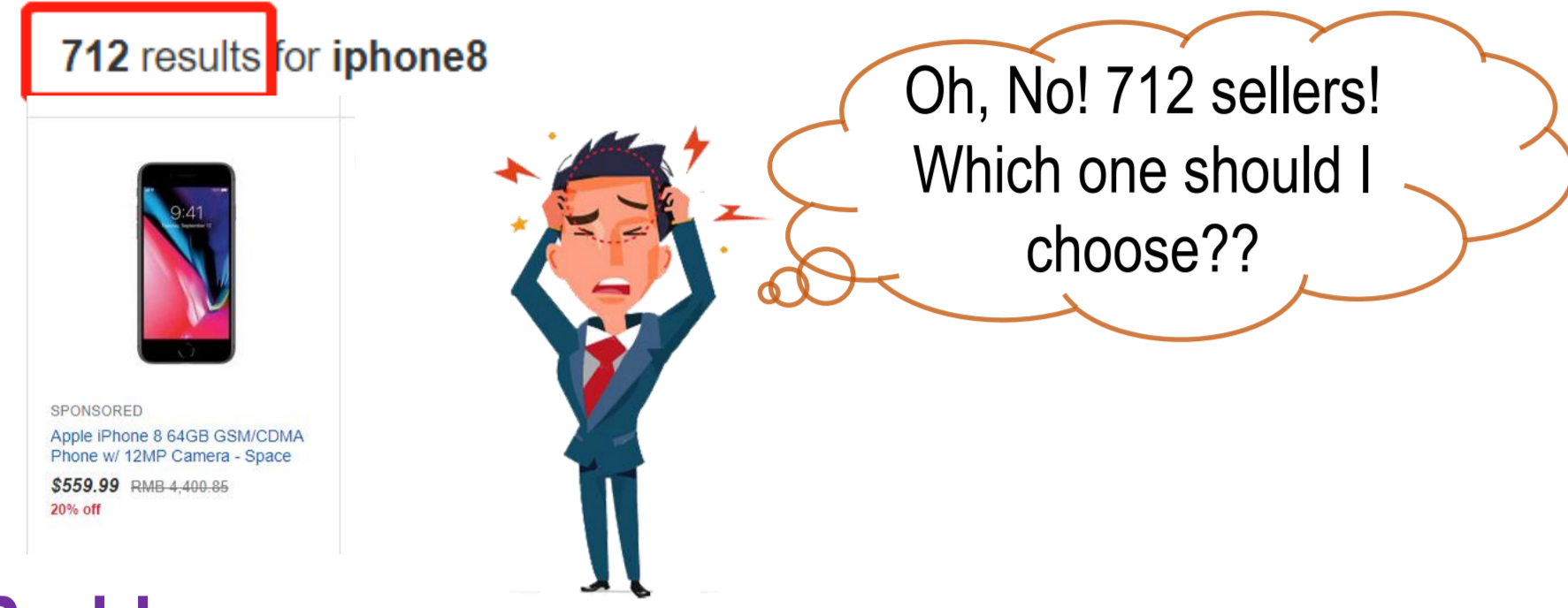




Introduction

Personalized service in E-commerce



Two Problems

- recommending new products [1,2]
- personalized ranking of sellers offering similar products ★

Challenges

- the inter-attribute tradeoff
- the inter-item competition

Prior Works

Multi-Criteria Decision Making Theory (MCDM) [3]

- explicit utility function
- ignore the inter-item competition

Multi-Attribute Probabilistic Selection (MAPS) [5]

- address the inter-item competition
- reduce information

Indifference Curve Based Method (IC) [6]

- higher accuracy than MAPS
- high complexity 😞

Our solution: use an utility function to simplify the analysis of users' preferences; combine MCDM [3] and IC [6]

The Price-Reputation Plane

- Normalization: $p, r \in [0, 1]$

A larger value indicates a higher preference

- Important Concepts

- Utility
- Skyline Items
- Indifference Curve
- Marginal Rate of Substitution (MRS)

