



On Adversarial Robustness of Large-scale Audio Visual Learning

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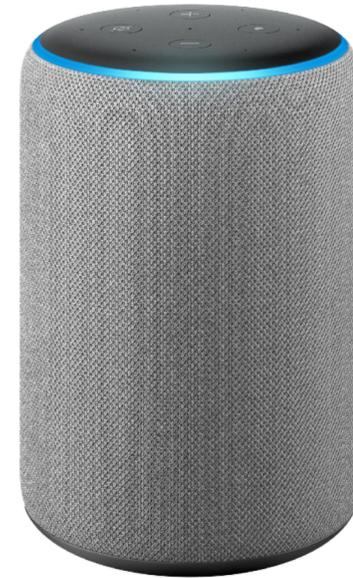
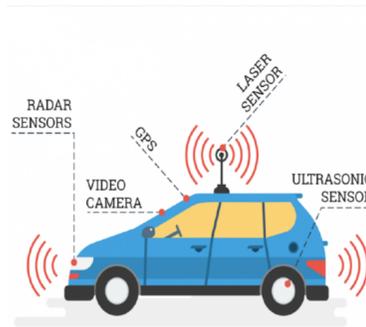


Audio/Visual Event Recognition in Safety Critical Tasks

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Nest Cams



Echo



AI smart speakers



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Dataset: AudioSet, Kinects Sounds



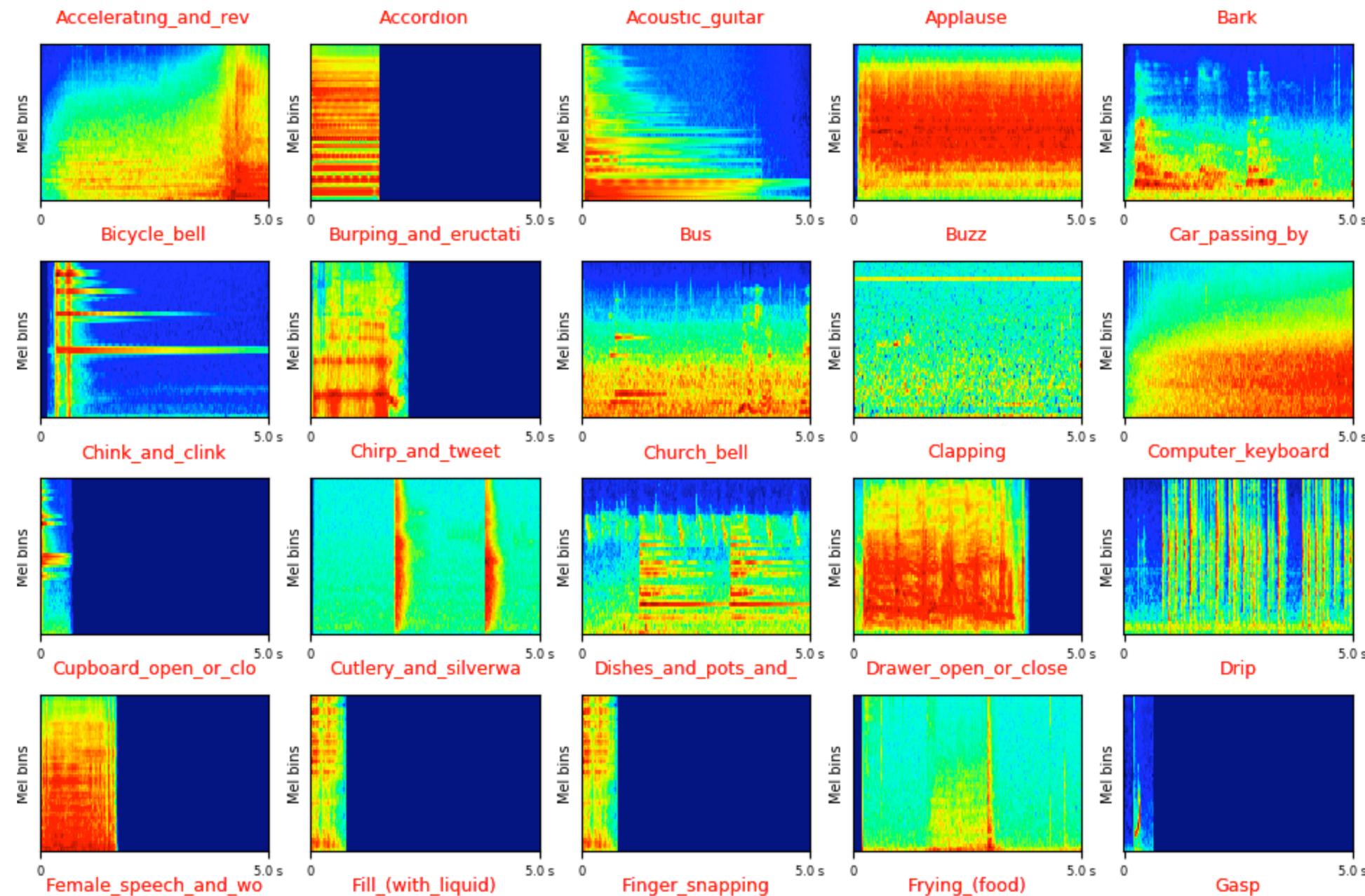
Weak label
2Million 10s
527 Classes
Audio+Video





