

A Neural-enhanced Factor Graph-based Algorithm for Robust Positioning in Obstructed LOS Situations



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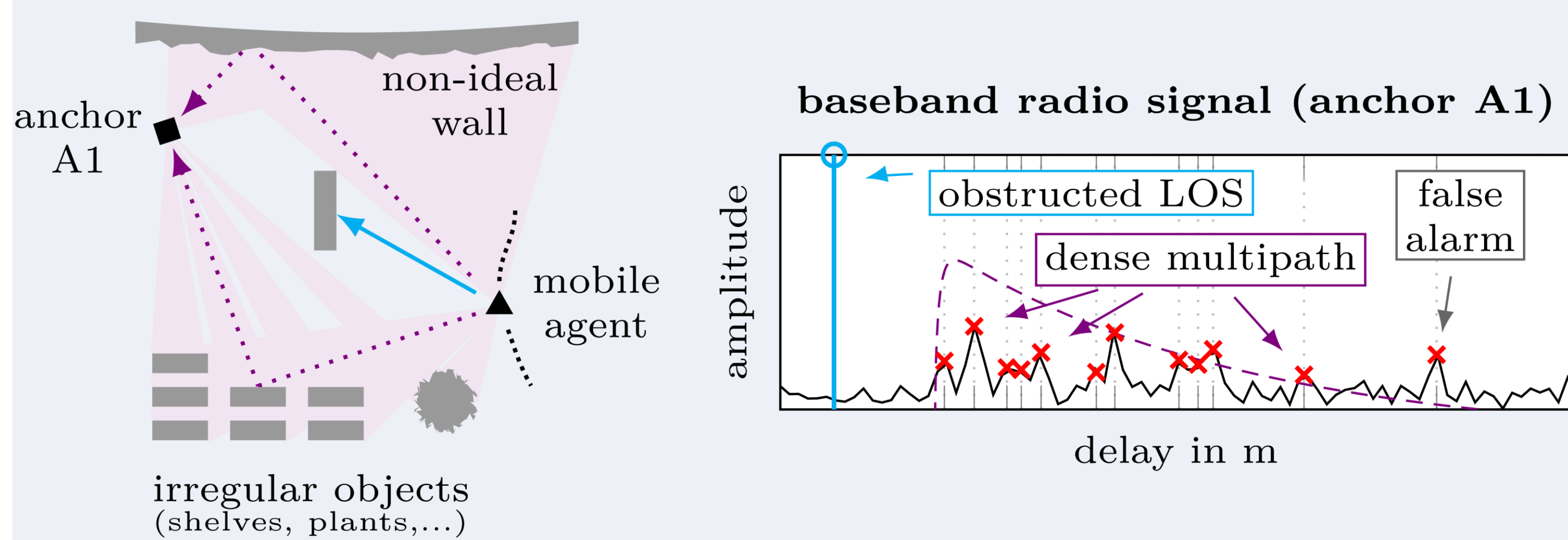
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Abstract

