

# Anti-cropping Blind Resynchronization for 3D Watermarking

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- 1 Introduction
- 2 3D Landmarks Creation
- 3 Synchronization Patterns
- 4 Performances
- 5 Conclusion

# Context

## 3D assets

- Routinely used in movies, video games, and scientific simulations
- Complex, valuable and copyrighted

## Piracy threats

- 3D models/animations leakage
- 3D scanners/printers



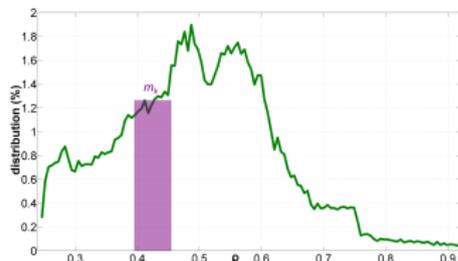
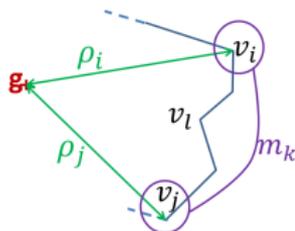
## Enduring challenges in 3D watermarking (for traitor tracing)

- ① Transforms for 3D mesh: correlated coefficients, causality issues
- ② Perceptual modeling: geometry vs. rendering fidelity, complexity
- ③ Resynchronization: robustness trade-off against cropping / noise addition
- ④ Security: accessible watermark carriers

# Radial-based 3D Watermarking

## Baseline principle

Encode watermark information in the distribution of radial distances  $\rho_i$  between the center of mass  $\mathbf{g}$  and the vertices  $v_i$  [Cho et al., 2007]



## Embedding process

- 1 Compute the radial distances  $\rho_i$
- 2 Compute the histogram  $\text{hist}(\rho)$  and the average  $\mu_k$  of each bin
- 3 Compute a target average value  $\mu_k \leq \tau_k$  to encode a bit  $m_k$  of the watermark payload
- 4 Modify  $v_i$  position so that corresponding bin averages  $\mu_k$  matches the target values

## Reference implementation

- Quadratic programming framework [Rolland-Nevière et al., 2014]

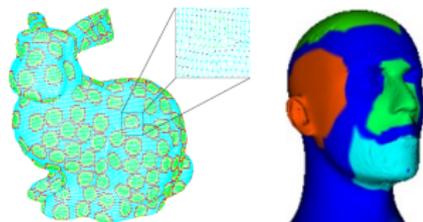
# 3D Cropping Attack

## Watermark desynchronization

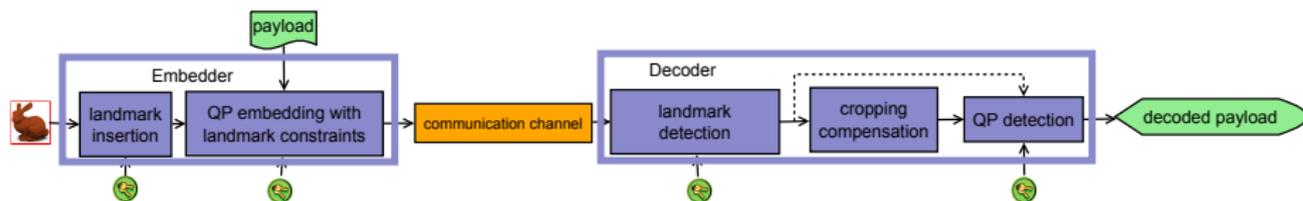
Loss of  $\mathbf{g}$ ,  $\min(\rho)$ ,  $\max(\rho)$   $\implies$  critical impairment of  $\text{hist}(\rho)$

## Countermeasures

- 1 Invariant watermark carrier  
☹ *Sensitivity to noise*
- 2 (Implicit) resynchronization  
☹ *Instability, content dependency*
- 3 Pilot sequences (?)