Tasks of audio visual event recognition

- To predict the tag of an audio visual event, such as “Applause” or “Clapping”



LogMel spectrogram of selected audio recordings from AudioSet

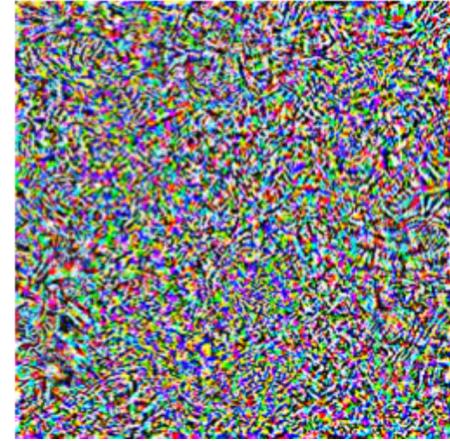


Background: Adversarial Examples

“pig”



+ 0.005 x



=

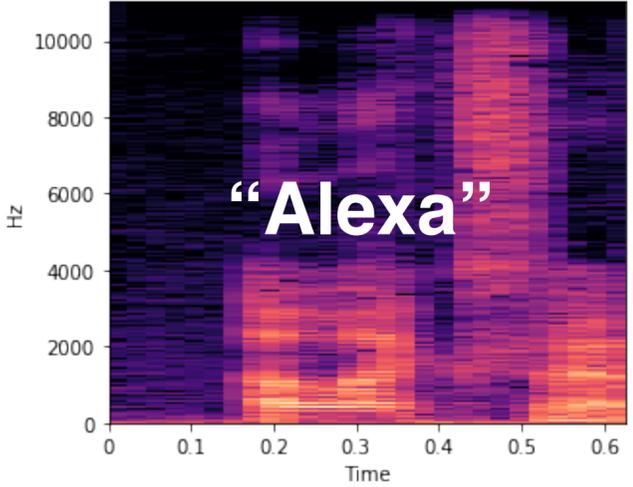
“airliner”



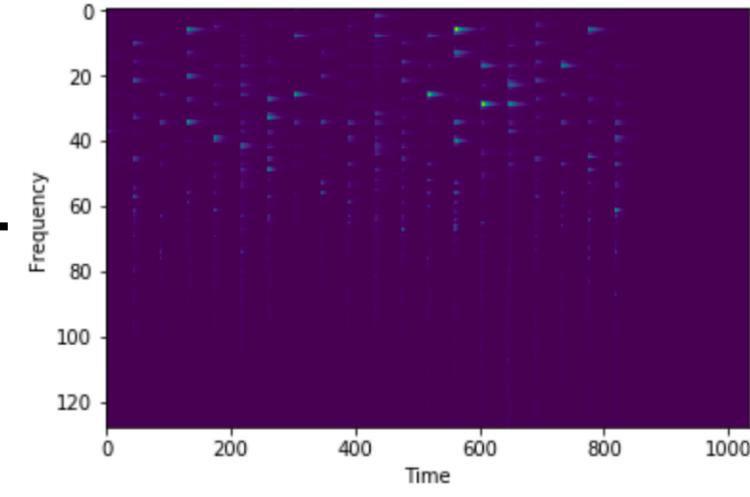
$$\min_{\theta} \sum_x \text{loss}(x, \theta)$$