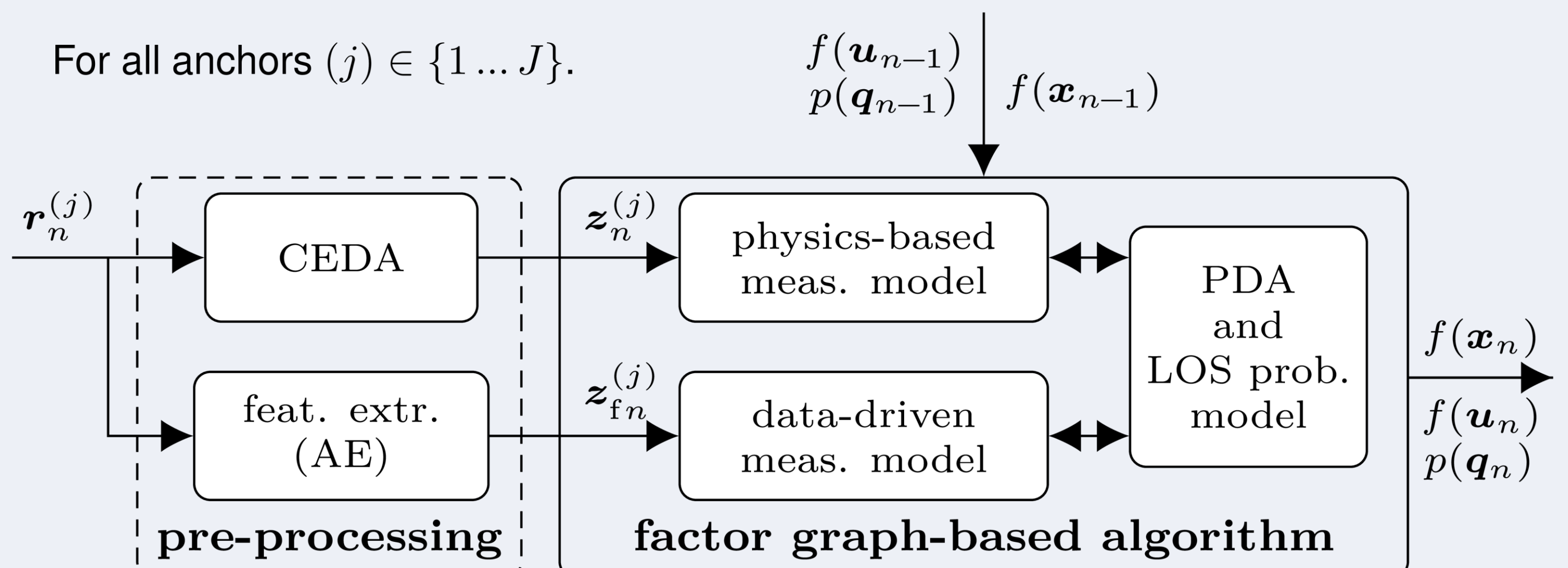
- **Neural-enhanced joint Bayesian probabilistic model** and corresponding **factor graph-based algorithm** for robust radio signal-based localization and tracking in multipath environments with fully obstructed LOS situations.
- Proposed method only requires sparse training data, works in **arbitrary multipath channels**, and significantly outperforms state-of-the-art methods.

Problem Statement

Robustly estimate the mobile agent state PDF in scenarios with arbitrary multipath propagation (specular or dense/diffuse) **even in obstructed LOS situations**.



