

Multi-step Online Unsupervised Domain Adaptation

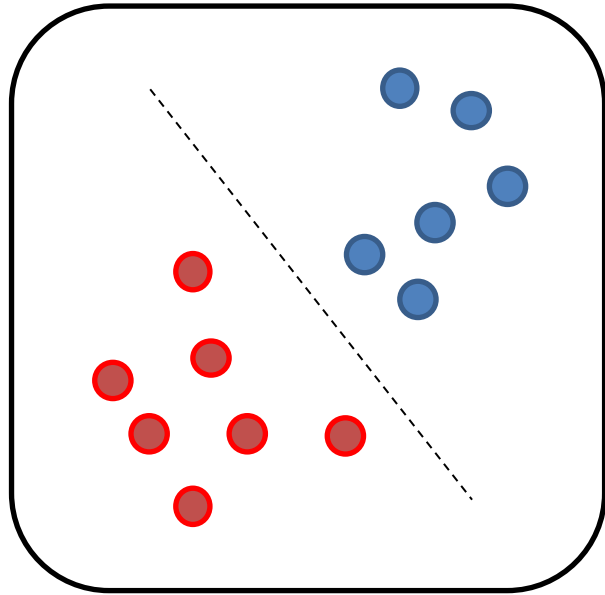
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ICASSP 2020

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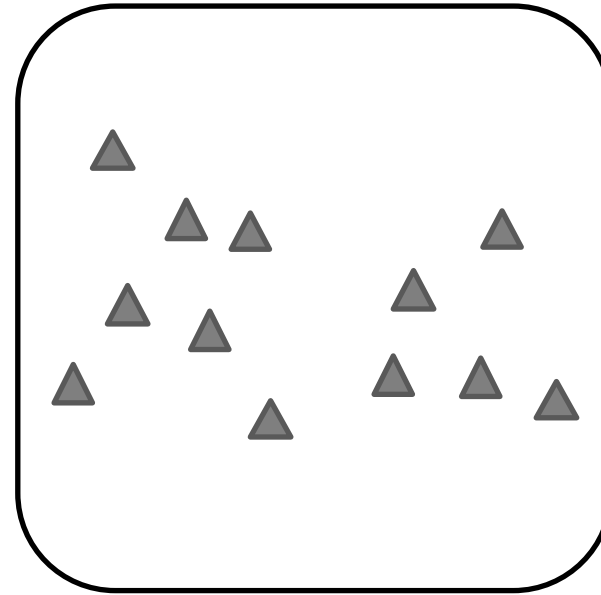
- Introduction
- Main steps of proposed method
 - Subspace Representation
 - Averaging Mean-target Subspace
 - Domain Adaptation
 - Recursive Feedback
- Experimental Results
- Conclusion