$$\max_{\delta} \text{loss}(x + \delta, \theta)$$

Linear power spectrogram



+

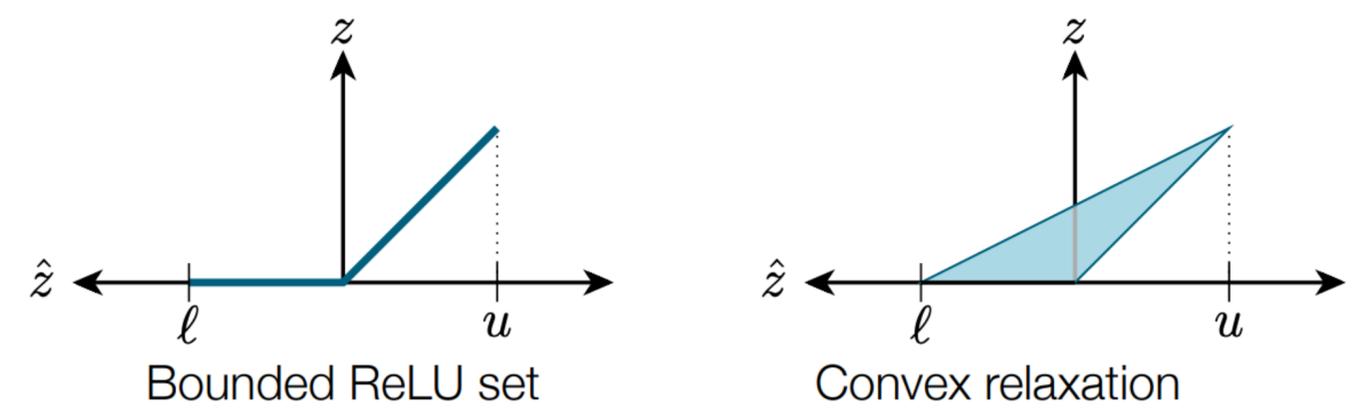


$$\mathbb{E}_{x,y \sim D} \left[\max_{x' \in P(x)} L(f(x'), y) \right]$$

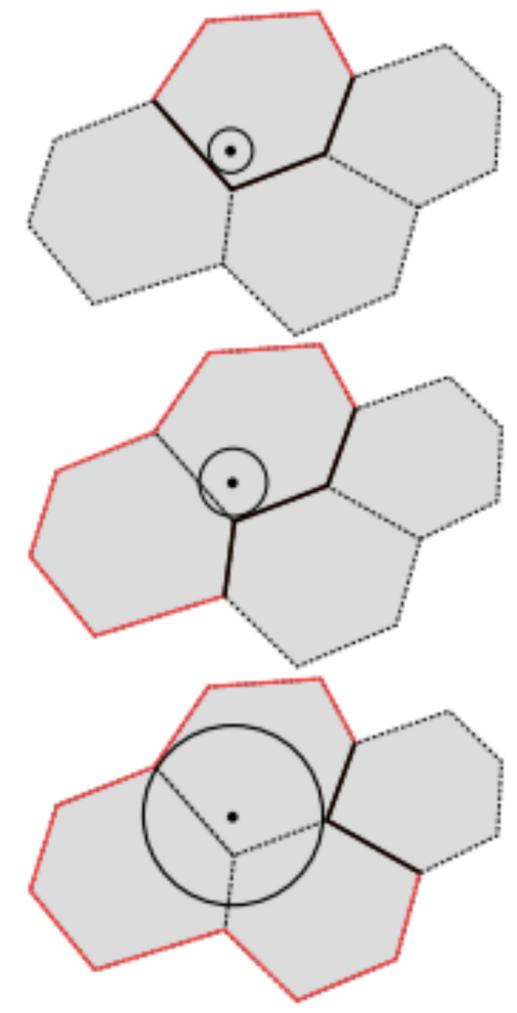
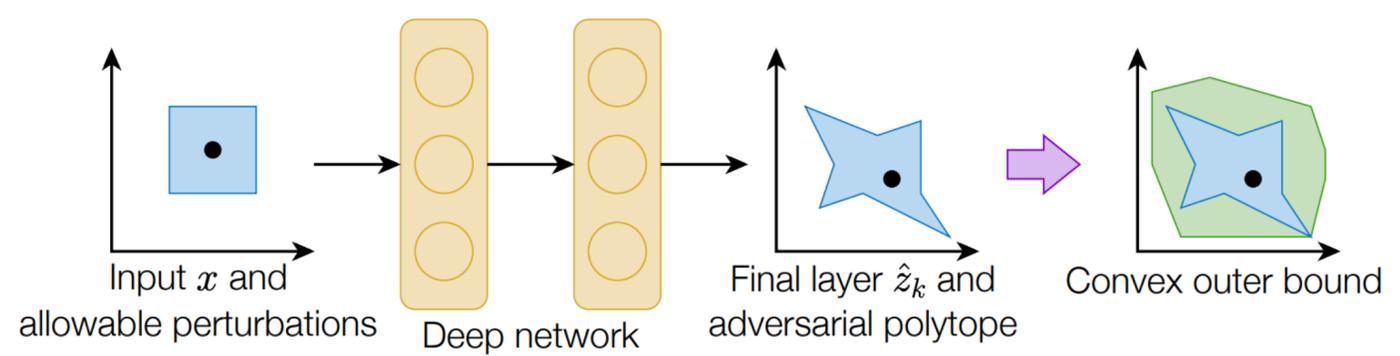
Adversarial Music
Li et al. [2019]



Background: Point-wise Robustness, Adversarial Training



Provable Defense Wong, Kolter [2018]



Centered Chebyshev Ball Jordan et al. [2019]

| ImageNet L2-robust accuracy | | |
|-----------------------------|-------------------|-------------------------------|
| | ϵ -train | |
| ϵ -test | 0.0 | 3.0 |
| 0.0 | 76.13% / - | 57.90% / - |
| 0.5 | 3.35% / 2.98% | 54.42% / 54.42% |
| 1.0 | 0.44% / 0.37% | 50.67% / 50.67% |
| 2.0 | 0.16% / 0.14% | 43.04% / 43.02% |
| 3.0 | 0.13% / 0.12% | 35.16% / 35.09% |

Adversarial Training Ilyas, Madry et al. [2021]

Main Questions and Answers

Q1) Are multi-modal models necessarily more robust than uni-modal models?