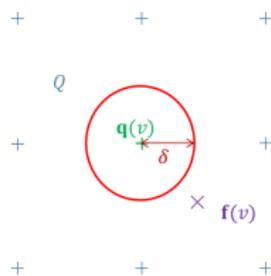
## Proposed approach



## 3D Landmark Vertices

### Landmark definition

- $\mathbf{f}$ : vector field  $\mathcal{M} \rightarrow \mathbb{R}^2$ 
  - 1 Fitting parametric model of paraboloid to  $\mathcal{N}_2(v)$
  - 2 Derive RST-resilient 2D vertex signature
- $\mathcal{Q}$ : 2D quantization lattice
- $\mathbf{q}(v) \in \mathcal{Q}$ : quantization point closest to  $\mathbf{f}(v)$
- $v$  is a landmark  $\iff \|\mathbf{f}(v) - \mathbf{q}(v)\| < \delta$



### Landmark creation

Move vertices  $v_i \in \mathcal{N}_2(v)$  in a local neighborhood to

- Minimize the squared error distortion
- While satisfying the *constraint*:  $\|\mathbf{f}(v) - \mathbf{q}(v)\| < \delta$

**Non-interference:** non-overlapping neighborhoods for multiple landmarks

# Detection of Landmark Vertices

## Blind retrieval

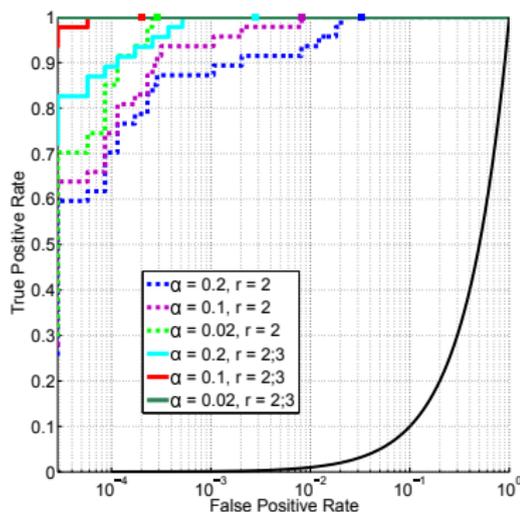
- 1 Fast signature estimation for all vertices (4s for 35k vertices)
- 2 Detection problem: binary classification (threshold at  $\delta$ )

Limitation: false positives due to the low dimension (2D) of the signature

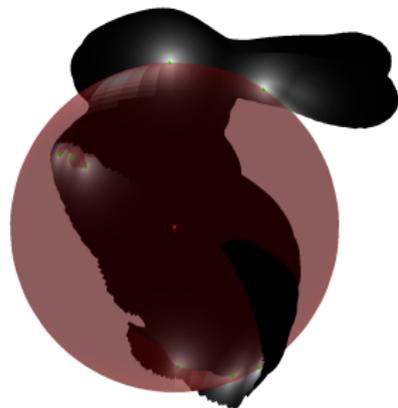
## Mitigation strategies

- 1 Strengthen the landmark constraint, i.e. reduce the threshold  $\delta$
- 2 Increase the dimensionality of the signature  $\mathbf{f}(v)$ 
  - Complex neighborhood modeling
  - Nested signatures  
 $\mathcal{N}_2(v) \rightarrow (\mathcal{N}_2(v), \mathcal{N}_3(v))$

$\alpha$ : normalized  $\delta$  w.r.t.  $\mathcal{Q}$



# Center of Mass Recovery



## Watermark embedding

- 1 Create a pattern of landmarks to recover  $\mathbf{g}$ 
  - Select a non-overlapping set of vertices  $\mathcal{L}$  near a sphere  $\mathcal{S}(\mathbf{g}, r)$  (heuristics)
  - Project vertices of  $\mathcal{L}$  onto  $\mathcal{S}$
  - Turn vertices of  $\mathcal{L}$  into landmarks
- 2 Embed payload with radial 3D watermarking (add constraints to preserve landmarks)