Introduction

Source Domain

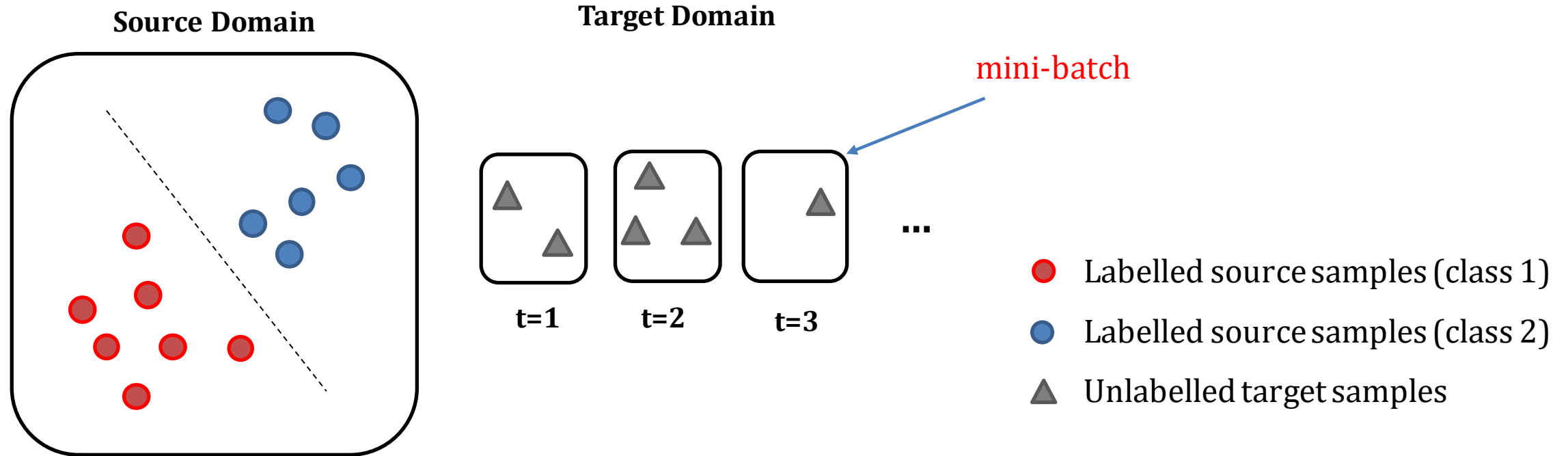


Target Domain



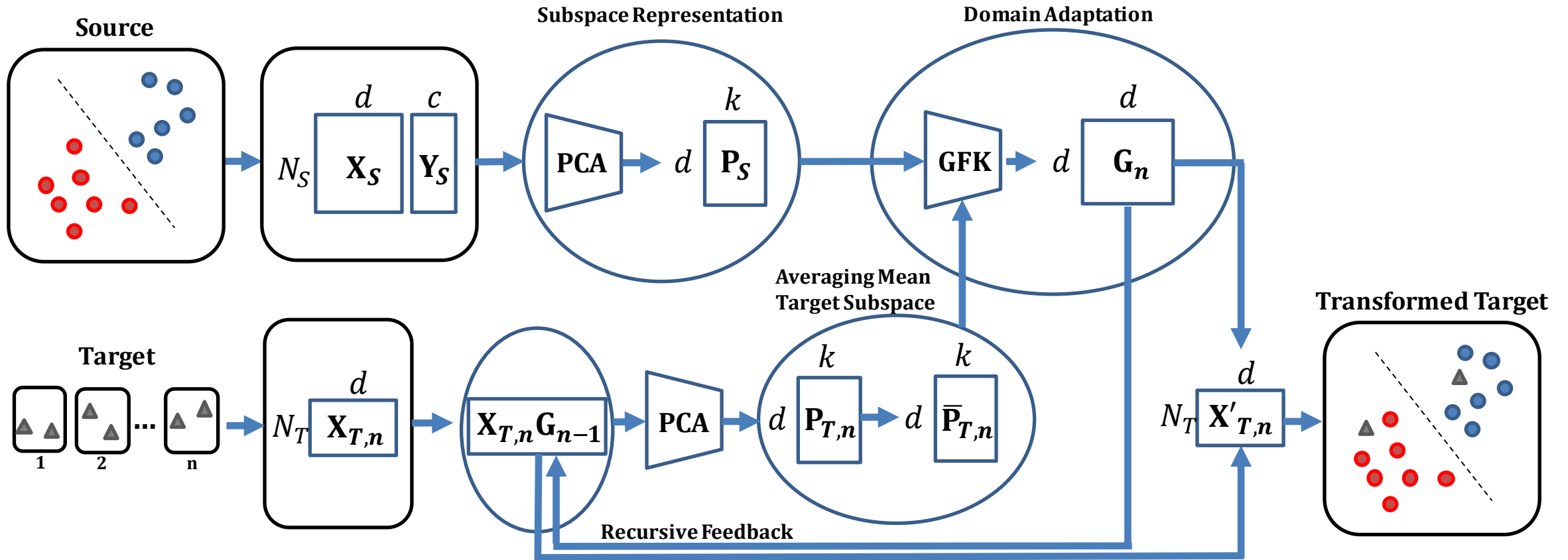
- Labelled source samples (class 1)
- Labelled source samples (class 2)
- ▲ Unlabelled target samples

- Unsupervised Domain Adaptation (UDA) transfers the knowledge from the labelled source domain to the unlabelled target domain
- Source and target samples are in batch



- Online Unsupervised Domain Adaptation (OUDA) is a more challenging problem than a traditional UDA problem
- Target samples arrive in online fashion (each mini-batch)

- Subspace Representation
- Averaging Mean-target Subspace
- Domain Adaptation
- Recursive Feedback