Answer: Not Necessarily. see Theorem 1.

Q2) How to efficiently measure the robustness of multi-modal learning?

Answer: Previous works only focused on point-wise robustness, we should also look into class-wise robustness.

Q3) How to fuse different modalities to achieve a more robust multi-modal model?

Answer: We propose multimodal mixup as a cheap alternative to adversarial training.

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Multimodal Adversarial Perturbation

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Multimodal Loss:

$$L_{multi} = L(f(g(x_{m_1}) \oplus h(x_{m_2}) \oplus \dots \oplus z(x_{m_k})), y),$$

Our Goal:

$$\underset{\delta_A \in C(x_A), \delta_V \in C(x_V)}{\text{Maximize}} \left[\mathbf{E}_{x_A, y \sim \mathcal{D}_A; x_V, y \sim \mathcal{D}_V}, [L(f(x'), y)] \right]$$

$$\text{subject to } C(x) = \{x \in \mathbb{R}^d : \|x\|_p \leq \epsilon\}.$$

Audio Perturbation:

$$\delta_A = \mathcal{P}_\epsilon \left(\delta_A - \alpha \frac{\nabla_{\delta_A} L(f(g(x_A + \delta_A) \oplus h(x_V)), y)}{\|\nabla_{\delta_A} L(f(g(x_A + \delta_A) \oplus h(x_V)), y)\|_p} \right)$$

Video Perturbation:

$$\delta_V = \mathcal{P}_\epsilon \left(\delta_V - \alpha \frac{\nabla_{\delta_V} L(f(h(x_V + \delta_V) \oplus g(x_A)), y)}{\|\nabla_{\delta_V} L(f(h(x_V + \delta_V) \oplus g(x_A)), y)\|_p} \right)$$

Multimodal Perturbation:

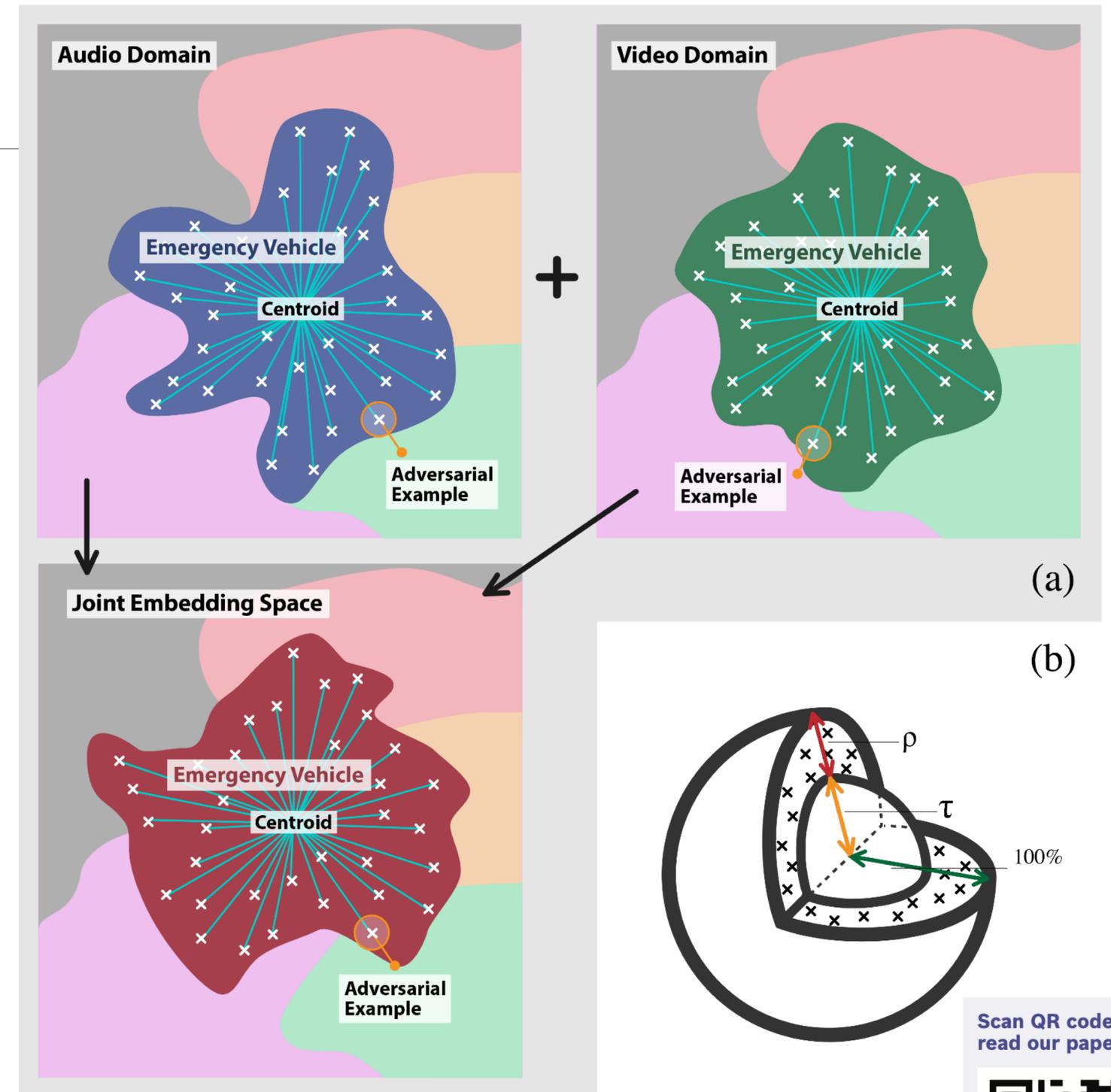
$$\delta_A, \delta_V := \mathcal{P}_\epsilon \left(\delta_{(V,A)} - \alpha \frac{\nabla_{\delta_{(V,A)}} L(f(h(x_V + \delta_V) \oplus g(x_A + \delta_A)), y)}{\|\nabla_{\delta_{(V,A)}} L(f(h(x_V + \delta_V) \oplus g(x_A + \delta_A)), y)\|_p} \right)$$