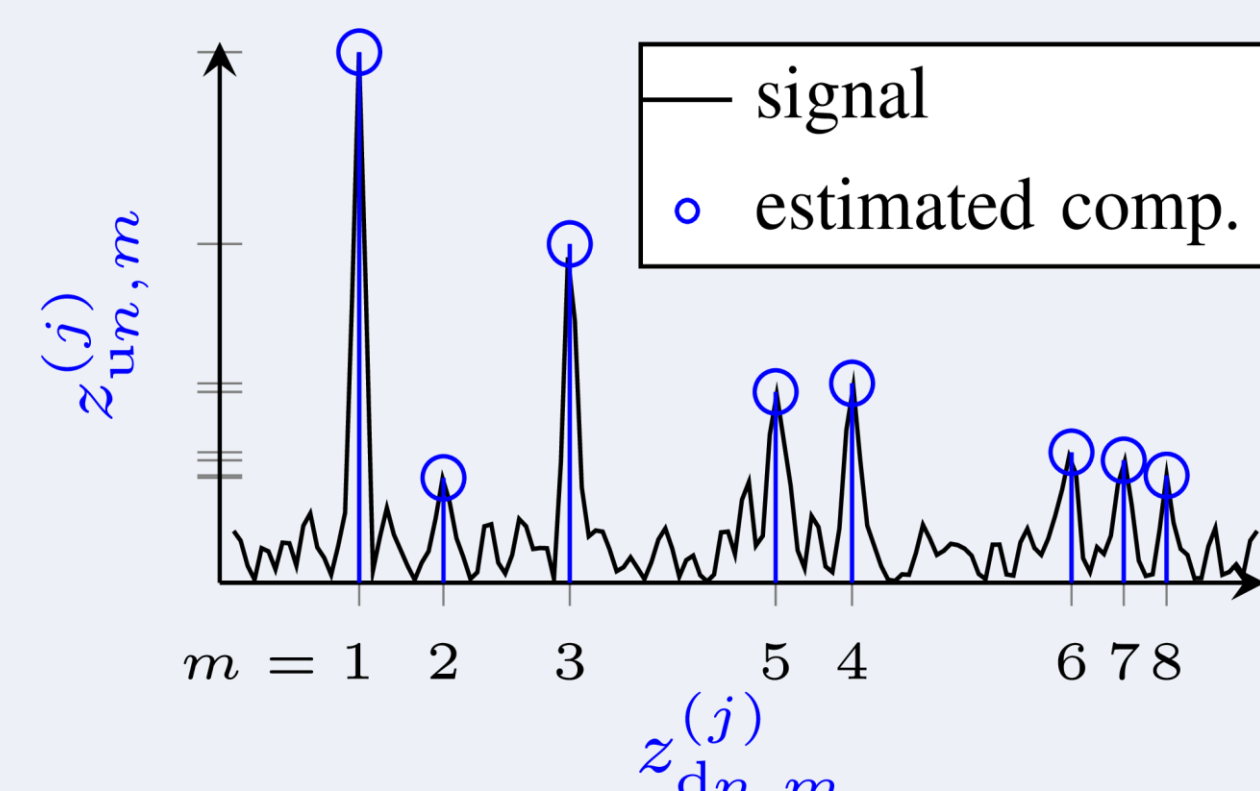
Algorithm Concept



Pre-processing

For each anchor $j \dots$

- 1) a Channel Estimation and Detection Algorithm (CEDA) estimates $m_n^{(j)}$ **signal component measurements** $z_{u,n,m}^{(j)} = [z_{dn,m}^{(j)}, z_{un,m}^{(j)}]^T$.
- 2) a pre-trained Auto Encoder Deep Neural Network (AE-DNN) extracts F **feature measurements** denoted by $z_{f,i,n}^{(j)}$ (latent space).



Advantages: compression of signal, unsupervised training, may capture details.