Each Step of the Proposed Framework

1. Subspace Representation

Labelled Source



X_S

Unlabelled Target

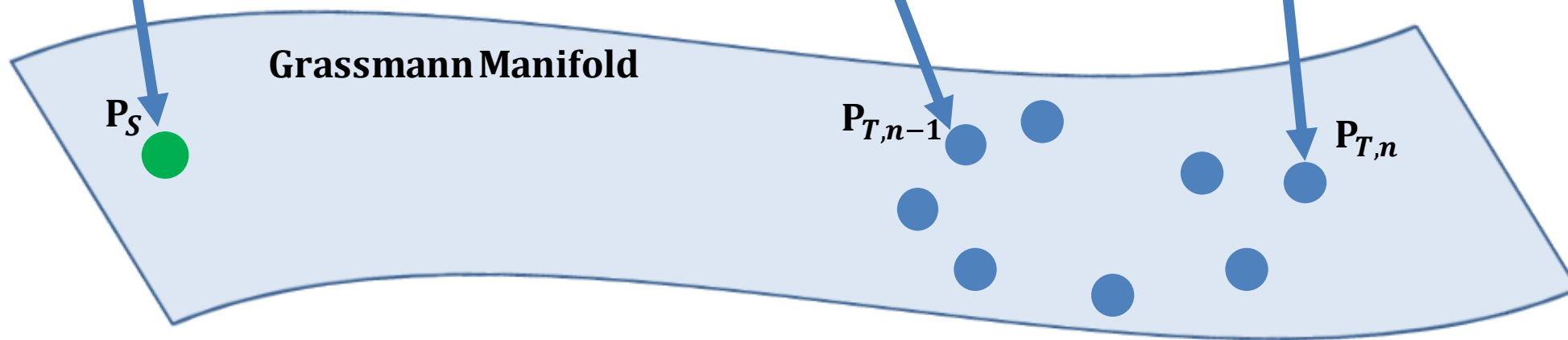


$X_{T,n-1}$



$X_{T,n}$

Mini-batch



2. Averaging Mean-target Subspace

Labelled Source



X_S

Unlabelled Target

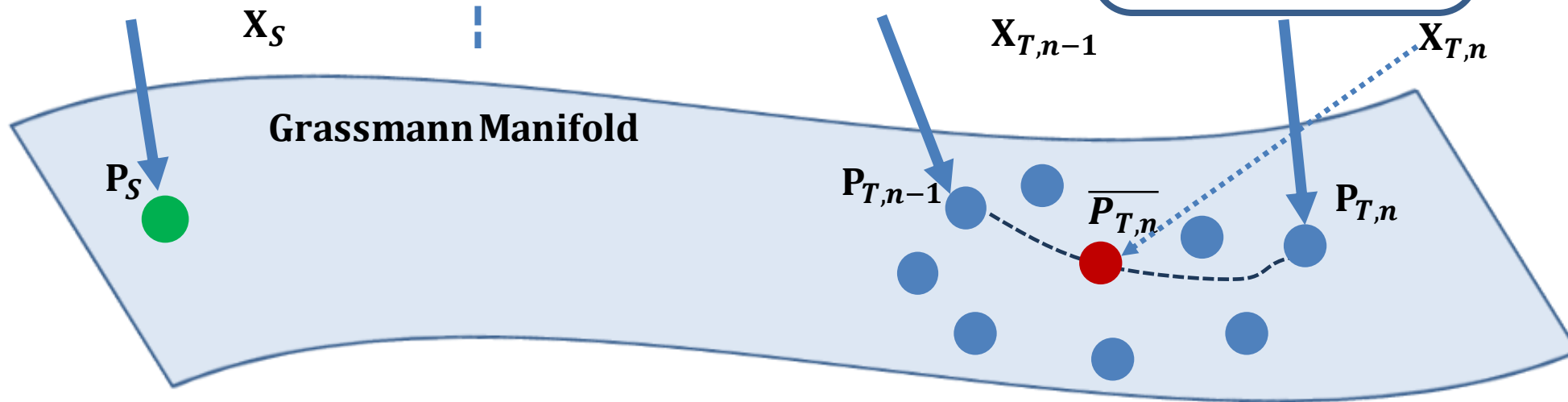


$X_{T,n-1}$

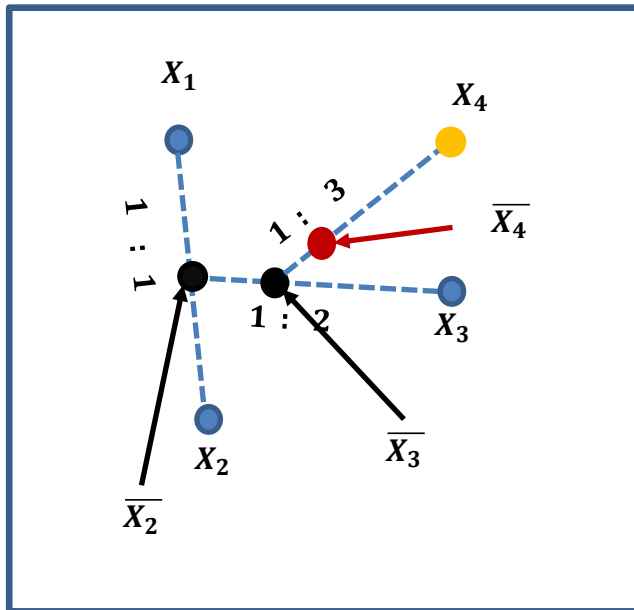


$X_{T,n}$

Mini-batch

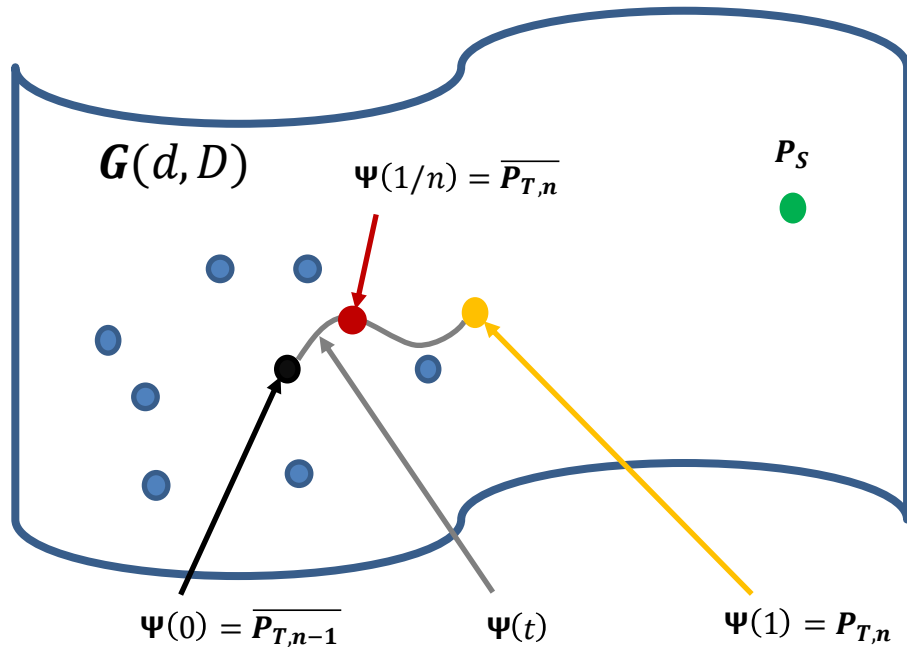


Euclidean Space



$$\overline{X_n} = \frac{(n-1)\overline{X_{n-1}} + X_n}{n}$$

Grassmann Manifold



- P_S : Source Subspace
- $P_{T,i}$: i 'th Target Subspace
- $\overline{P_{T,n-1}}$: Mean of $n - 1$ Subspaces
- $P_{T,n}$: n 'th Target Subspace
- $\overline{P_{T,n}}$: Mean of n Target Subspaces
- ~ $\Psi(t)$: Geodesic Curve from $\overline{P_{T,n-1}}$ to $P_{T,n}$

- $\Psi(0) = \overline{P_{T,n-1}}$
- $\Psi(1) = P_{T,n}$
- $\Psi(1/n) = \overline{P_{T,n}}$