Our Approach

Theorem 1 *There exists a sample $x_i \in \mathcal{D}$, and a unimodal sample-wise attack $\exists \|\delta_{A,i}\|_p \leq \epsilon_A$ or $\exists \|\delta_{V,i}\|_p \leq \epsilon_V$ that can break a multimodal fusion network $f((x_{V,i} \oplus x_{A,i}), y_i)$, changing its prediction label y_i .*

Here, \mathcal{D} is the dataset, and ϵ_A and ϵ_V are the point-wise robustness threshold for each uni-modal of sample x_i . Therefore, as a conjecture, a unimodal attack can break a multimodal model, which we empirically verified the existence of such cases in our experiments.

The proof of Theorem 1 can be found in the appendix page.



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Convolutional Self-Attention Network (CSN)

Audio Encoding Network

- 10 Stacked Convolutions and Pooling Layers. 5 pooling layers are insert after every 2 convolution layers.
- The outputs of the convolution encoder are fed into 2 transformer blocks to further model the global interaction among frames.

Video Encoding Network (3D-CNN)

- R(2+1)D block which decomposes the 3D (spatial-temporal) CNN into a spatial 2D convolution followed by a temporal 1D convolution.

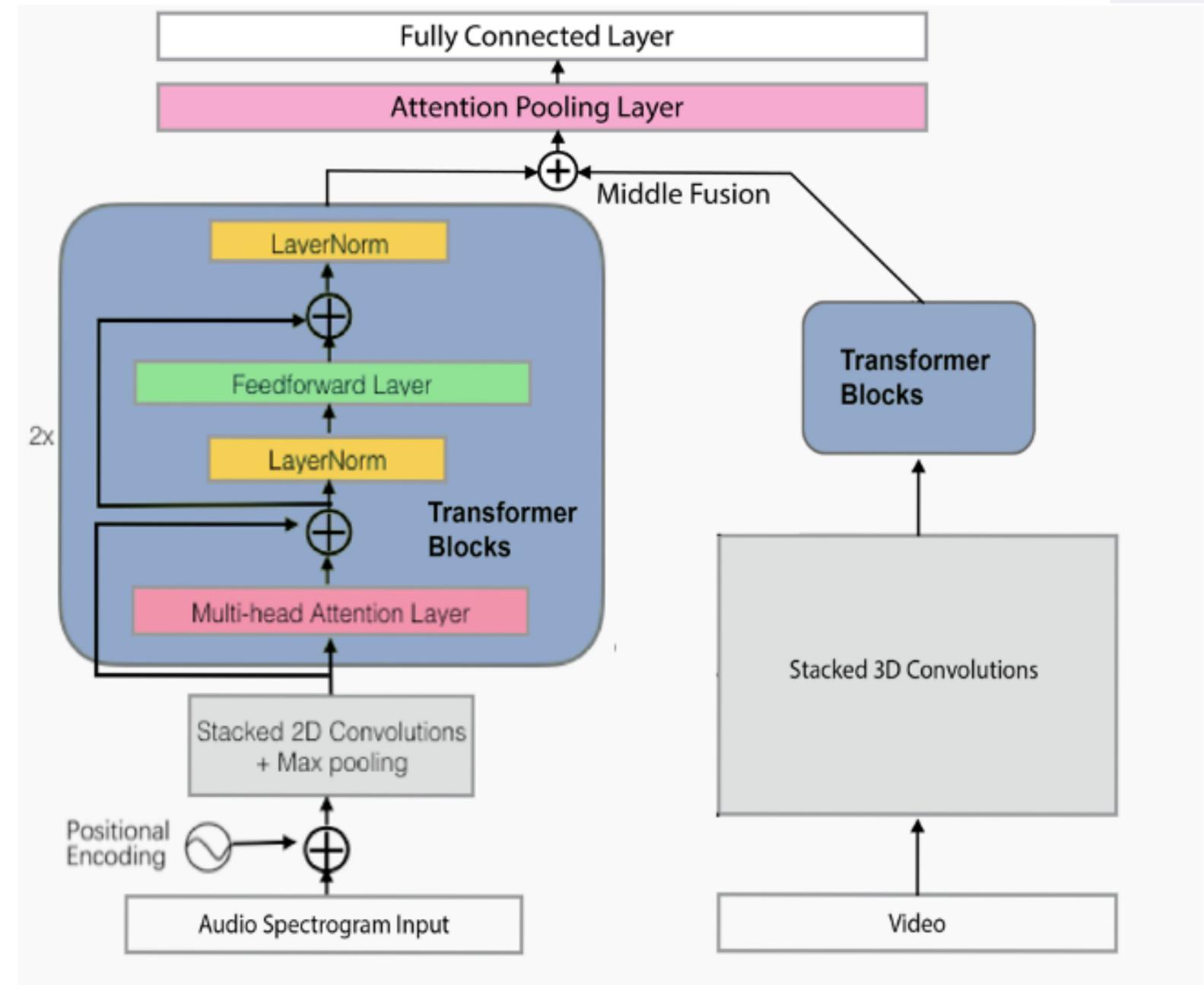


Fig1. The overall architecture of the network studied (left) audio branch (right) video branch

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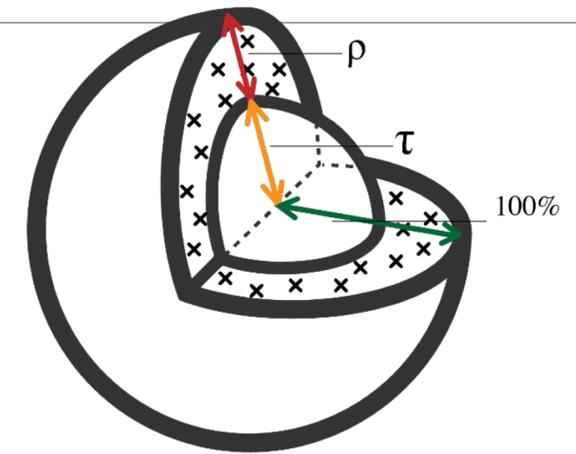


Class-wise Robustness Metric

(b)

Centroid-based Density Metric :

$$\rho_c^{R_{\tau,p,c}} = \frac{n_c - n_{\tau,c}}{\log(V_d^p(R_{p,c})) - \log(V_d^p(R_{\tau,p,c}))}$$



In the equation, the numerator is the number of class samples whose l_p distance to centroid larger than τ quantile of samples in class c ;

$R_{\tau,p,c}$ is the τ quantile of all class sample's l_p distance to the class's centroid.

Intuitively, the density in the outer crust of a ball as is shown in Fig. 1(b) above.

Generally, the higher the density of the crust, the more robust the samples within/below the crust are.