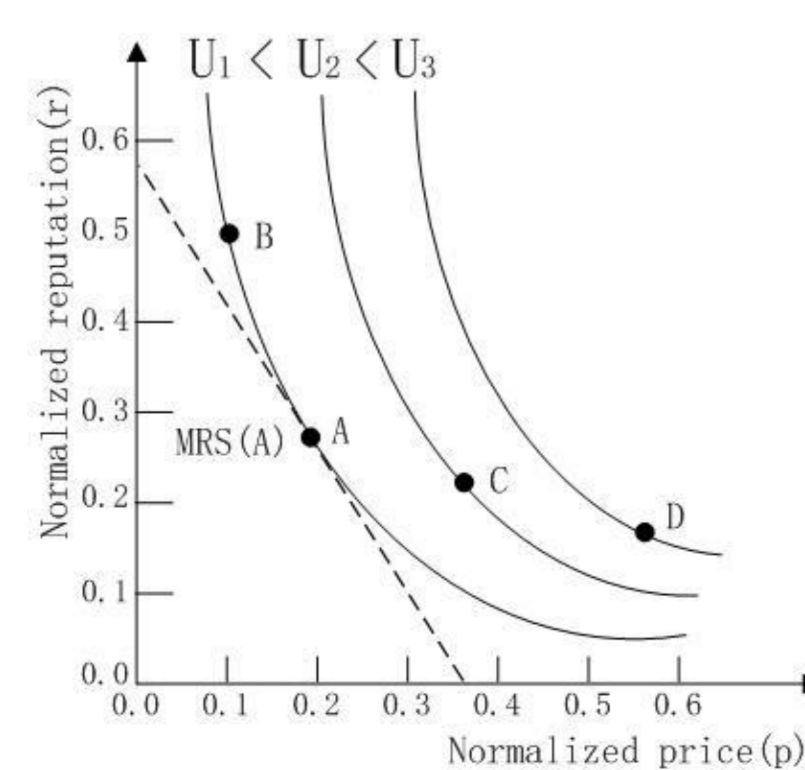


Fig.1 Indifference Curves

Our Proposed Method PRIMA

(A) Utility Function $U(p, r)$

- monotonicity $\frac{\partial U}{\partial p} > 0, \frac{\partial U}{\partial r} > 0$
- diminishing value $\frac{\partial^2 U}{\partial p^2} > 0, \frac{\partial^2 U}{\partial r^2} > 0$
- separable $U(p, r) = u_1(p) + u_2(r)$

- one example is $U = \alpha \ln p + (1 - \alpha) \ln r$
- $\alpha \in [0, 1]$ describing the user's personalized preference on the price-reputation tradeoff

(B) Parameter Estimation

- MRS Estimation based on IC [6]

For each item $s_i = (p_i, r_i)$, PRIMA obtains the MRS range $[k_i, \bar{k}_i]$

- α Estimation

- for an item $s_i = (p_i, r_i)$, let k_i be the true MRS at s_i

$$k_i = -\frac{\alpha}{1-\alpha} \cdot \frac{r_i}{p_i} \Rightarrow \alpha = \frac{k_i p_i}{k_i p_i - r_i}$$

- given one item (p_i, r_i) and $[k_i, \bar{k}_i]$, PRIMA obtains $[\underline{\alpha}_i, \bar{\alpha}_i]$ by

$$\bar{\alpha}_i = \frac{k_i p_i}{k_i p_i - r_i}, \quad \underline{\alpha}_i = \frac{\bar{k}_i p_i}{\bar{k}_i p_i - r_i}$$

- given multiple items, PRIMA refines the range $[\underline{\alpha}, \bar{\alpha}]$ by

$$\bar{\alpha} = \min_{i=1}^N \bar{\alpha}_i, \quad \underline{\alpha} = \max_{i=1}^N \underline{\alpha}_i$$

(C) Probabilistic Ranking (The Inter-Item Competition)

Define P_i be the probability for item s_i to be selected

- Two-Item Competition

$$s_i = (p_i, r_i), s_j = (p_j, r_j), \text{ if } U(p_i, r_i) > U(p_j, r_j) \Rightarrow \begin{cases} \alpha > A_i(j), & \text{if } \{p_i > p_j, r_i < r_j\} \\ \alpha < A_i(j), & \text{if } \{p_i < p_j, r_i > r_j\} \end{cases} \text{ where } A_i(j) = \frac{-\ln(r_i/r_j)}{\ln(p_i/p_j) - \ln(r_i/r_j)} > 0$$

- Multi-Item Competition

$$s_i \text{ is the best choice} \Leftrightarrow U(p_i, r_i) > U(p_j, r_j), \forall j \neq i \Rightarrow \alpha \in [\underline{\alpha}_{p_i}, \bar{\alpha}_{p_i}], \text{ where } \underline{\alpha}_{p_i} = \max_{p_j < p_i} A_i(j), \bar{\alpha}_{p_i} = \min_{p_j > p_i} A_i(j)$$

- Assume α is uniformly distributed in $[\underline{\alpha}, \bar{\alpha}] \Rightarrow P_i = \frac{\min\{\bar{\alpha}, \bar{\alpha}_{p_i}\} - \max\{\underline{\alpha}, \underline{\alpha}_{p_i}\}}{\bar{\alpha} - \underline{\alpha}}$

Real User Test

(A) Data Collection and Processing

- Types of products:
 - Cuisine coffee maker DCC-1200 (~\$100)
 - iTouch 5th generation (~\$200)
 - Canon EOS 5D Mark II camera (~\$2000)
- Price and reputation information from eBay
- For each product, 15 item sets were generated, each with 4~6 skyline items
- 21 subjects were interviewed

(B) Performance Metrics

- Ranking Quality (rq): $rq = (N - v_b) / (N - 1)$, N is the number of items, and v_b is the ranking position of the user's true choice
- Success Rate: the frequency that PRIMA ranks the user's true choice in the first place

(C) Results

Real user test results of ranking quality				
	Coffee Maker	iTouch	Canon	Average
PRIMA	74.01%	76.43%	77.80%	76.08%
IC	78.57%	73.00%	77.75%	76.44%
MAPS	71.12%	76.12%	74.18%	73.80%

Real user test results of success rate				
	Coffee Maker	iTouch	Canon	Average
PRIMA	59.86%	58.84%	62.24%	60.32%
IC	58.50%	56.80%	57.49%	57.60%
MAPS	38.10%	57.49%	46.60%	47.39%

- Both IC [6] and PRIMA give higher ranking quality and success rate than MAPS [5].
- PRIMA achieves comparable or even better performance than IC [6]. Note that PRIMA is also much simpler than IC [6] and mathematically tractable.

Conclusion

- Personalized ranking of sellers offering similar products is an important problem in E-commerce
- PRIMA: a novel personalized multi-attribute probabilistic ranking model
 - addressing the inter-attribute tradeoff and the inter-item competition
 - mathematical tractability, comparable accuracy to the state-of-the-art work
 - estimating each item's probability of being the user's best choice; critical to personalized ranking, market analysis and pricing strategies

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