3. Domain Adaptation

Labelled Source



X_S

Unlabelled Target

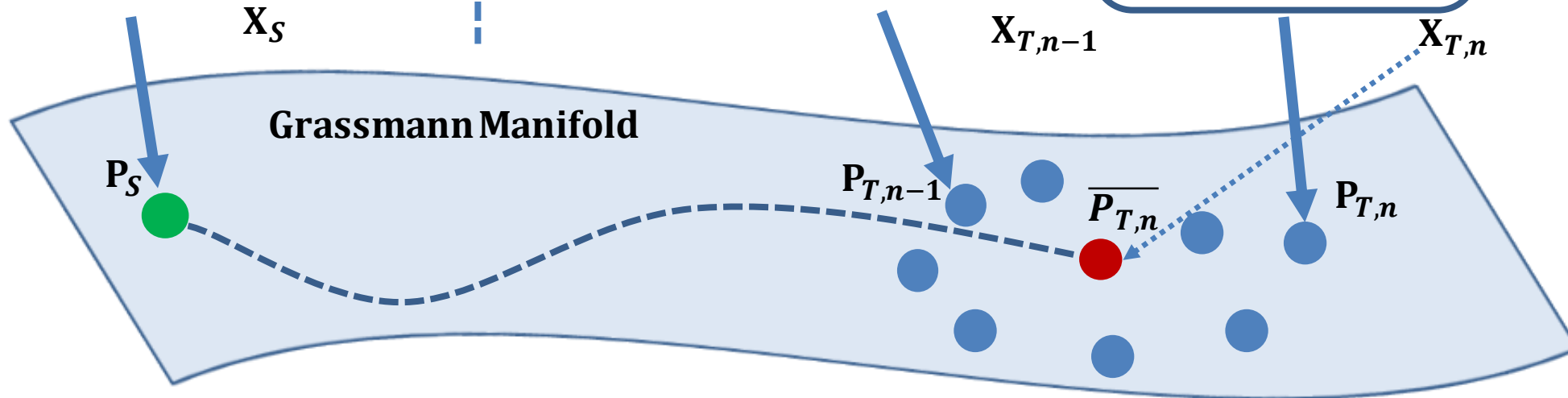


$X_{T,n-1}$

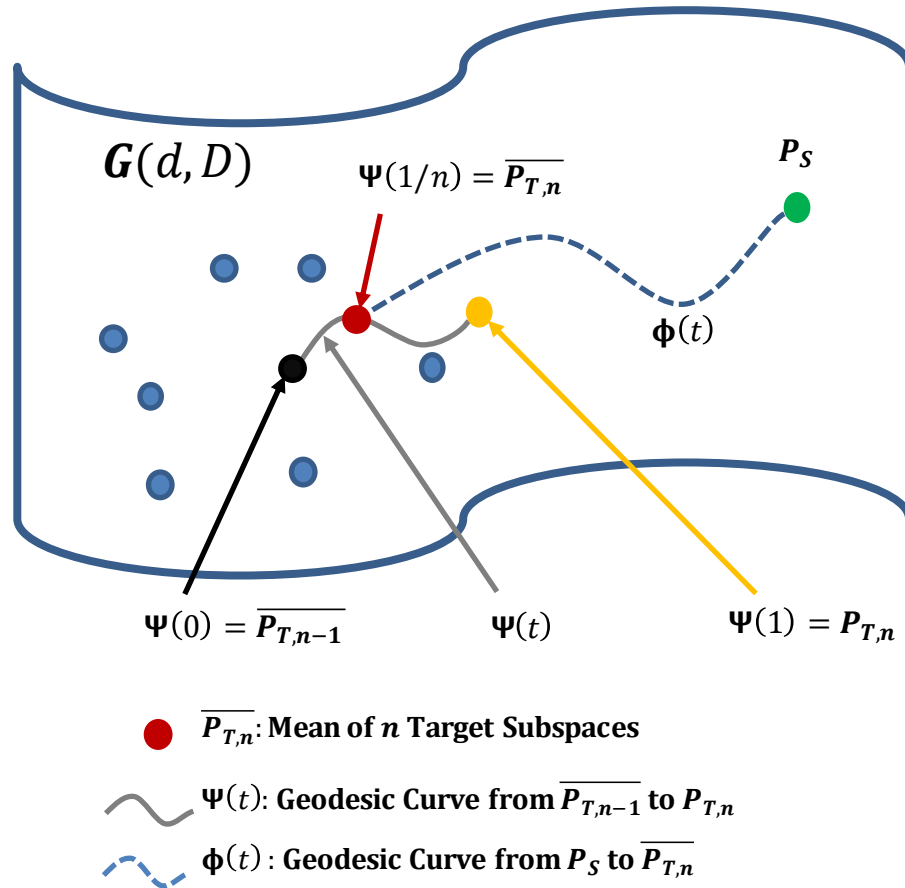


$X_{T,n}$

Mini-batch



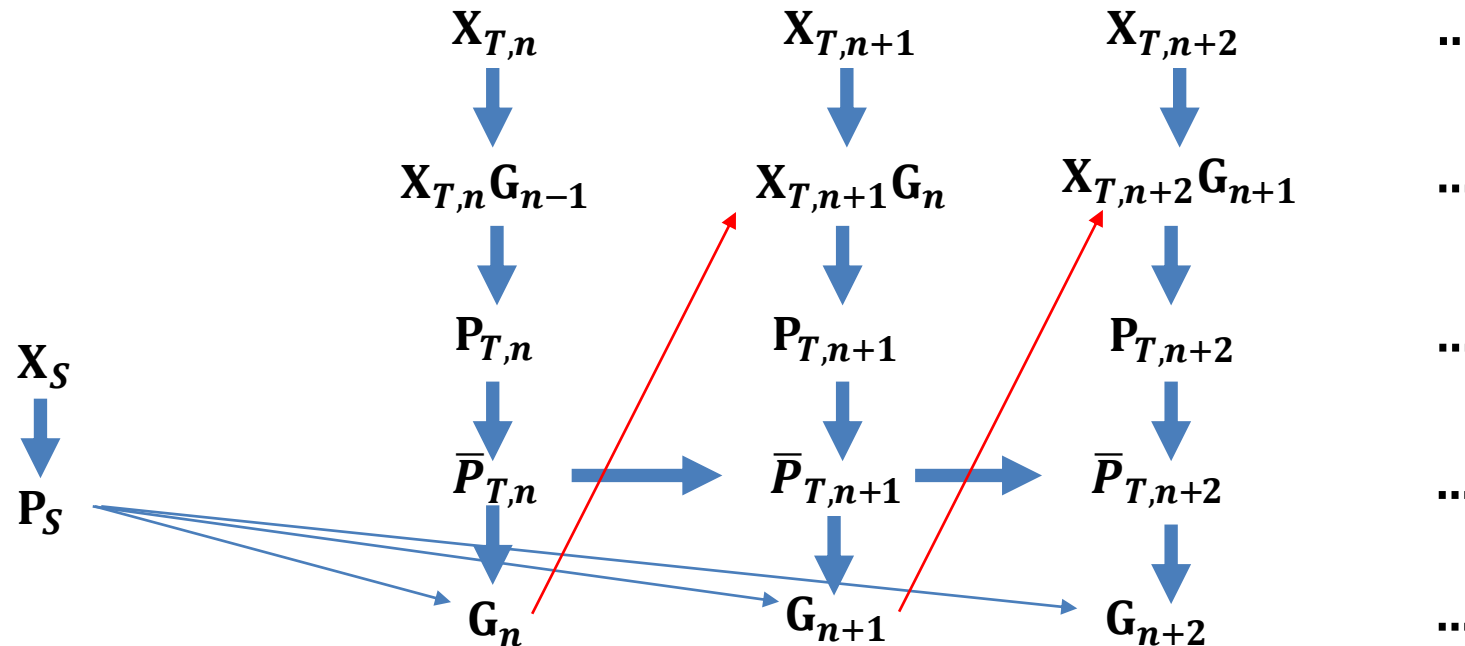
Grassmann Manifold



- Transformation matrix \mathbf{G}_n from the target domain to the source domain using the Geodesic Flow Kernel (GFK)

- $$\mathbf{G}_n = \int_0^1 \boldsymbol{\Phi}(\alpha) \boldsymbol{\Phi}(\alpha)^T$$

4. Recursive Feedback



- Based on the computed transformation matrix G_n , modify the $(n+1)$ th target mini-batch $X_{T,n+1}$ to $X_{T,n+1}^{pre} = X_{T,n+1} G_n$ before subspace representation step.