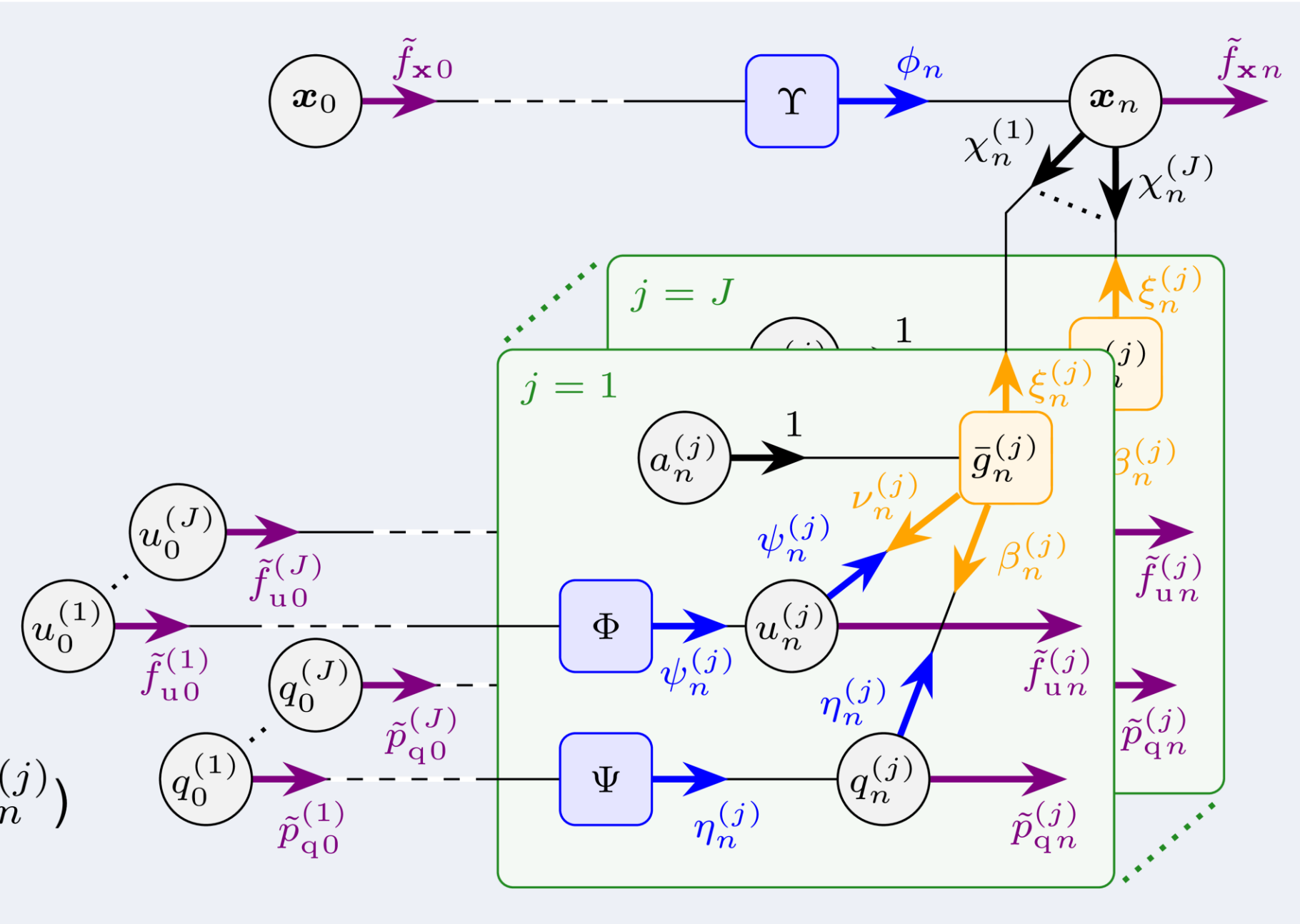
Factor Graph-based Algorithm

Hidden random variables

- agent state x_n
- for all J anchors:
 - data association variable $a_n^{(j)}$
 - normalized amplitude $u_n^{(j)}$
 - LOS probability $q_n^{(j)}$

