

## Overview

- We propose a deep learning method for adding new classes to a given classifier without access to the original data.
- This problem arises frequently since models are often shared without their training data, due to privacy and data ownership concerns.
- We modify the original classifier by retraining a suitable subset of layers using a knowledge-distillation regularization
- The achieved accuracy is almost as good as that obtained by a system trained from both the original and new classes.

## **Problem formulation**

- We are given a classifier  $C_A$  for k original classes  $A = \{1, 2, ..., k\}$  and training data for m **new** classes  $B = \{k+1, ..., k+m\}$ .
- We wish to build an extended classifier  $C_{AB}$ , that can handle samples from all classes  $A \cup B$ .
- We can access to the parameters of  $C_A$  but not its training data.



 $p_{or}(y=i|\mathbf{x}), \quad i \in \mathbf{A}$ 

 $p_{ex}(y=i|\mathbf{x}), \quad i \in A \cup B$ 

## Challenges

- Catastrophic Forgetting
- Forget previously learned information upon learning new one Privacy
  - No samples from original classes at training time
- In contrast to *Transfer Learning*, we interested in the extended class-set, rather than the new one

# Network Adaptation Strategies for Learning New Classes Without Forgetting the Original Ones

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# Our training approach

- Retrain a subset of the layers of  $C_A$ Motivated by Transfer Learning
- Use a regularized term: Motivated by Knowledge Distillation

$$L = (1 - \epsilon) \sum_{t=1}^{n} \log p_{ex}(y_t | \mathbf{x}_t) + \epsilon \sum_{t=1}^{n} \sum_{i \in A} p_{or}(\mathbf{x}_t)$$

where  $\epsilon$  weights the regularization term

# **Compared Methods**



original classes A new classes B





retraining all layers

classes



•  $\epsilon$  is linearly proportional to the number of original classes.

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0.6

0.5

<sup>ພ</sup> 0.4 າ

0.3

0.2

0.1

ACWOD

- As more layers are retrained,  $\epsilon$  is bigger.



percentage of original classes

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  Methods which constraint network layers (ACWOD, residual-block),

allow the re-trainable layers to better adapt, using a smaller \epsilon.
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