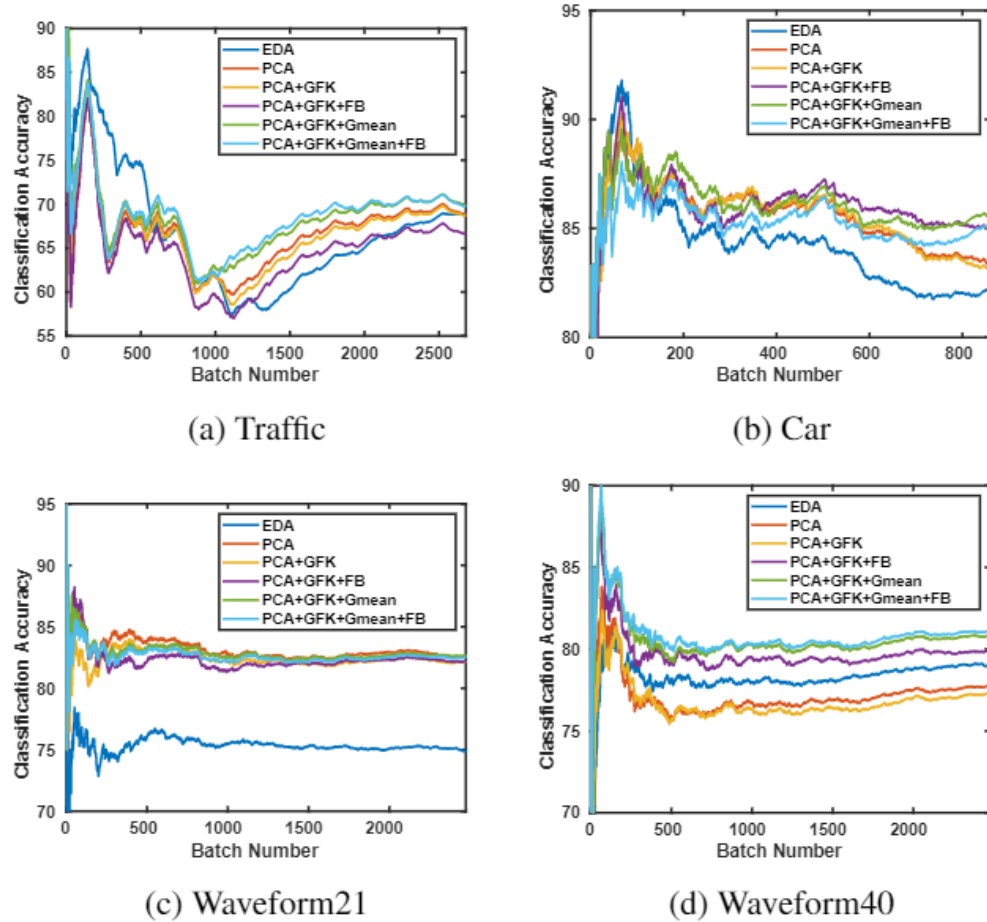


Fig. 4: Accuracy of the previous method (EDA) and variants of the proposed method.

Table 1: Accuracy (%) of Various Methods(Vanilla AE)

Method	Classifier	Traffic	Car	Waveform21	Waveform40
CMA+GFK	KNN	63.22	82.50	72.48	66.85
	SVM	68.87	82.73	69.15	68.77
CMA+SA	KNN	41.33	56.45	33.19	33.09
	SVM	41.33	56.45	33.84	33.05
EDA	ISSL	69.00	82.59	74.65	79.66
PCA	KNN	63.05	82.50	71.07	66.08
	SVM	68.85	83.31	82.55	77.74
PCA+GFK	KNN	64.02	82.44	70.55	65.76
	SVM	68.71	83.08	82.10	77.23
PCA+GFK+FB	KNN	61.77	81.28	72.65	66.85
	SVM	66.67	84.88	82.18	79.86
PCA+GFK+Gmean	KNN	56.42	82.73	72.22	67.11
	SVM	69.94	85.52	82.69	80.79
PCA+GFK+Gmean+FB	KNN	57.03	82.44	72.38	67.90
	SVM	69.77	85.00	82.51	81.07

Table 2: Comparison of Computation Time (sec)

Method	Traffic	Car	Waveform21	Waveform40
EDA	105.7	2545	22.32	23.42
Proposed method	57.45	5503	3.188	4.410

- We proposed a multi-step framework to solve the OUDA problem.
- We incrementally computed the mean-target subspace on a Grassmann manifold.
- Our method outperformed the previous OUDA methods in terms of classification accuracy and computation time.