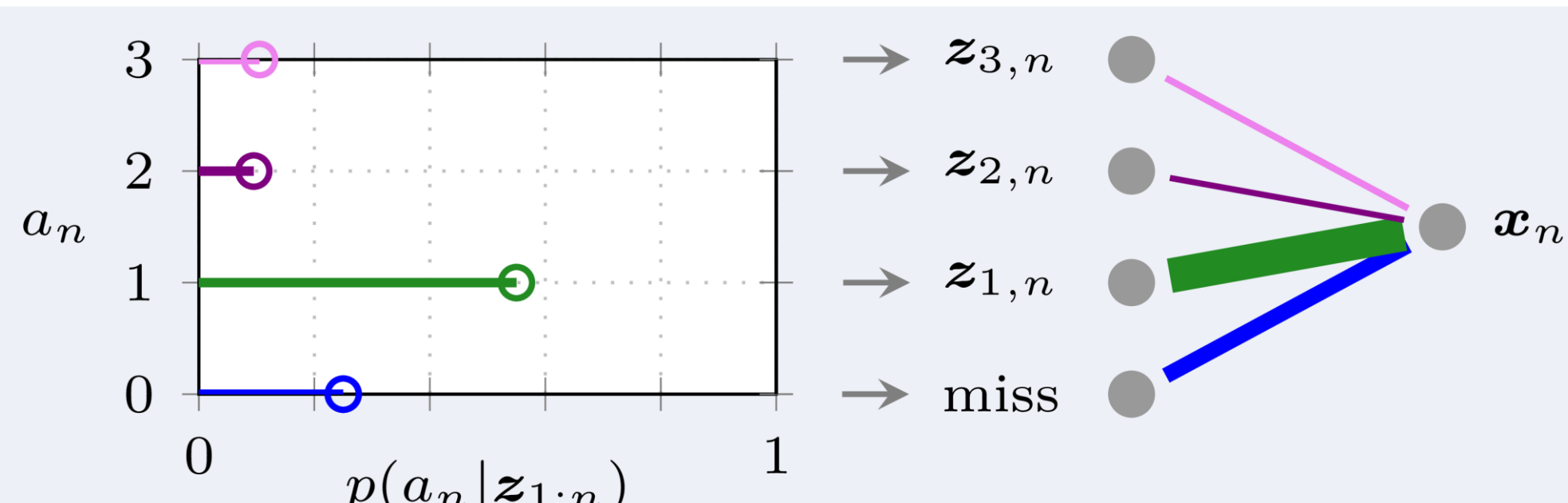
Observed random variables

- CEDA measurements $z_{n,m}^{(j)}$ (with random num. of meas. $m_n^{(j)}$)
- AE-DNN measurements $z_{f,i,n}^{(j)}$

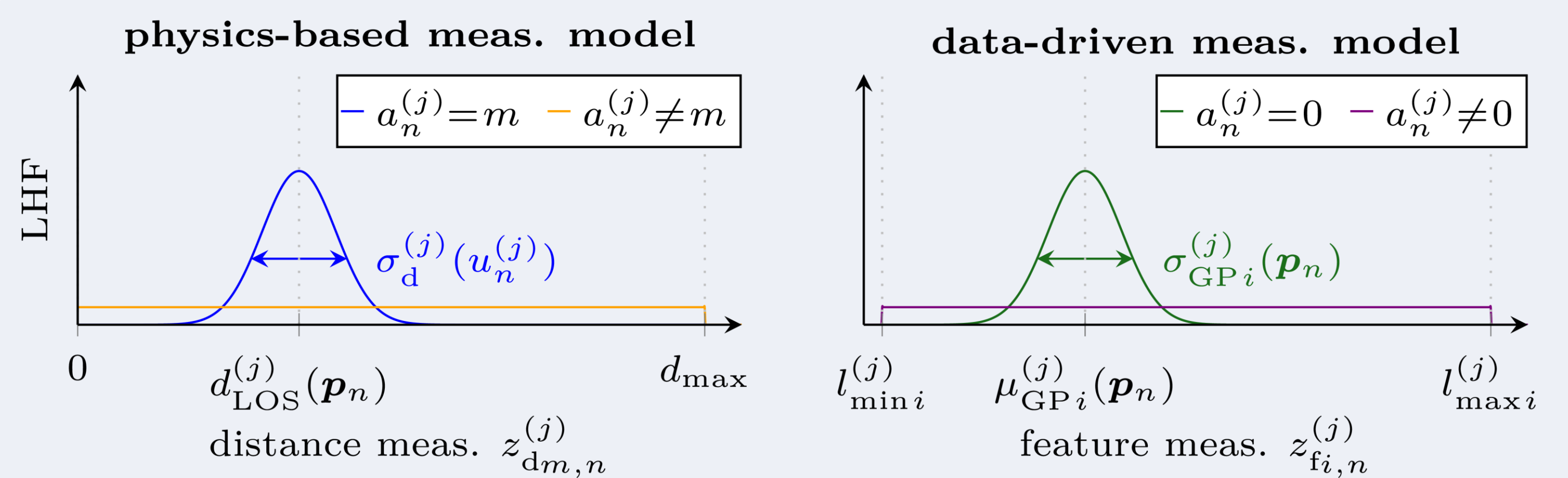


Probabilistic Data Association (PDA)

Differentiate between a **single possible LOS** measurement and **many possible NLOS** measurements (MPCs or false alarms).



Measurement Model



$d_{\text{LOS}}^{(j)}(\mathbf{p}_n)$: euclid. distance, $\sigma_d(u_n^{(j)})$: Fisher information (CRLB)

$\mu_{\text{GPI}}^{(j)}(\mathbf{p}_n)$, $\sigma_{\text{GPI}}^{(j)}(\mathbf{p}_n)$: Gaussian Process Regression (GPR) mean value and std. dev.