## Watermark extraction

- 1 Recover the center of mass
  - Retrieve a set  $\hat{\mathcal{L}}$  of candidate landmarks
  - Compute an estimate  $\hat{\mathbf{g}}_{\hat{\mathcal{L}}} \equiv \mathbf{g}$  using robust sphere fitting (RANSAC)
- 2 Radial 3D watermark extraction using  $\hat{\mathbf{g}}_{\hat{\mathcal{L}}}$  (instead of  $\hat{\mathbf{g}}$ )

Low landmark/fitting scores  $\implies$  automatic resynchronization bypass

# Full Resynchronization

**Objective:** transmit  $(\mathbf{g}, \min(\rho), \max(\rho))$  to fully recover  $\text{hist}(\rho)$

**Proposal:** embed two synchronization patterns  $\mathcal{S}_1(\mathbf{g}, r_1)$  and  $\mathcal{S}_2(\mathbf{g}, r_2)$

## Watermark embedder

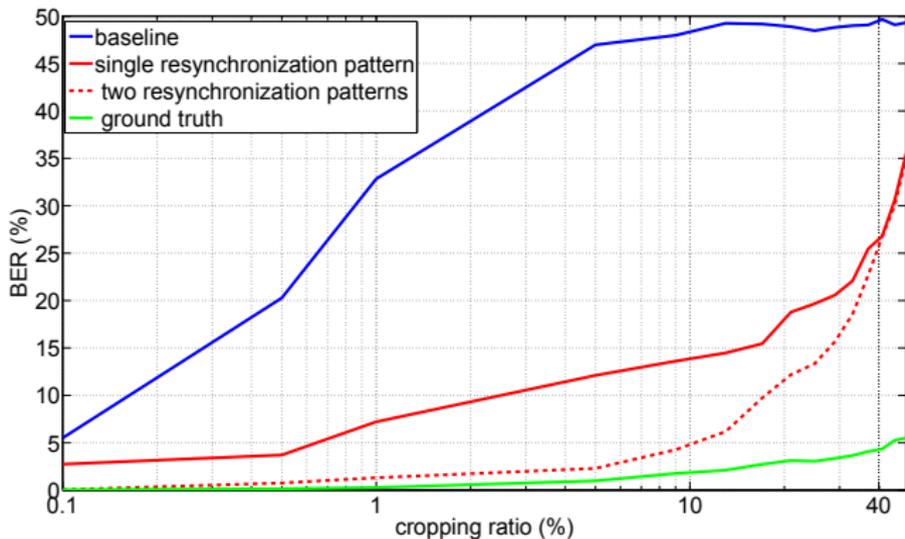
- 1 Define two sets of landmarks  $(\mathcal{L}_1, \mathcal{L}_2)$  using alternate quantizers, e.g. QIM
- 2 Define  $(r_1, r_2)$  as preset linear combination of  $(\min(\rho), \max(\rho))$

Vertex assignment: 90% payload vs. 10% resynchronization

## Watermark decoder

- 1 Recover the geometrical parameters of both synchronization patterns
  - Isolate candidate landmarks for both quantizers used during embedding
  - Compute  $\hat{\mathbf{g}}_{\hat{\mathcal{L}}}$  and  $\hat{r}$  after RANSAC sphere fitting for both sets of landmarks
- 2 Radial 3D watermark extraction using  $\hat{\mathbf{g}}_{\hat{\mathcal{L}}_1}, \hat{\mathbf{g}}_{\hat{\mathcal{L}}_2}, \hat{r}_1, \hat{r}_2$   
(when confidence is sufficient)

# Benchmarking Against Cropping



## Remarks

- Resynchronization robust to combined rigid transform and cropping (in contrast with 'ground truth')
- Baselines with/without resynchronization equally robust against volumetric attacks, simplification, etc.

# Wrapping Up

## Conclusion

- 1 New resynchronization paradigm illustrated with radial 3D watermarking
- 2 Significant gain in robustness against cropping  
... while preserving performances against standalone noise addition

## Research outlook

- 1 Robustness against combined cropping-noise attacks
- 2 Investigate alternate models for local neighborhoods
- 3 Security of landmark resynchronization (QIM attacks, geometric attacks)
- 4 Extension to other types of content, e.g. 2D landmarks for still images

# Bibliography



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