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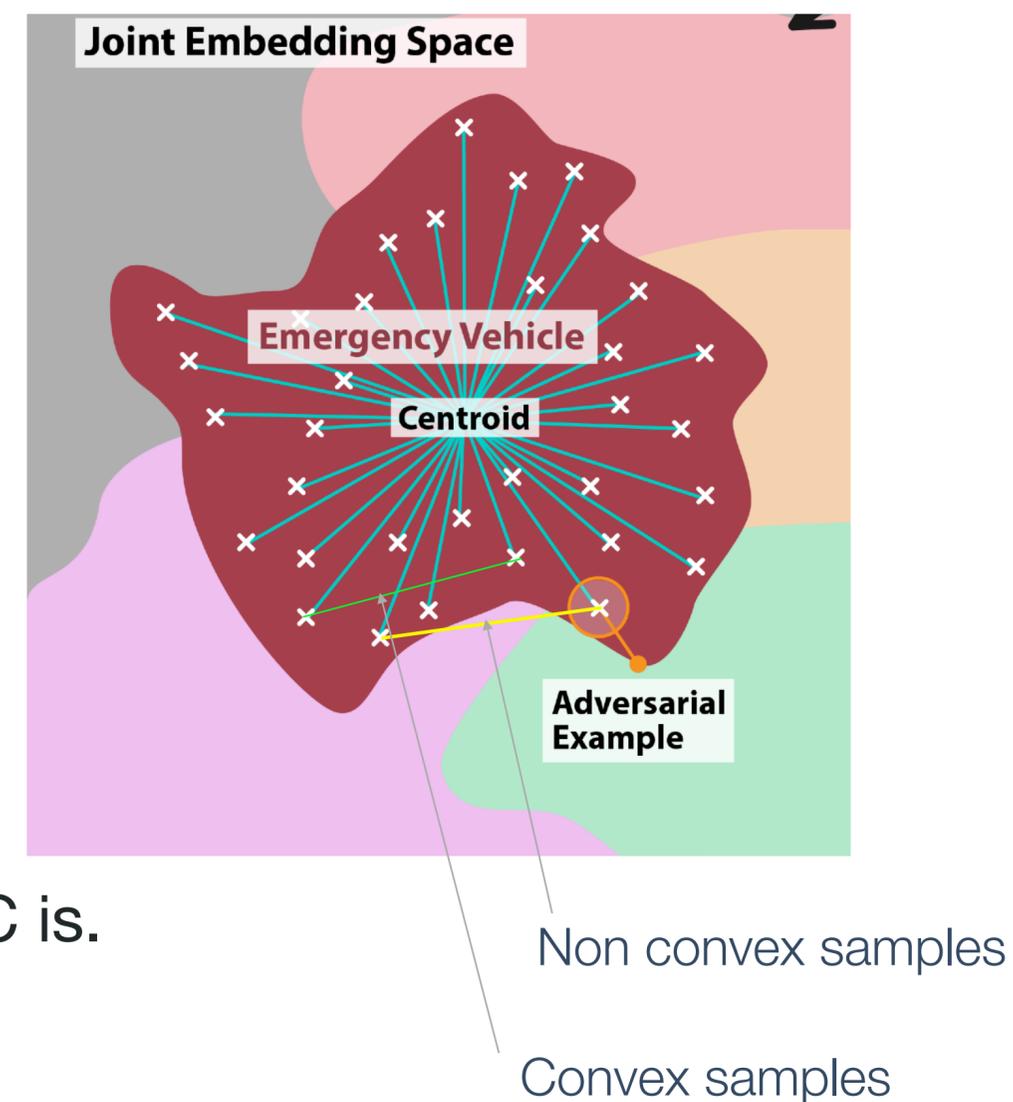
Class-wise Robustness Metric

Convexity-based Metric :

$$\kappa_c = \frac{\sum_{i=1}^n \mathbb{1}\{f(\hat{x}_i) = y_c\}}{n}$$

For each class C in the dataset, we construct the convex set of $S = \{x_s | x_s = \theta x_1 + (1 - \theta)x_2, \theta \sim U[0,1], \forall x_1, x_2 \in C\}$, and sample n points from it $\{x_1, \dots, x_n | x_i \in S\}$, we set $n = 2000$, where y_c is the class label.

The higher the κ_c is, the more convex the decision boundary of class C is.





Main Questions and Answers



Q3) How to fuse different modalities to achieve a more robust multi-modal model?

Answer: We propose **multimodal mixup** as a cheap alternative to adversarial training. We desire to augment the **less convex** classes of training data with more samples from the “**denser**” samples which are closer to the center of its feature space.

We tune mixup temperature between audio and video samples according to empirical threshold of the above-mentioned Density metric ρ and the Convexity metric κ_C



