total operation time while satisfying throughput requirements compared to the benchmarks

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• With $\gamma_i = \frac{\eta_i P_H h_{i,i}}{\sigma^2}$, the throughput of GN[\boldsymbol{s}]_i is: $\mathcal{T}_i(\tau_i) = \frac{1}{\tau} \tau_i \log_2 \left(1 + \frac{\gamma_i \sum_{j=1}^{l-1} \tau_j h_{i,j}}{\tau_i} \right)$