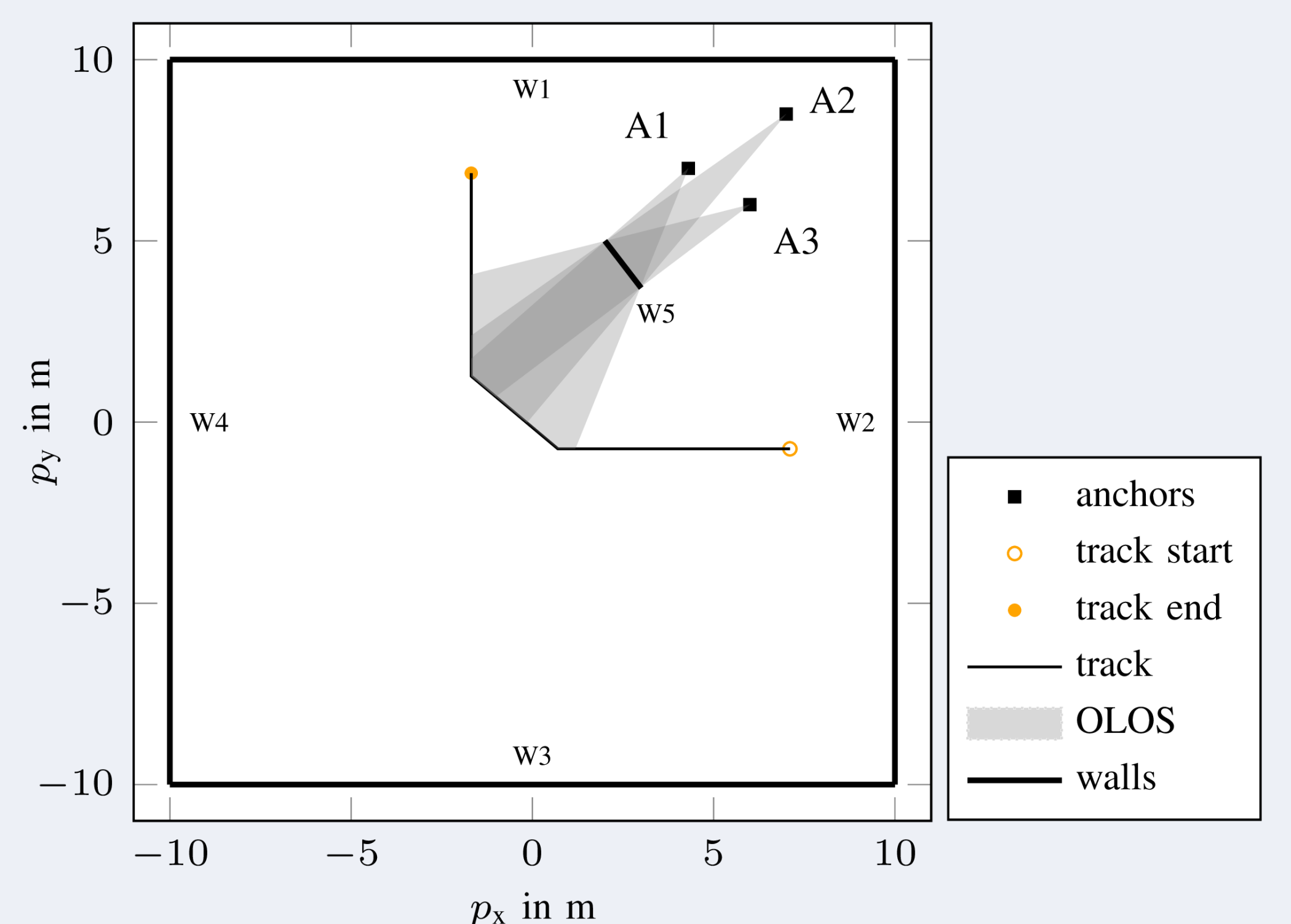
Numerical Simulation

Challenging Scenario

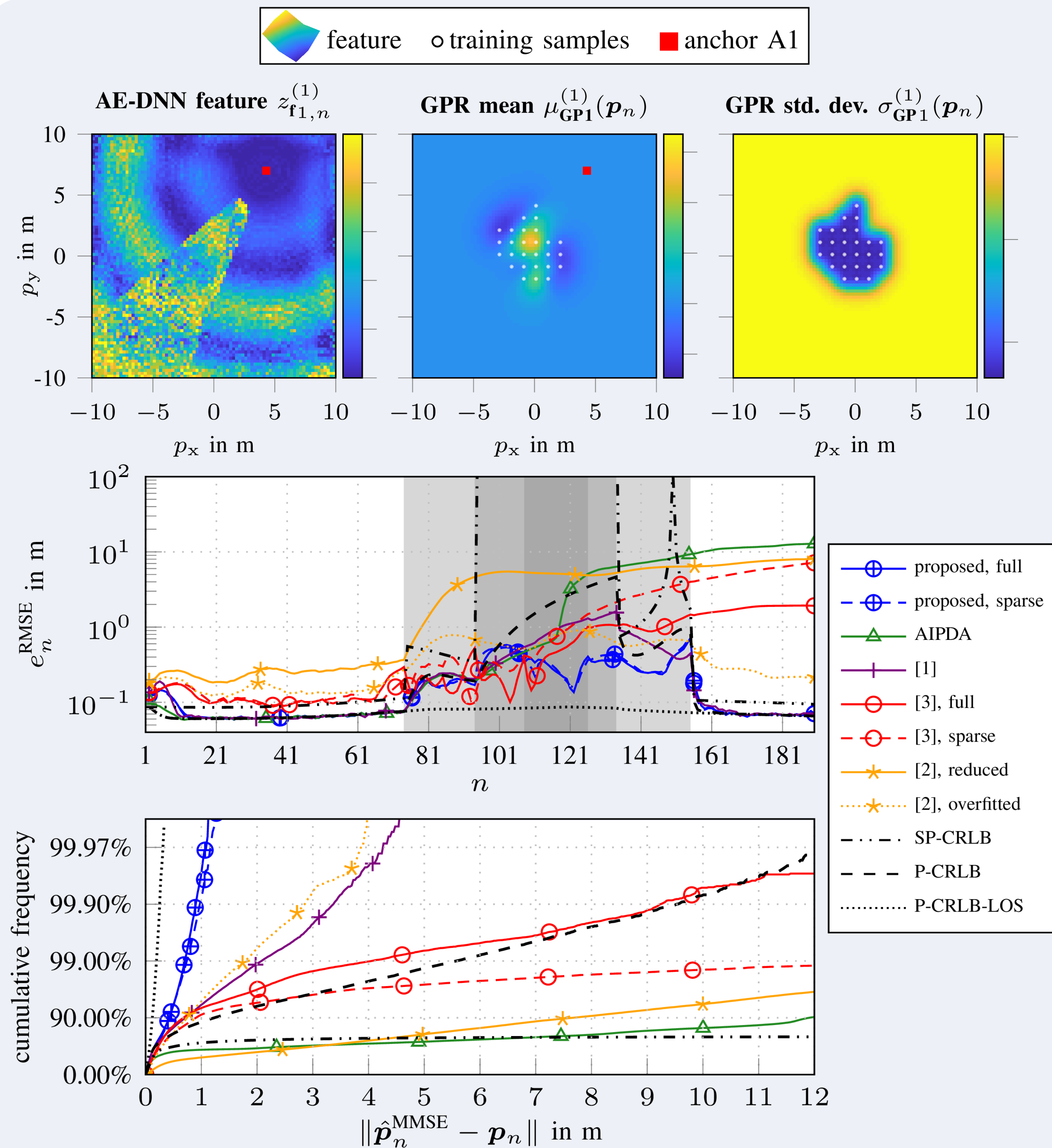
- fully obstructed LOS
- anchors in close vicinity (poor GDOP)

Parameters

- MPCs based on image source model
- free-space path loss
- 30 dB SNR at 1m + 3dB per reflection
- RRC signal with 500 MHz bandwidth



Exemplary Results



Conclusion

- Demonstrated the applicability of the presented algorithm in the context of **fully obstructed LOS mitigation**.
- The presented algorithm **significantly outperforms** all compared algorithms and constantly attained the **posterior CRLB (P-CRLB)**.