Performance Drop rate vs. Kc

— Trendline

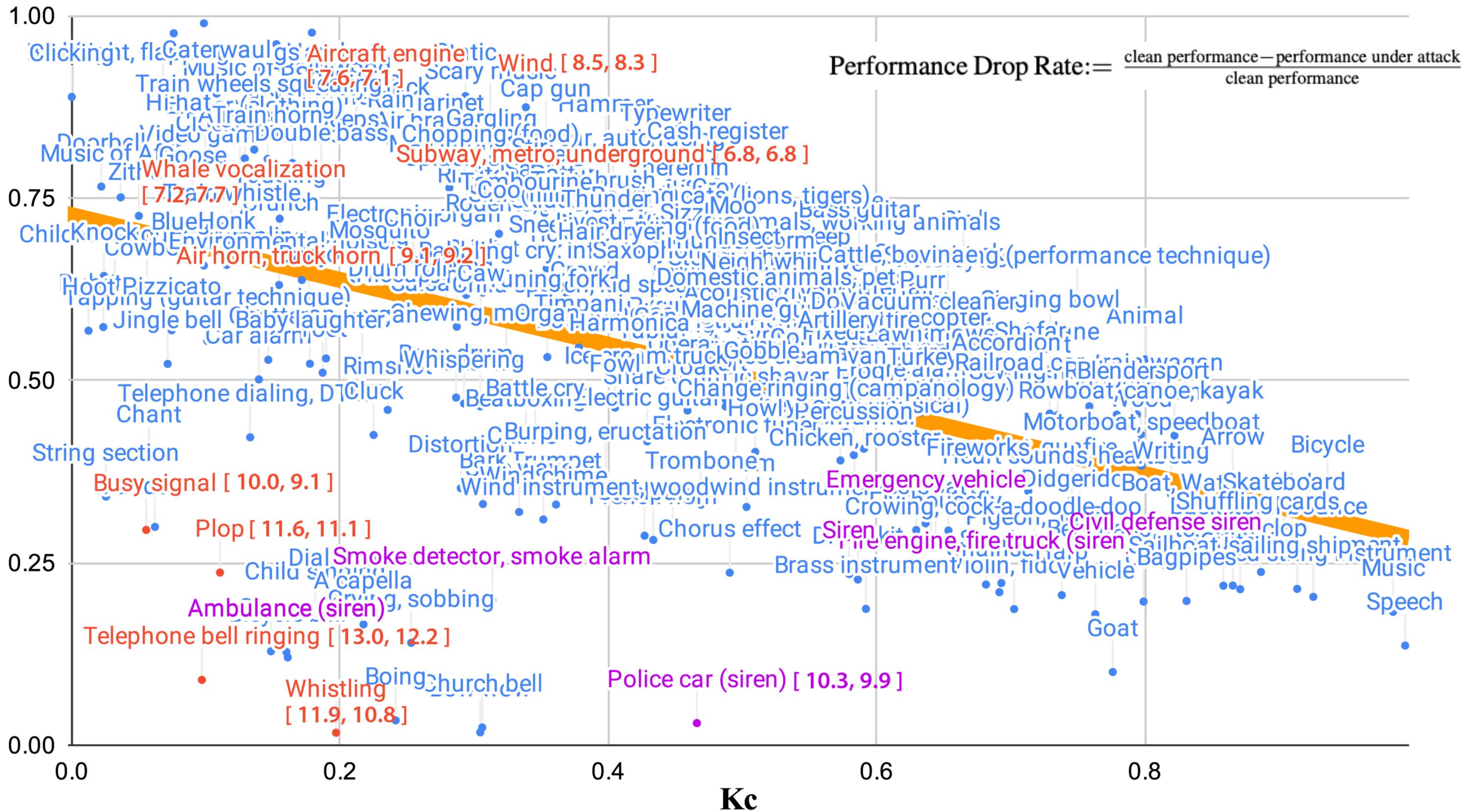
● Audio Class Label

● Selected Audio Class Label [ρ^{60} , ρ^{80}]

● Siren Class

different colors for better visualization

Performance Drop Rate Caused by Adversarial Perturbation





Results:

Table 1. Performance of our best performing model on AudioSet, and their performance against the adversarial perturbation, using the overall architecture shown in Fig 2.

Here, *mAP* is the mean average precision, *AUC* is the area under the false positive rate and true positive rate.

The *d-prime* can be calculated from *AUC* [1].

AT denotes adversarial training. A **red** text color indicates the **most potent** perturbation against the model.

| Models | Attack | mAP | AUC | d-prime |
|------------------------------------|------------|--------------|-------|---------|
| <i>Audio UniModal (PANNS)</i> [23] | No | 0.383 | 0.963 | 2.521 |
| Audio UniModal | Yes | 0.183 | 0.895 | 1.770 |
| <i>Mid Fusion (G-blend)</i> [14] | No | 0.427 | 0.971 | 2.686 |
| Mid Fusion | Yes A+V | 0.182 | 0.889 | 1.836 |
| Mid Fusion | Yes V-only | 0.339 | 0.954 | 2.441 |
| Mid Fusion | Yes A-only | 0.310 | 0.940 | 2.276 |
| Mid Fusion mixup | No | 0.424 | 0.972 | 2.711 |
| Mid Fusion mixup | Yes A+V | 0.234 | 0.891 | 1.983 |
| Mid Fusion <i>AT</i> | No | 0.397 | 0.964 | 2.530 |
| Mid Fusion <i>AT</i> | Yes A+V | 0.199 | 0.900 | 1.861 |





Conclusion

1. Multimodal Networks are not always more robust than their unimodal counterparts.
2. Our density and convexity metric could effectively measure robustness of models in large-scale.
3. We propose multimodal mixup as an alternative to adversarial training.

Thank you!

